

CSCI4180 Tutorial-8: Assignment 3 Review (Part-1)

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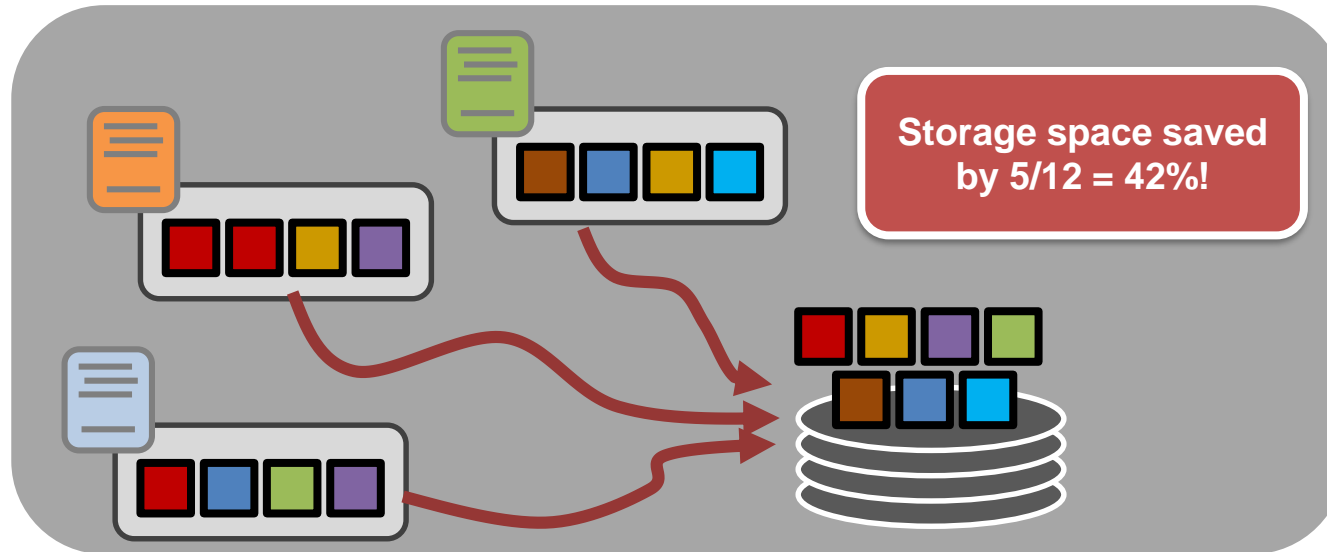
Nov. 18, 2020

Content

- Deduplication
- Variable-size chunking
- Checksum
- Indexing
- Hints
- Debug

Deduplication

- Deduplication → Coarse-grained compression
- Unit: **chunk**: fixed-size or variable-size
 - compute a fingerprint
 - Same fingerprint → same content
- Store only one copy of chunks with same content; other chunks refer to the copy by references (pointers)



Deduplication (Cont.)

➤ Why “removing duplicate data”

- Storage efficiency
- Reducing data transfer
 - Removing the duplicate data in the **client side**

➤ Three main components

- **1. Chunking:** divide data into different chunks
- **2. Checksum:** compute checksum to identify each chunk
- **3. Indexing:** a search structure for efficient access of the information of chunks
 - Check whether a chunk is duplicated

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Variable-size Chunking

➤ Why not using fixed-size chunking?

- **Boundary-shift problem**
- Vulnerable to data modification
 - Insert or delete

➤ Variable-size chunking

- Content-defined chunking
 - Identify each chunk according to its content
- **Rabin fingerprint algorithm**
 - An efficient rolling hash

Rabin Fingerprint Algorithm

➤ What is fingerprint?

- Fingerprint is the identifier of data
- We use **Rabin fingerprint algorithm** to compute the fingerprint of the data
 - A method for implementing fingerprints using **polynomials** over a finite field.
- Rabin fingerprint algorithm is a classical chunking algorithm, but it is not state-of-the-art.
 - Performance is not good
 - Faster chunking algorithm: FastCDC
 - But it is a good start point

Rabin Fingerprint Algorithm (Cont.)

