

# Topic 17 – Optimization

## Key Ideas

- Common Subexpression Elimination
- Register Allocation
- Constant Folding
- Constant Propagation
- Dead-code Elimination
- Strength Reduction
- Inlining Procedures
- Tail Recursion

## References

- *Basics of Compiler Design* by Torben Ægidius Mogensen  
sections 11.1 – 11.7 for more detailed explanation

# Optimization

## Overview

- Recall: for any WLP4 program there are an infinite number of equivalent MIPS assembly language programs.
- What *criteria* to we use to decide if one compiled version of a WLP4 program is better than another?
  - Answer: the time it takes for the program to run
- Finding the equivalent program with the minimum runtime is uncomputable, so we must...
- Use *heuristics*: i.e. *recognize* a pattern of instructions and *replace* them with an equivalent set that
  - runs quicker or
  - (as an approximation) uses a smaller number of instructions

# Optimization

## Overview

- *Key Point:* These patterns do not necessarily appear in the WLP4 source code
  - They may appear because code is generated by looking at one single node in the parse tree at a time
- *Observation:* for the code  $x = x + 1$ ;
  - in the subtree on the *left hand side* of the '=' sign the parser will generate code that gets the address of 'x'
  - on the subtree on the *right hand side* of the '=' sign the parser will generate code that gets the address of 'x'
  - the parser created code to calculate the same value twice
  - this observation leads to one form of optimization...

# Optimization: Common Subexpression

## Common Subexpression Elimination

- *Idea*: store the results of *common subexpressions* (often generated by the compiler not the programmer) in registers
- For example:  $(a+b) * (a+b)$ ,
  - calculate the answer to  $a+b$  and store in \$3 then  
mult \$3, \$3  
mflo \$3
- For “ $x = x+1$ ” calculate the address of  $x$  once, use it twice
- *Caution*: it may not work with functions, e.g.  $f(1)+f(1)$  since the functions may have side effects, such as print output
- *Note*: It takes resources to find these common subexpressions
- the “g++” command runs much quicker than “g++ -O3”

# Optimization: Register Allocation

## Register Allocation

- *Observation:* accessing a register is much quicker than accessing the stack or RAM in general
- using registers also eliminates the code that pushes and pops from the stack, or lw and sw instructions for accessing RAM
- our code generator does not use registers \$14-\$28
- *Challenge:* must decide how to allocate them if there are more than 15 variables, typically “most used”, or “most recently used”
- allocating these registers wisely is a key optimization strategy
- *Caution:* you cannot use the address-of operator on a register location, only a RAM location, so push these values into RAM

# Optimization: Register Allocation

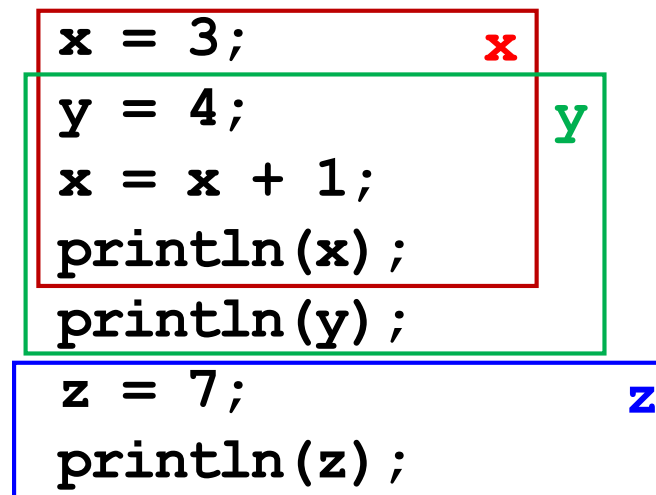
## Register Allocation

- *Idea*: keep track of the *live ranges* of each variable: from where it is assigned a value to the location where it is used with that value.
- If the live ranges of two variables intersect, then you must use two different registers.
- If the live ranges do not intersect, you can reuse the register.

```
int x = 0;
int y = 0;
int z = 0;

x = 3;
y = 4;
x = x + 1;
println(x);
println(y);

z = 7;
println(z);
```



The live ranges of **x** and **y** intersect. The live range of **z** does not intersect with **x** or **y**.

# Optimization: Register Allocation

## Register Allocation

- *Idea:* `code()` specifies available registers in `avail` and returns where the result is located, e.g. for  $expr_1 \rightarrow expr_2 + term$
- after generating the code for  $expr_2$ , the result is in `s`
- when generating the code for  $term$ , the set `avail` minus the register `s` is available for use
- *Enhancement:* provide the ability to specify where you want the result stored

```
// old way
code(expr1) =
code(expr2)
push $3
code(term)
pop $5
add $3, $5, $3
```

```
// new way
code(expr1, avail) =
s = code(expr2, avail)
t = code(term, avail\{s})
add $s, $s, $t
return s
```

# Optimization: Constant Folding

## Example: Code for 2+3

- reduce the number of instructions by calculating answers involving constants at compile time

### *Currently 9 Instructions*

code(2+3) =

```
lis $3           ; load 2
.word 2
sw $3, -4($30)   ; push 2 on stack
sub $30, $30, $4
lis $3           ; load 3
.word 3
lw $5, 0($30)    ; pop 2 off stack
add $30, $30, $4
add $3, $5, $3    ; answer
```

vs.

