

Introduction

Problem & Motivation

- Semi-supervised multi-class classification is a task of learning from sparse labelled and abundant unlabelled training data.
- The goal of semi-supervised learning is to boost the model performance by utilising the large amount of unlabelled data when only a limited amount of labelled data is available.

Key Contribution

- A novel **Memory-Assisted Deep Neural Network** characterised by a memory mechanism that permits the deep model to additionally learn from its memory (*assimilation*) and adjust itself to fit optimally the incoming training data (*accommodation*) incrementally.

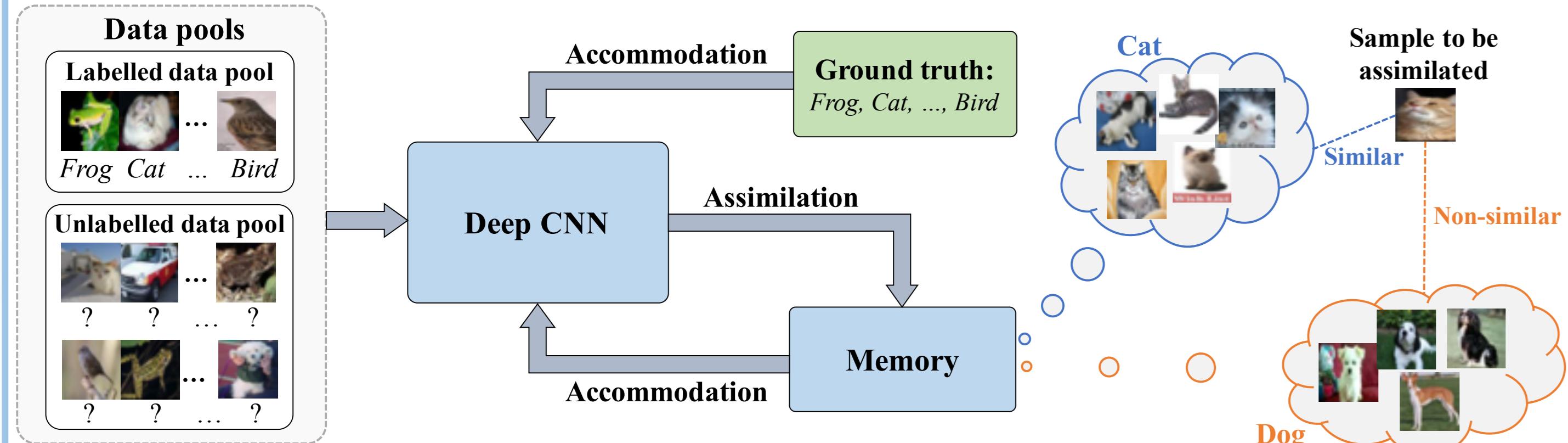


Figure 1. Illustration of the Memory-Assisted Deep Neural Network, which is inspired by the spirit of Piaget's theory on human's ability of continual learning.

Main Ideas

- **Memory of model learning:**
 - (1) **class-level feature representation (key embedding):** represent the cluster centroid dynamically evolving in the feature space
 - (2) **class-level predictive uncertainty (value embedding):** encode model inference uncertainty accumulatively revealed by the preceding training iterations
- **Memory loss:**
 - (1) penalise class distribution overlap
 - (2) encourage network predictions to be consistent with confident memory predictions

