

Item Recommendation with Variational Autoencoders and Heterogenous Priors

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Item Recommendation - Collaborative Filtering (CF)

$U \times I$

	thumb up	thumb up		thumb up
		thumb down		thumb up
	thumb up			thumb up
	thumb down		thumb up	thumb up

Item Recommendation - Collaborative Filtering (CF)

$U \times I$

	thumb up	thumb up		thumb up
		thumb down	thumb up	
	thumb up	?	?	thumb up
	thumb down		thumb up	thumb up

Item Recommendation - Collaborative Filtering (CF)

$U \times I$

Item Recommendation - Collaborative Filtering (CF)

$U \times I$



Item Recommendation - Collaborative Filtering (CF)

$U \times I$

	thumb up	thumb up		thumb up
		thumb down	thumb up	
	thumb up			thumb up
	thumb down		thumb up	thumb up

Latent Factor Models

$(U \times K) \times (K \times I)$

Item Recommendation - Collaborative Filtering (CF)

$U \times I$

	thumb up	thumb up		thumb up
		thumb down		thumb up
	thumb up			thumb up
	thumb down		thumb up	thumb up

Latent Factor Models

$(U \times K) \times (K \times I)$

(-) linear → limited modeling capacity

Item Recommendation - Collaborative Filtering (CF)

$U \times I$				
	thumb up	thumb up		thumb up
		thumb down		thumb up
	thumb up			thumb up
	thumb down		thumb up	thumb up

Latent Factor Models

$$(U \times K) \times (K \times I)$$

(-) linear → limited modeling capacity

Non-linear Features

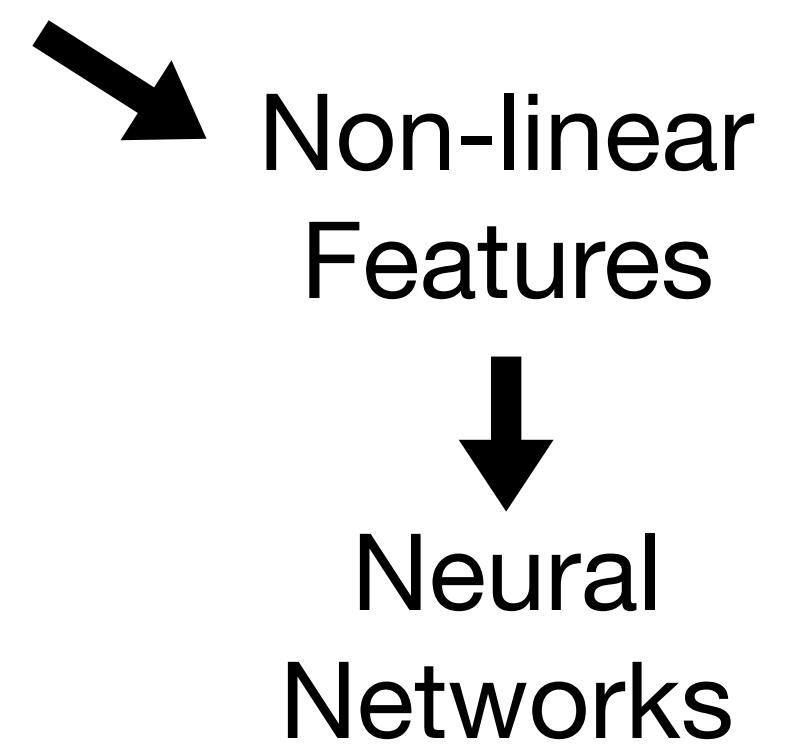
Item Recommendation - Collaborative Filtering (CF)

$U \times I$				
	thumb up	thumb up		thumb up
		thumb down		thumb up
	thumb up			thumb up
	thumb down		thumb up	thumb up

Latent Factor Models

$$(U \times K) \times (K \times I)$$

(-) linear → limited modeling capacity



Item Recommendation - Collaborative Filtering (CF)

$U \times I$				
	thumb up	thumb up		thumb up
		thumb down		thumb up
	thumb up			thumb up
	thumb down		thumb up	thumb up

Latent Factor Models

$$(U \times K) \times (K \times I)$$

(-) linear → limited modeling capacity

Non-linear
Features

↓
Neural
Networks

Variational Autoencoders (VAEs)

“Auto-encoding Variational Bayes” D. P. Kingma, M. Welling, ICLR 2014

“Variational Autoencoders for Collaborative Filtering” D. Liang, RG. Krishnan, MD. Hoffman, T. Jebara, WWW 2018

Item Recommendation - Collaborative Filtering (CF)

$U \times I$				
	thumb up	thumb up		thumb up
		thumb down		thumb up
	thumb up			thumb up
	thumb down		thumb up	thumb up

Latent Factor Models

$$(U \times K) \times (K \times I)$$

(-) linear → limited modeling capacity

Non-linear
Features

↓
Neural
Networks

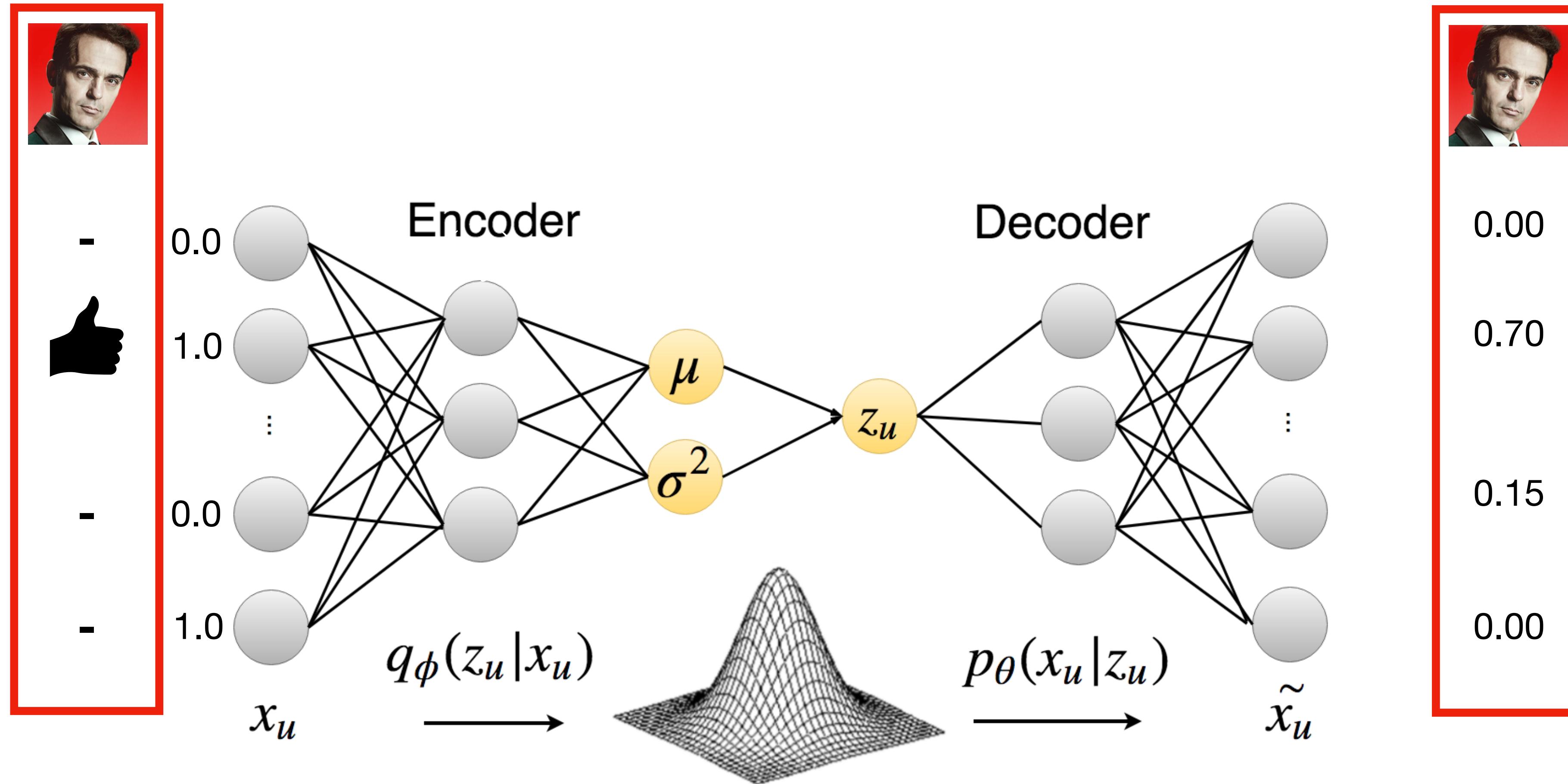
Variational Autoencoders (VAEs)

