

Q. Given 2 numbers, a and b , calculate the LCM of the 2 numbers. (LCM \rightarrow least common

multiple).

Ex \rightarrow $\begin{cases} a = 9 \\ b = 12 \end{cases}$

We already know how to take the gcd / hcf.

Ans \rightarrow LCM \rightarrow 36

$G \rightarrow$ gcd of a, b

$L \rightarrow$ LCM of a, b

$$\boxed{a \times b = G \times L} //$$

$$lcm = \frac{a \times b}{\underline{\underline{G}}}$$

$$\underline{\underline{gcd(a,b)}}$$

$$lcm(a,b) = \frac{a \times b}{gcd(a,b)}$$

Q Given a number x , check if the no. is a
palindrome or not ??

N A M A N

Ex → 1441 → Yes

141 → Yes

161 → Yes

9 → Yes

~~153~~ → NO

44 → Yes

"hello"

"world"

What is a String? → It is a collection of chars.

→ In JS we can individually access chars of a string

chars → h e l l o
↓ ↓ ↓ ↓ ↓

indices → 0 1 2 3 4 → indices act as a position

↓
It is a unique mapping for all the chars of string to a
unique no. the indexing in JS starts with 0.

Chars → W o r l d
↓ ↓ ↓ ↓ ↓
indexes → 0 1 2 3 4

Chars → T E C H N O L O G Y
↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓
indexes → 0 1 2 3 4 5 6 7 8 9

chars → 'H e l l o W o r l d'

 ↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓

indices → 0 1 2 3 4 5 6 7 8 9 10

space

let str = "microsoft";

0 1 2 3 4 5 6 7 8

↓ ↓ ↓ ↓ ↓ ↓ ↓ ↓

let ch = str[6];

↓ ↘ index

"o"

let m = str[2];

↘ "c"

if we know the index
we can extract out
the char.

str[i]

↓ ↓

name of number

the string

variable

→

1 4 5 4 1

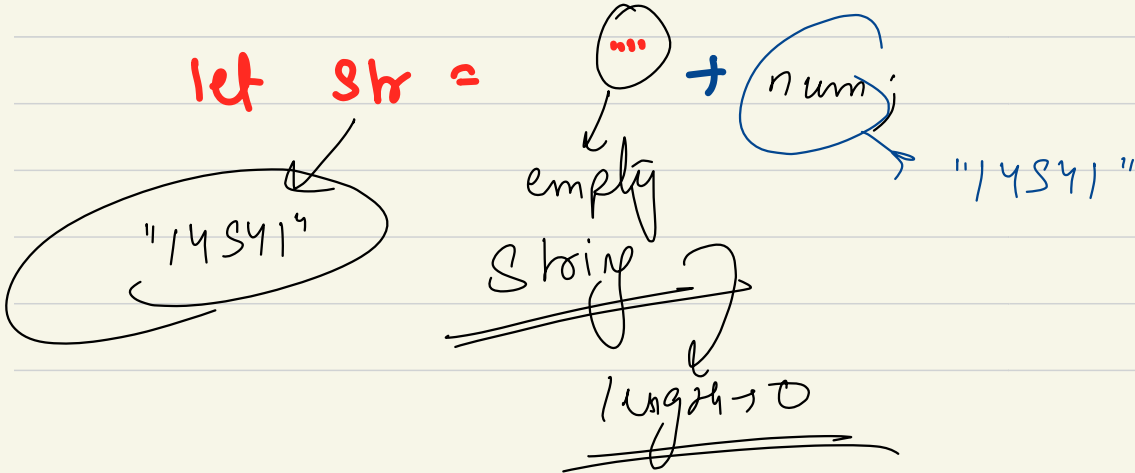
→ yes

Numbers cannot be traversed easily in reverse.

