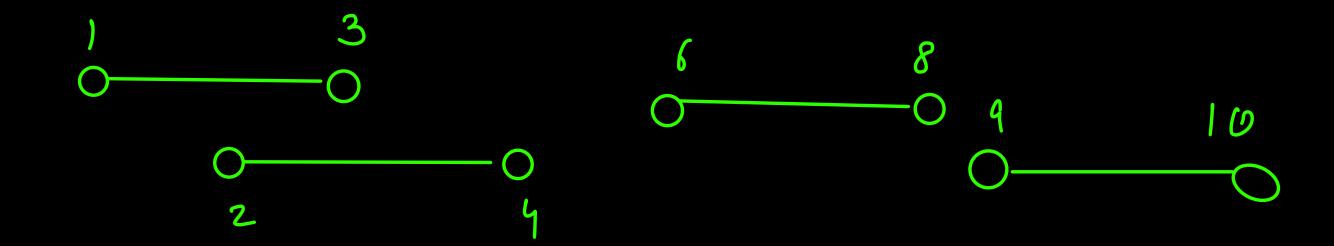
[[1,3], [2,6], [8,10], [15,18]] 2 microals [C111], [8,10] [15,18] -> after clubbing overlapping intervals, one will be lift met all non-overlapping ones. (Sorting How about if me arrange all overlapping intervals byether one after amother (adjacent) ending of last >= 8 taxting of the unterval stand of , and of nort? Then mayor intonvers

[[1,3],[2,4],[6,8],[9,10]]



[[1,3],[8,10],[2,6], [15,18]] 2 un terwals 1 8 2 15 How about if we arraye all the intervals board on inc order of stanting value. why not endy value? ?? [1,3], [2,6], [8,10], [15,18] if me just see the non-overlapping ousStarly value -> intervals [i] [0] endry value -> interval [i] [i]

 $\begin{array}{c}
(8cot) & (comparator) \\
(3cot) & (a,b) \\
(acoj) & (bcoj)
\end{array}$ Start

[S, 4, 3, 2, 1]

[iphn13, iph11, iphn11,] Roduch

sonpare Poice of Hu product

[[1,37, [2,6], [8,107, [18,18]]

7 coult (1,6)

[[1,4] [2,3]]

if (Start grent <= end of (ast)

repult [repult. length-1] [1] = max (end of last, end of new)

[[1,6], [2,3], [5,8], [10,12] [12,15], [13,14]] 9 [[1,8], [10,15]] 8[[2,3],[1,6],[5,8],[10,12](13,14) [12,15]] end of stant of next

$$b > = c$$

(b<d)
endry value

Pin > O (NlogN + N)

UnlogN

(NlogN)

 $Spav \rightarrow O(1)$

[1,3,4,2,6,8]

-> if the length of array is odd, then we comit find the one

[1,3,4) 2,6,8] (3,4,6(8) J i m bick any element, how can Smallest -> a un concrety decide. if it (2 a) is part of original w $\Rightarrow (2 \times 2)$ Mow to check if da chayed. cruets 2? But if un take Smallest element of the array, then we are sur that x/2 won't most.

clement ky, value of forguency.

searly 70(1)
del

[2, 2, 3, 1, 6, 4] Smallist > 2 2 (x 2 - 2/10 x [1,2 XI - XDX3 x y - x D x loget access of the Smallest elevet -> Soot

$$\begin{bmatrix} 1 & 2 & 2 & 3 & 4 & 6 \end{bmatrix}$$

$$\begin{cases} 1 & 2 & 2 & 3 & 4 & 6 \end{bmatrix}$$

$$\begin{cases} 1 & -10 & 1 & 3 & 3 \\ 1 & 2 & 2 & 10 & 3 & 3 \end{bmatrix}$$

$$\begin{cases} 2 & -2 & 10 & 3 & 3 \\ 1 & 2 & 3 & 3 & 3 \end{cases}$$

$$\kappa$$
 $6-10x$

$$O(N\log N + N + N) - O(N\log N)$$

$$Space \rightarrow O(N)$$