

1.

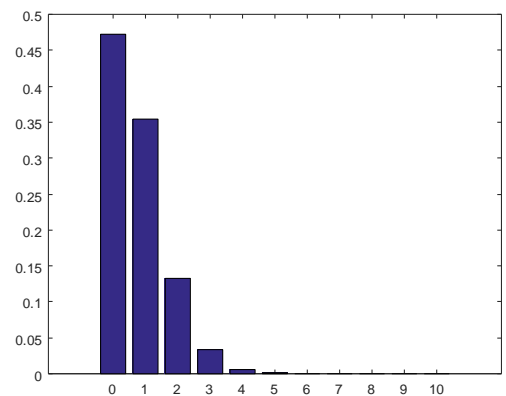
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>> mu = 78.3; sigma = 7.6; n = 12;  
>> t = tinv(0.975,n-1) = 2.2010  
>> SEM = sigma/sqrt(n) = 2.1939  
>> mu-t*SEM = 73.4712 【CI lower bound】  
>> mu+t*SEM = 83.1288 【CI upper bound】
```

2.

```
>> mu = 57.6; sigma = 9.8;  
(a) >> normcdf(50,mu,sigma) = 0.2190  
(b) >> 1-normcdf(70,mu,sigma) = 0.1029  
(c) >> norminv(0.1,mu,sigma) = 45.0408 【underweight】  
    >> norminv(0.9,mu,sigma) = 70.1592 【overweight】
```

3.

```
>> lambda=0.75;  
(a) >> poisspdf(0,lambda) = 0.4724  
(b) >> 1-poisscdf(1,lambda) = 0.1734  
(c) >> 1-poisscdf(4,lambda) = 0.0011  
(d) >> x = [0:10];  
    >> y = poisspdf(x,lambda);  
    >> bar(x,y)
```



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4. (a) >> 1-tcdf(2.015,5) = 0.0500  
    (b) >> tcdf(-2.365,5) = 0.0322  
    (c) >> 1-2*tcdf(-3.032,5) = 0.9710  
    (d) >> tinv(0.975,5) = 2.5706
```

5. (a)  $x = [131, 119, 138, 125, 129, 126, 131, 132, 126, 128, 128, 131]$ ;

$\gg \mu = \text{mean}(x) = 128.6667$

$\gg S = \text{std}(x) = 4.6384$

(b) Since  $n = 12$ , the degree of freedom is 11.

Lower bound of the 95% CI based on t-distribution is:

$\mu + \text{tinv}(0.025, 11) * S / \sqrt{12} = 125.7195$ .

The upper bound is:

$\mu + \text{tinv}(0.975, 11) * S / \sqrt{12} = 131.6138$ .

(c)  $y = [136, 130, 126, 126, 139, 141, 137, 138, 133, 131, 134, 129]$

$\text{mean}(y) = 133.3333$ .

Note that this mean value of male bears is outside of the upper bound of 95% CI of female bears. This suggests that male skulls are not having a comparable size as the female skulls. In fact, the male head size is bigger.

(d)  $\gg t = (133.3333 - \mu) / (S / \sqrt{12}) = 3.4852$ .

This is to the very right of the tail, suggesting that the male size is drifting away from the female statistics.

(e)  $\gg 1 - \text{tcdf}(t, 11) = 0.0026$ .

Remember we are testing whether the two sizes are the same. In other words, this is a 2-tailed test, which would give a p-value twice the amount of 0.0026, which is **0.0052**. Still this is smaller than 0.05, suggesting a rejection of the null hypothesis. That is, the head size differs significantly.

(f)  $\mu + \text{tinv}(0.975, 11) * S / \sqrt{12} = 131.6138$ .

This is the limit that male size will not be considered significantly away from the female statistics. 【Same as found in part (b)】