

[Write down the MATLAB commands you used.]

1. (50%) Week #17 slides – in-class practice problem 1.

After the outlier (the first data point) was removed, we have only 3 data points (1, 8), (3, 6) and (5, 4) only.

① Using MATLAB:

```
>> x=[1 3 5];y=[8 6 4];n=3;
```

```
>> [R,P]=corrcoef(x,y)
```

```
R =
```

```
    1    -1
   -1     1
```

The Pearson correlation coefficient is -1.

```
P =
```

```
    1     0
    0     1
```

The p-value is zero.

```
>>
```

② One can compute the t-value as $-\infty$ (or $-\text{Inf}$ in MATLAB) from knowing $r=-1$. This means the left-tail would have a size of zero ($\text{tcdf}(t,n-2)=0$). And doubling this would give a p-value = 0 too.

③ The p-value is zero.

④ This is smaller than prescribed $\alpha=0.05$, so we'd reject the null hypothesis that no significant correlation exists between x and y. In other words, there exists significant correlation between the two.

2. (50%) Week #17 slides – in-class practice problem 2.

```
>> y=[80 344 416 348 262 360 332 34]';
```

```
>> x2=[19 55 81 115 56 51 68 8]';
```

```
>> x6=[53 67.5 72 72 73.5 68.5 73 37]';
```

```
>> A=[ones(size(x2)) x2 x6];
```

```
>> b=regress(y,A)
```

```
b =
```

```
-266.3891
    1.0968
    7.3770
```

```
>>
```

So the regression would give $y = -266.3891 + 1.0968*b2 + 7.3770*b6$