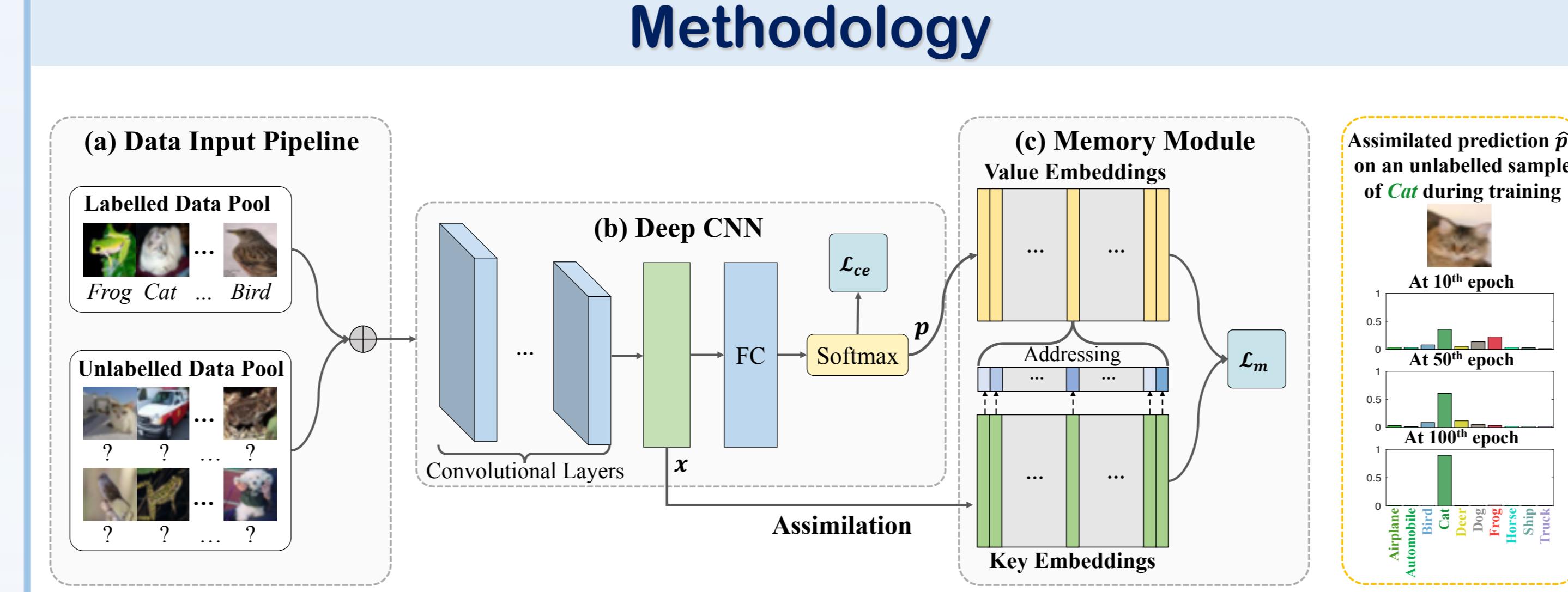


Figure 2. An Overview of the Memory-Assisted Deep Neural Network.

Main components

➤ Conventional Deep Neural Network

➤ Memory Module

(key, value) pairs: iteratively updated by gradients

$$\begin{cases} k_j \leftarrow k_j - \eta \nabla k_j \\ v_j \leftarrow \frac{v_j - \eta \nabla v_j}{\sum_{i=1}^K (v_{j,i} - \eta \nabla v_{j,i})} \end{cases} \text{ with } \begin{cases} \nabla k_j = \frac{\sum_{i=1}^{n_j} (k_j - x_i)}{1 + n_j} \\ \nabla v_j = \frac{\sum_{i=1}^{n_j} (v_j - p_i)}{1 + n_j} \end{cases}$$

➤ Assimilation-Accommodation Interaction

(1) Memory Assimilation: derive memory prediction

key addressing & value reading

$$w(m_i|I) = \begin{cases} 1, & i = k \\ 0, & i \neq k \end{cases} \quad w(m_i|I) = \frac{e^{-\text{dist}(x, k_i)}}{\sum_{j=1}^K e^{-\text{dist}(x, k_j)}} \quad \hat{p} = \sum_{i=1}^K w(m_i|I) v_i$$

