

```

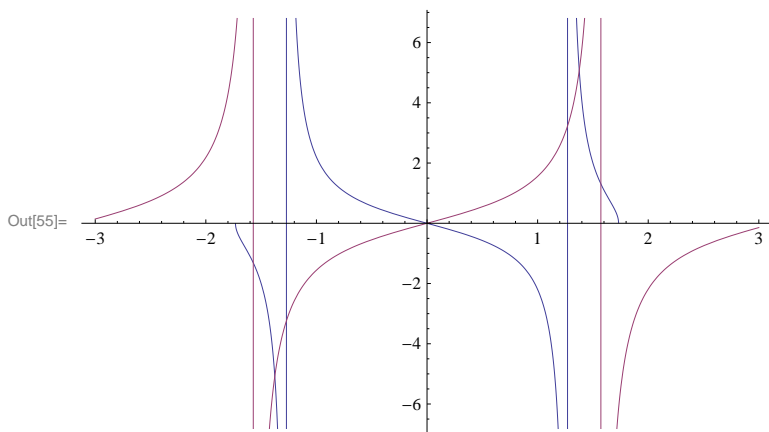
In[51]:= (*Oleksii Lubynets, 3-HEP*)

$$\Gamma := \text{Sqrt}[1 - (\text{Sqrt}[1 + \epsilon^2 * \xi^2] - v0)^2] * (1 + \text{Sqrt}[1 + \epsilon^2 * \xi^2]) / (\epsilon * \xi * (1 + \text{Sqrt}[1 + \epsilon^2 * \xi^2] - v0))$$


$$f := 2 \Gamma / (1 - \Gamma^2)$$


v0 := 1
 $\epsilon := 1$ 
Plot[{f, Tan[ $\xi$ ]}, { $\xi$ , -(2 v0 /  $\epsilon^2 + v0^2 / \epsilon^2$ ), (2 v0 /  $\epsilon^2 + v0^2 / \epsilon^2$ )}]

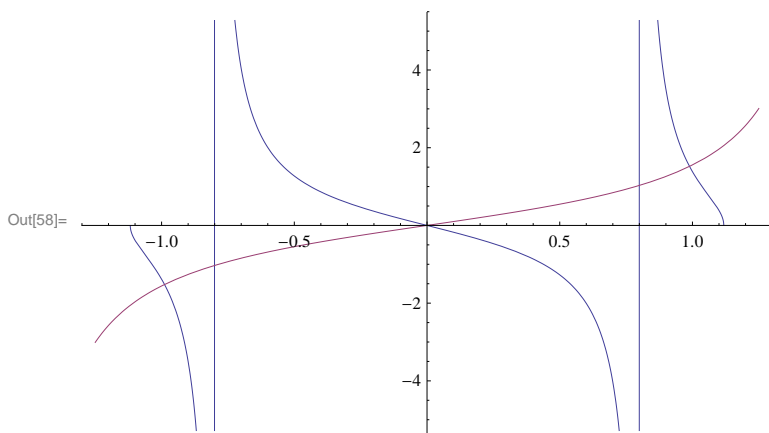
```



```

In[56]:= v0 := 0.5
 $\epsilon := 1$ 
Plot[{f, Tan[ $\xi$ ]}, { $\xi$ , -(2 v0 /  $\epsilon^2 + v0^2 / \epsilon^2$ ), (2 v0 /  $\epsilon^2 + v0^2 / \epsilon^2$ )}]

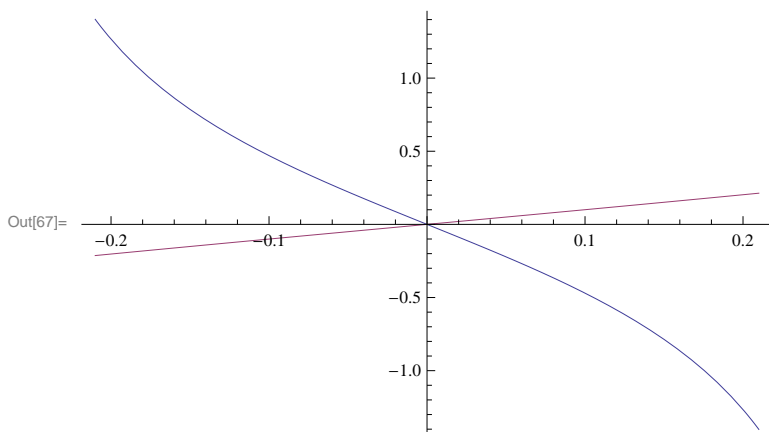
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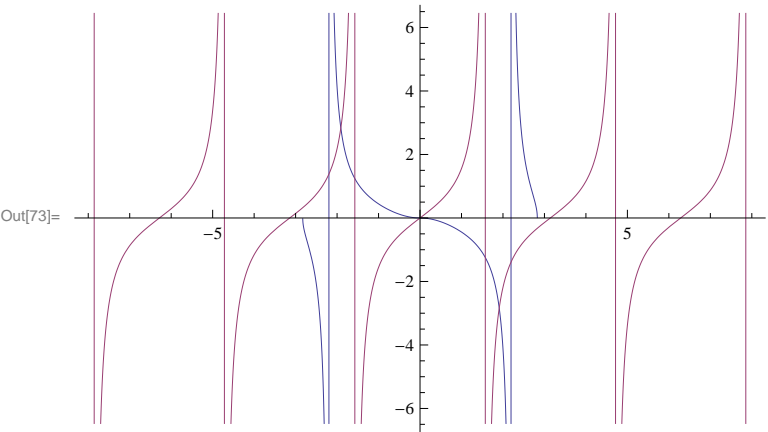
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In[65]:= v0 := 0.1
 $\epsilon := 1$ 
Plot[{f, Tan[ $\xi$ ]}, { $\xi$ , -(2 v0 /  $\epsilon^2 + v0^2 / \epsilon^2$ ), (2 v0 /  $\epsilon^2 + v0^2 / \epsilon^2$ )}]

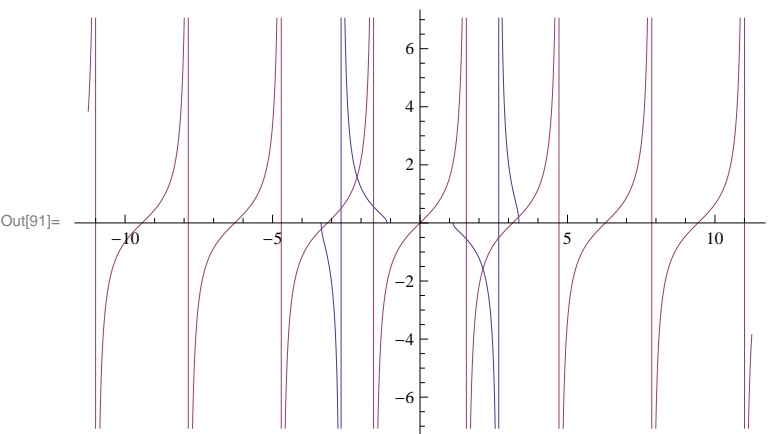
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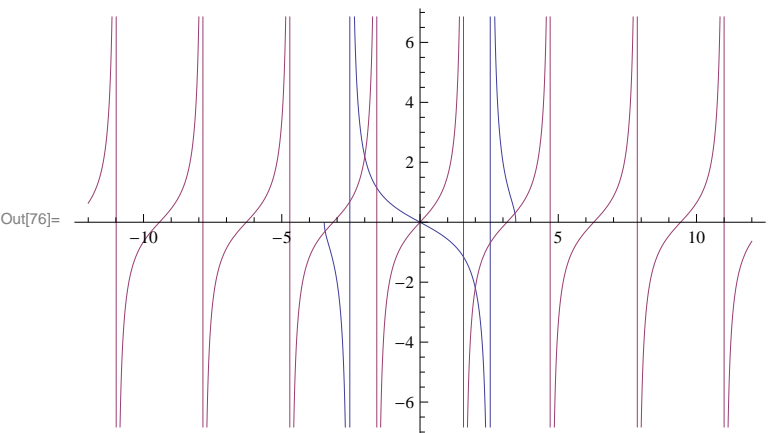
```
In[71]:= v0 := 2
          e := 1
          Plot[{f, Tan[ξ]}, {ξ, -(2 v0 / e^2 + v0^2 / e^2), (2 v0 / e^2 + v0^2 / e^2)}]
```



