## Modeling air pollution

```
Let us try to predict Beijing's air pollution, especially PM2.5 values in advance!
Inspiration comes from here.
```

# Dataset

## Beijing PM2.5 Data Data Set

Columns of the dataset:

No: row number

year: year of data in this row

month: month of data in this row

hour: hour of data in this row

pm2.5: PM2.5 concentration

**DEWP:** Dew Point

TEMP: Temperature

PRES: Pressure

cbwd: Combined wind direction

lws: Cumulated wind speed

Is: Cumulated hours of snow

Ir: Cumulated hours of rain

1 !wget https://raw.githubusercontent.com/jbrownlee/Datasets/master/pollution.csv

1 !pip install seglearn

#### 显示隐藏的输出项

```
1 import pandas as pd
2 import csv
3 import numpy as np
4 import matplotlib.pyplot as plt
                    6 #import warnings
7 #warnings.filterwarnings("ignore")
                 l def sniff_format(location):

with open(location, newline='') as csvfile:

sniffer = csv.Sniffer()

snmple = csvfile.rend(1024)

dialoct = sniffer.sniff(snmple)

header = sniffer.has_header(snmple)

f header:

header=0

else:
                                                                                                              else: header=None
| Section | Sect
                    3 df = pd.read_csv("pollution.csv", header=csv_format["header"], dialect=csv_format["dialect"])
                   4
5 #There is a warning that would be worth investigationg, but for now, let's ignore it 6 import warnings
7 warnings.filterwarnings("ignore")
```

	No	year	month	day	hour	pm2.5	DEWP	TEMP	PRES	chwd	Iws	Is	Ir
dtypes	int64	int64	int64	int64	int64	float64	int64	float64	float64	object	float64	int64	int64
NA-s	0	0	0	0	0	2067	0	0	0	0	0	0	0
NA%	0	0	0	0	0	4.72	0	0	0	0	0	0	0
count	43824	43824	43824	43824	43824	41757	43824	43824	43824	43824	43824	43824	43824
unique										4			
top										SE			
freq										15290			
mean	21912.5	2012	6.52355	15.7278	11.5	98.6132	1.81725	12.4485	1016.45		23.8891	0.0527337	0.194916
std	12651	1.41384	3.44857	8.79942	6.92227	92.0504	14.4334	12.1986	10.2687		50.0106	0.760375	1.41587
min	1	2010	1	1	0	0	-40	-19	991		0.45	0	0
25%	10956.8	2011	4	8	5.75	29	-10	2	1008		1.79	0	0
50%	21912.5	2012	7	16	11.5	72	2	14	1016		5.37	0	0
75%	32868.2	2013	10	23	17.25	137	15	23	1025		21.91	0	0
max	43824	2014	12	31	23	994	28	42	1046		585.6	27	36

```
1 #Safety assertions to ensure, that Yo is as it seems an index column sorted, series 2 pd. testing.assert_series_equal(df. No.df. No. sort_values())
3 np. testing.assert_array_equal(df. No.df. No.[0]), values, np. arange(0, df. shape[0], 1))
4 #Don't really need these if we decide to go for date based indexing
```

9 describe\_full(df)

l df.drop("No",axis=1, inplace=True)
2 df["date"] = pd.to\_datetime(df["year"].astype(str)+"-"+df["month"].astype(str)+"-"+df["day"].astype(str)+"f"+df["hour"].astype(str).apply(lambda x: x.zf 3 df.sot\_indox(df.datc, inplace=True)
4 df.drop("date", axis=1, inplace=True)
5 df.hoad(10)

```
year month day hour pm2.5 DEWP TEMP PRES cbwd Iws Is Ir
2010-01-01 00:00:00 2010
                              0 NaN -21 -11.0 1021.0 NW 1.79 0 0
2010-01-01 01:00:00 2010
                     1 1
                              1 NaN -21 -12.0 1020.0 NW 4.92 0 0
                             2 NaN -21 -11.0 1019.0 NW 6.71 0 0
2010-01-01 02:00:00 2010
                     1 1
2010-01-01 03:00:00 2010
                             3 NaN -21 -14.0 1019.0 NW 9.84 0 0
2010-01-01 04:00:00 2010
                    1 1 4 NaN -20 -12.0 1018.0 NW 12.97 0 0
                             5 NaN -19 -10.0 1017.0 NW 16.10 0 0
                     1 1
2010-01-01 06:00:00 2010
                             6 NaN -19 -9.0 1017.0 NW 19.23 0 0
```

#### Encoding day of week

We explicitly encode the day of week, since we assume that weekends and workdays behave differently.

