

Faster generic CCA secure KEM transformation using encrypt-then-MAC

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Abstract. TODO: write abstract later

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1 Introduction

Key encapsulation mechanism (KEM) is a public-key cryptographic primitive that allows two parties to establish a shared secret over an insecure communication channel. The accepted security requirement of a KEM is *Indistinguishability under adaptive chosen ciphertext attack (IND-CCA)*. Intuitively speaking, IND-CCA security implies that no efficient adversary (usually defined as probabilistic polynomial time Turing machine) can distinguish a pseudorandom shared secret from a uniformly random bit string of identical length even with access to a decapsulation oracle. Unfortunately, CCA security is difficult to achieve from scratch. Early attempts at constructing CCA secure public-key cryptosystems using only heuristics argument and without using formal proof, such as RSA encryption in PKCS #1 [30] and RSA signature ISO 9796 [1], were badly broken with sophisticated cryptanalysis [12,15,17]. Afterwards, provable chosen ciphertext security became a necessity for new cryptographic protocols. There have been many provable CCA secure constructions since then. Notable examples include Optimal Asymmetric Encryption Padding (OAEP) [7], which is combined with RSA [21] into the widely adopted RSA-OAEP. The Fujisaki-Okamoto transformation [20,23] is another generic CCA secure transformation that was thoroughly studied and widely adopted, particularly by many KEM candidates in NIST's Post Quantum Cryptography (PQC) standardization project.

Chosen ciphertext security is a solved problem within the context of symmetric cryptography. It is well understood that authenticated encryption can be achieved by combining a semantically secure symmetric encryption scheme with an existentially unforgeable message authentication code (MAC) using either the “encrypt-then-MAC” (AES-GCM, ChaCha20-Poly1305) or “MAC-then-encrypt” pattern (AES-CCM)[6,27]. However, adapting this technique for public-key cryptosystems is challenging, since the two communicating parties do not have a pre-shared symmetric key. The first attempt at such adaption is the Diffie-Hellman integrated encryption scheme (DHIES) [3,4] proposed by Abdalla, Bellare, and Rogaway, who proved its chosen ciphertext security under a non-standard but

well studied assumption called “Gap Diffie-Hellman problem” [28]. DHIES and its variations appeared in international standards such as IEEE P1363a[2] and ANSI X9.63[5].

1.1 Our contributions

Our contributions are as follows:

Generic CCA secure KEM transformation. We propose the “encrypt-then-MAC” KEM transformation. Our transformation constructs a KEM with provable CCA security under the random oracle model using a public-key encryption scheme (PKE) with one-wayness under plaintext-checking attack and a message authentication code with existential unforgeability. Compared to the Fujisaki-Okamoto transformation, which is widely adopted by many KEM candidates in NIST’s Post Quantum Cryptography (PQC) standardization project, our transformation replaces *de-randomization* (which might degrade the security of a randomized cryptosystem) and *re-encryption* (which is computationally inefficient and introduces additional risk of side channels) with computing MAC tag. We also provided concrete cryptanalysis on possible real-world attacks.

Instantiation with ElGamal and McEliece cryptosystem. We applied our KEM transformation to the ElGamal cryptosystem and the McEliece cryptosystems. We demonstrate that the “encrypt-then-MAC” KEM transformation is a generalization of DHIES by showing that the Gap Diffie-Hellman assumption is a special case of one-way security under plaintext checking attacks. We also surveyed plaintext checking attacks against many post quantum KEM candidates in the PQC standardization project.

C implementation of McEliece+. We implemented McEliece+ in C and benchmarked its performance. Compared to the reference implementation of Classic McEliece (which uses re-encryption), McEliece+ achieves significant decapsulation speedup at some minimal cost of encapsulation overhead, which results in 9-12% increase in throughput (encapsulation + decapsulation time).