➤ Formula (How to compute Rabin fingerprint)

$$p_s(d, q) = \begin{cases} \left(\sum_{i=1}^m t_i \times d^{m-i} \right) \bmod q, & s = 0 \\ \left(d \times (p_{s-1} - d^{m-1} \times t_s) + t_{s+m} \right) \bmod q, & s > 0 \end{cases}$$

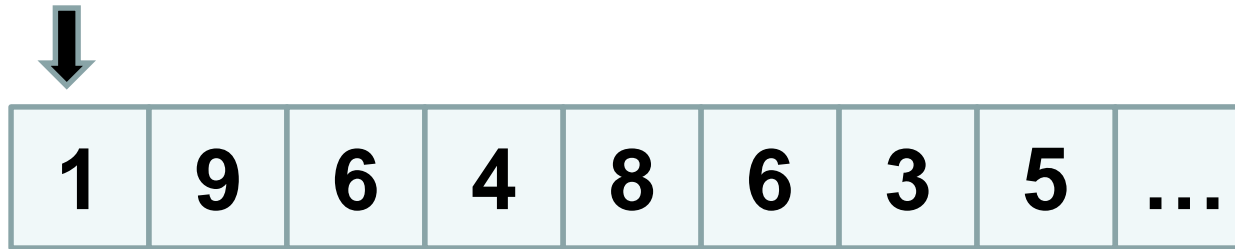
- Symbols

- p_s : [result] The fingerprint we calculate.
- t_i : [data] Usually t_i is 1 byte of data.
- m : [parameter] Window size (bytes).
- d : [parameter] base.
- q : [parameter] modulus

Rabin Fingerprint Algorithm (Cont.)

➤ Example

- Start of the file

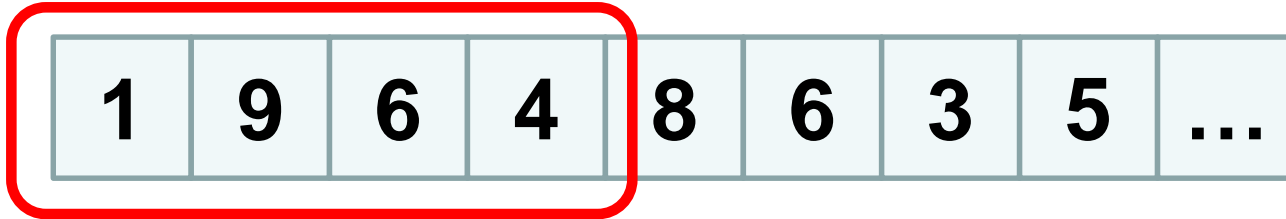


- Parameters
 - $m = 4$ (window size)
 - $d = 10$ (base)
 - $q = 13$ (modulus)

Rabin Fingerprint Algorithm (Cont.)

➤ Example

- index = 0

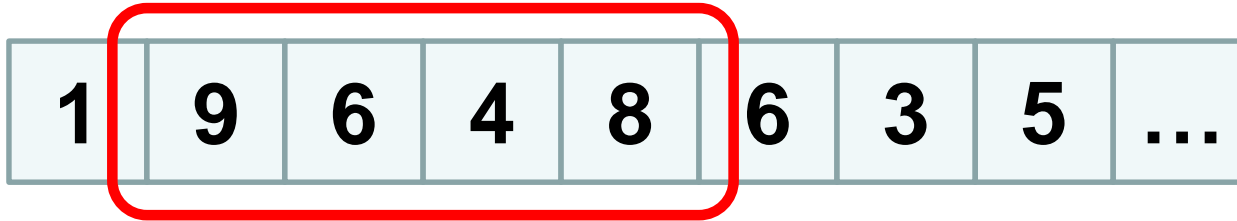


- Calculate p_0
$$p_0 = (t_1 * d^3 + t_2 * d^2 + t_3 * d^1 + t_4 * d^0) \bmod 13$$
$$p_0 = (1 * 10^3 + 9 * 10^2 + 6 * 10^1 + 4 * 10^0) \bmod 13$$
$$p_0 = 1$$

Rabin Fingerprint Algorithm (Cont.)

➤ Example

- index = 1



- Calculate p_1

$$p_1 = (d * (p_0 - d^3 * t_1) + t_5) \bmod 13$$

$$p_1 = (10 * (1 - 10^3 * 9) + 8) \bmod 13$$

$$p_1 = 2$$

We can calculate the following fingerprint in the same manner.

