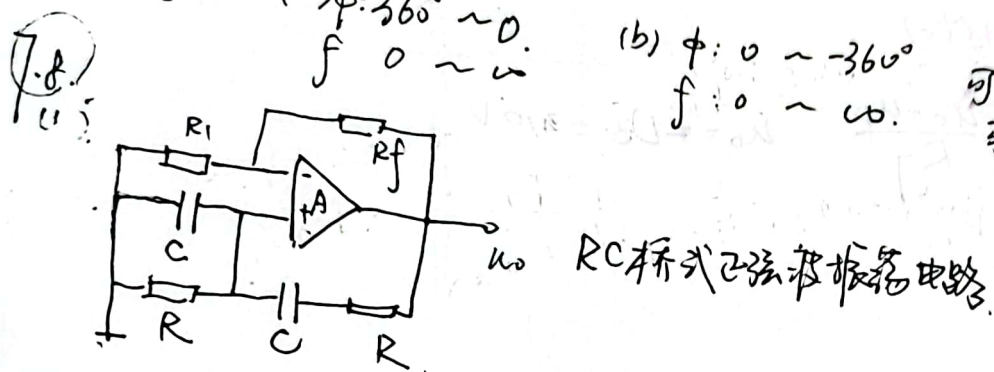




- 7.4. (a). 可能. $\phi: 270^\circ \sim 0$
 $f: 0 \sim \infty$. 可以找到 $\phi = 180^\circ$ 的频率.
 (b). 可能. $\phi: 0 \sim 270^\circ$
 $f: 0 \sim \infty$. 可以找到 $\phi = -180^\circ$ 的频率.

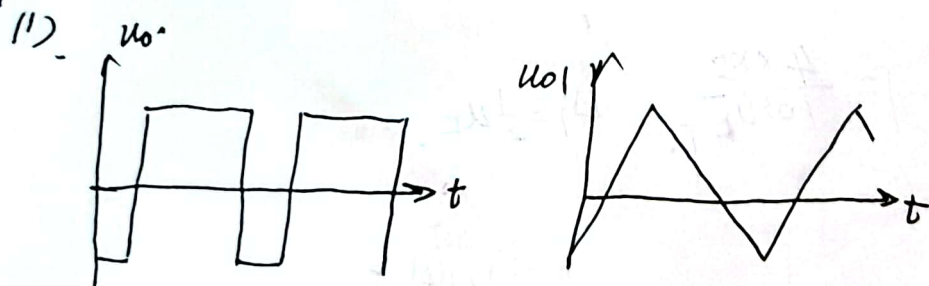
7.5 (1). 不能. 因为 (a) 在相移在 180° 时信号频率加. (b) 在相移为 180° 时信号频率无变化.
 不能产生正弦波振荡.

- (2). 可能. (a) $\phi: 360^\circ \sim 0$
 $f: 0 \sim \infty$.
 (b) $\phi: 0 \sim -360^\circ$
 $f: 0 \sim \infty$. 可以找到 $\phi = \pm 180^\circ$ 的频率.
 可能振荡.



- (2). 开环. $A \rightarrow \infty$. 超过输出电压限制.
 (3). $u_o = u_i$. $|A| = 1$. 不满足幅值条件. 不振荡. $u_o = 0$.
 (4). $|A| = 1$. 不满足幅值条件. 不振荡. $u_o = 0$.
 (5). 开环. $A \rightarrow \infty$. 超过输出电压限制.

7.23.



(2).

$$\frac{U_T}{R_T} = \frac{u_o}{R_T} \rightarrow u_T = \pm U_T = \pm 8V$$

积分电路. $u_{o1} = -\frac{U_T}{R_T C} t + u_{o1}(0)$. $f = \frac{1}{T} = \frac{U_T}{2U_T R_T C} = 62.5Hz$.

$$-U_T = -\frac{1}{R_T C} U_T T + U_T$$



7.24.

(1) A_1 为积分电路.

$$\frac{u_p}{R_4} = \frac{u_I - u_{p1}}{R_3} \quad u_p = u_{n1} = \frac{u_I}{3}$$

求解: $i_C = \frac{-u_{n1}}{R_2} = -\frac{u_I}{3R_2}$

$$u_{o1} = \frac{1}{R_2 C} \cdot u_I (t_1 - t_0) + u_{o1}(t_0)$$

$$= \frac{10^3}{15} \cdot \frac{u_I}{3} (t_1 - t_0) + u_{o1}(t_0)$$

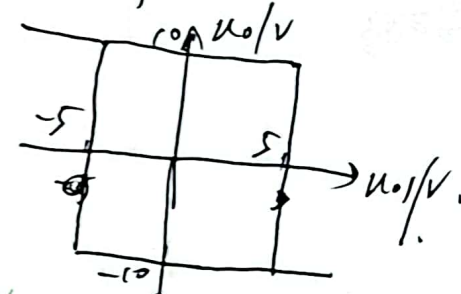
截止: $i_C = \frac{u_I - u_{n1}}{R_1 + R_2} = \frac{u_I}{3R_2}$

$$u_{o1} = -\frac{10^3}{45} \cdot u_I (t_1 - t_0) + u_{o1}(t_0)$$

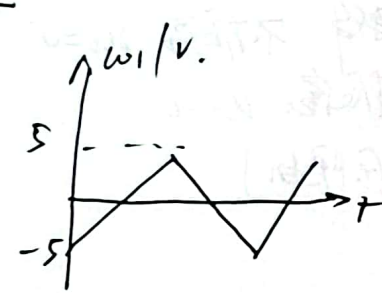
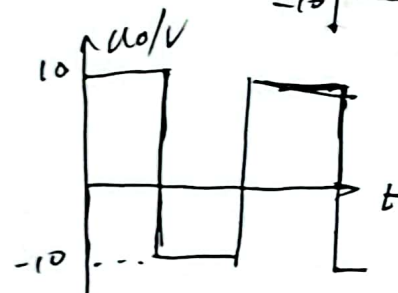
(2) A_2 为电压比较器.

$$\frac{u_p}{R_6} = \frac{u_o - u_p}{R_7} \quad u_o = \pm U_Z = \pm 10V$$

$$\pm U_T = \frac{\pm R_6}{R_6 + R_7} U_Z = \pm 5V$$



(3)



(4) $U_T = \frac{10^3}{45} \cdot u_I \cdot \frac{T}{2} + (-U_T)$

$$T = \frac{4 \times 10^5}{10^3 u_{oT}}$$

$$U_T = \frac{1}{2} u_I$$

$$\rightarrow f = \frac{1}{T} = \frac{1}{0.9} u_I \approx 1.11 u_I$$

7.25.

