The Fairest Ransomware

Hikaru Yoshimura

DWANGO Co., Ltd. yyu@mental.poker

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Who am I?



Twitter @_yyu_ Qiita yyu GitHub y-yu

- University of Tsukuba (Undergraduate)
- Authentication Platform Section, DCS Dept
- I'm interesting in Cryptography

Introduction

• Recentry, Ransomwares are being famous.

Ransomware

Ransomware is one of the malwares, which encrypts the data on a victim's comptuer and then make they pay ransom in exchange for decrypting.

Famous Ransomwares

- WannaCry
- Petya
- GoldenEye

Will ransomwares decrypt the data if the victim pays Bitcoin?

The Fairnest Ransomware



If the victim pays some Bitcoins, their data will be decrypted under the probability on which they agreed.

It's possible using cryptographic technique

Encryption

Symmetric Key Encryption (SKE) is a cryptographic scheme that uses the *same* key to encrypt and decrypt data like AES. An encryption function is denoted Enc, a decryption function is denoted Dec. The following equation holds for the symmetric key *k*.

$$x = \operatorname{Dec}_k \left(\operatorname{Enc}_k \left(x \right) \right)$$

RSA Encryption is a cryptographic scheme that uses the *different* keys between encrypting and decrypting data. The key using encryption is called *public key* and The key using description is called *secret key*. The following holds for a public key (e, N) and the secret key d.

$$x = (x^e)^d = (x^d)^e \pmod{N}$$

Hash Function

Hash Function

A hash function *H* is a *one way function*, which means that:

- It's easy to calculate the output H(x) from input x
- But it's hard to calculate the input x from output H(x)

A hash function *H* has the following properties:

- Preimage Resistance A hash value h, it's difficult to find any message m such that h = H(m).
- Second Preimage Resistance An input m_1 , it's difficult to find different input m_2 such that $H(m_1) = H(m_2)$.
- Collision resistance It's difficult to find two different messages m_1 and m_2 such that $H(m_1) = H(m_2)$.

Zero-Knowledge Proof

There are two people, Alice and Bob.

Prover Alice has the secret key d for RSA chipher text c encrypted by public key (e, N). And she has chipher text $s := \operatorname{Enc}_k \left(c^d \bmod N\right)$ and its symmetric key k.

Verifier Bob has the cipher text c, its public key (e, N) and the cipher text s.

Bob want to verify as follows:

A preimage of the hash value H(k) is a symmetric key k that can decrypt SKE chipher text s.

without knowing the secret key d or symmetric key k.

Zero-Knowledge Proof

We use *cut-and-choose protocol* where RSA chipher text c encrypted by public key (e, N) and its secret key d.

Thank you for your attention! Any question?