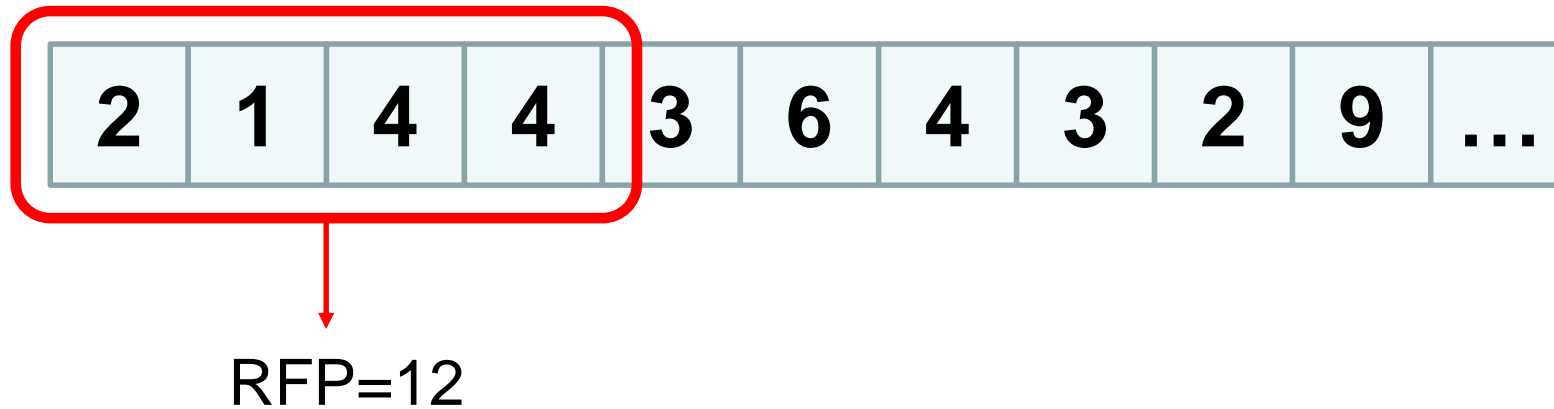
Chunking With RFP Algorithm

➤ How to do variable-size chunking via RFP algorithm?

- We need these parameters
 - For calculate the robin fingerprint
 - m : window size
 - d : base
 - p : modulus
 - For chunking
 - mask: multiple 1-bits
 - To control the average chunk size

Chunking With RFP Algorithm (Cont.)

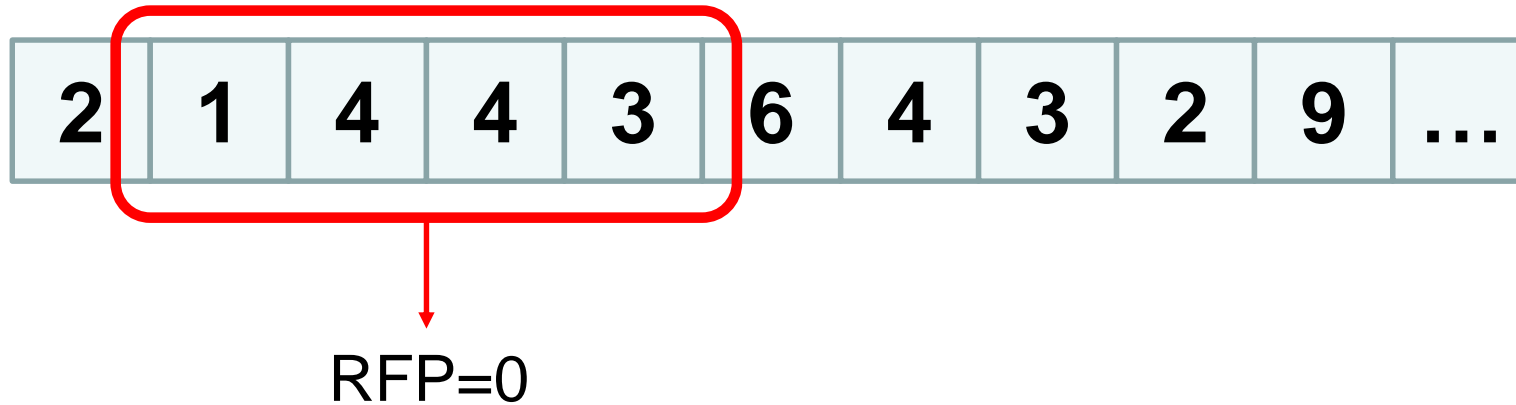
- How to do variable-size chunking via RFP algorithm?
 - Example: $m=4$, $d=10$, $q=13$, $\text{mask}=(1111)_2=15$



- $\text{RFP} \& \text{mask} \neq 0$
- Think about: in which case will $\text{RFP} \& \text{mask} = 0$?

Chunking With RFP Algorithm (Cont.)

