Формулы Open Office

$$E_{n} = Mh^{2} \frac{l^{2}a^{2}}{\pi^{2}n^{2}c^{2}(l-c)^{2}} \sin^{2}(\frac{\pi nc}{l})$$

$$u(x,t) = Ae^{\pm \sqrt{\frac{\omega}{2a^{2}}x}} \cos(\pm \sqrt{\frac{\omega}{2a^{2}}x} + \omega t)$$

$$|I^{2}| \leq \frac{1}{2\sqrt{\pi}} \int_{x_{1}}^{x^{2}} \frac{1}{\sqrt{a^{2}t}} e^{\frac{-(x-\xi)^{2}}{4a^{2}t}} |\phi(\xi) - \phi(\xi_{0})|$$

u(x,t) = sum from{n=1} to{ infinity } { (a_n cos(
%omega_n t)+b_n sin(%omega_n t)) sin({{%pi
n}over{I}} x)} newline newline

 $E_n = Mh^2 \{ l^2 a^2 \}$ over $\{ \%pi^2 n^2 c^2 (l-c)^2 \}$ $sin^2 (\{ \%pi n c \} over \{ l \})$ newline newline

 $u(x,t) = Ae^{ +-sqrt{ \{\%omega\} over \{2a^2\} x \} }$ $cos(+-sqrt{ \{\%omega\} over \{2a^2\} x \} + \%omega t$)newline newline

lline I^2 rline \leftarrow { 1 } over { 2 sqrt{ %pi} } int from{x_1} to{x^2} {1 over sqrt{a^2 t}} e^{-{(x-%xi)^2}over{4a^2 t}} lline %phi(%xi)-%phi(%xi_0) rline newline

lim from{%epsilon -> 0} iiint from{T-K_e} (
-{{1}over{R}} %DELTA u)dr