

COMPILER DESIGN

Error recovery in top-down predictive parsing

Syntax error recovery

- A syntax error happens when the stream of tokens coming from the lexical analyzer does not comply with the grammatical rules defining the programming language.
- A syntax error is found when the next token in input is not expected according to the syntactic definition of the language.
- One of the main roles of a compiler is to **identify** all programming errors and give **meaningful indications** about the **location** and **nature** of errors in the input program.

Goals of error recovery

- Detect all compile-time errors
- Report the presence of errors clearly and accurately
- Recover from each error quickly enough to be able to detect subsequent errors
- Should not slow down the processing of correct programs
- Avoid spurious errors that are just a consequence of an earlier error

Reporting errors

- Give the position of the error in the source file, maybe print the offending line and point at the error location.

```
doy.cpp: In function `int main()': doy.cpp:25: `DayOfYear' undeclared (first use in this function)
doy.cpp:25: DayOfYear birthday;
              ^
```

- If the nature of the error is easily identifiable, give a **meaningful** error message.
- The compiler should not provide erroneous information about the nature of errors.

Error recovery

- Good error recovery highly depends on how quickly the error is *detected*.
- Often, an error will be detected only after the faulty token has passed.
- It will then be more difficult to achieve good error reporting, as well as good error recovery.
- Bottom-up parsers generally detect errors quicker than top-down parsers.
- Should recover from each error quickly enough to be able to detect subsequent errors. Error recovery should skip as less tokens as possible.
- Should not identify more errors than there really is. Cascades of errors that result from token skipping should be avoided.
- Should induce processing overhead only when errors are encountered.
- Should avoid to report other errors that are consequences of the application of error recovery, e.g. semantic errors.

Error recovery strategies

- There are many different strategies that a parser can employ to recover from syntactic errors.
- Although some are better than others, none of these methods provide a universal solution.
 - Panic mode, or *don't panic* (Nicklaus Wirth)
 - Error productions
 - Phrase level correction
 - Global correction

Error Recovery Strategies

- **Panic Mode**

- On discovering an error, the parser discards input tokens until an element of a designated set of synchronizing tokens is found. Synchronizing tokens are typically delimiters such as semicolons or end of block delimiters.
- A systematic and general approach is to use the FIRST and FOLLOW sets as synchronizing tokens.
- Skipping tokens often has a side-effect of skipping other errors. Choosing the right set of synchronizing tokens is of prime importance.
- Simplest method to implement.
- Can be integrated in most parsing methods.
- Cannot enter an infinite loop.

Error Recovery Strategies

- Error Productions

- The grammar is augmented with “error productions”. For each possible error, an error production is added. An error is trapped when an error production is used.
- Assumes that all specific errors are known in advance.
- One error production is needed for each possible error.
- Error productions are specific to the rules in the grammar. A change in the grammar implies a change of the corresponding error productions.
- Extremely hard to maintain.

Error Recovery Strategies

- Phrase-Level Correction

- On discovering an error, the parser performs a local correction on the remaining input, e.g. replace a comma by a semicolon, delete an extraneous semicolon, insert a missing semicolon, etc.
- Corrections are done in specific contexts. There are myriads of different such contexts.
- Cannot cope with errors that occurred before the point of detection.
- Can enter an infinite loop, e.g. insertion of an expected token.

Error Recovery Strategies

- Global Correction

- Ideally, a compiler should make as few changes as possible in processing an incorrect token stream.
- Global correction is about choosing the minimal sequence of changes to obtain a least-cost correction.
- Given an incorrect input token stream x , global correction will find a parse tree for a related token stream y , such that the number of insertions, deletions, and changes of tokens required to transform x into y is as reduced as possible.
- Too costly to implement.
- The closest correct program does not carry the meaning intended by the programmer anyway.
- Can be used as a benchmark for other error correction techniques.

Different variations of “panic mode” error recovery

Panic mode error recovery: variations

- Variation 1:
 - Given a non-terminal A on top of the stack, skip input tokens until an element of FOLLOW(A) appears in the token stream.
 - Pop A from the stack and resume parsing.
 - Report on the error found and where the parsing was resumed.
- Variation 2:
 - Given a non-terminal A on top of the stack, skip input tokens until an element of FIRST(A) appears in the token stream.
 - Report on the error found and where the parsing was resumed.
- Variation 3
 - If we combine variation 1 and 2, when there is a parse error and a variable A on top of the stack, we skip input tokens until we see either
 - a token in FIRST(A), in which case we simply continue,
 - a token in FOLLOW(A), in which case we pop A off the stack and continue.
 - Report on the error found and where the parsing was resumed.