1.2 Related works

OAEP *Optimal Asymmetric Encryption Padding (OAEP)* [7], proposed by Mihir Bellare and Phillip Rogaway in 1994, was one of the earliest provably secure CCA transformations. However, Victor Shoup identified a non-trivial gap in OAEP’s security proof that cannot be filled under ROM[32], although Fujisaki et al. later proved that RSA-OAEP is secure under the RSA assumption [21]. RSA-OAEP is widely used in secure communication protocols such as TLS 1.2. The main drawback of OAEP is that it requires its input to be an one-way trapdoor permutation, which is difficult to find. To this day, RSA remains the only viable candidate to apply OAEP to.

REACT/GEM Okamoto and Pointcheval proposed REACT [29] (Figure 1) in 2001, followed by GEM [16] in 2002. Both are generic CCA transformation with security proved under ROM. Okamoto and Pointcheval first defined the security notion of one-wayness under plaintext checking attack (OW-PCA) and reduced the CCA security of the transformation to the OW-PCA security of the input public-key cryptosystem.

$\text{Enc}_{\text{REACT}}(\text{pk}, m)$	$\text{Dec}_{\text{REACT}}(\text{sk}, c)$
1: $w \leftarrow \mathcal{M}_{\text{PKE}}$ 2: $c_1 \leftarrow \text{Enc}(\text{pk}, w)$ 3: $k \leftarrow G(w)$ 4: $c_2 \leftarrow \mathcal{E}_k(m)$ 5: $c_3 \leftarrow H(w, m, c_1, c_2)$ 6: return (c_1, c_2, c_3)	Require: $(c_1, c_2, c_3) \leftarrow c$ 1: $\hat{w} \leftarrow \text{Dec}(\text{sk}, c_1)$ 2: $\hat{k} \leftarrow G(\hat{w})$ 3: $\hat{m} \leftarrow \mathcal{D}_{\hat{k}}(c_2)$ 4: if $H(\hat{w}, \hat{m}, c_1, c_2) = c_3$ then 5: return \hat{m} 6: else 7: return \perp 8: end if

Fig. 1: Given PKE $(\text{Gen}, \text{Enc}, \text{Dec})$, SKE $(\mathcal{E}, \mathcal{D})$, and hash functions G, H , REACT constructs a hybrid PKE $(\text{Gen}_{\text{REACT}}, \text{Enc}_{\text{REACT}}, \text{Dec}_{\text{REACT}})$

$\text{Enc}_{\text{GEM}}(\text{pk}, m)$	$\text{Dec}_{\text{GEM}}(\text{sk}, c)$
1: $r \leftarrow \mathcal{R}$ 2: $s \leftarrow F(m, r)$ 3: $w \leftarrow s \parallel (r \oplus H(s))$ 4: $c_1 \leftarrow \text{Enc}(\text{pk}, w)$ 5: $k \leftarrow G(w, c_1)$ 6: $c_2 \leftarrow \mathcal{E}_k(m)$ 7: return (c_1, c_2)	Require: $(c_1, c_2) \leftarrow c$ 1: $\hat{w} \leftarrow \text{Dec}(\text{sk}, c_1)$ 2: $(\hat{s}, \hat{t}) \leftarrow \hat{w}$ 3: $\hat{r} \leftarrow \hat{t} \oplus H(\hat{s})$ 4: $\hat{k} \leftarrow G(\hat{w}, c_1)$ 5: $\hat{m} \leftarrow \mathcal{D}_{\hat{k}}(c_2)$ 6: if $F(\hat{m}, \hat{r}) = \hat{s}$ then 7: return \hat{m} 8: else 9: return \perp 10: end if

Fig. 2: Given PKE $(\text{Gen}, \text{Enc}, \text{Dec})$, SKE $(\mathcal{E}, \mathcal{D})$, and hash functions F, G, H , GEM constructs a hybrid PKE $(\text{Gen}_{\text{GEM}}, \text{Enc}_{\text{GEM}}, \text{Dec}_{\text{GEM}})$