1 df["dayofweek"]=df.index.dayofweek+1

#### - Decision about NaN-s

## 显示隐藏的输出项

After examining the NaN values in pm2.5, we see no obvious temporal pattern. This is cause for worry, since by simply dropping the rows with NaN values, we can destroy the temporal coherence of the data, hence data imputation is desirable.

The autocorrelation charts below imply, that it is not unreasonable to take the previous value to fill NaN-s (high autocorrelation with the previous timestep).

```
1 2 df.fillna(method='ffill', inplace=True)
3 4 print(df.isnull().sum())
5 6 df.dropna(inplace=True)
7 print(df.isnull().sum())
```

# 显示隐藏的输出项

# ▼ Examining autocorrelations

## 显示隐藏的输出项

## ▼ What do we see?

Well, the fact, that we don't see

Or more precisely: smog (and weather) is slow to move, it is extremely strongly autocorrelated with itself one-two hours before, so in order to at least be able to see some autocorrelation structure beyond this, we need to filter out the first some hours from our autocorrelation analysis.

(By the way, that's why we don't stick to the prediction of the next hour as in the original "inspiration" blogpost. Would not be too relevant...)

```
1 from statsmodels.graphics.tsaplots import __prepare_data_corr_plot, __plot_corr 2 import statsmodels.graphics.utils as utils 3 from statsmodels.tsa.stattools import pacf 4 def plot_pacf_drop(x, ax=None, lags=None, alpha=.05, method='ywunbiased', use_vlines=Truc, title='Partial Autocorrelation', zero=Truc, 7 vlines_kwargs=None, drop_no=0, ***kwargs):

8 lags_orig=lags 1 fig. ax = utils.crente_mpl_nx(ax)
11 vlines_kwargs = {} if vlines_kwargs is None else vlines_kwargs
```

```
lags, nlags, irregular = _prepare_data_corr_plot(x, lags, zero) confint = None
           if alpha is None:

acf_x = pacf(x, nlags=nlags, alpha=alpha, method=method)
           act_x, confint = pacf(x, nlags=nlags, alphn=alpha, method=method)
           if drop_no:
    acf_x = acf_x[drop_no+1:]
    confint = confint[drop_no+1:]
    lags, nlags, irregular = _prepare_data_corr_plot(s, lags_orig-drop_no, zero)
          _plot_corr(ax, title, acf_x, confint, lags, False, use_vlines, vlines_kwargs, **kwargs)
           return fig
l import matplotlib.pyplot as plt
3 #columns = [] #use this for speedup
4 columns = ["pm2.5", "DEWP", "TEMP", "PRES", "Iws", "Is", "Ir"]
6 for col in columns:
7 plt.figure()
8 plot_pacf_drop(df[col].dropna(), lags=200, drop_no=3, zero=False)
     (Figure size 432x288 with 0 Axes)
        0.02
        0.01
       -0.01
      0 25 50 75 100 125

Figure size 432x288 with 0 Axes>
Partial Autocorrelation
                                                     150 175
        0.04
        0.03
        0.02
        0.01
        0.00
       -0.01
       -0.03
       -0.04
                                               125 150 175
                              Partial Autocorrelation
        0.15
        0.10
        0.05
        0.00
       -0.10
       -0.15
     0 25 50 75 100
(Figure size 432x288 with 0 Axes)
                                              125 150 175
                              Partial Autocorrelation
        0.15
        0.10
        0.05
        0.00
       -0.10
       -0.15
     0 25 50 75 100 125 150 175

<Figure size 432x288 with 0 Axes>
                             Partial Autocorrelation
        0.01
        0.00
       -0.02
       -0.03
     0 25 50 75 100 125 150 175 200

<Figure size 432x288 with 0 Axes>
        0.01
        0.00
       -0.01
       -0.02
       -0.03
       -0.04
     0 25 50 75 100 125 150 175 200

(Figure size 432x288 with 0 Axes)

Partial Autocorrelation
                0.005
        0.000
       -0.010
       -0.015
                      25
                             50 75 100 125 150 175 200
```

Studying even the filtered charts leaves us in doubt about the possible window for modeling (in case of the classical models), so we will keep 100 as the modeling window (nearly two weeks). This is a parameter that is worth empirically studying later on.