Error Recovery in Recursive Descent Predictive Parsers

Error Recovery in Recursive Descent Predictive Parsers

- Three possible cases:
 - The lookahead symbol is not in $\text{FIRST}(\text{LHS})$.
 - If ϵ is in $\text{FIRST}(\text{LHS})$ and the lookahead symbol is not in $\text{FOLLOW}(\text{LHS})$.
 - The **match()** function is called in a no match situation.
- Solution:
 - Create a **skipErrors()** function that skips tokens until an element of $\text{FIRST}(\text{LHS})$ or $\text{FOLLOW}(\text{LHS})$ is encountered.
 - Upon entering any parsing function, call **skipErrors()**.

Error Recovery in Recursive Descent Predictive Parsers

```
skipErrors([FIRST],[FOLLOW])
  if (
    lookahead is in [FIRST]
    or
     $\epsilon$  is in [FIRST] and lookahead is in [FOLLOW]
  )
    return true           // no error detected, parse continues in this parsing function
  else
    write ("syntax error at " lookahead.location)
    while (lookahead not in [FIRST  $\cup$  FOLLOW] )
      lookahead = nextToken()
      if ( $\epsilon$  is in [FIRST] and lookahead is in [FOLLOW])
        return false      // error detected and parsing function should be aborted
    return true           // error detected and parse continues in this parsing function

match(token)
  if ( lookahead == token )
    lookahead = nextToken()
    return true
  else
    write ("syntax error at" lookahead.location. "expected" token)
    lookahead = nextToken()
    return false
```

Error Recovery in Recursive Descent Predictive Parsers

```
LHS(){ // LHS→RHS1 | RHS2 | ... | ε
    if ( !skipErrors( FIRST(LHS), FOLLOW(LHS) ) ) return false;
    if (lookahead ∈ FIRST(RHS1) )
        if (non-terminals() ∧ match(terminals) )
            write("LHS→RHS1")
        else success = false
    else if (lookahead ∈ FIRST(RHS2) )
        if (non-terminals() ∧ match(terminals) )
            write("LHS→RHS2")
        else success = false
    else if ...
    else if (lookahead ∈ FOLLOW(LHS) )
        write("LHS→ε")
    else success = false
    return (success)
```

// other right hand sides
// only if LHS→ε exists

Example

```
E(){
  if ( !skipErrors([0,1,[],[],$]) ) return false;
  if (lookahead is in [0,1,()])
    if (T();E'();) write(E->TE')
    else success = false
  else success = false
  return (success)
}
```

```
E'(){
  if ( !skipErrors([+],[[],$]) ) return false;
  if (lookahead is in [+])
    if (match('+');T();E'()) write(E'->TE')
    else success = false
  else if (lookahead is in [$,])
    write(E'->epsilon);
  else success = false
  return (success)
}
```

```
T(){
  if ( !skipErrors([0,1,[],[+,$]) ) return false;
  if (lookahead is in [0,1,()])
    if (F();T'();) write(T->FT')
    else success = false
  else success = false
  return (success)
}
```

```
T'(){
  if ( !skipErrors([*],[+,$]) ) return false;
  if (lookahead is in [*])
    if (match('*');F();T'()) write(T'->*FT')
    else success = false
  else if (lookahead is in [+,$])
    write(T'->epsilon)
  else success = false
  return (success)
}
```

```
F(){
  if ( !skipErrors([0,1,[],[*,$,$]) ) return false;
  if (lookahead is in [0])
    match('0') write(F->0)
  else if (lookahead is in [1])
    match('1') write(F->1)
  else if (lookahead is in [()])
    if (match('(');E();match('')) write(F->1);
    else success = false
  else success = false
  return (success)
}
```

Error Recovery in Table-Driven Predictive Parsers

Error Recovery in Table-Driven Predictive Parsers

- All empty cells in the table represent the occurrence of a syntax error
- Each case represents a specific kind of error
- Task when an empty (error) cell is read:
 - Recover from the error
 - Either pop the stack, or skip tokens (often called “scan”)
 - Output an error message