- (+) have larger modeling capacity
- (+) generalize linear latent factor models

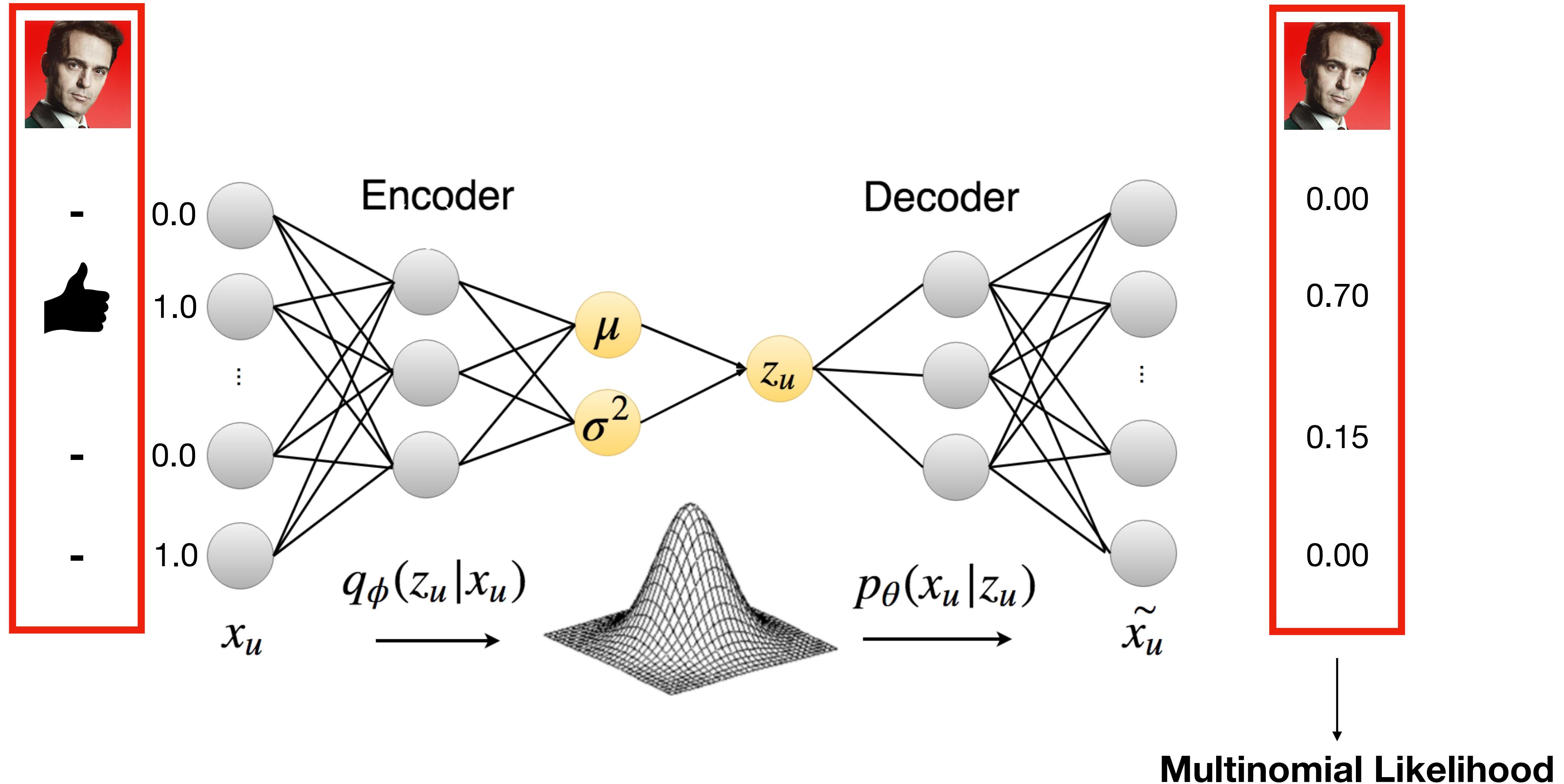
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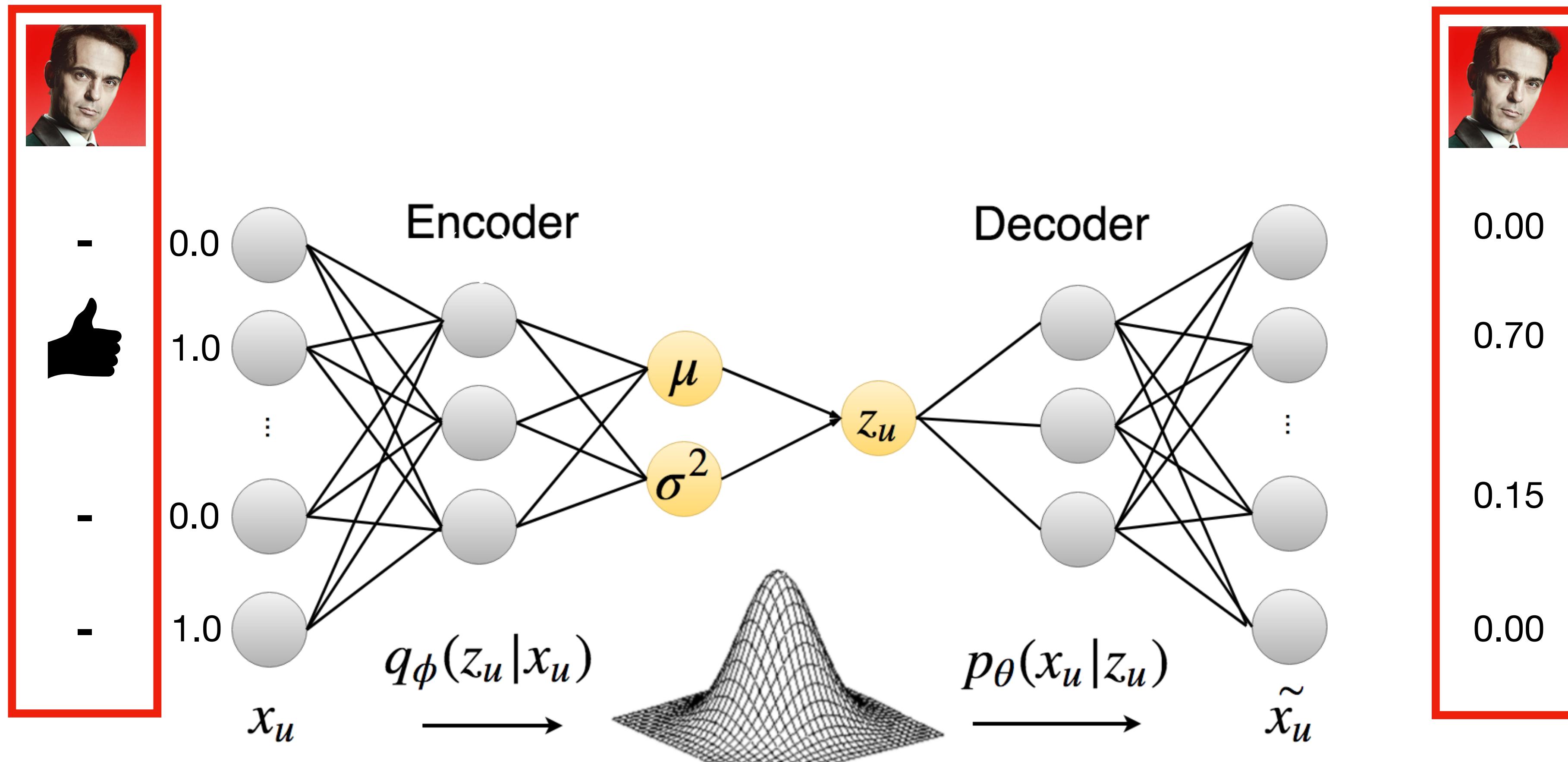
VAEs for Collaborative Filtering



VAEs for Collaborative Filtering



VAEs for Collaborative Filtering

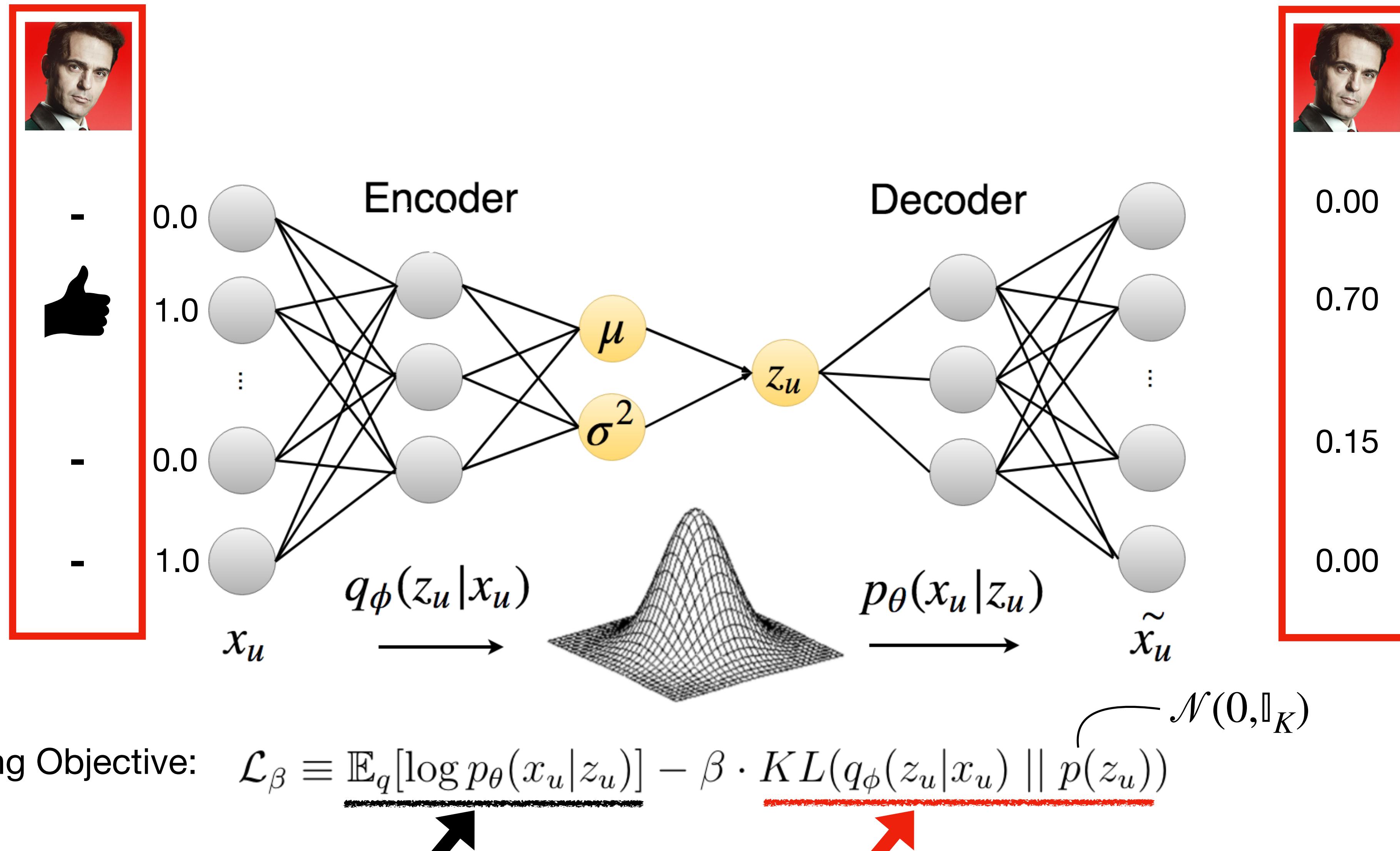


Training Objective: $\mathcal{L}_\beta \equiv \underline{\mathbb{E}_q[\log p_\theta(x_u|z_u)]} - \beta \cdot \underline{KL(q_\phi(z_u|x_u) || p(z_u))}$

(Negative) reconstruction error

Regularization term (Kullback-Leibler Divergence)

VAEs for Collaborative Filtering

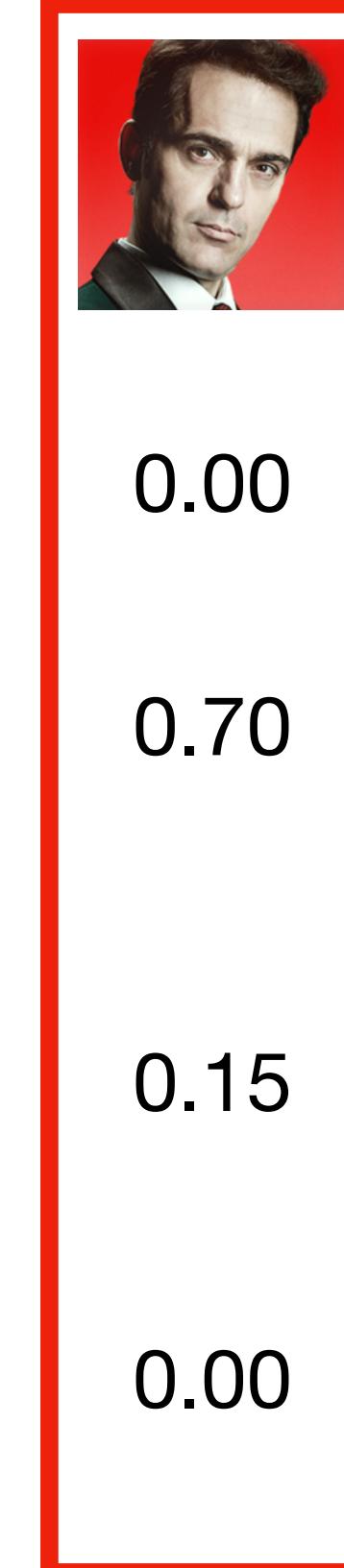
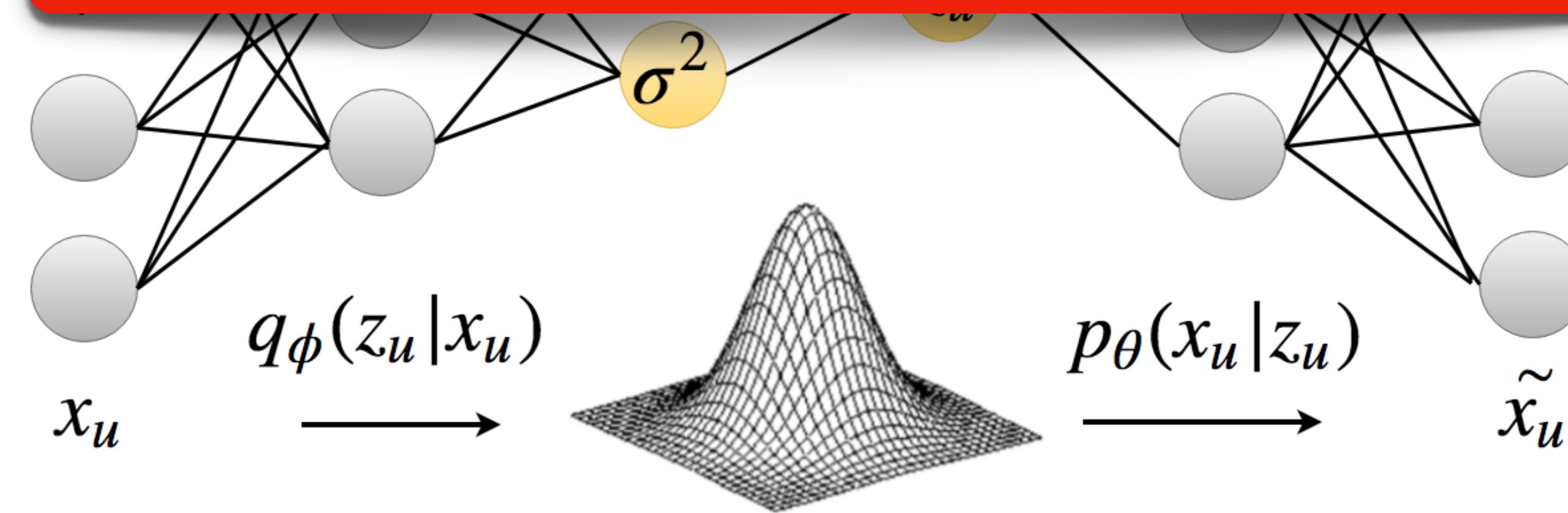