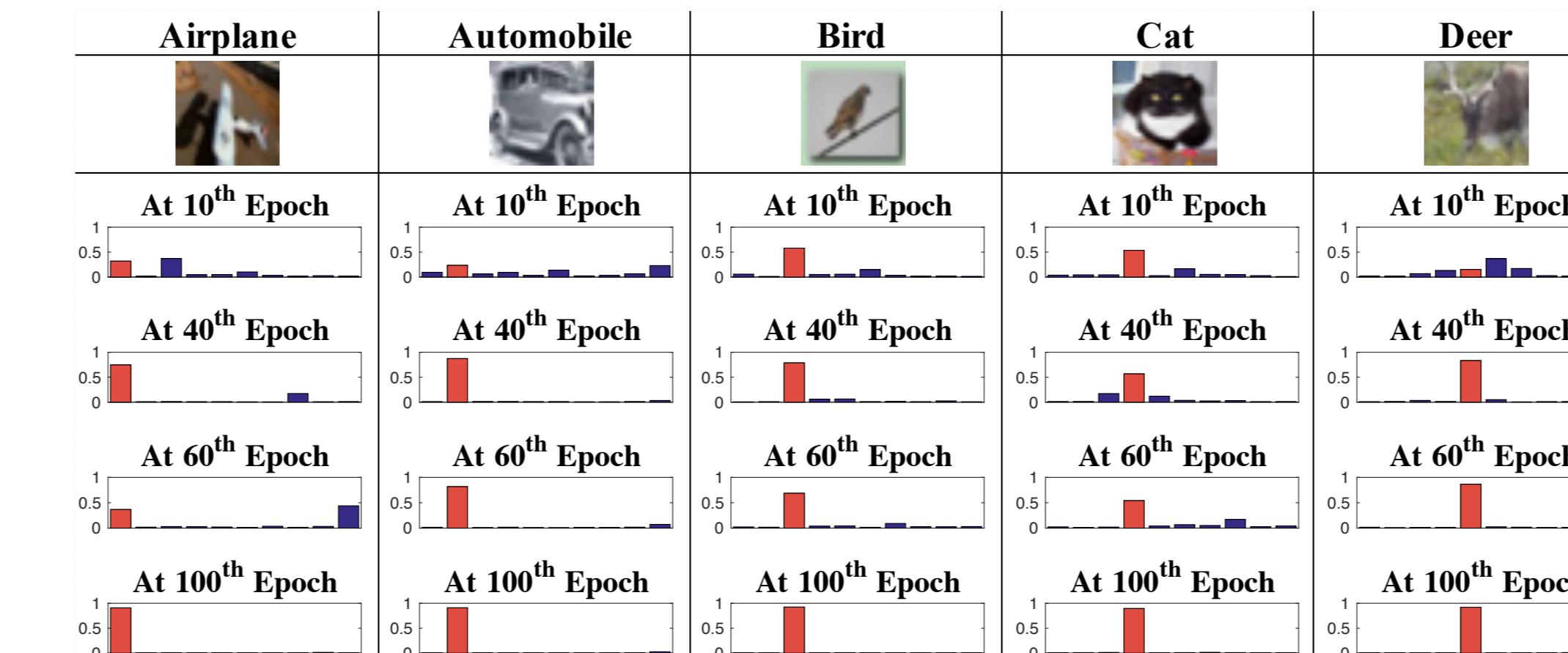


Figure 3. Evolution of memory predictions on the unlabelled samples.

