CS398 HW2: Neural Network

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In this assignment, I used stochastic gradient descent to train a single layer neural network model and reached 97.65% accuracy. Firstly, I generated W, b1, b2, C using randn() function. Then I obtained training data randomly by generating random integers (dimension of hidden layer = 500). I chose ReLU for σ , and constructed distribution function with the formula from lecture, and upgrade new parameters each time I iterate. I used a learning rate of 0.005 because it is the most accurate under lower iterations. After 500000 iterations, I finally got 97.65% accuracy for test data.

(Code next page)

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In [2]:

```
import numpy as np
import h5py
import time
import copy
import random
from random import randint
#load MNIST data
MNIST data = h5py.File('MNISTdata.hdf5', 'r')
x train = np.float32(MNIST data['x train'][:] )
y_train = np.int32(np.array(MNIST_data['y_train'][:,0]))
x test = np.float32( MNIST data['x test'][:] )
y test = np.int32( np.array( MNIST data['y test'][:,0] ) )
MNIST data.close()
####
#Implementation of stochastic gradient descent algorithm
def softmax(x):
   return np.exp(x) / np.sum(np.exp(x), axis=0)
def relu(x):
   return x * (x > 0)
def reluDerivative(x):
   x new = np.copy(x)
   x \text{ new}[x \text{ new} \le 0] = 0
   x_new[x_new > 0] = 1
   return x new
#number of inputs
num inputs = 28*28
#number of outputs
num outputs = 10
model = \{\}
model['W1'] = np.random.randn(num outputs,num inputs) / np.sqrt(num inputs)
model grads = copy.deepcopy(model)
d = num inputs
K = num outputs
dH = 500
W = np.random.randn(dH, d)/np.sqrt(num inputs)
b1 = np.random.randn(dH)
b2 = np.random.randn(K)
C = np.random.randn(K, dH)
1 \text{ rate} = 0.005
iteration num = 500000
deriv = np.zeros(10)
i = 0
while (i < iteration num):</pre>
   idx = random.randint(0, len(x_train)-1)
   x t = x train[idx]
   y t = y train[idx]
```

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```
z = W@x t + b1
    H = relu(Z)
    U = C@H + b2
    fun x = softmax(U)
    for k in range(10):
        if k == y t:
            deriv[k] = -(1-fun x[k])
        else:
            deriv[k] = fun x[k]
    sigma = C.T@deriv
    C = C - 1 rate*np.outer(deriv,H)
    b2 = b2 - 1 rate*deriv
    b1 = b1 - l rate*np.multiply(sigma, reluDerivative(H))
    W = W - l_rate*np.outer(np.multiply(sigma,reluDerivative(H)),x_t)
    i += 1
model['W'] = W
model['bl'] = b1
model['b2'] = b2
model['C'] = C
def forward(x, y, model):
    Z = model['W']@x + model['b1']
    H = relu(Z)
    U = model['C']@H + model['b2']
    return softmax(U)
# #test data
total correct = 0
for n in range( len(x_test)):
    y = y test[n]
    x = x_test[n][:]
    p = forward(x, y, model)
    prediction = np.argmax(p)
    if (prediction == y):
        total correct += 1
print(total_correct/np.float(len(x_test) ) )
```

0.9765

```
In [ ]:
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