VAEs for Collaborative Filtering



My variational posterior:
 $q_\phi(z_{u1} | x_{u1})$

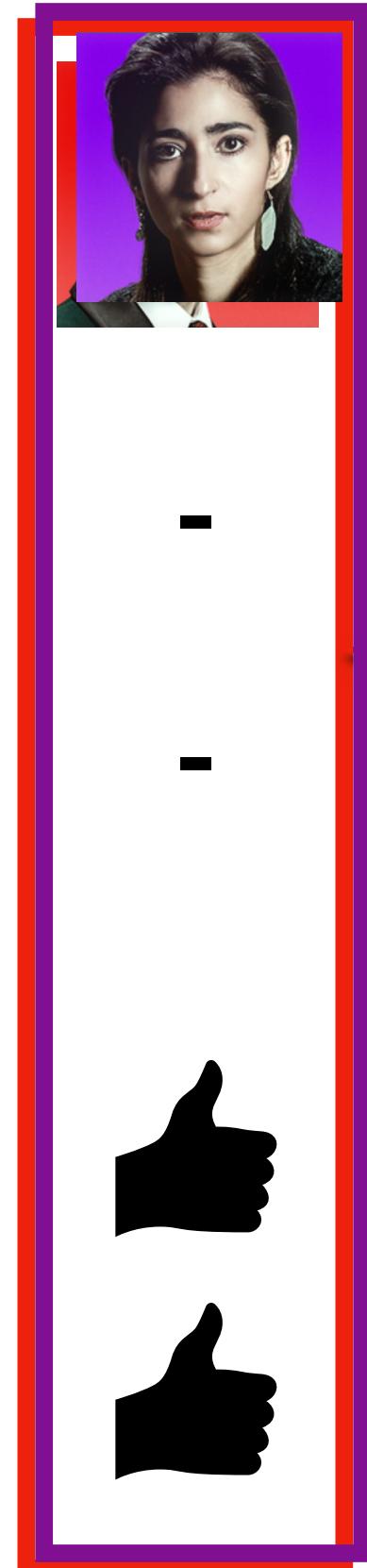
should be near my prior:
 $p(z_{u1}) \sim \mathcal{N}(0, \mathbb{I}_K)$



Training Objective: $\mathcal{L}_\beta \equiv \underline{\mathbb{E}_q[\log p_\theta(x_u | z_u)]} - \beta \cdot \underline{KL(q_\phi(z_u | x_u) || p(z_u))}$

(Negative) reconstruction error

Regularization term (Kullback-Leibler Divergence)



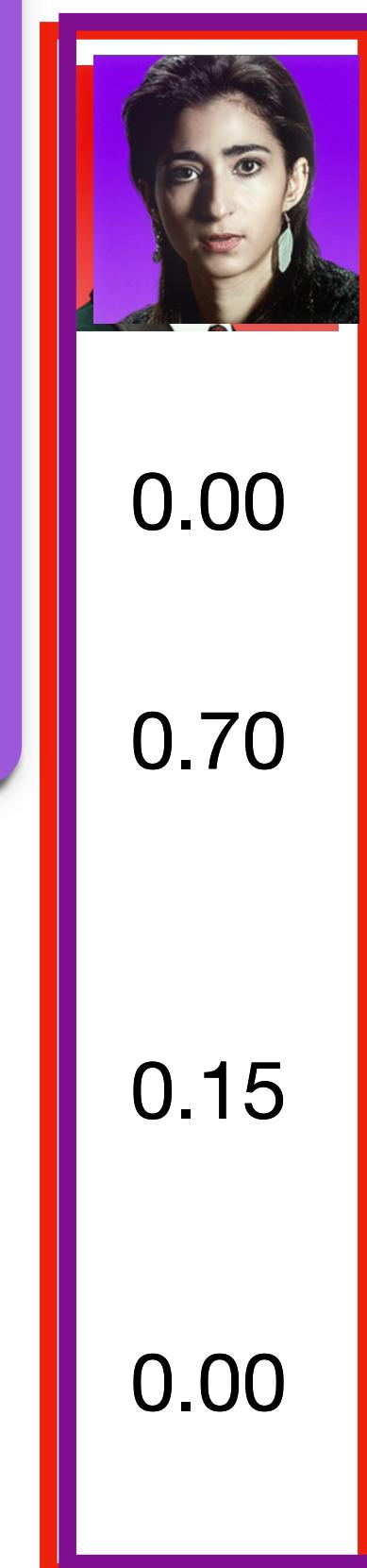
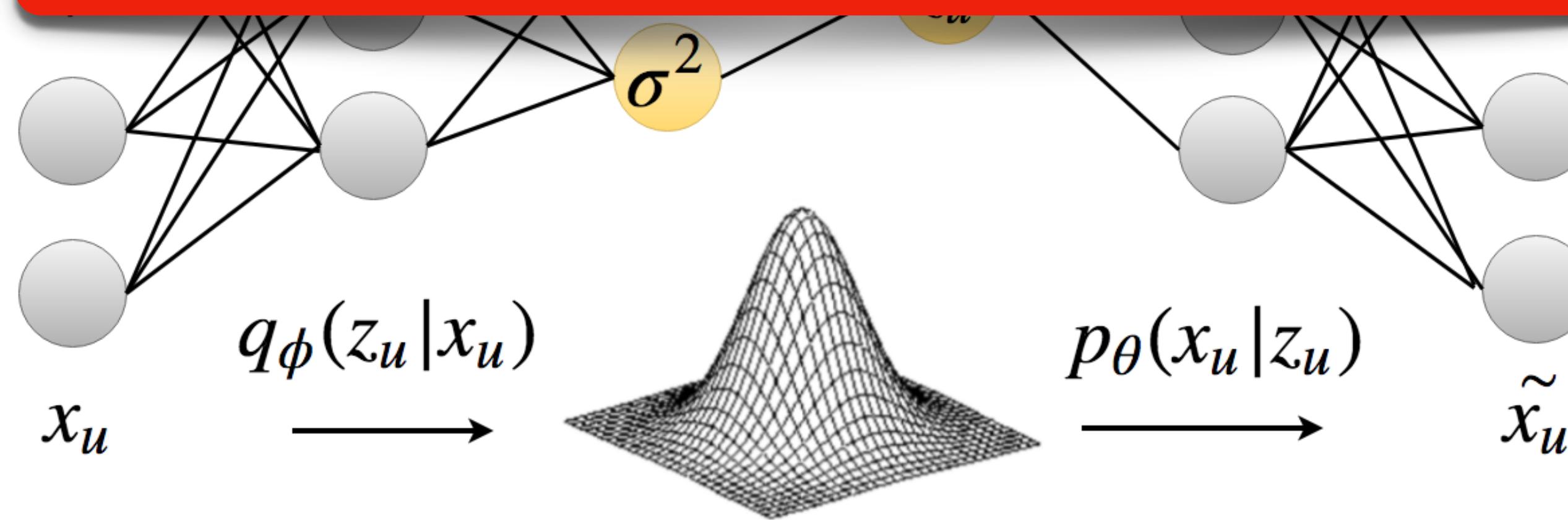
My variational posterior:

$$q_{\phi}(z_{u2} | x_{u2})$$

should be near my prior:

$$p(z_{u2}) \sim \mathcal{N}(0, \mathbb{I}_K)$$

$$p(z_{u1}) \sim \mathcal{N}(0, \mathbb{I}_K)$$



Training Objective: $\mathcal{L}_{\beta} \equiv \underline{\mathbb{E}_q[\log p_{\theta}(x_u|z_u)]} - \beta \cdot \underline{KL(q_{\phi}(z_u|x_u) || p(z_u))}$

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Regularization term (Kullback-Leibler Divergence)



My variational posterior:

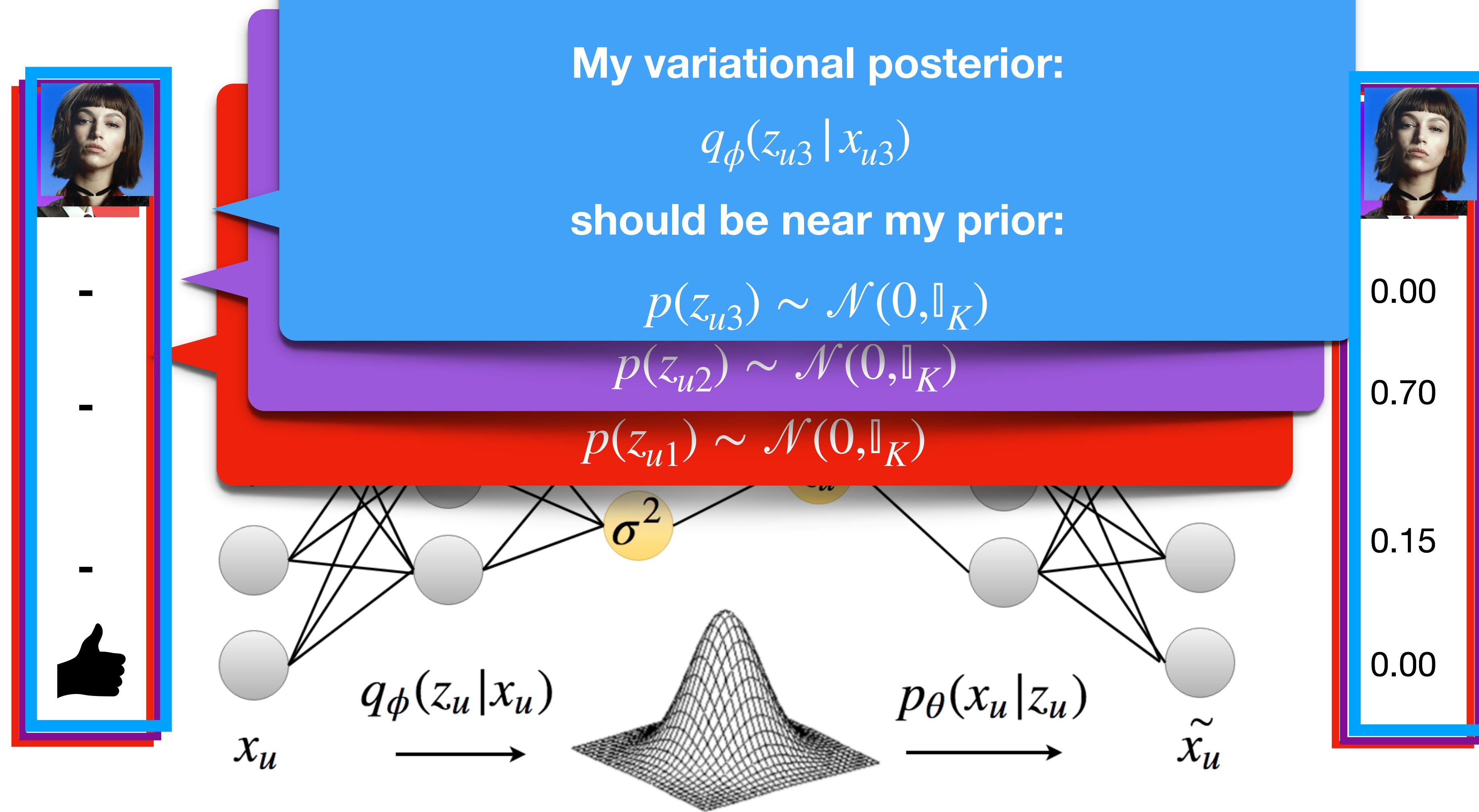
$$q_{\phi}(z_{u3} | x_{u3})$$

should be near my prior:

$$p(z_{u3}) \sim \mathcal{N}(0, \mathbb{I}_K)$$

$$p(z_{u2}) \sim \mathcal{N}(0, \mathbb{I}_K)$$

$$p(z_{u1}) \sim \mathcal{N}(0, \mathbb{I}_K)$$



Training Objective: $\mathcal{L}_{\beta} \equiv \underline{\mathbb{E}_q[\log p_{\theta}(x_u | z_u)]} - \beta \cdot \underline{KL(q_{\phi}(z_u | x_u) || p(z_u))}$

(Negative) reconstruction error

Regularization term (Kullback-Leibler Divergence)