(2) Accommodation: derive memory loss

Model Entropy (ME) + Memory-Network Divergence (MND)

$$H(\hat{p}) = - \sum_{j=1}^K \hat{p}(j) \log \hat{p}(j) \quad D_{KL}(p||\hat{p}) = \sum_{j=1}^K p(j) \log \frac{p(j)}{\hat{p}(j)}$$

Final semi-supervised learning objective

$$\mathcal{L}_m = H(\hat{p}) + \max(\hat{p}) D_{KL}(p||\hat{p})$$

$$\mathcal{L} = \mathcal{L}_{ce} + \lambda \mathcal{L}_m$$

Experiments & Ablation Studies

Experiments on three benchmark datasets

Methods	SVHN [20]	CIFAR10 [13]	CIFAR100 [13]
DGM* [12]	36.02 ± 0.10	–	–
F-model [24]	–	20.40 ± 0.47	–
CatGAN* [30]	–	19.58 ± 0.58	–
VAT [19]	24.63	–	–
ADGM* [16]	22.86	–	–
SDGM* [16]	16.61 ± 0.24	–	–
ImpGAN* [27]	8.11 ± 1.3	18.63 ± 2.32	–
ALI* [5]	7.42 ± 0.65	17.99 ± 1.62	–
Π-model [14]	4.82 ± 0.17	12.36 ± 0.31	39.19 ± 0.36
Temporal Ensembling [14]	4.42 ± 0.16	12.16 ± 0.24	37.34 ± 0.44
Mean Teacher [32]	3.95 ± 0.19	12.31 ± 0.28	–
MA-DNN (Ours)	4.21 ± 0.12	11.91 ± 0.22	34.51 ± 0.61

Table 1. Comparison with the state-of-the-art SSL methods.

Evolution of the memory module

- **key embeddings:** capture the global manifold structure for deriving probabilistic assignments based on *cluster assumption*