It is worth mentioning, that the pact charts would definitely change drastically if we would use some differencing. Since down below we decide

Seasonal decomposition and the question of trends

```
1 from statsmodels.tsa.seasonal import seasonal_decompose
2 from statsmodels.tsa.tsatools import freq_to_period
3 import matplotlib.pyplot as plt
4
5 analysis = seasonal_decompose(df["pm2.5"], freq=freq_to_period(df.index.inferred_freq))
6
7 analysis.plot()
8 plt.show()
```

Well, the default setting (infer periods - hourly) is rather uninformative, so it is maybe worth using some domain knowledge here, and use yearly

#### 显示隐藏的输出项

We do get the first impression, that there is no overarching simple trend, as well as there are non-trivial seasonal patterns. At a later stage we should investigate differencing regimes, but for now, we leave the data as is.

#### → Train, valid, test split - before normalization

Contamination by the normalization values is a distant possibility, but let's stick to paranoid practices.

```
1 VALID_AND_TEST_SIZE=0.1

1 from sklearn.model_selection import train_test_split
2
3 X_train, X_else, y_train, y_else = train_test_split(df, df["pm2.5"], test_size=VALID_AND_TEST_SIZE*2, shuffle=False)
4 X_valid, X_test, y_valid, y_test = train_test_split(X_else, y_else, test_size=0.5, shuffle=False)
5
```

We could have used temporal\_split from segleam, but that would have cast everything to numpy, so it was more convenient this way for now. Using segleam is encouraged - if we would like to go into classical modeling.

## - Data normalization

Our default assumption is to use Scikit's minmax scaler for easier learning by neural models

But there are some exceptions:

#### ▼ How to normalize dates?

For the year it is more tricky, it is basically an ordinal. Subtracting the first year is nice, but how to handle the normalization to 0,1?

We could use 2018 as a max, but **WE WOULD HAVE TO WRITE A BIG CAVEAT MESSAGE FOR DEPLOY PEOPLE!** 

So it should be something like (df, year - (df, year, min())-1)/((df, year, max()-df, year, min())\*2) (-1 is for avoiding zero, making the life of the network more easy...)

For now we stick to the minmax scaler (living risky... :-)

For month, day, hour default assumption is, scikit's minmax scaler could work, but we will choose a more elaborate solution from here. This capitalizes on the circular nature of these quasi ordinals.

#### → Encoding of ordinals

The encoding of ched is interesting, since it is an ordinal again, or better to say not even that, it has a nice circular topology, so we will use the same sin-cos solution.

 $Problem \ is, that \ there \ is \ a \ valid \ "zero" \ value, marked \ "cv" \ in \ there. We \ are \ tempted \ to \ replace \ that \ with \ 0.$ 