Building the table with error cases

- Two possible cases:
 - pop the stack if the next token is in the FOLLOW set of our current non-terminal on top of the stack.
 - scan tokens until we get one with which we can resume the parse.

```
skipError(){                                // A is top()
    write ("syntax error at " lookahead.location)
    if ( lookahead is $ or in FOLLOW( top() ) )
        pop()                                // pop - equivalent to  $A \rightarrow \epsilon$ 
    else
        while ( lookahead  $\notin$  FIRST( top() )
                or
                 $\epsilon \in$  FIRST( top() ) and lookahead  $\notin$  FOLLOW( top() )
            )
            lookahead = nextToken()          // scan
}
```

Original table, grammar and sets

r1: $E \rightarrow TE'$
r2: $E' \rightarrow +TE'$
r3: $E' \rightarrow \varepsilon$
r4: $T \rightarrow FT'$
r5: $T' \rightarrow *FT'$
r6: $T' \rightarrow \varepsilon$
r7: $F \rightarrow \emptyset$
r8: $F \rightarrow 1$
r9: $F \rightarrow (E)$

FST(E) : { $\emptyset, 1, ($ }
FST(E') : { $\varepsilon, +$ }
FST(T) : { $\emptyset, 1, ($ }
FST(T') : { $\varepsilon, *$ }
FST(F) : { $\emptyset, 1, ($ }

FLW(E) : { $\$,)$ }
FLW(E') : { $\$,)$ }
FLW(T) : { $+, \$,)$ }
FLW(T') : { $+, \$,)$ }
FLW(F) : { $*, +, \$,)$ }

	\emptyset	1	()	+	*	\$
E	r1	r1	r1				
E'				r3	r2		r3
T	r4	r4	r4				
T'				r6	r6	r5	r6
F	r7	r8	r9				

Parsing table with error actions

	\emptyset	1	()	+	*	\$
E	r1	r1	R1	pop	scan	scan	pop
E'	scan	scan	scan	R3	r2	scan	r3
T	r4	R4	R4	pop	pop	scan	pop
T'	scan	scan	scan	r6	r6	r5	r6
F	r7	R8	R9	pop	pop	pop	pop

- **pop:** if the next token in input is in FOLLOW(LHS), **pop()** RHS from the stack.
- **scan:** else, repeat (nextToken())
 until (FIRST(LHS) is found or
 if FIRST(LHS) contains ϵ , FOLLOW(RHS) is found)

Parsing algorithm

```
parse(){
    push($)
    push(S)
    a = nextToken()
    while ( stack  $\neq$  $ ) do
        x = top()
        if (  $x \in T$  )
            if (  $x == a$  )
                pop(x) ; a = nextToken()
            else
                skipError() ; success = false
        else
            if (  $TT[x,a] \neq \text{'error'}$  )
                pop(x) ; inverseRHSPush( $TT[x,a]$ )
            else
                skipError() ; success = false
    if ( ( $a \neq \$$ )  $\vee$  (success == false) )
        return(false)
    else
        return(true)}
```

Parsing example with error recovery

	Stack	Input	Production	Derivation
1	\$E	0(*1)\$		E
2	\$E	0(*1)\$	r1: $E \rightarrow TE'$	$\Rightarrow TE'$
3	\$E'T	0(*1)\$	R4: $T \rightarrow FT'$	$\Rightarrow FT'E'$
4	\$E'T'F	0(*1)\$	R7: $F \rightarrow 0$	$\Rightarrow 0T'E'$
5	\$E'T'0	0(*1)\$		
6	\$E'T'	(*1)\$	error - scan	
7	\$E'T'	*1)\$	r5: $T' \rightarrow *FT'$	$\Rightarrow 0*FT'E'$
8	\$E'T'F*	*1)\$		
9	\$E'T'F	1)\$	r8: $F \rightarrow 1$	$\Rightarrow 0*1T'E'$
10	\$E'T'1	1)\$		
11	\$E'T')\$	r6: $T' \rightarrow \epsilon$	$\Rightarrow 0*1E'$
12	\$E')\$	r3: $E' \rightarrow \epsilon$	$\Rightarrow 0*1$
13	\$)\$	error - end	