### *Only 2 Instructions*

code(2+3) =

```
lis $3
.word 5
```



# Optimization: Constant Propagation

## Constant Propagation

```
WLP4 Code: int x = 2;  
           // value of x does not change  
           return x + x;
```

- *Approach*: Recognize that the value doesn't change and return 4.
- If it is the only place that **x** is used, it does not need a stack entry.
- What our compiler currently does:
  - load the value 2 into \$3 (2 instructions): `li` and `.word`
  - store result in **x** (1 instruction): `sw`
  - push **x** on stack (3 instructions): `lw`, `sw` and `sub`
  - load **x** in \$3 (1 instruction): `lw`
  - move **x** from stack to \$5 (2 instructions) : `lw` and `sub`
  - then add \$5 and \$3 (1 instruction): `add`

# Optimization: Constant Propagation

## Constant Propagation

WLP4 Code: `int x = 2;`  
*// value of x does not change*  
`return x + x;`

- Since x is always 2, the compiler could do the following

```
lis $3                ; load 2 into x
.word 2
sw $3, -12($29)       ; where the offset to x is -12
;; do other stuff
lis $3                ; return value is 4
.word 4
jr $31                ; return from function
```

# Optimization: Constant Propagation

## Constant Propagation

- *Challenge*: need a way to detect and propagate constants
- *Solution*: The function code() could return an order pair (encoding, value) e.g.
  - (register, 3) would say the result is in \$3 (this has been the only option so far)
  - (const, 2) would say the result is the constant 2
- E.g. if the rule  $expr_1 \rightarrow expr_2 + term$  had  $expr_2$  and  $term$  both evaluate to constants, e.g. (const, 2) and (const, 3), then  $expr_1$  would evaluate to (const, 5)
- (const, 5) would result in two lines of code

```
lis $3
.word 5
```

# Optimization: Dead-code Elimination

## Dead code

- Sometimes when code is generated, dead code is created.
- *Dead code* is
  - code that is never executed, e.g.
  - because a logical test is always false
  - because it occurs after a return statement
  - code that is executed but whose results are never used
- *Idea*: detect and do not output dead code.

# Optimization: Strength Reduction

## Strength Reduction

- *Approach*: some operations can be replaced by faster ones
- *Observation*: generally (on a real processor) addition is quicker than multiplication so for small values replace it by addition.

### *Currently 8 Instructions*

vs.

### *Only 1 Instruction*

code( $n*2$ ;) =

```
sw $3, 0(30)      ; push n on stack  
sub $30, $30, $4  
lis $3            ; load 2 into $3  
.word 2  
lw $5, 0($30)     ; pop n off stack  
add $30, $30, $4  
mult $3, $5        ; multiply 2 * n  
mflo $3           ; load answer in $3
```

code( $n*2$ ;) =

```
add $3, $3, $3
```

# Optimization: Inlining Procedures

## Inlining Procedures

*Inlining* replace a function call with the body of the function, i.e.

- Replace

```
int f(int x) { return x+x; }  
int wain(int a, int b) { return f(a); }
```

with

```
int wain(int a, int b) { return a+a; }
```

- Pros:
  - if all calls to **f** are in-lined, no need to generate code for **f** at all
  - save overhead of creating a stack frame for **f**
- Con:
  - if **f** is big or used often, then we generate a lot of extra code
  - difficult to do for recursive functions

# Optimization: Tail Recursion in Procedures

## Tail Recursion

```
int fact(int n, int a){  
    if(n == 0) return a;  
    else return fact(n-1,n*a);  
}
```

- *Note* : the very last instruction the function does is a recursive call, i.e. `else return fact(...);`
- *Optimization*: The content of the current stack frame (local variables etc.) will not be used again in the call of the function, therefore  $\Rightarrow$  reuse the stack frame for the next recursive call

# Optimization

## Intermediate Code

- *Challenge*: one of the challenges that many of these approaches have is that it is difficult to find patterns such as common subexpressions
- *Approach*: generally, but beyond the scope of this course, after the lexical, syntactic, and semantic analysis stages, an *intermediate code* (rather than assembly language) is generated with the idea that this code is easier to optimize than the final assembly language
- After optimization the intermediate code is converted to assembly language for a particular processor.
- Would only need to change the final step to create code for different processors (x86-64 vs. ARM-8 vs. MIPS)