```
v0 := 2.5(*v0>2mc^2*)
e := 1
Plot[{f, Tan[ξ]}, {ξ, -(2 v0 / e^2 + v0^2 / e^2), (2 v0 / e^2 + v0^2 / e^2)}]
```



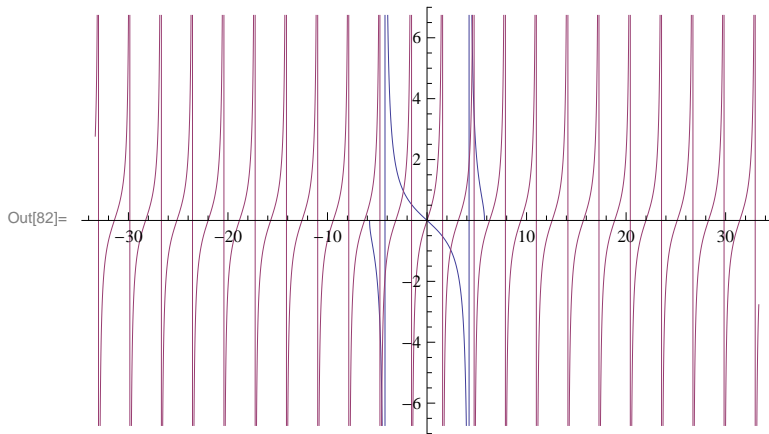
```
In[74]:= v0 := 1
          e := 0.5
          Plot[{f, Tan[ξ]}, {ξ, -(2 v0 / e^2 + v0^2 / e^2), (2 v0 / e^2 + v0^2 / e^2)}]
```