	year	pm2.5	DEWP	TEMP	PRES	Iws	Is	Ir	month_sin	month_cos	day_sin	day_cos	dayofweek_sin	dayofweek_cos	hour_sin	hour_cos	cbwd_sin	cbwd_cos
date																		
2010-01-02 00:00:00	0.0	0.129779	0.278689	0.250000	0.527273	0.002290	0.000000	0.0	5.000000e-01	0.866025	3.943559e-01	0.918958	-0.781831	0.623490	0.000000	1.000000	1.224647e-16	-1.0
2010-01-02 01:00:00	0.0	0.148893	0.295082	0.250000	0.527273	0.003811	0.000000	0.0	5.000000e-01	0.866025	3.943559e-01	0.918958	-0.781831	0.623490	0.258819	0.965926	1.224647e-16	-1.0
2010-01-02 02:00:00	0.0	0.159960	0.360656	0.233333	0.545455	0.005332	0.000000	0.0	5.000000e-01	0.866025	3.943559e-01	0.918958	-0.781831	0.623490	0.500000	0.866025	1.224647e-16	-1.0
2010-01-02 03:00:00	0.0	0.182093	0.426230	0.233333	0.563636	0.008391	0.037037	0.0	5.000000e-01	0.866025	3.943559e-01	0.918958	-0.781831	0.623490	0.707107	0.707107	1.224647e-16	-1.0
2010-01-02 04:00:00	0.0	0.138833	0.426230	0.233333	0.563636	0.009912	0.074074	0.0	5.000000e-01	0.866025	3.943559e-01	0.918958	-0.781831	0.623490	0.866025	0.500000	1.224647e-16	-1.0
2013-12-31 19:00:00	1.0	0.022133	0.229508	0.433333	0.400000	0.195540	0.000000	0.0	-2.449294e-16	1.000000	-2.449294e-16	1.000000	0.974928	-0.222521	-0.965926	0.258819	-2.449294e-16	1.0
2013-12-31 20:00:00	1.0	0.018109	0.196721	0.433333	0.418182	0.203948	0.000000	0.0	-2.449294e-16	1.000000	-2.449294e-16	1.000000	0.974928	-0.222521	-0.866025	0.500000	-2.449294e-16	1.0
2013-12-31 21:00:00	1.0	0.023139	0.196721	0.433333	0.418182	0.213877	0.000000	0.0	-2.449294e-16	1.000000	-2.449294e-16	1.000000	0.974928	-0.222521	-0.707107	0.707107	-2.449294e-16	1.0
2013-12-31 22:00:00	1.0	0.020121	0.196721	0.416667	0.418182	0.222285	0.000000	0.0	-2.449294e-16	1.000000	-2.449294e-16	1.000000	0.974928	-0.222521	-0.500000	0.866025	-2.449294e-16	1.0
2013-12-31 23:00:00	1.0	0.023139	0.213115	0.433333	0.418182	0.234504	0.000000	0.0	-2.449294e-16	1.000000	-2.449294e-16	1.000000	0.974928	-0.222521	-0.258819	0.965926	-2.449294e-16	1.0
35040 rows × 18 column	ns																	

```
1 #Just in case to ensure we did everything right 2 assert all(x==np.float64 for x in list(X_train_norm.dtypes))
```

 $\textbf{It would be worth checking with some assertions that the manual normalizers work well. Let's leave it to \textit{ later work.}}\\$ 

It is also worth noting, that the normalizers should be saved and used in production

## - Creating target (y) and "windows" (X) for modeling

By default we use the next 24 hour value of "pm2.5" for prediction, that is, I would like to predict what the pm2.5 will be like at this hour 24 hours from now.

We use the quite handy seglearn package for this.

Because of computational reasons, we use the window of 100 hours to predict. Classical models would have hard time to accommodate substantially (like 5-10x) context windows, LSTM-s would suffer from the challenge of long term memory. After a basic run of modeling the next big challenge would be to investigate PACF structure more and use eg. stateful LSTM modeling to try to accommodate the large "lookback".

```
1 TIME_WINDOW-100
2 FORECAST_DISTANCE=24

1 from seglearn.transform import FeatureRep, SegmentXYForecast, last
2
3 segmenter = SegmentXYForecast(width=TIME_WINDOW, step=1, y_func=last, forecast=FORECAST_DISTANCE)
4
5 \_\text{train_rolled, y_train_rolled, _=segmenter.fit_transform([X_train_norm,values], [y_train_norm, flatten()])
```

## ▼ For non-sequence models

We have to "flatten" the data to be able to use classical, non-sequence regression models from Scikit.

We only need to do this for X, any transformation of y is unnecessary.

#### Evaluation helper

Use this function to evaluate your models on validation data.

This assumes that your model has the predict0 function, which is true for **Scikit-learn, XGBoost** and **Keras**, so you can can hand over any of those.

A special issue by models optimized by iterative methods is to get the final model. Early stopping and / or model save and reload can help there

WARNING: This is just a basic evaluation scheme, more thorough investigation needed in the future!

#### Classical modeling

In "classical" modeling we assume a multiple regression case, so we DO NOT USE time series as such, but the "flat" versions of the data as input. Output is the same

▼ Baseline - DummyPredictor

TASK Create a dummy predictor as a baseline. Use Scikit-learn's builtin capability to do dummy models in regression case. Use the default setting, that is the prediction of the mean value.

```
1 from sklearn.dummy import DummyRegressor
2 dummy_model = DummyRegressor(strategy="mean")
3 dummy_model.fit(X_train_flattened,y_train_rolled)
DummyRegressor(constant=None, quantile=None, strategy="mean")
```

