

## PCA\_Data\_Mining

```
In [16]: 1 import pandas as pd
2 import numpy as np
3
4 #here we are going to use inbuilt dataset
5 from sklearn.datasets import load_breast_cancer
6
7 #instantiating
8 cancer = load_breast_cancer(as_frame=True)
9 #creating dataframe
10 df = cancer.frame
11
12 #checking shape
13 print('original Dataframe Shape: ', df.shape)
14
15 #input features
16 X= df[cancer['feature_names']]
17 print('Input Datframe shape: ',X.shape )
18
```

original Dataframe Shape: (569, 31)

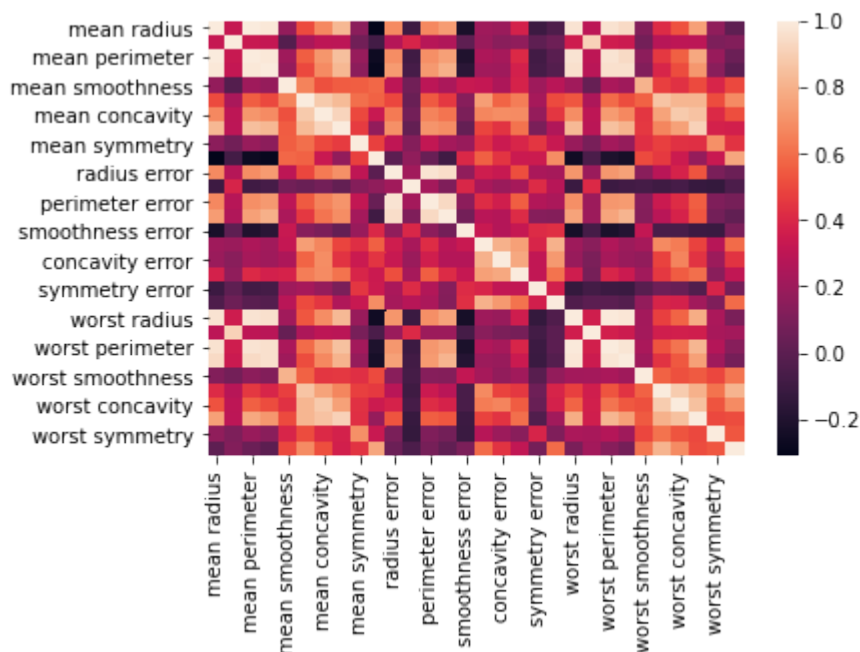
Input Datframe shape: (569, 30)

applying the first step to to standarize the data and for that we will calculate the mean and std of eacg feature in the feature space

```
In [18]: 1 #mean
2 X_mean =X.mean()
3
4 #std
5 X_std = X.std()
6
7 #standardaization]
8 Z=(X-X_mean) /X_std
```

The covariance matrix helps us to visualize the how strong dependency of two feature is with each other in the feature space

```
In [19]: 1 #covarince
2 c=Z.cov()
3
4 #plot rhe covarince matric
5
6 import matplotlib.pyplot as plt
7 import seaborn as sns
8
9 sns.heatmap(c)
10 plt.show()
```



```
In [20]: 1 #now we will try to compute egienva and eigen vect for out feature spa
2
3
4 eigenvalues , eigenvectors = np.linalg.eig(c)
5 print('Eigen values:\n ',eigenvalues)
6 print('Eigen values:\n ',eigenvalues.shape)
7 print('Eigen Vectors:\n ', eigenvectors.shape)
```

Eigen values:

```
[1.32816077e+01 5.69135461e+00 2.81794898e+00 1.98064047e+00
 1.64873055e+00 1.20735661e+00 6.75220114e-01 4.76617140e-01
 4.16894812e-01 3.50693457e-01 2.93915696e-01 2.61161370e-01
 2.41357496e-01 1.57009724e-01 9.41349650e-02 7.98628010e-02
 5.93990378e-02 5.26187835e-02 4.94775918e-02 1.33044823e-04
 7.48803097e-04 1.58933787e-03 6.90046388e-03 8.17763986e-03
 1.54812714e-02 1.80550070e-02 2.43408378e-02 2.74394025e-02
 3.11594025e-02 2.99728939e-02]
```