```

In[80]:= v0 := 1
          ε := 0.3
          Plot[{f, Tan[ξ]}, {ξ, -(2 v0 / ε^2 + v0^2 / ε^2), (2 v0 / ε^2 + v0^2 / ε^2)}]

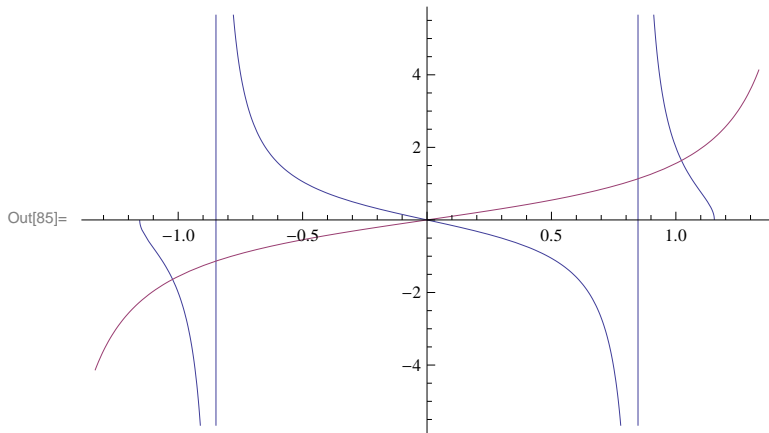
```



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In[83]:= v0 := 1
          ε := 1.5
          Plot[{f, Tan[ξ]}, {ξ, -(2 v0 / ε^2 + v0^2 / ε^2), (2 v0 / ε^2 + v0^2 / ε^2)}]

```



```

In[92]:= v0 := 1
          ε := 10
          Plot[{f, Tan[ξ]}, {ξ, -(2 v0 / ε^2 + v0^2 / ε^2), (2 v0 / ε^2 + v0^2 / ε^2)}]

```

