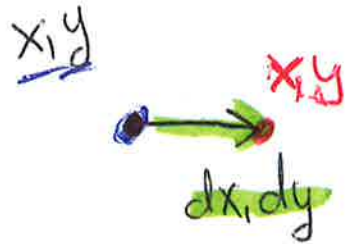


Linear motion, frame based

①

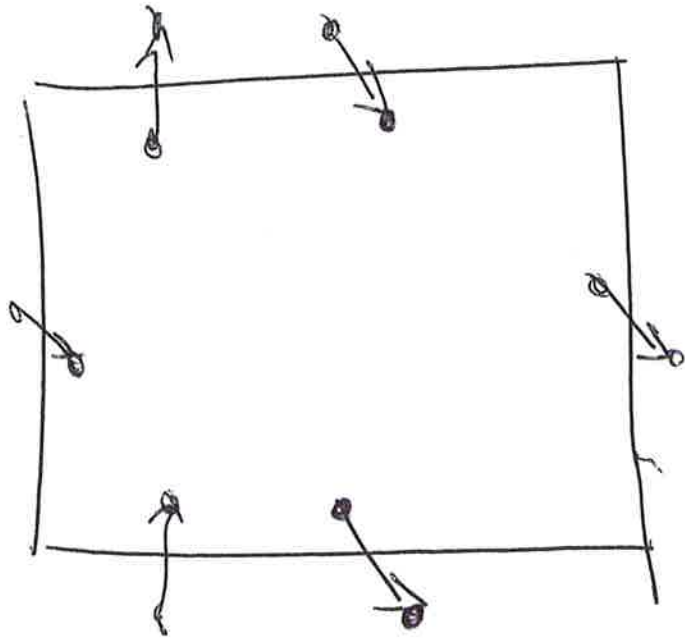
move()



$$\begin{aligned} \underline{x} &= \underline{x} + dx \\ \underline{y} &= \underline{y} + dy \end{aligned}$$

wrapping

(2)



$$x = x + dx$$
$$y = y + dy$$

if  $y > \text{height}$ :

$$y = y - \text{height}$$

if  $x > \text{width}$ :

$$x = x - \text{width}$$

if  $y < 0$ :

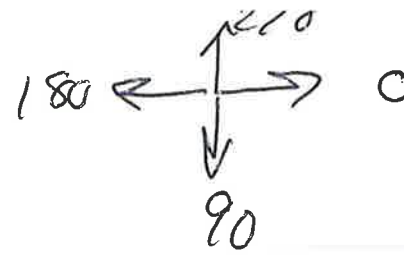
$$y = y + \text{height}$$

if  $x < 0$ :

$$x = x + \text{width}$$

rotation | direction

3



$x, y$



addir  
spin()  
 $dir = dir + addir$

if  $dir \geq 360$ ;  
 $dir -= 360$

if  $dir < 0$ ;  
 $dir += 360$

# Acceleration



$a \equiv$  acceleration magnitude.

$$\begin{aligned} dx &= dx + a \cos(\text{dir}) \\ dy &= dy + a \sin(\text{dir}) \end{aligned}$$

radians

~~change to~~  
rotational acceleration

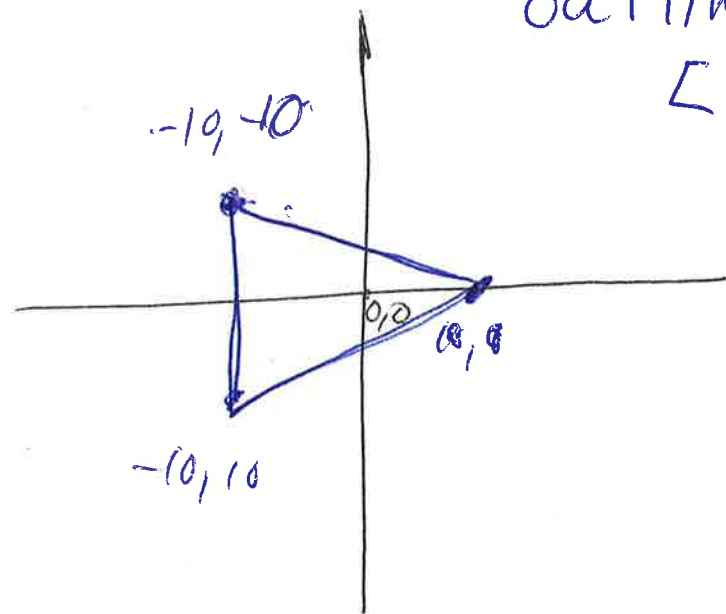
(5)

  
ddir

da

$$ddir = ddir + da$$

10



outline =

$[ (10,0), (-10,-10), (-10,10) ]$

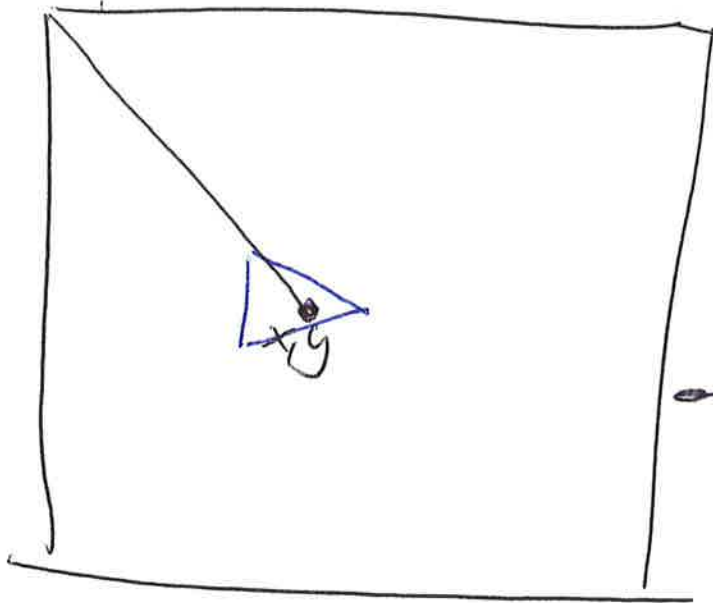
10

~~translate~~  
for point in outline:

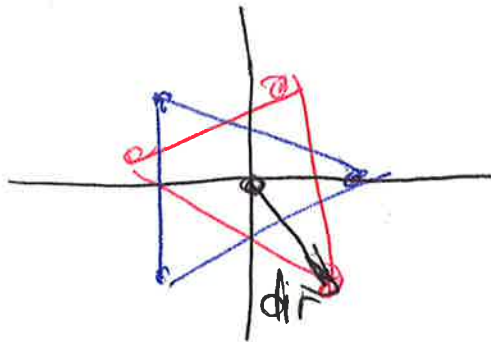
$$x_{\text{draw}} = x + \text{point}[0]$$

$$y_{\text{draw}} = y + \text{point}[1]$$

draw-outline.append( $(x_{\text{draw}}, y_{\text{draw}})$ )



(12) Rotate point about center



$$x_0 = \text{point}[0]$$

$$y_0 = \text{point}[1]$$

$$r = \sqrt{x_0^2 + y_0^2}$$

$$\text{theta}_0 = \text{math.atan2}(y_0, x_0)$$

$$\text{theta}_1 = \text{theta}_0 + \text{dir}$$

$$x_r = r * \cos(\text{theta}_1)$$

$$y_r = r * \sin(\text{theta}_1)$$