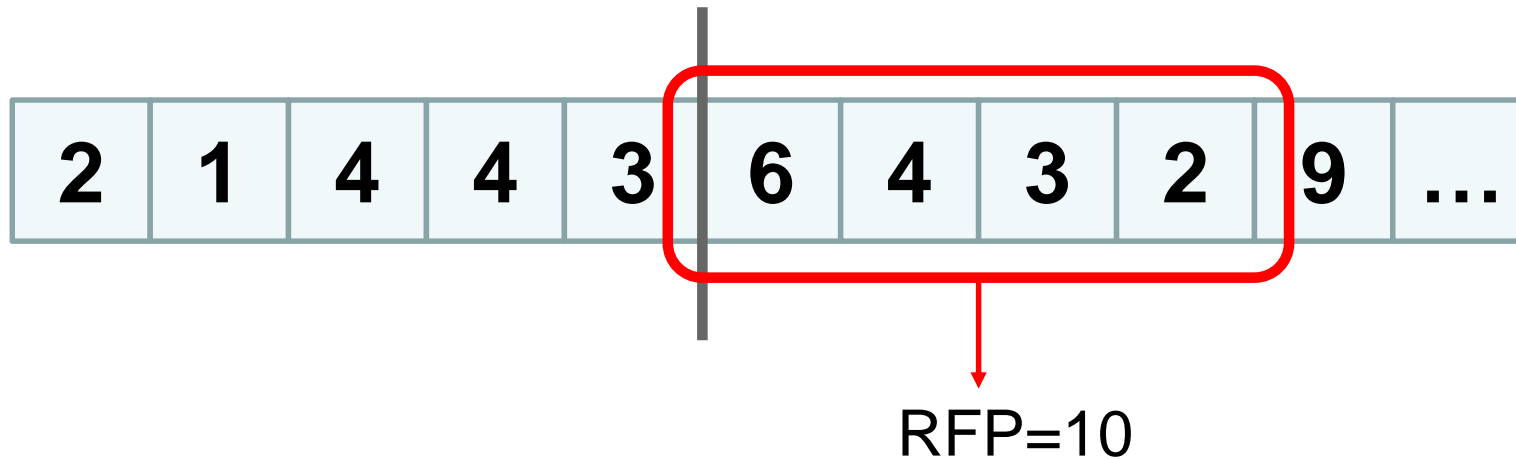
- How to do variable-size chunking via RFP algorithm?
 - Example: $m=4$, $d=10$, $q=13$, $\text{mask}=(1111)_2=15$



- RFP & mask = 0
- Set **an anchor point** at the end of current window

Chunking With RFP Algorithm (Cont.)

- How to do variable-size chunking via RFP algorithm?
 - Example: $m=4$, $d=10$, $q=13$, $\text{mask}=(1111)_2=15$

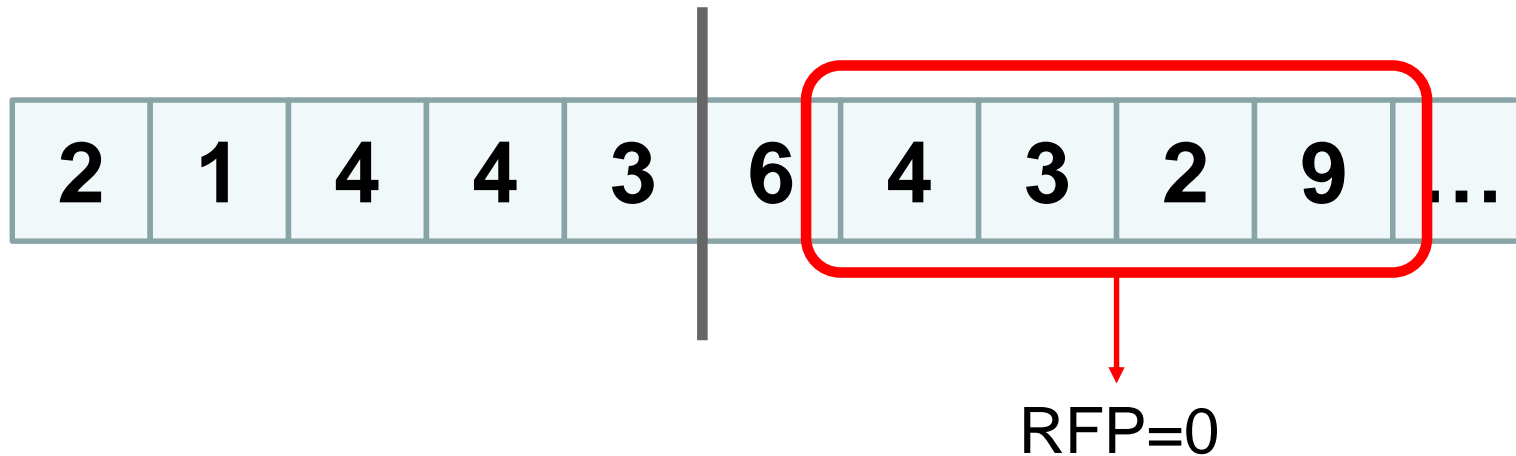


- $\text{RFP} \ \& \ \text{mask} \neq 0$

Chunking With RFP Algorithm (Cont.)