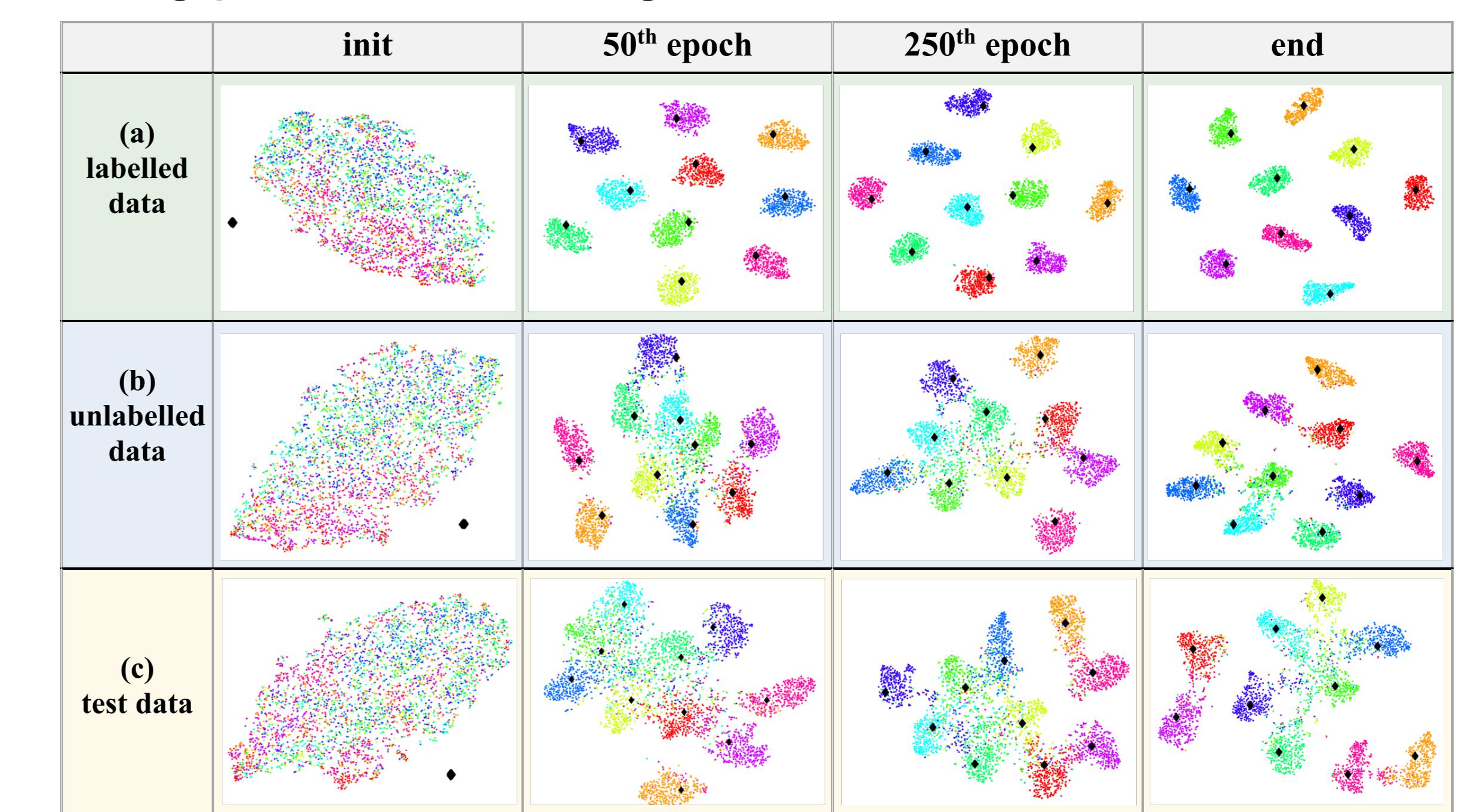


Figure 4. Evolution of the key embeddings.

- **value embeddings:** capture the model inference uncertainty to smooth the memory predictions with uncertainty

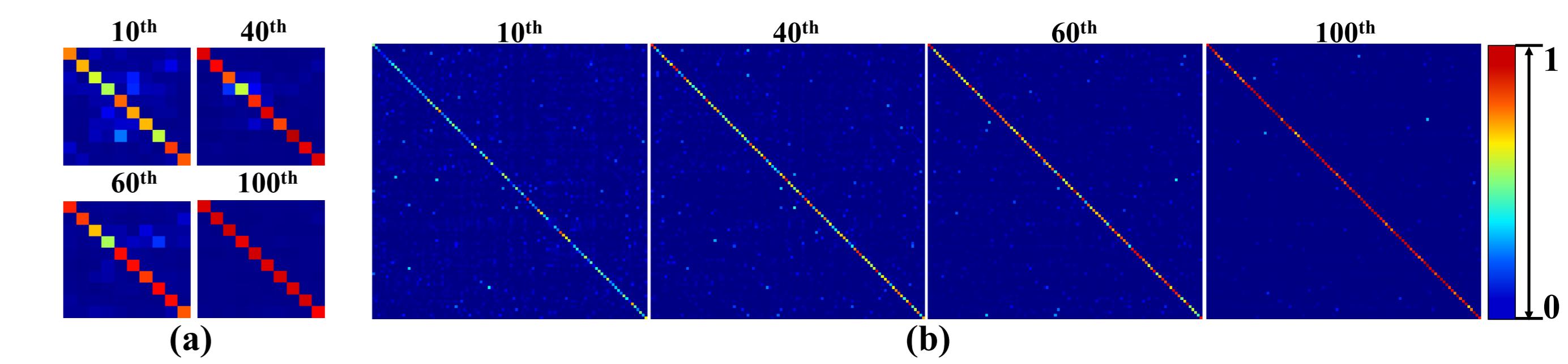


Figure 5. Evolution of the value embeddings.

Reference

- [1] Chapelle, O., Schlkopf, B., Zien, A.: Semi-supervised learning. The MIT Press (2010)
- [2] Kaiser,L.,Nachum,O.,Roy,A.,Bengio,S.: Learning to remember rare events. In: International Conference on Learning Representation (2017)
- [3] Laine, S., Aila, T.: Temporal ensembling for semi-supervised learning. In: International Conference on Learning Representation (2017)