Eigen values:

```
(30,)
```

Eigen Vectors:

```
(30, 30)
```

```
In [21]: 1 #sorting the eig val in descinding order and sort the corresponding eig
2
3 #index the eig val in desc ord
4 idx= eigenvalues.argsort()[::-1]
5
6 #sort in desc
7 eigenvalues = eigenvalues[idx]
8
9 #sort the correspondong eig vect accordingly
10
11 eigenvectors = eigenvectors[:,idx]
12
13
```

```
In [22]: 1 #explained var is the term that gives us an idea of the amount of the t
2 #which has been reatained by selectinf the principal compnentes instead
3
4 explained_var = np.cumsum(eigenvalues) / np.sum(eigenvalues)
5
6 explained_var
```

```
Out[22]: array([0.44272026, 0.63243208, 0.72636371, 0.79238506, 0.84734274,
0.88758796, 0.9100953 , 0.92598254, 0.93987903, 0.95156881,
0.961366 , 0.97007138, 0.97811663, 0.98335029, 0.98648812,
0.98915022, 0.99113018, 0.99288414, 0.9945334 , 0.99557204,
0.99657114, 0.99748579, 0.99829715, 0.99889898, 0.99941502,
0.99968761, 0.99991763, 0.99997061, 0.99999557, 1.          ])
```

```
In [23]: 1 #determine the number od principal compnents
2 #considering the num of principal comp of any nvalue our choice or by l
3 #consodereing the exp var more than equal to 50%
4
5 n_components = np.argmax(explained_var >= 0.50 ) +1
6 n_components
```

```
Out[23]: 2
```

project the data onto the selected ptinceipal components

finding ht e projectin matrix, it is a matrix of egienvect correspondinf to the largest eig val of the cov matrix of the data. it projects the high-dimensinal dataset onto lower dimensional subspace

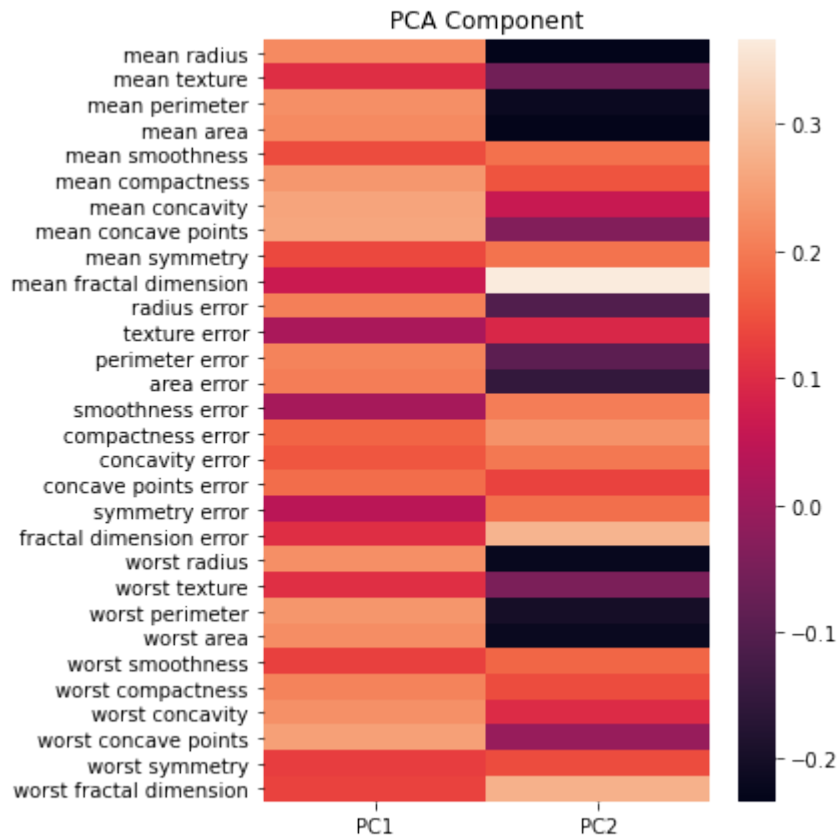
the eigenvect of the cov matrix of the data are reffered toi as the principa asxes of the data, and the projection od the data instances onto these principal axes are called the principal cpmponents

In [26]:

```

1  #pca compnenent or unit matrix
2  u = eigenvectors[:, :n_components]
3  pca_component = pd.DataFrame(u,
4                               index = cancer['feature_names'],
5                               columns = ['PC1' , 'PC2'])
6
7  #plot
8  plt.figure(figsize=(5,7))
9  sns.heatmap(pca_component)
10 plt.title('PCA Component')
11 plt.show()

```



In [29]:

```

1  #matrix mult or dot product
2  Z_pca = Z @ pca_component
3  #rename the columns names
4  Z_pca.rename({'PC1': 'PCA1', 'PC2' : 'PCA2'} , axis = 1, inplace=True)
5  print(Z_pca)

```

	PCA1	PCA2
0	9.184755	1.946870
1	2.385703	-3.764859
2	5.728855	-1.074229
3	7.116691	10.266556
4	3.931842	-1.946359
..	...	...
564	6.433655	-3.573673
565	3.790048	-3.580897
566	1.255075	-1.900624
567	10.365673	1.670540
568	-5.470430	-0.670047