My variational posterior:

$$q_{\phi}(z_{u4} | x_{u4})$$

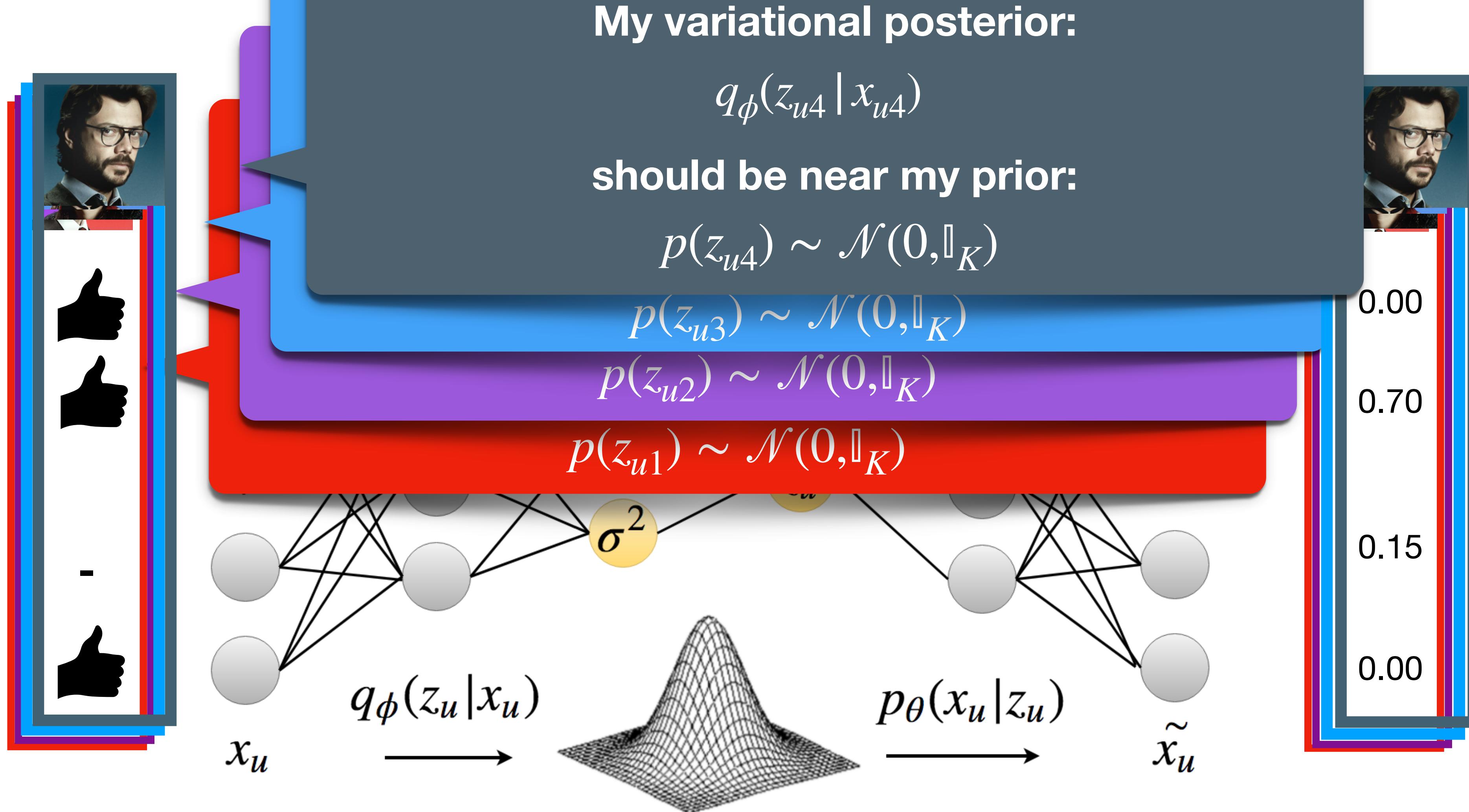
should be near my prior:

$$p(z_{u4}) \sim \mathcal{N}(0, \mathbb{I}_K)$$

$$p(z_{u3}) \sim \mathcal{N}(0, \mathbb{I}_K)$$

$$p(z_{u2}) \sim \mathcal{N}(0, \mathbb{I}_K)$$

$$p(z_{u1}) \sim \mathcal{N}(0, \mathbb{I}_K)$$



Training Objective: $\mathcal{L}_{\beta} \equiv \underline{\mathbb{E}_q[\log p_{\theta}(x_u | z_u)]} - \beta \cdot \underline{KL(q_{\phi}(z_u | x_u) || p(z_u))}$

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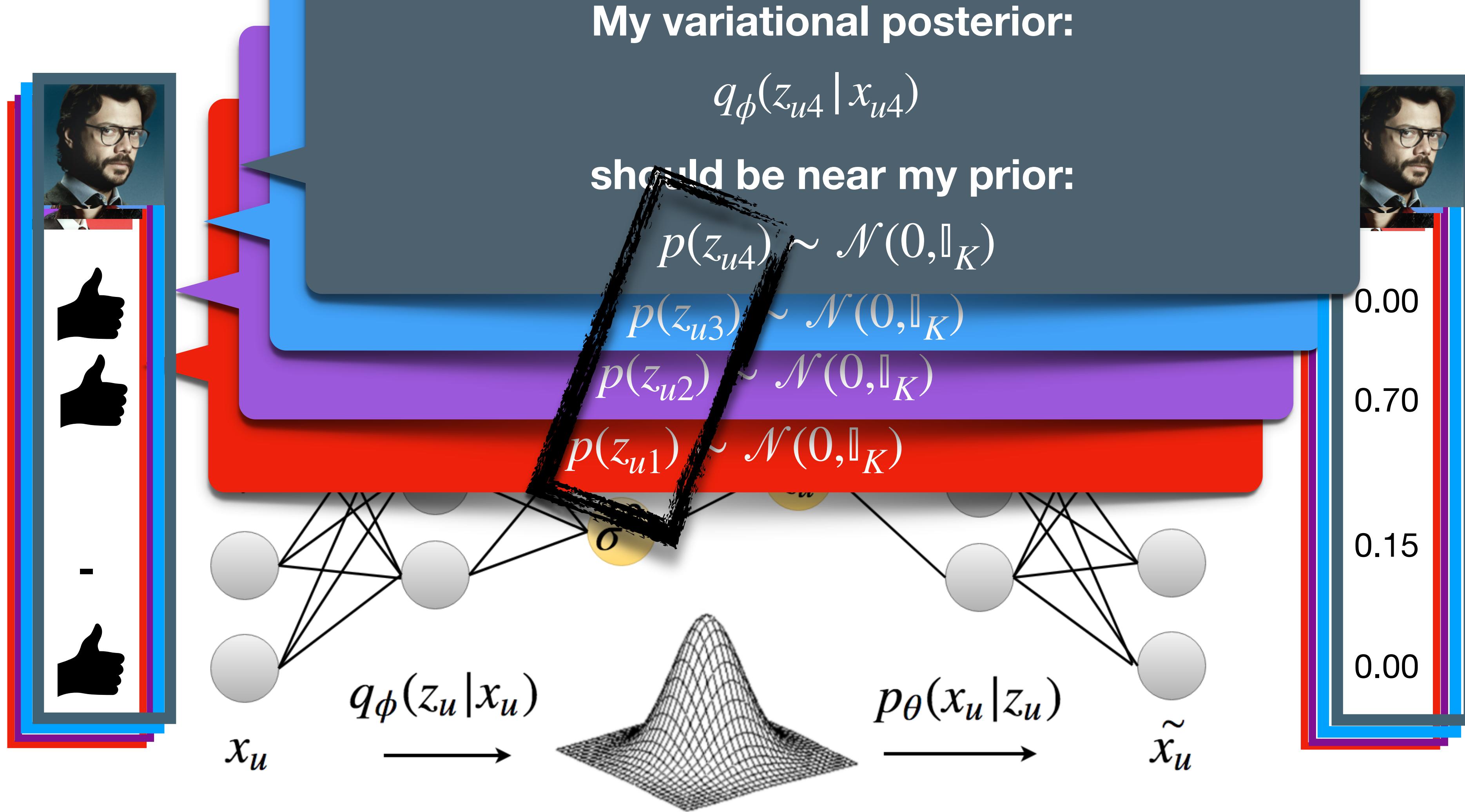
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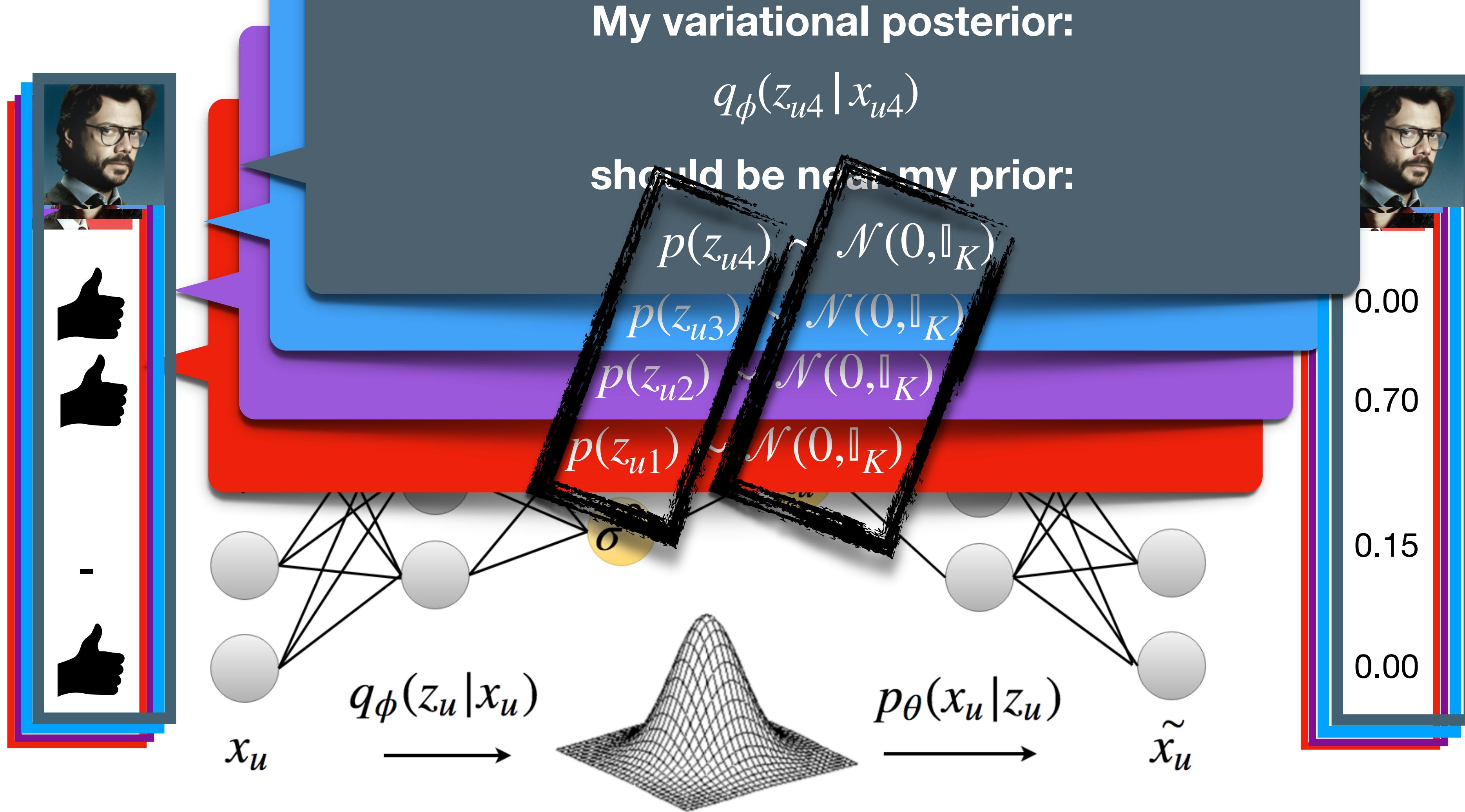
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$$p(z_{u2}) \sim \mathcal{N}(0, \mathbb{I}_K)$$