▼ Evaluation

```
l result = evaluate_model(dummy_model, X_valid_flattened, y_valid_rolled)

Root mean squared error on valid: 0.0986950073701213

Root mean squared error on valid inverse transformed from normalization: 98.10283732620175
```

▼ Fitting a RandomForest on raw data

TASK: Fit a RandomForest from Scikit. Please be aware, that the number of trees in the model is having a strong influence on training time

 $\textbf{Suggestion:} \ \text{use couple of tens of trees, definitely} << 100 \ \text{to be able to wait it out.}.$ 

**Pro tip:** To utilize all the CPU cores, use the right setting of n\_jobs. That speeds things up.

```
1 #from sklearn...
2 from sklearn.ensemble import RandomForestRegressor
3 nJSTIMATORS = 5
4 RANDOM_STATE = 452543634

1 RF_base_model = RandomForestRegressor(n_estimators=N_ESTIMATORS, random_state=RANDOM_STATE, n_jobs=-1)
2
3 RF_base_model.fit(X_train_flattened, y_train_rolled)
RandomForestRegressor(bootstrap=Frue, ccp_alpha=0.0, criterion='msc', max_dentp=None, max_dentp=None, max_dentp=None, max_dentp=State, min_mority_decrease=0.0, min_inpurity_split=None, min_smmples_leaf=1, min_samples_leaf=1, min_samples_leaf=1, min_saiph_state=152543634, verbos=0, warm_start=False)
```

▼ Evaluation

```
l result = evaluate_model(RF_base_model,X_valid_flattened,y_valid_rolled)

Root mean squared error on valid: 0.09564886485904463

Root mean squared error on valid inverse transformed from normalization: 95.07497166889035
```

▼ Fitting a RandomForest on feature transformed data

TASK: Since we use seglearn, we can try to capitalize on it's functionality to calculate features from the time time series. Use FeatureRep from seglearn to transform features, fit a RandomForest and hope for the best!

```
1 #from seglearn.pipe import Pype
2 #from seglearn.transform import FeatureRep, Segment
3 #from seglearn.pipe import Pype
4 #fkF_feature_model = Pype([features', FeatureRep()),
5 # ('rf', RandomForestRegressor(n_estimators=N_ESTIMATORS, random_state=RANDOM_STATE, n_jobs=-1))])
6 fkE_feature_model=RandomForestRegressor(n_estimators=10, random_state=RANDOM_STATE, n_jobs=-1))])
7 feature_converter = FeatureRep()
8
9 fkF_feature_model.fit(feature_converter.fit_transform(X_train_flattened), y_train_rolled)
10

RandomForestRegressor(bootstrap=True, ccp_alpha=0.0, criterion='mse', max_depth=None, max_features='auto', max_leaf_nodes=None, max_samples=None, min_impurity_sderease=0.0, min_impurity_sderease=0.0, min_impurity_sderease=0.0, n_impurity_sderease=0.0, n_impuri
```

## ▼ Evaluation

WARNING: This is just a basic evaluation scheme, more thorough investigation needed

```
1 result = evaluate_model(RE_feature_model, Feature_converter.fit_transform(X_valid_flattened),y_valid_rolled)

Root mean squared error on valid: 0.10491616432748488

Root mean squared error on valid inverse transformed from normalization: 104.28666734151996
```

#### ▼ XGBoost for speedup

Use the XGBoost library to fit gradient boosted trees to the problem. They are usually way quicker to learn and many times at least on par with RandomForests, or better. Let's seel

#### → Building an LSTM model

#### Modeling assumptions

TASK: We believe, that the time dependent structure of this dataset is complex, so we try to use LSTM models from Keras. We are not explicitly utilizing statefulness, that is a major area to be investigated later on.

More information on statefulness can be found  $\underline{\text{here}}.$ 

Fit an LSTM model on the time series - non-flat - data!

Use:

1. At least 1 LSTM layer

2. A dense layer for output - think about activation! This is a regression case!

Very advisable - but optional - to use Dropout. You can not use it everywhere, though... Experiment!

You are allowed to use functional API, but for this Sequential API is sufficient.