➤ How to do variable-size chunking via RFP algorithm?

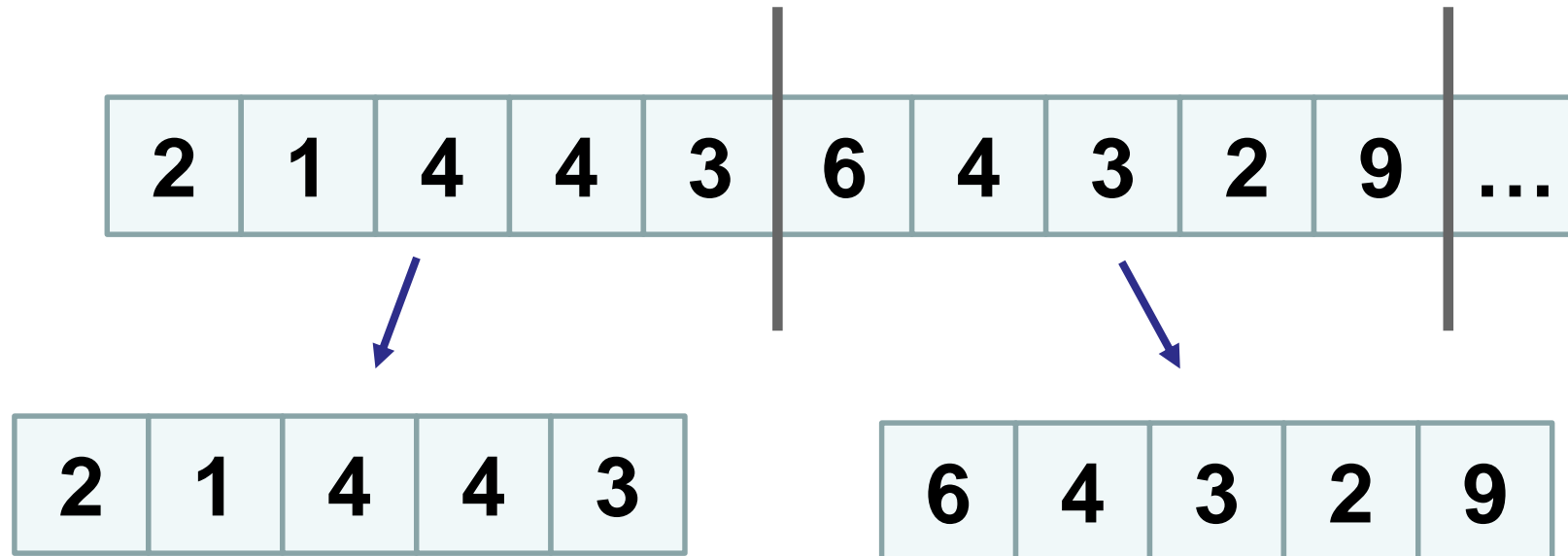
- Example: $m=4$, $d=10$, $q=13$, $\text{mask}=(1111)_2=15$



- $\text{RFP} \ \& \ \text{mask} = 0$
- Set an anchor point

Chunking With RFP Algorithm (Cont.)

- How to do variable-size chunking via RFP algorithm?
 - Example: $m=4$, $d=10$, $q=13$, $\text{mask}=(1111)_2=15$



- Up to now, we create 2 chunks with RFP algorithm

Zero Chunks

- We also need to recognize long runs of zeros when we do chunking
 - Special features of zero chunk
 - It can be longer than the maximum chunk size.
 - e.g. min_chunk = 5, max_chunk = 10. A file of 20 bytes contains all zeros. In this case, there will be only one logical chunk for this file.
 - It can be smaller than the minimum chunk size.
 - This case can only happen when the zero run is at the end of a file
 - e.g. |chunk1|chunk2|chunk3|...|chunkn|000|

Summary of chunking

- Basically, we start from a buffer whose size is minimum size of a chunk, except for EOF.
- Then we need to figure out to proceed with zero run, or to proceed with RFP algorithm for chunking
- Chunking
 - A zero run is found
 - $RFP \ \& \ mask = 0$
 - Maximum size of a chunk is reached

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Chunksum

➤ How to calculate checksum of a data chunk?

