

# MODULI WITH A GENERATOR FOR THE UNITS

The table below lists all moduli  $2 \leq m \leq 302$  such that the units of  $\mathbf{Z}/m$  have a generator. Every prime below 302 appears on the list. They don't factor. For each non-prime  $m$  in the table we include its factorization.

$m$	Factored	$m$	Factored	$m$	Factored	$m$	Factored	$m$	Factored
2		38	$2 \cdot 19$	94	$2 \cdot 47$	158	$2 \cdot 79$	229	
3		41		97		162	$2 \cdot 3^4$	233	
4	$2^2$	43		98	$2 \cdot 7^2$	163		239	
5		46	$2 \cdot 23$	101		166	$2 \cdot 83$	241	
6	$2 \cdot 3$	47		103		167		242	$2 \cdot 11^2$
7		49	$7^2$	106	$2 \cdot 53$	169	$13^2$	243	$3^5$
9	$3^2$	50	$2 \cdot 5^2$	107		173		250	$2 \cdot 5^3$
10	$2 \cdot 5$	53		109		178	$2 \cdot 89$	251	
11		54	$2 \cdot 3^3$	113		179		254	$2 \cdot 127$
13		58	$2 \cdot 29$	118	$2 \cdot 59$	181		257	
14	$2 \cdot 7$	59		121	$11^2$	191		262	$2 \cdot 131$
17		61		122	$2 \cdot 61$	193		263	
18	$2 \cdot 3^2$	62	$2 \cdot 31$	125	$5^3$	194	$2 \cdot 97$	269	
19		67		127		197		271	
22	$2 \cdot 11$	71		131		199		274	$2 \cdot 137$
23		73		134	$2 \cdot 67$	202	$2 \cdot 101$	277	
25	$5^2$	74	$2 \cdot 37$	137		206	$2 \cdot 103$	278	$2 \cdot 139$
26	$2 \cdot 13$	79		139		211		281	
27	$3^3$	81	$3^4$	142	$2 \cdot 71$	214	$2 \cdot 107$	283	
29		82	$2 \cdot 41$	146	$2 \cdot 73$	218	$2 \cdot 109$	289	$17^2$
31		83		149		223		293	
34	$2 \cdot 17$	86	$2 \cdot 43$	151		226	$2 \cdot 113$	298	$2 \cdot 149$
37		89		157		227		302	$2 \cdot 151$