You can use LeraningRateScheduler if you like.

```
1 LSTM_CELL_SIZE= 18
  2 BATCH_SIZE = 250
3 EPOCHS = 7
4 DROPOUT_RATE=0.3
  1 from tensorflow.keras import Sequential
2 from tensorflow.keras.layers import Dense, Dropout, LSTM
3 from tensorflow.keras import backend as be
4 from tensorflow.keras.callbacks import ModelCheckpoint, LearningKateScheduler
    6 column_count=len(X_train_norm.columns) #Remember,column count before rolling..
 9
10 # You might very well be needing it!
11 # Remober to save only what is worth it from validation perspective...
12 # model_saver = ModelCheckpoint(...)
13
14 # If you need it...
15 #def schedule(epoch, lr):
16 # ...
17 # return lr
 19 #lr_scheduler = LearningRateScheduler(schedule)
 21 # Build your whole LSTM model here!
22 model =Sequential()
ZZ model = Sequential()
23 model.add(D:NI\(mits = LSTM_CELL_SIZE, return_sequences = True, input_shape = X_train_rolled.shape[1:]))
24 model.add(D:ropout(DROPOCT_RATE))
25 model.add(D:SYM\(mits = LSTM_CELL_SIZE, return_sequences = True))
26 model.add(D:ropout(DROPOXT_RATE))
27
 28 model.add(LSTM(units = LSTM_CELL_SIZE, return_sequences = False))
29 model.add(Dropout(DROPOUT_RATE))
 30 31 model.add(Dense(units = 1))
32 #For shape remeder, we have a variable defining the "window" and the features in the window..
33
34 model.compile(loss='mean_squared_error', optimizer='adam')
35 # Fit on the train data
36 # USE the batch size parameter!
37 # Use validation data - warning, a tuple of stuff!
38 # Epochs as deemed necessary...
39 # You should avoid shuffling the data maybe.
10 # You can use the callbacks for LR schedule or model saving as seems fit.
41 history = model.fit(X_train_rolled,y_train_rolled, opochs=EPOCHS, batch_size=BATCH_SIZE,validation_data =(X_valid_rolled,y_valid_rolled))
           Epoch 1/7
140/140 [=
                                                                              ----] - 30s 186ms/step - loss: 0.0104 - val_loss: 0.0086
           Epoch 2/7
140/140 [=
                                                                        =====] - 24s 175ms/step - loss: 0.0079 - val loss: 0.0081
```

```
Epoch 3/7
140/140 [:
Epoch 4/7
140/140 [:
Epoch 5/7
140/140 [:
Epoch 6/7
140/140 [:
Epoch 7/7
140/140 [:
                                                               ==] - 25s 176ms/step - loss: 0.0075 - val_loss: 0.0077
                                                             ===] - 25s 175ms/step - loss: 0.0072 - val_loss: 0.0074
                                                        =====] - 24s 174ms/step - loss: 0.0070 - val_loss: 0.0077
                                             ========] - 25s 177ms/step - loss: 0.0067 - val_loss: 0.0076
                                                    ======== ] - 25s 175ms/step - loss: 0.0065 - val loss: 0.0073
1 plt.plot(history.history['loss'], label='train')
2 plt.plot(history.history['val_loss'], label='test')
3 plt.legend()
4 plt.show()
        0.0100
        0.0095
        0.0090
        0.0085
        0.0075
        0.0070
1 # You can use the early stopped model OR load it.
2 # For that you have to import the load function...
3 # IF AND ONLY IF loading, it is good practice to throw out the trash from the graph...
4 #bc.cloar_session()
7 result = evaluate_model(model, X_valid_rolled, y_valid_rolled)
      Root mean squared error on valid: 0.08532426707552125
Root mean squared error on valid inverse transformed from normalization: 84.81232147306811
```

## Things that should be improved

- More conclusive investigation of PACF for better time window estimate
  - . It can well be, that long windows do not add that much to the performance
- More interesting features for XGBoost (like from <u>tsfresh</u>), since present features are a disaster
- MOST IMPORTANT: More thorough error / prediction analysis!!!
- LSTM with Custom iterator with stateful model
- Investigation of different loss function (eg. MAE) for training. (And with it, think abut the importance of extreme values: do we think they are outliers? Are they interesing to predict?)
- Investigation of "teacher forcing" for LSTM-s in Keras (if it makes sense)

#### Conclusion

Even with decent amount of struggle, the "dummy" of always using the mean is very appealing, so it seems, this is not that easy of a task 24 hours in advance. Further investigation of classical as well as neural models remains open!

## Final test

We did not use the final test, since our investigations are not concluded yet. Remember: using it once before project "go live" is a good practice!

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