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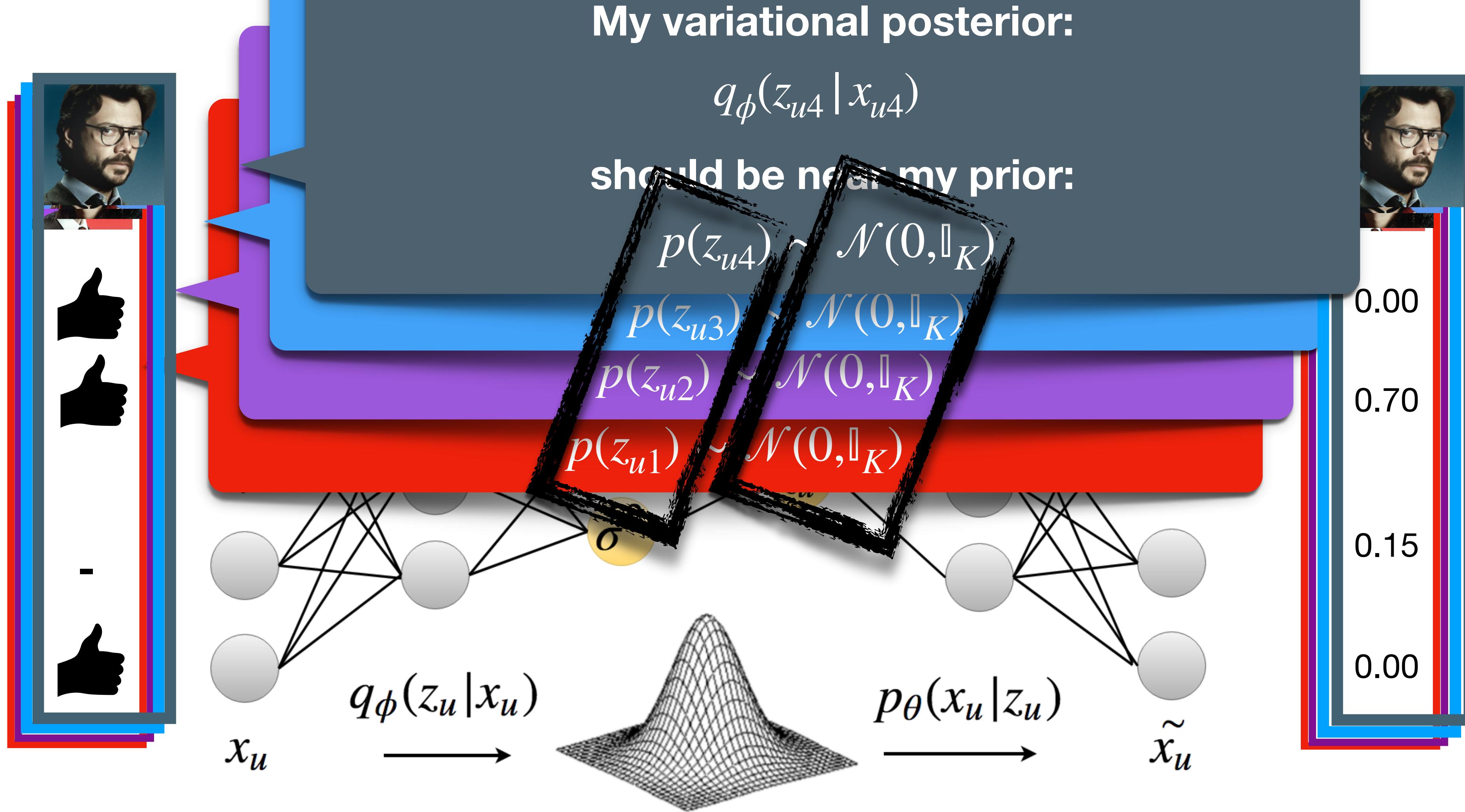
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?



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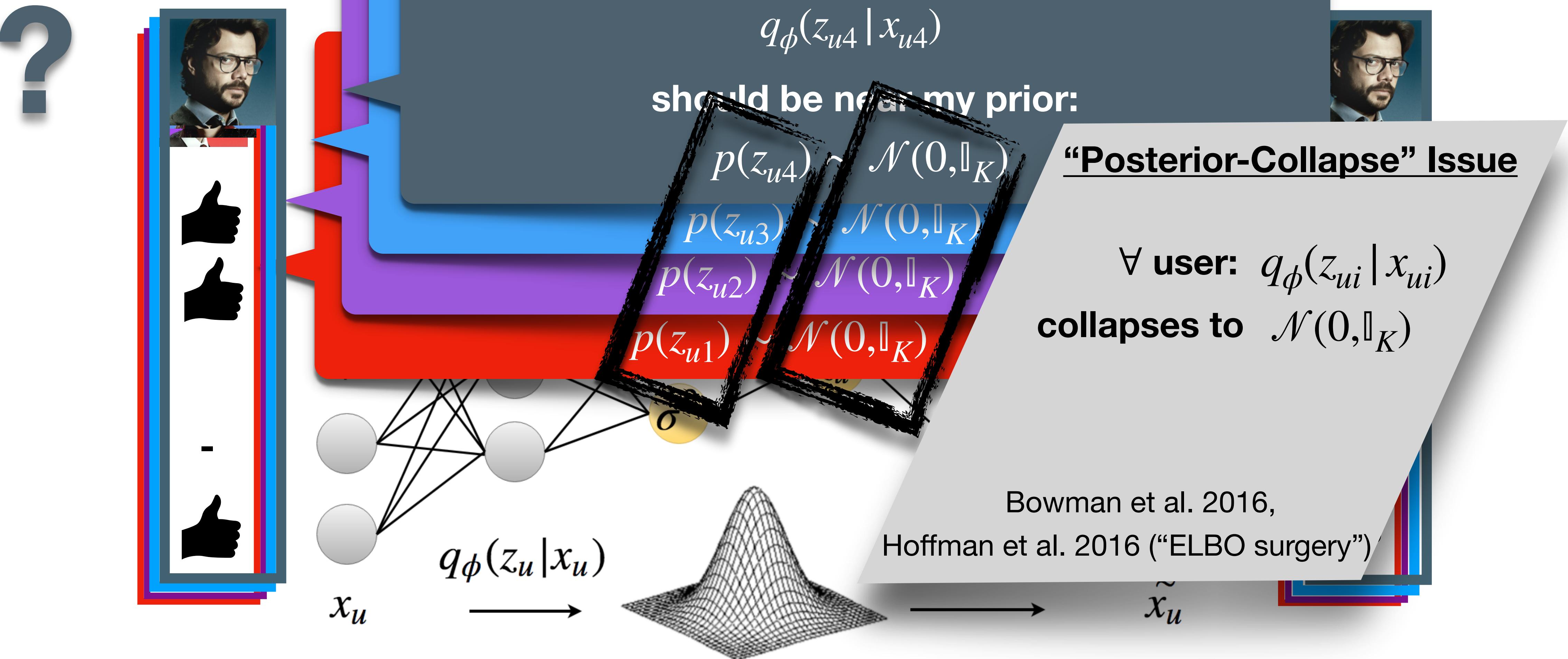
$$p(z_{u2}) \sim \mathcal{N}(0, \mathbb{I}_K)$$

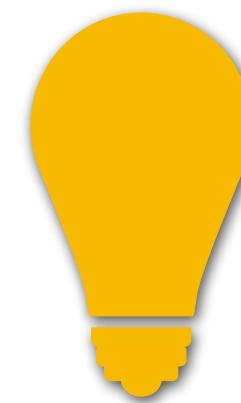
$$p(z_{u1}) \sim \mathcal{N}(0, \mathbb{I}_K)$$

“Posterior-Collapse” Issue

$$\forall \text{ user: } q_{\phi}(z_{ui} | x_{ui})$$

collapses to $\mathcal{N}(0, \mathbb{I}_K)$

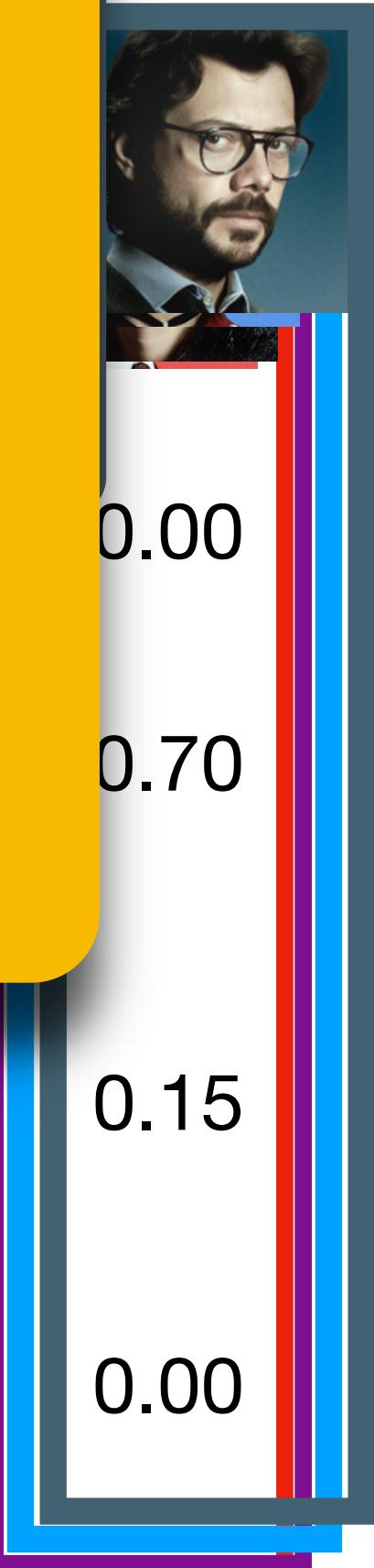
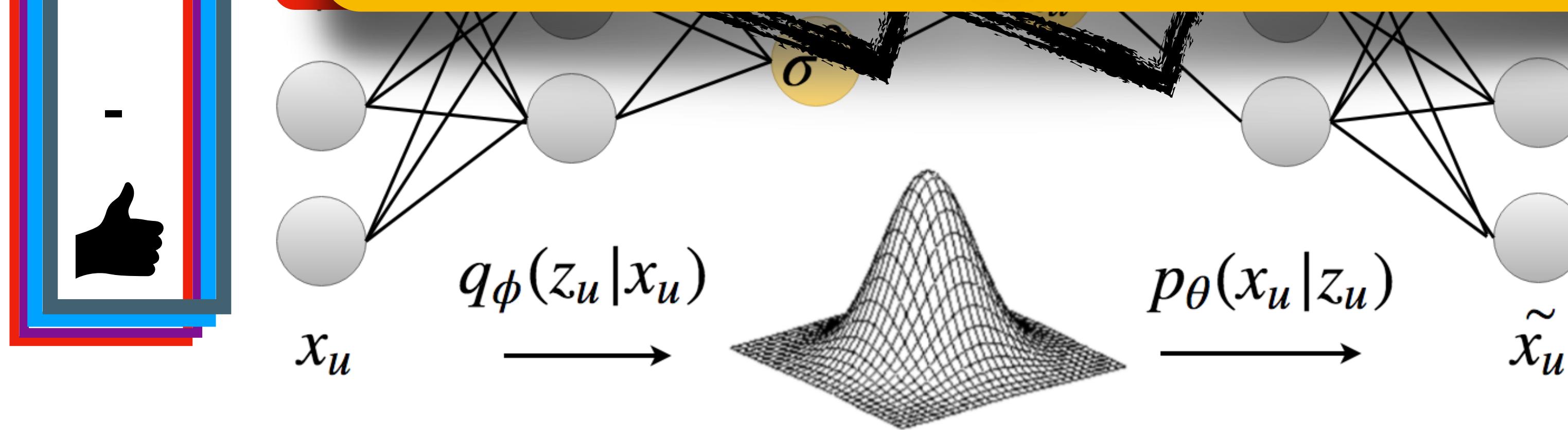




In this paper

**Use heterogenous,
user-dependent priors!**

$$p(z_{u4}) \sim \mathcal{N}(0, \Sigma_K) \quad \mathcal{N}(t_{u4}, \mathbb{S}_{u4})$$



Training Objective: $\mathcal{L}_\beta \equiv \underline{\mathbb{E}_q[\log p_\theta(x_u | z_u)]} - \beta \cdot \underline{KL(q_\phi(z_u | x_u) || p(z_u))}$

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This work: Item Recommendation with VAEs and Heterogenous Priors