[569 rows x 2 columns]

```

In [31]: 1 #pca using sklearn
          2
          3 #importing pca
          4
          5 from sklearn.decomposition import PCA
          6
          7 #lets say componnets = 2
          8
          9 pca= PCA(n_components=2)
         10 pca.fit(Z)
         11 x_pca = pca.transform(Z)
         12
         13 #creating the dataframe
         14
         15 df_pca1 = pd.DataFrame(x_pca,
         16                       columns=['PC{}'.format(i+1)
         17                                for i in range(n_components)])
         18
         19 print(df_pca1)

```

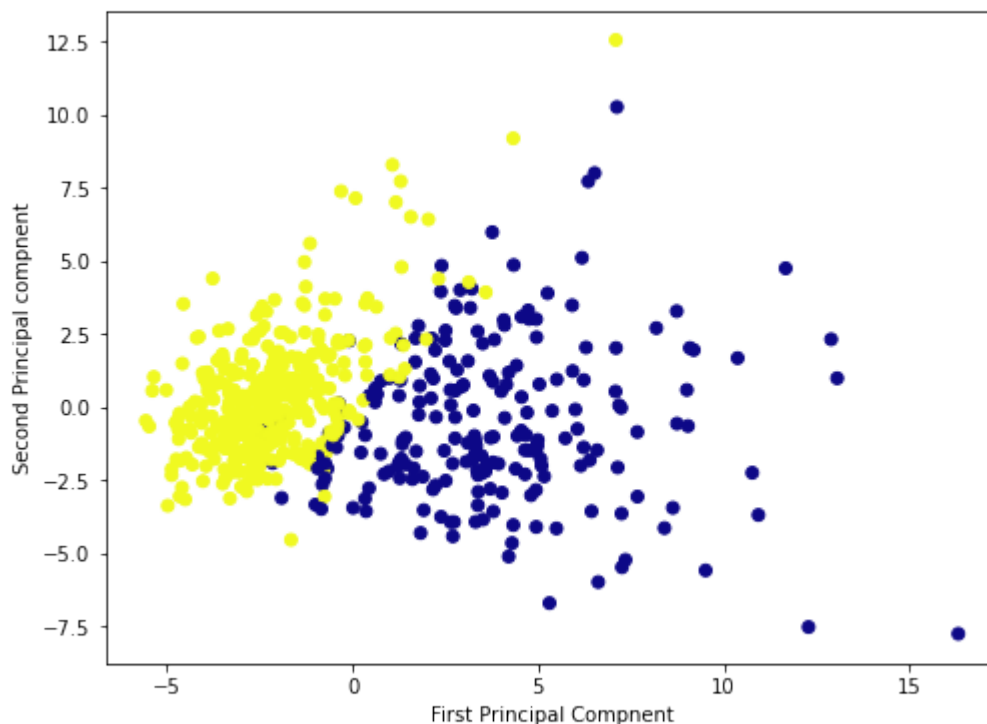
	PC1	PC2
0	9.184755	1.946870
1	2.385703	-3.764859
2	5.728855	-1.074229
3	7.116691	10.266556
4	3.931842	-1.946359
..	...	...
564	6.433655	-3.573673
565	3.790048	-3.580897
566	1.255075	-1.900624
567	10.365673	1.670540
568	-5.470430	-0.670047

[569 rows x 2 columns]

```

In [32]: 1 #plotting
          2
          3 plt.figure(figsize=(8,6))
          4
          5 plt.scatter(x_pca[:,0], x_pca[:,1], c=cancer['target'] , cmap='plasma')
          6
          7 #Labeling x and y
          8
          9 plt.xlabel('First Principal Compnent')
         10 plt.ylabel('Second Principal compnent')
         11 plt.show()

```



```

In [33]: 1 pca.components_

```

```

Out[33]: array([[ 0.21890244,  0.10372458,  0.22753729,  0.22099499,  0.14258969,
                  0.23928535,  0.25840048,  0.26085376,  0.13816696,  0.06436335,
                  0.20597878,  0.01742803,  0.21132592,  0.20286964,  0.01453145,
                  0.17039345,  0.15358979,  0.1834174 ,  0.04249842,  0.10256832,
                  0.22799663,  0.10446933,  0.23663968,  0.22487053,  0.12795256,
                  0.21009588,  0.22876753,  0.25088597,  0.12290456,  0.13178394],
                [-0.23385713, -0.05970609, -0.21518136, -0.23107671,  0.18611302,
                  0.15189161,  0.06016536, -0.0347675 ,  0.19034877,  0.36657547,
                 -0.10555215,  0.08997968, -0.08945723, -0.15229263,  0.20443045,
                  0.2327159 ,  0.19720728,  0.13032156,  0.183848 ,  0.28009203,
                 -0.21986638, -0.0454673 , -0.19987843, -0.21935186,  0.17230435,
                  0.14359317,  0.09796411, -0.00825724,  0.14188335,  0.27533947]])

```

```

In [ ]: 1

```