- We can use **SHA-256** algorithm to create checksum, which is available in **Java MessageDigest Library**
 - Note that: for our assignment, we choose MD5 algorithm
- Example:
 - There is a data buffer **data**, whose length is **len**

```
MessageDigest md = MessageDigest.getInstance("SHA-256");  
md.update(data, 0, len);  
byte[] checksumBytes = md.digest();
```

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Indexing

- Two kinds of indexes
 - 1. **Fingerprint indexing**: to manage chunks
 - 2. **File recipe**: to manager files
- Fingerprint indexing
 - It is a data structure
 - Given a fingerprint value
 - **Return whether corresponding chunk exists**
- File recipe
 - Given a file recipe
 - **Return all chunks' information of this file**

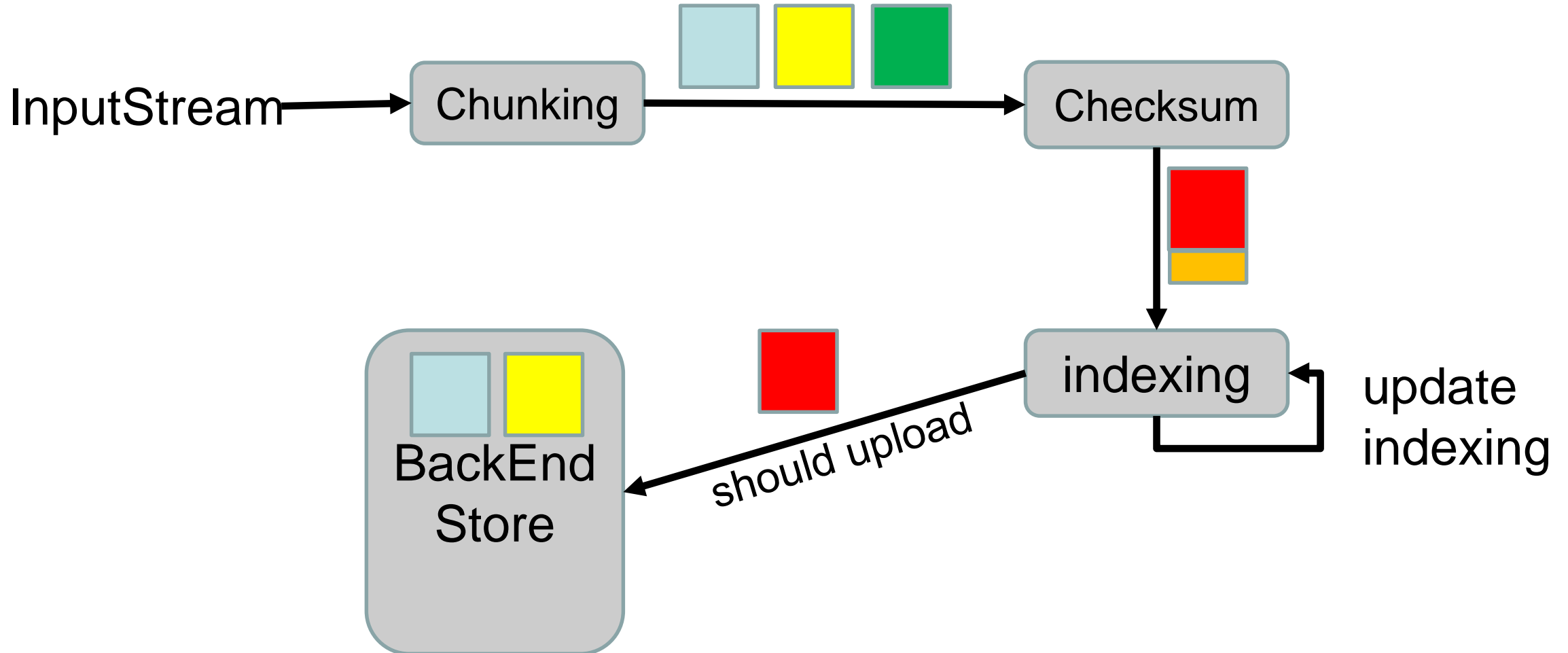
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Hints

➤ Upload process

- The whole workflow



Hints (Cont.)

- Parameters needed in chunking provided
 - **min_chunk**: minimum size of a chunk -> window size
 - **avg_chunk**: tells modulus
 - **max_chunk**: maximum size of a chunk
 - **d**: base
 - Chunks are identified based on **MD5**
- How to decide whether a chunk needs to be uploaded to backend store?
 - **When the chunk is unique**
 - which means there is no duplicated chunk stored in backend store.
 - **When the chunk is full of zeros**
 - there is no need to upload it.