Using heterogenous, user-dependent priors

- For each user u , we replace $z_u \sim \mathcal{N}(0, \mathbb{I}_K)$ by $z_u \sim \mathcal{N}(t_u, \mathbb{S}_u)$.
 - Prior parameters (t_u, \mathbb{S}_u) encode user preferences
 - Explicitly encourage user diversity in latent VAE space

$$t_u \in \mathbb{R}^K$$

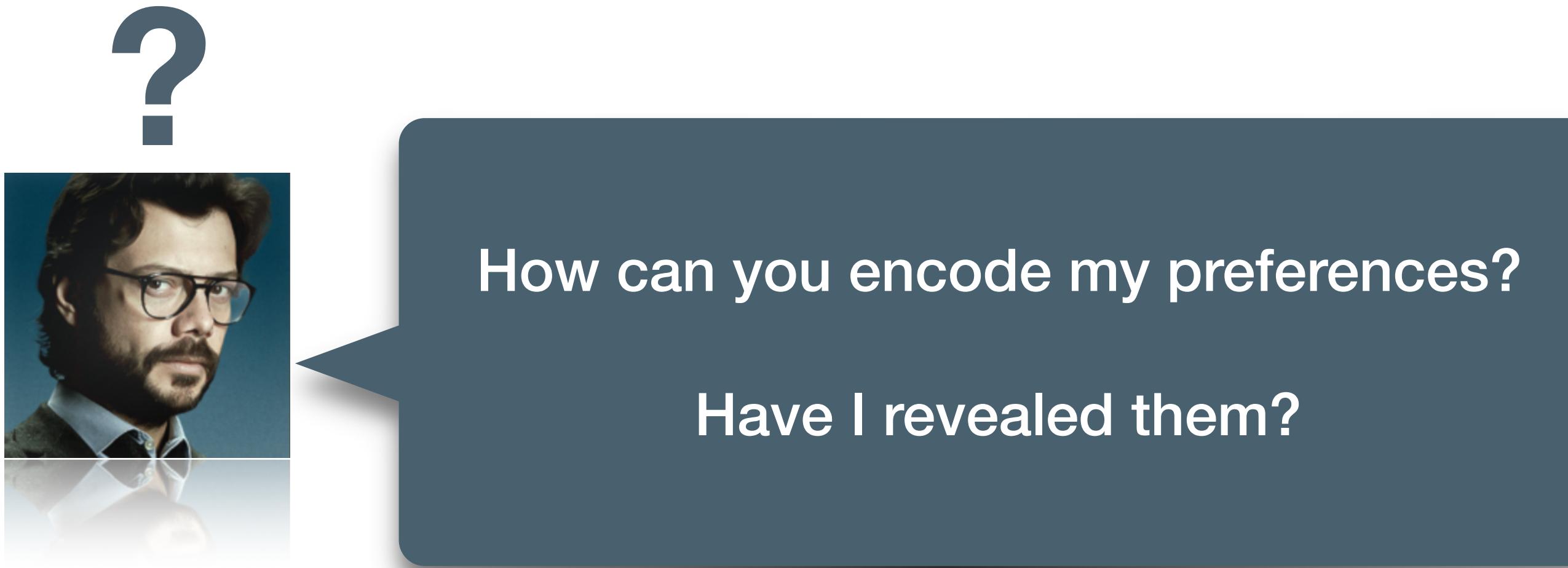
$$\mathbb{S}_u \in \mathbb{R}^{K \times K}$$

This work: Item Recommendation with VAEs and Heterogenous Priors

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$$\begin{aligned} t_u &\in \mathbb{R}^K \\ \mathbb{S}_u &\in \mathbb{R}^{K \times K} \end{aligned}$$

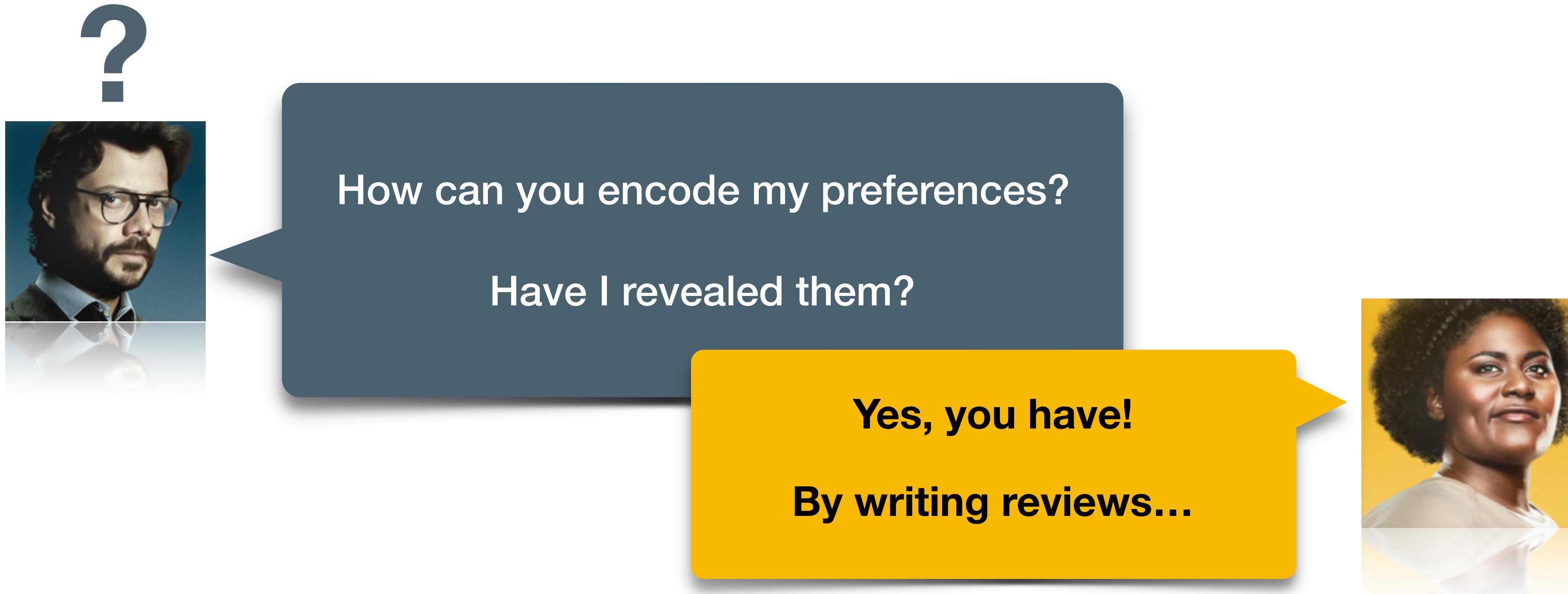


This work: Item Recommendation with VAEs and Heterogenous Priors

Using heterogenous, user-dependent priors

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Item Recommendation with VAEs and Heterogenous Priors

Users reveal their preferences in text reviews

Item Recommendation with VAEs and Heterogenous Priors

Users reveal their preferences in text reviews

Pascale H.

Elmont, NY

1 friend

11 reviews

2 photos



3/28/2018



1 check-in

The burgers here are really good and if you're gluten free they offer a lettuce bun instead of the potato bun. As for sides, I'm not in love with the fries and the onion rings. The portion size is good and large enough to share. My friend really enjoyed her milkshake.

Yelp Review

Item Recommendation with VAEs and Heterogenous Priors

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Yelp Review

IMDB Review



One of the best I've seen!

amytr-1 1 January 2018

This has been a real treat! An amazing series, great acting, direction and such a suspenseful story it's really one of the very best I've seen ever. I love heist movies and I just found this one in Netflix and I literally couldn't stop watching through the night. The characters are simply amazing! Don't miss this!

Item Recommendation with VAEs and Heterogenous Priors

Users reveal their preferences in text reviews

Pascale H.

Elmont, NY

1 friend

11 reviews

2 photos

cares about
portion size



3/28/2018

likes burgers

The **burgers** here are really good and if you're **gluten free** they offer a **lettuce bun** instead of the **potato bun**. As for sides, I'm not in love with the **fries** and the **onion rings**. The **portion size** is good and large enough to share. My friend really enjoyed her **milkshake**.

Yelp Review

IMDB Review



One of the best I've seen!

amytgr-1 1 January 2018

likes suspense

likes heist movies

This has been a real treat! An amazing **series**, **great acting**, **direction** and such a **suspenseful story** it's really one of the very best I've seen ever. **I love heist movies** and I just found this one in Netflix and I literally couldn't stop watching through the night. The **characters** are simply amazing! Don't miss this!

Item Recommendation with VAEs and Heterogenous Priors

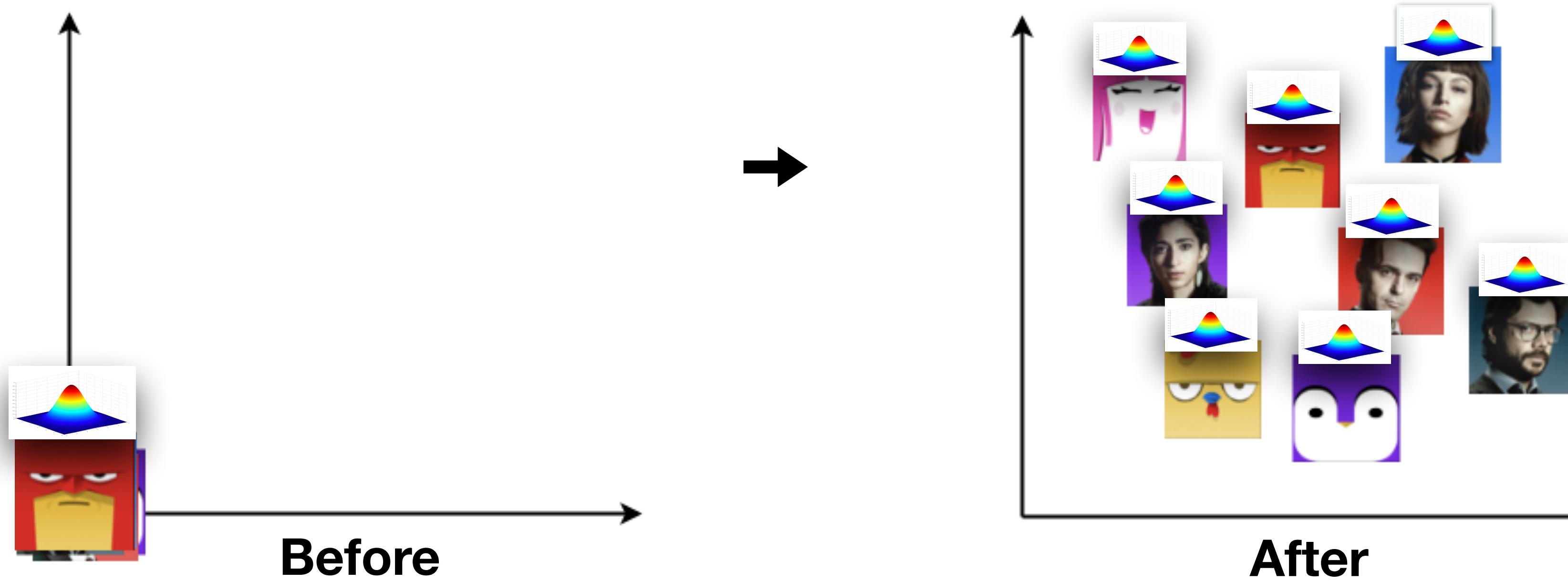
Encoding user preferences from text (2 methods):

- t_u, \mathbb{S}_u : functions of the user's review text

$$z_u \sim \mathcal{N}(t_u, \mathbb{S}_u),$$

$$t_u \in \mathbb{R}^K$$

$$\mathbb{S}_u \in \mathbb{R}^{K \times K}$$



Item Recommendation with VAEs and Heterogenous Priors

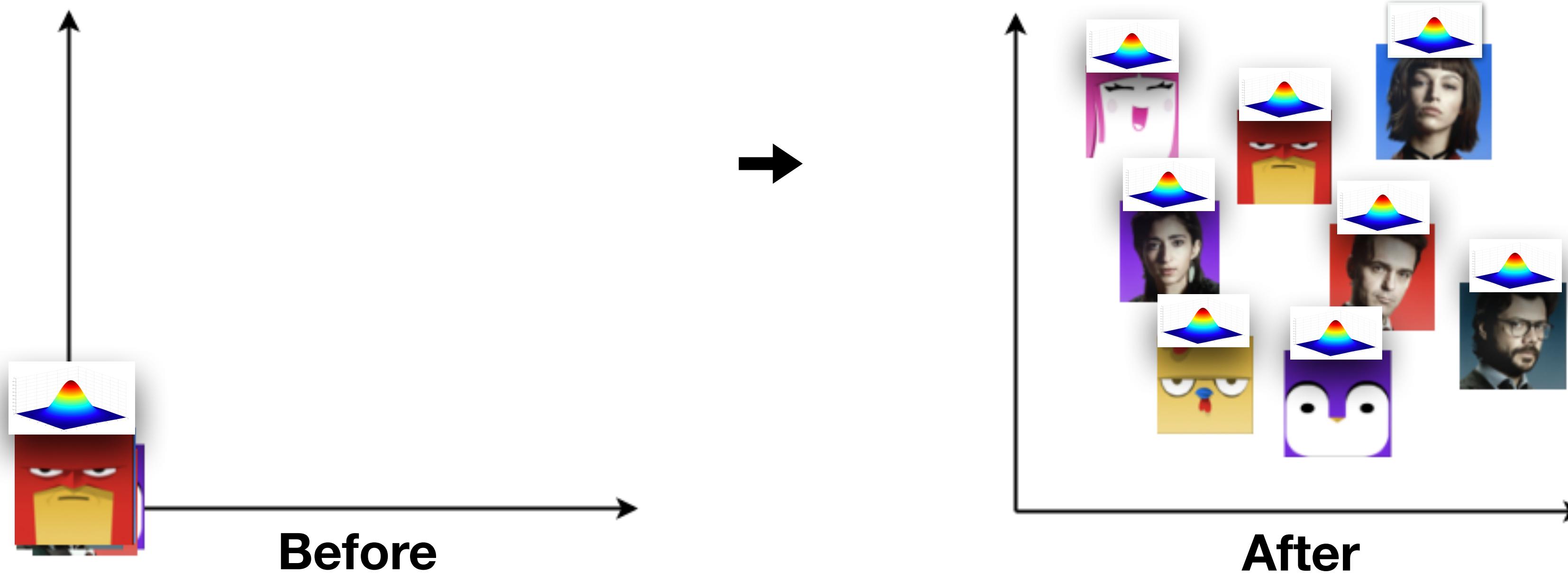
Encoding user preferences from text (2 methods):