Fujisaki-Okamoto transformation Fujisaki and Okamoto proposed to construct CCA secure hybrid PKE by combining a OW-CPA secure PKE and a semantically secure symmetric-key encryption (SKE) scheme [20]. The main techniques, namely *de-randomization* and *re-encryption* were both introduced in the original proposal. Under ROM, Fujisaki and Okamoto reduced the CCA security of the hybrid PKE tightly to the semantic security of the input SKE and *non-tightly* to the OW-CPA security of the input PKE (with loss factor q , the number of hash oracle queries). Later works extended the original proposal to build CCA secure KEM: KEM’s security model makes building secure KEM simpler than building secure PKE, and it is well-known that combining a CCA secure KEM with a CCA secure data encapsulation mechanism (DEM), such as some authenticated encryption scheme (e.g. AES-GCM, AES-CCM, ChaCha20-Poly1305), results in a CCA secure hybrid PKE [33,31]. Further studies [19,23,11,24,36,26] gave tighter security bounds, accounted for decryption failures in the underlying PKE, and analyzed the security under quantum random oracle model (QROM). To this day, the Fujisaki-Okamoto transformation is the only known generic CCA secure transformation that can convert OW-CPA/IND-CPA PKE into a CCA secure KEM. Because of the minimal input requirement and the simple construction, the Fujisaki-Okamoto transformation was widely adopted among post-quantum KEM candidates submitted to the PQC standardization project, including Kyber [14], Saber [18], FrodoKEM [13], and Classic McEliece [10].

Despite its widespread adoption, the Fujisaki-Okamoto transformation has many flaws:

- **Computational inefficiency.** In all variants of Fujisaki-Okamoto transformation, decapsulation routine needs to re-encrypt the decryption to ensure ciphertext non-malleability. For input PKE whose encryption routine carries significant computational cost, such as most lattice-based cryptosystems, re-encryption substantially slows down decapsulation.
- **Side-channel vulnerability.** Re-encryption introduces side-channels that can leak information about the decrypted PKE plaintext. As demonstrated in [35,34,25], these side-channels can be converted into efficient plaintext-checking attacks that can fully recover the secret key
- **Security degradation.** *de-randomization* can degrade the security of a randomized PKE. Where the security parameters did not account for this loss, the security of the KEM can fall below the expected level. Consequently, larger parameters are necessary to account for the security loss, which slows down the cryptosystem [8,9].

1.3 Paper organization

In Section 2, we review the preliminary definitions and theorems. In Section 3, we present the encrypt-then-MAC KEM transformation, proves its CCA security, and discusses practical attacks. In Section 4, we show that the encrypt-then-MAC transformation is a generalization of DHIES by applying it to the ElGamal cryptosystem. In Section 5, we present McEliece+, an instantiation of the

encrypt-then-MAC transformation, benchmark, and compare the performance of McEliece+ with Classic McEliece.

2 Preliminaries

2.1 Public-key encryption scheme

Syntax A public-key encryption scheme (PKE) is a collection of three routines ($\text{Gen}, \text{Enc}, \text{Dec}$) defined over some plaintext space \mathcal{M} and some ciphertext space \mathcal{C} . Key generation $(\text{pk}, \text{sk}) \leftarrow \text{Gen}(1^\lambda)$ is a randomized routine that returns a keypair consisting of a public encryption key and a secret decryption key. The encryption routine $\text{Enc} : (\text{pk}, m) \mapsto c$ encrypts the input plaintext m under the input public key pk and produces a ciphertext c . The decryption routine $\text{Dec} : (\text{sk}, c) \mapsto m$ decrypts the input ciphertext c under the input secret key and produces the corresponding plaintext. Where the encryption routine is randomized, we denote the randomness by a coin $r \in \mathcal{R}$ where \mathcal{R} is called the coin space. Decryption routines are assumed to always be deterministic.

