	No.:	Date:
	SECT PIXME Structure Assignment 2 (Som 1)	
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	(TOEO2) JULY nix HOLT "	
	1. (a) 1×9 = 63	
	(b)(i) 8! = 40330	
	(1i) 8P= 6710	
	$OL \Gamma = 1 \lambda  (jij)$	
	(c) (i) HIXEI =988Q	
	(ii) (9-1)!x2!=80640	
	(iii) 5! x5!=1 #100	
, ,		<b>∑</b> Tai

2. (a) 
$$\frac{W}{3} + 2 = 5$$
 (8(, x 6(3)) + (8(, x 6(3

(b) 
$$\frac{1}{6} \frac{1}{8} \frac{1}{3} \times \frac{10}{1} \times \frac$$

c) i. 
$$C(10+6-1,6) = \frac{15!}{6!(10-1)!}$$
  
= 5005 ways

ii. 
$$C(9+2-1, 2) = \frac{10!}{2!(8!)}$$
  
= 45 ways

$$C(9+1-1,1) = \frac{9!}{1!(8!)}$$
  
= 9 ways

$$\tilde{n}i. C(10,6) = \frac{10!}{6!(10-6)!}$$
  
= 210 ways

d) i. 
$$C(13.11) = {}^{13}C_{11} = 78$$
 ways  
ii.  $P(13.11) = {}^{13}P_{11} = 3$  113 510 400  
iii.  ${}^{13}C_{11} = 78$  ways

$$C(3,1) \times C(10,10) = \frac{3!}{1!(3-1)!} \times \frac{10!}{10!(10-10)}$$

$$= 3 \times 1$$

$$= 3 \text{ Ways}$$

9M2W  

$$C(3.2) \times C(10.9) = \frac{3!}{2!(3.2)!} \times \frac{10!}{9!(10.9)!}$$
  
= 3×10  
= 30 ways

8M3W  

$$C(3,3) \times C(10.8) = \frac{3!}{3!(3-3)!} \times \frac{10!}{8!(10-8)!}$$
  
= 1 × 45  
= 45 ways  
Total = 3+30+45  
= 78 ways

Question 4

4) n=b

k= n+1

6=3+1

1:4

At least 4 balls must be taken from the box to get two balls of same colour.

b) pegion, n = 10 x 8 = 80

pegionhole, m = 30 + 2 = 32

$$= \left\lceil \frac{g_0}{32} \right\rceil$$

2 3

This show that in among ten cheesecakes cut into each cakes eight pieces, divided among thirty students and two teachers, each of them can have at least three pieces of cheesecakes.

c) Pair of forming sum of 10 = {(2,8), (3,7), (4,6)}

pegionhole, m = 3

pegion > pegionhole

pegion = 4

The smallest integer that must be chosen is 4 so that at least one pair of them has a Sum of 10.

## Question 4

- d) pegion.n =?

  pegionhole, m = s

  k=6

  n=m(k-1)+1

  n=5(6-1)+1

  n=26

  minimum number of student required = 26
- e) pegion, n=b

  pegionhole, m=5

  k= [m]

  = [ \frac{6}{5}]

  = 1.2

  22

This show that among six computer, each computer is directly connected to zero or more of the other computers, at least two computer are directly connected to the same number of other computers.