- t_u, \mathbb{S}_u : functions of the user's review text
 - Method 1: Word Embeddings (word2vec)
 - Method 2: Probabilistic Topic Models (Latent Dirichlet Allocation - LDA)

$$z_u \sim \mathcal{N}(t_u, \mathbb{S}_u),$$

$$t_u \in \mathbb{R}^K$$

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Item Recommendation with VAEs and Heterogenous Priors

Encoding user preferences from text:

- Method 1: Word Embeddings (word2vec)



K -dim Word Embeddings

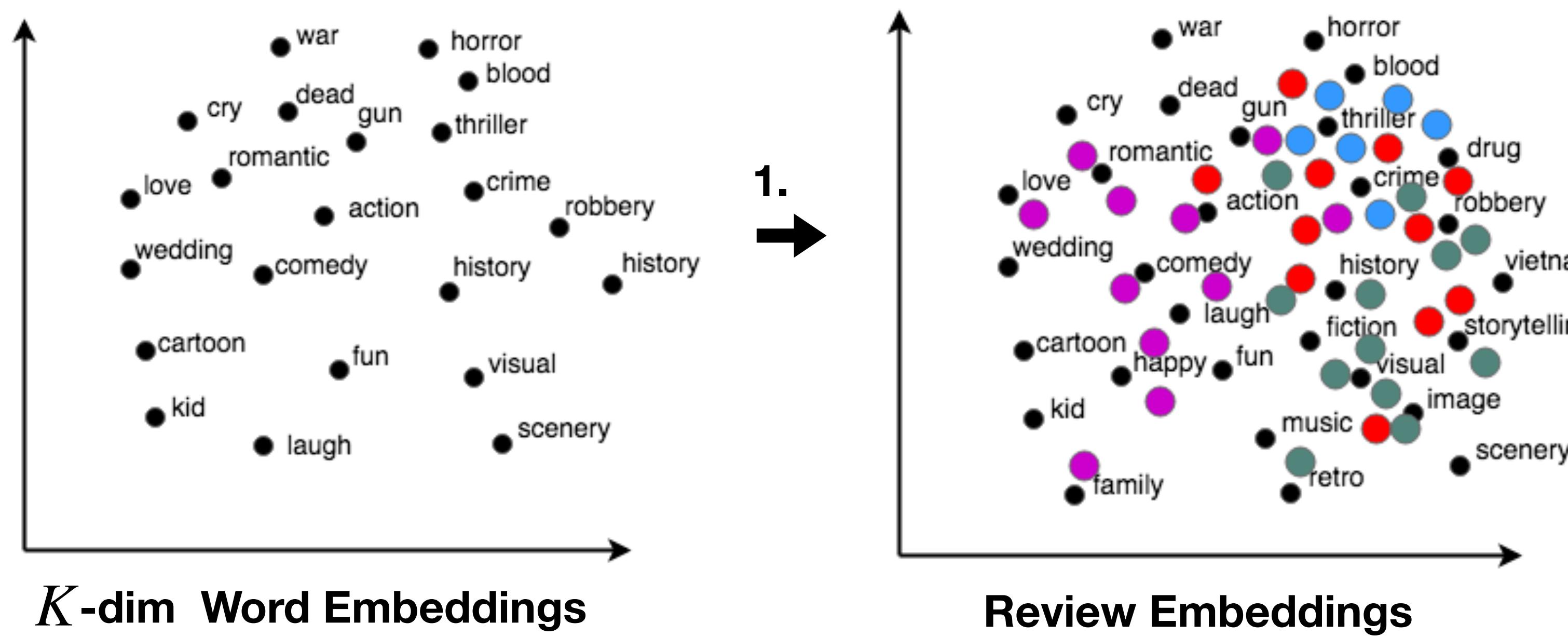
Mikolov et. al. 2013: "Efficient estimation of word representations in vector space"

Item Recommendation with VAEs and Heterogenous Priors

Encoding user preferences from text:

- Method 1: Word Embeddings (word2vec)

1. Create **review** embeddings: avg of word embeddings



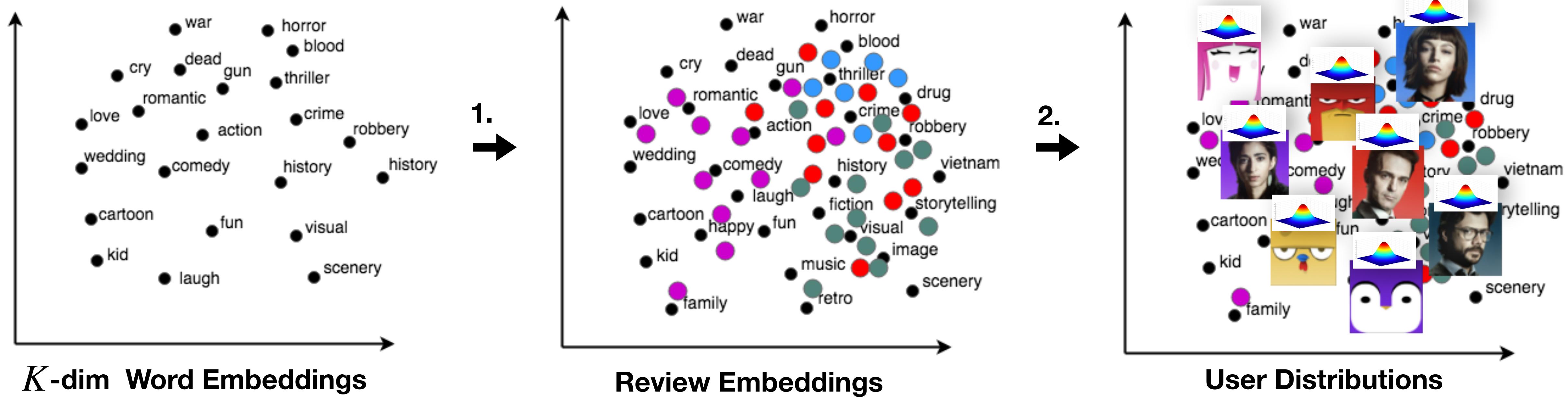
Item Recommendation with VAEs and Heterogenous Priors

Encoding user preferences from text:

- Method 1: Word Embeddings (word2vec)

1. Create **review** embeddings: avg of word embeddings
2. Represent each **user**: Gaussian distribution $z_u \sim \mathcal{N}(t_u, \mathbb{S}_u)$
 - t_u : avg of review embeddings (written by u)
 - \mathbb{S}_u : diagonal covariance matrix
diagonal values $s_1, \dots, s_K \in \mathbb{R}$: std of review embeddings

$$t_u \in \mathbb{R}^K$$
$$\mathbb{S}_u \in \mathbb{R}^{K \times K}$$



Item Recommendation with VAEs and Heterogenous Priors

Encoding user preferences from text:

- Method 2: Probabilistic Topic Models (Latent Dirichlet Allocation - LDA)

<u>Topic 1</u>	<u>Topic 2</u>	...	<u>Topic K</u>
horror	romance		action
blood	love		robbery
crime	kiss		kill
gun	wedding		police
...

Item Recommendation with VAEs and Heterogenous Priors

Encoding user preferences from text:

- Method 2: Probabilistic Topic Models (Latent Dirichlet Allocation - LDA)

1. Train LDA to extract K topics

<u>Topic 1</u>	<u>Topic 2</u>	...	<u>Topic K</u>
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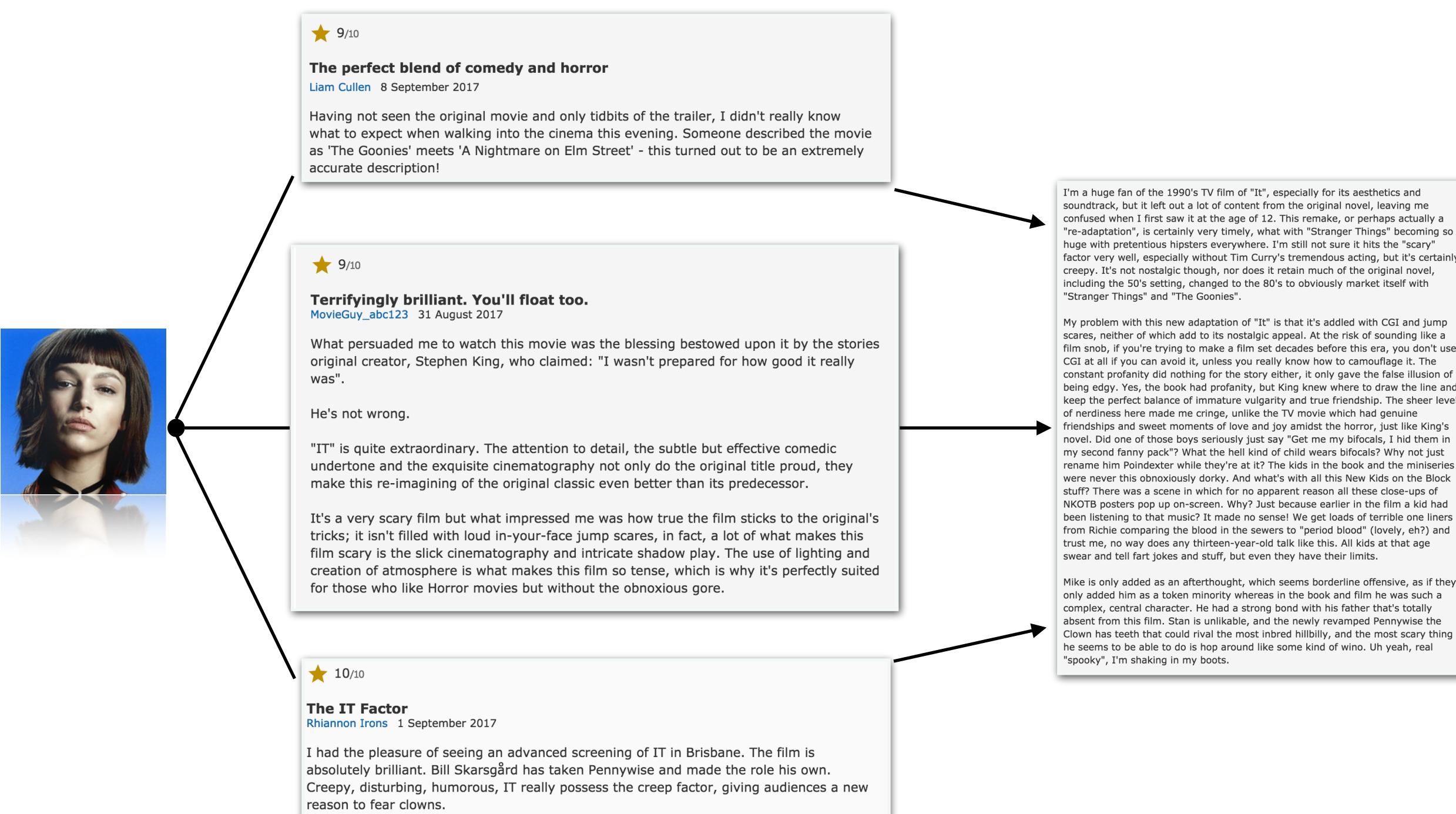
Item Recommendation with VAEs and Heterogenous Priors

Encoding user preferences from text:

- **Method 2: Probabilistic Topic Models (Latent Dirichlet Allocation - LDA)**

1. Train LDA to extract K topics
2. For each user u :
 - 2a: concatenate all of the user's reviews in one document

Topic 1	Topic 2	...	Topic K
horror	romance		action
blood	love		robbery
crime	kiss		kill
gun	wedding		police
...