Correctness A PKE is δ -correct if

$$E \left[\max_{m \in \mathcal{M}} P[\text{Dec}(\text{sk}, c) \neq m \mid c \leftarrow \text{Enc}(\text{pk}, m)] \right] \leq \delta$$

Where the expectation is taken with respect to the probability distribution of all possible keypairs. For many lattice-based cryptosystems, decryption failures could leak information about the secret key, although the probability of a decryption failure is low enough that classical adversaries cannot exploit decryption failure more than they can defeat the underlying lattice problems.

Security The security of PKE's is conventionally discussed using adversarial games played between a challenger and an adversary [22]. In the OW-ATK game (Figure 3), the challenger samples a random keypair and a random encryption. The adversary is given the public key, the random encryption (also called the challenge ciphertext), and access to ATK, then asked to decrypt the challenge ciphertext.

OW-ATK game
1: $(\mathbf{pk}, \mathbf{sk}) \leftarrow \text{Gen}(1^\lambda)$
2: $m^* \leftarrow \mathcal{M}$
3: $c^* \leftarrow \text{Enc}(\mathbf{pk}, m)$
4: $\hat{m} \leftarrow A^{\text{ATK}}(1^\lambda, \mathbf{pk}, c^*)$
5: return $\llbracket \hat{m} = m^* \rrbracket$

Fig. 3: The one-wayness game: challenger samples a random keypair and a random encryption, and the adversary wins if it correctly produces the decryption

The advantage of an adversary is its probability of producing the correct decryption: $\text{Adv}_{\text{PKE}}^{\text{OW-ATK}}(A) = P[\hat{m} = m^*]$. A PKE is said to be OW-ATK secure if no efficient adversary can win the OW-ATK game with non-negligible probability.

IND-ATK game
1: $(\mathbf{pk}, \mathbf{sk}) \leftarrow \text{Gen}(1^\lambda)$
2: $(m_0, m_1) \leftarrow A^{\text{ATK}}(1^\lambda, \mathbf{pk})$
3: $b \leftarrow \{0, 1\}$
4: $c^* \leftarrow \text{Enc}(\mathbf{pk}, m_b)$
5: $\hat{b} \leftarrow A^{\text{ATK}}(1^\lambda, \mathbf{pk}, c^*)$
6: return $\llbracket \hat{b} = b \rrbracket$

Fig. 4: IND-ATK game: adversary is asked to distinguish the encryption of one message from another

In the IND-ATK game (Figure 4), the adversary chooses two distinct messages and receives the encryption of one of them, randomly selected by the challenger. The advantage of an adversary is its probability of correctly distinguishing the ciphertext of one message from the other beyond blind guess: $\text{Adv}_{\text{PKE}}^{\text{IND-ATK}}(A) = |P[\hat{b} = b] - \frac{1}{2}|$. A PKE is said to be IND-ATK secure if no efficient adversary can win the IND-ATK game with non-negligible advantage.

In public-key cryptography, all adversaries are assumed to have access to the public key (ATK = CPA). If the adversary has access to a decryption oracle $\mathcal{O}_{\text{Dec}} : c \mapsto \text{Dec}(\mathbf{sk}, c)$, it is said to mount chosen-ciphertext attack (ATK = CCA). If the adversary has access to a plaintext-checking oracle (PCO) $\mathcal{O}_{\text{PCO}} : (m, c) \mapsto \llbracket m = \text{Dec}(\mathbf{sk}, c) \rrbracket$, then it is said to mount plaintext-checking attack (ATK = PCA).

$$\text{ATK} = \begin{cases} \text{CPA} & \mathcal{O}_{\text{ATK}} = \cdot \\ \text{PCA} & \mathcal{O}_{\text{ATK}} = \mathcal{O}_{\text{PCO}} \\ \text{CCA} & \mathcal{O}_{\text{ATK}} = \mathcal{O}_{\text{Dec}} \end{cases}$$

2.2 Key encapsulation mechanism (KEM)

3 The encrypt-then-MAC transformation

4 Application to ElGamal

5 McEliece+: applying encrypt-then-MAC to the McEliece cryptosystem

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