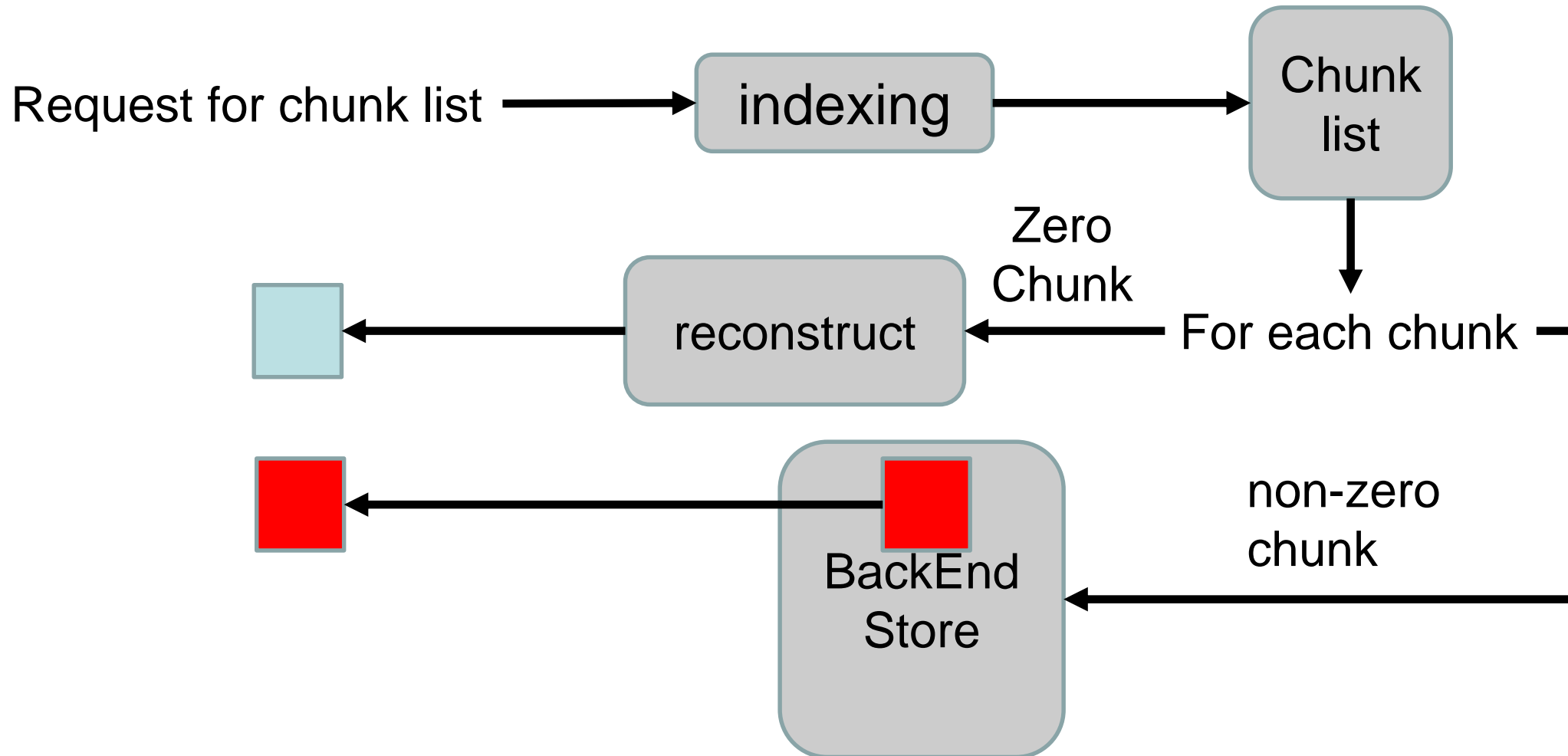
Hints (Cont.)

➤ Statistic for upload

- Example
 - Parameter: min_chunk = 10, max_chunk=15, upload file1 which contains 20 bytes of zeros and 10 bytes random data.
- Output:
 - Total number of files that have been stored: 1
 - Total number of pre-deduplicated chunks in storage: 2
 - A logical chunk of zero run.
 - Total number of unique chunks in storage: 1
 - No physical chunk in backend store
 - Total number of bytes of pre-deduplicated chunks in storage: 30
 - Total number of bytes of unique chunks in storage: 10
 - Deduplication ratio: 3.00

Hints (Cont.)