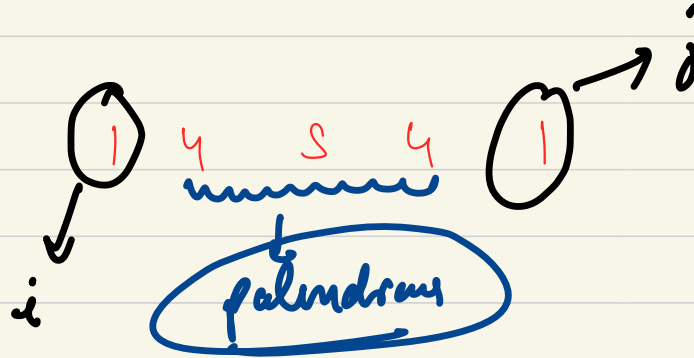
→ 14541 → "14541"

let num = 14541;

let str =



sb \rightarrow " 1 4 5 4 1 "
↓ ↓ ↓ ↓ ↓
index 0 1 2 3 4



		2^0		2^1	
str \rightarrow	1	4	5	4	1
	1	1	1	1	1
index	0	1	2	3	4

$i = 0$
 $j = \text{str.length} - 1$
 $2/2$

this comparison
 needs to
 be done
 again &
again

if (str[i] == str[j]) {
 i++
 j--
 }

$str \rightarrow$ " 1 2 3 3 2 1 "
 $index \rightarrow$ 0 1 2 3 4 5

i (pointing to index 1)
 j (pointing to index 5)
 $i \neq j$

while ($i \leq j$) {

if ($str[i] == str[j]$) {

$i++$;

$j--$;

} else {

return false;

}

} return true;

Qⁿ Given a decimal number x , convert it into a binary number. (we can return it in a form of a string)

↳ $x = 5$

ans \rightarrow "101"

$x = 15$

ans \rightarrow "1111"

,

5

→ 101

↓
odd
2

because 5 is odd

it doesn't matter what are

the remaining bits, but the last bit

will be 1.

0 → 000

1 → 001

2 → 010

3 → 011

4 → 100

5 → 101

6 → 110

$$\underline{\underline{6.5}} \Rightarrow \underline{\underline{6}}$$

$$\underline{\underline{15}} \rightarrow 1111$$

$$\left\lfloor \frac{15}{2} \right\rfloor$$

$$2$$

$$\underline{\underline{7}} \rightarrow 111$$

$$6 \rightarrow 110$$

$$2$$

$$3 \rightarrow 11$$

$$5 \rightarrow 101$$

$$1$$

$$\left\lfloor \frac{5}{2} \right\rfloor \rightarrow 2 \rightarrow 10$$

$$5 \xrightarrow{101} 2$$

$$5 \div 2 \rightarrow 1 \rightarrow \text{last bit}$$

$$\left\lfloor \frac{5}{2} \right\rfloor \rightarrow 2 \rightarrow 2 \div 2 \rightarrow 0 \rightarrow \text{second last bit}$$

$$2 \div 2 \rightarrow 1 \div 2 \rightarrow 1 \rightarrow \text{3rd last bit}$$

Whatever no. we have, we can check if the no. is odd or even. Based on this we can delete the last.

Now the remaining bits can be calculated using $\text{no.}/2$ value.

34

2

17

↓

8

↓

4

↓

2

↓

1

→

0

→

1

→

0

→

0

→

0

→

1

↑

100010

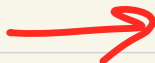
17
↓
8
↓
4
↓
2
↓
1



1



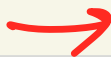
0



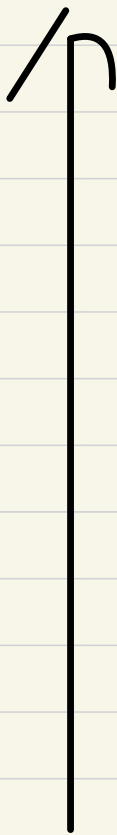
0



0



1



10001

2	12	→	0
2	6	→	0
2	3	→	1
	1	→	1

↑
1100

12



0



6



0

1100



3



1



1



1