- **Download** process
 - The whole workflow



Hints (Cont.)

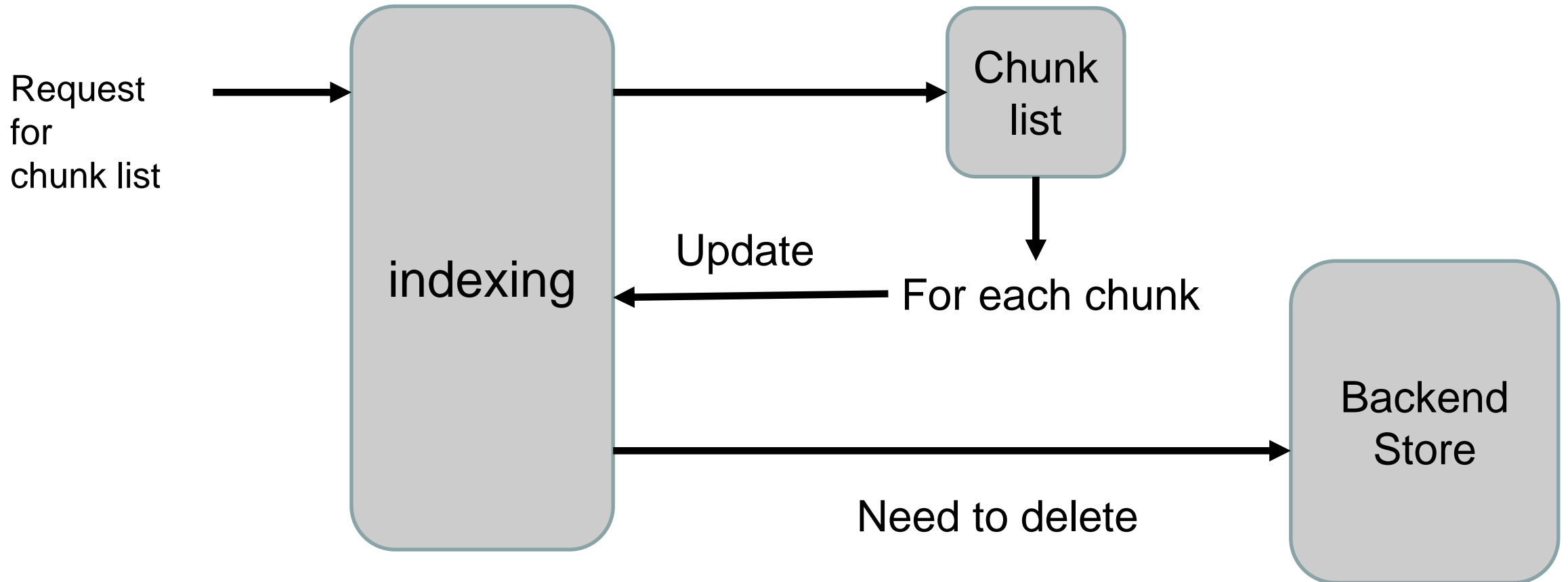
➤ How to get chunk list?

- 1. We maintain a metadata file called “mydedup.index”
- 2. At the beginning of each operation
 - we reconstruct the indexing data structure from this metadata file.
- 3. At the end of each operation,
 - we [update the indexing data structure](#) and store it into our metadata file
 - we can rebuild the indexing data structure for the next operation.

Hints (Cont.)

➤ Delete process

- The whole workflow



Hints (Cont.)

- Decide whether to delete the chunk physically.
 - There is no file in our storage that depends on this chunk.
 - Think about what do we need to maintain in our indexing data structure.
- Attention
 - RFP algorithm might **overflow** before modular operation
 - $(a + b) \bmod q \equiv (a \bmod q + b \bmod q) \bmod q$
 - $(a - b) \bmod q \equiv (a \bmod q - b \bmod q) \bmod q$
 - $(a * b) \bmod q \equiv (a \bmod q * b \bmod q) \bmod q$
- Performance
 - Fast modular exponentiation algorithm
 - Leverage multi-threading to **pipelining** the workflow

Hints (Cont.)

➤ How to test your program?

- Create test cases by yourself. This is also an important skill!
- Can you deal with upload, download, delete operation in sequence without errors?
- Can you download the file that contains the same contents with the original file that you uploaded?
- Can you correctly deal with long runs of zeros?
- Can you correctly deal with duplicated chunks? (e.g. different file contains same chunks)
- Can you deal with large files? (e.g. linux image file)

➤ How about the **performance** of *your implementation*?

Thank you

Q & A