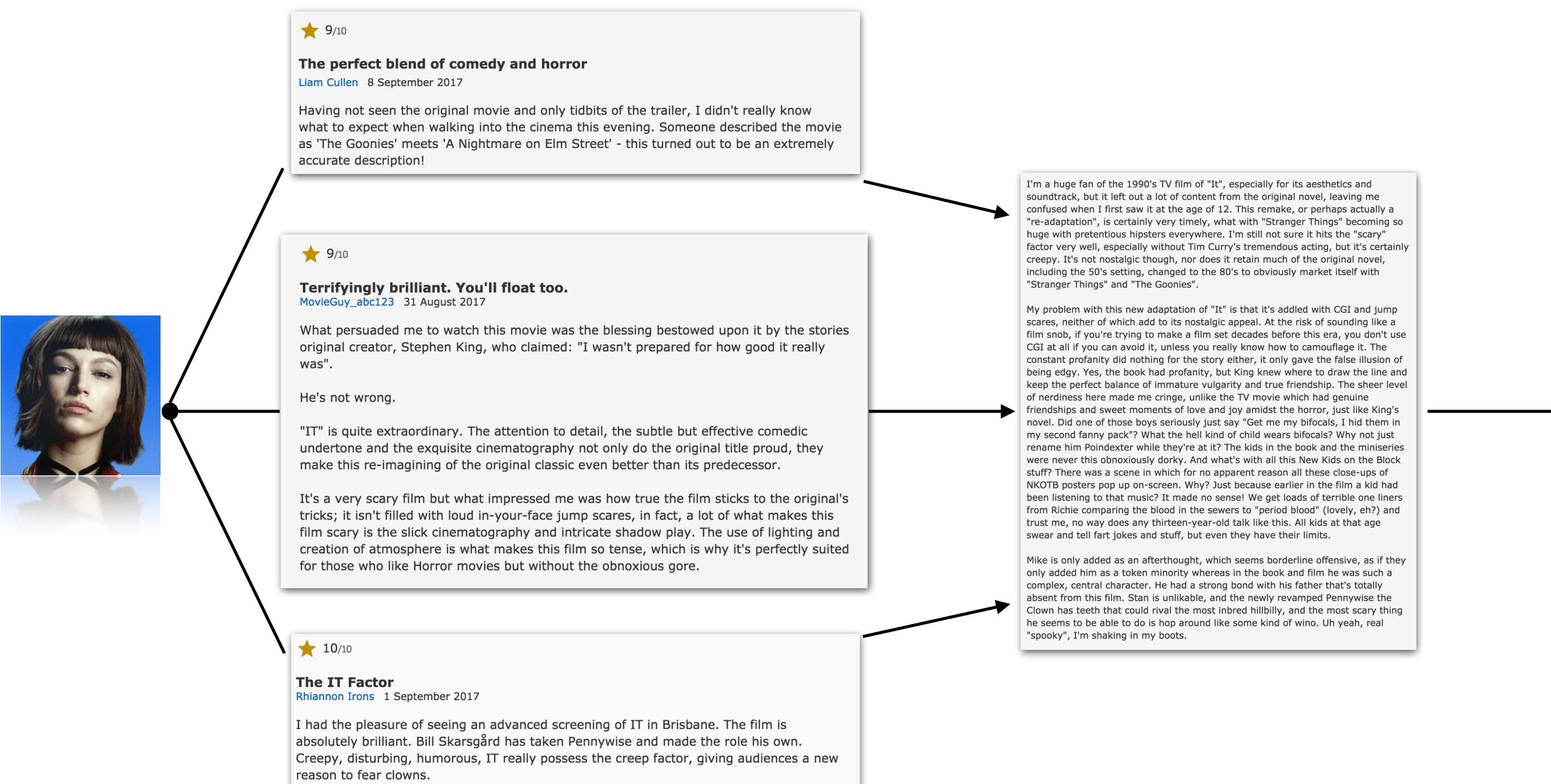


Item Recommendation with VAEs and Heterogenous Priors

Encoding user preferences from text:

- **Method 2: Probabilistic Topic Models (Latent Dirichlet Allocation - LDA)**

1. Train LDA to extract K topics
2. For each user u :
 - 2a: concatenate all of the user's reviews in one document
 - 2b: represent u as the distribution over the K topics



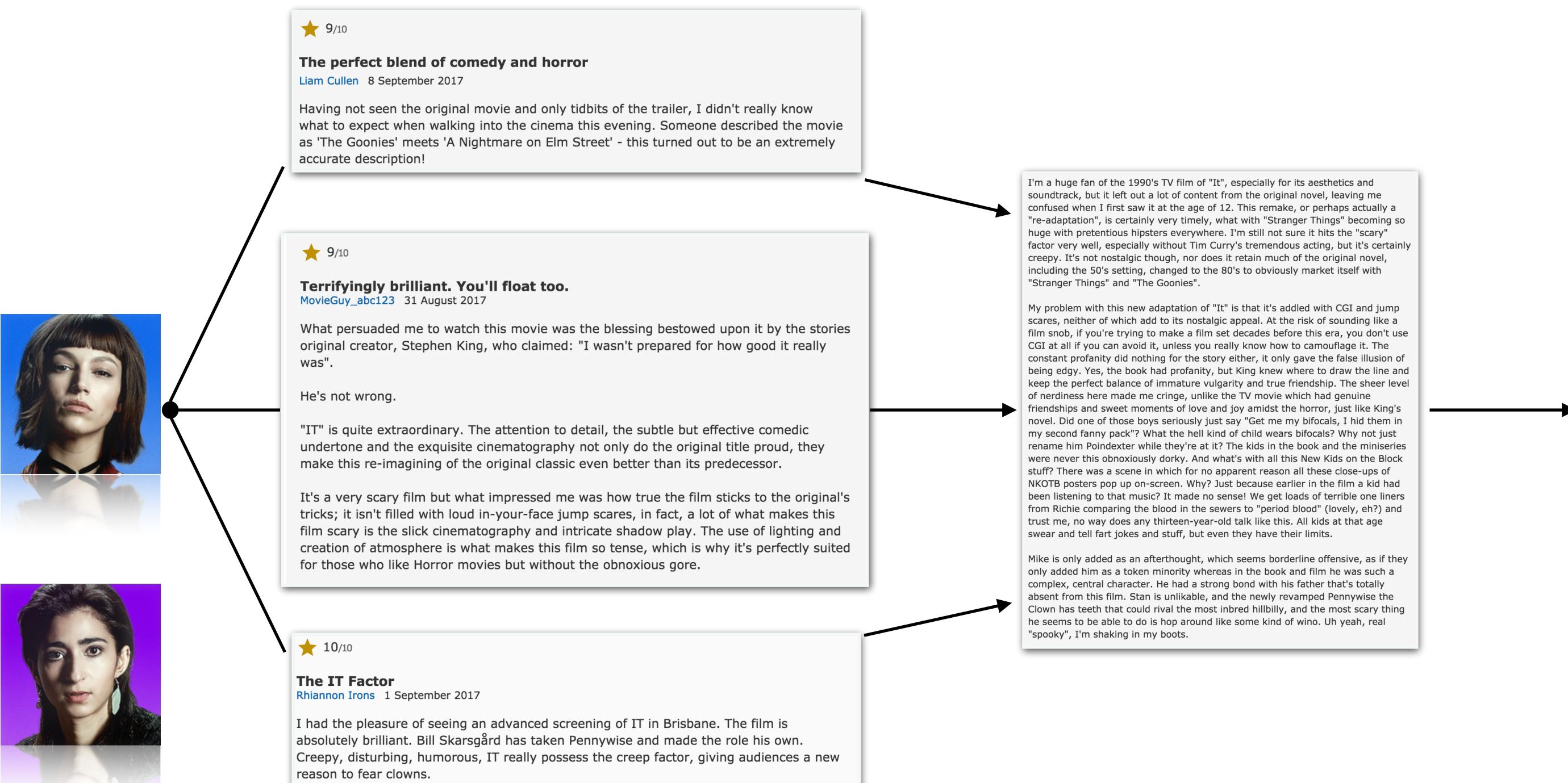
Topic 1	Topic 2	...	Topic K
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Item Recommendation with VAEs and Heterogenous Priors

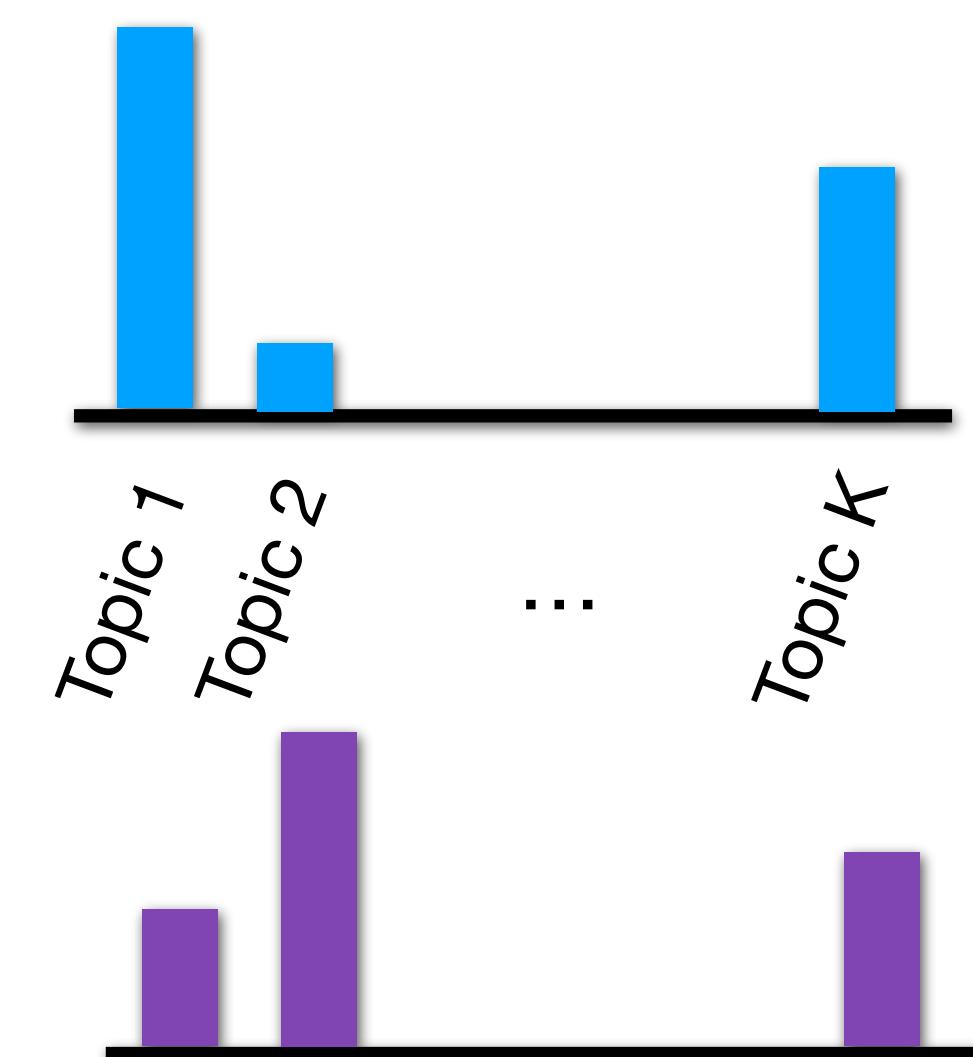
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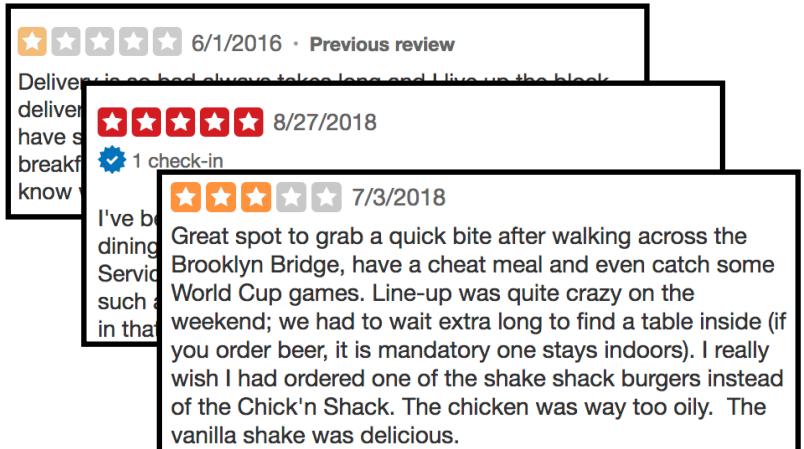


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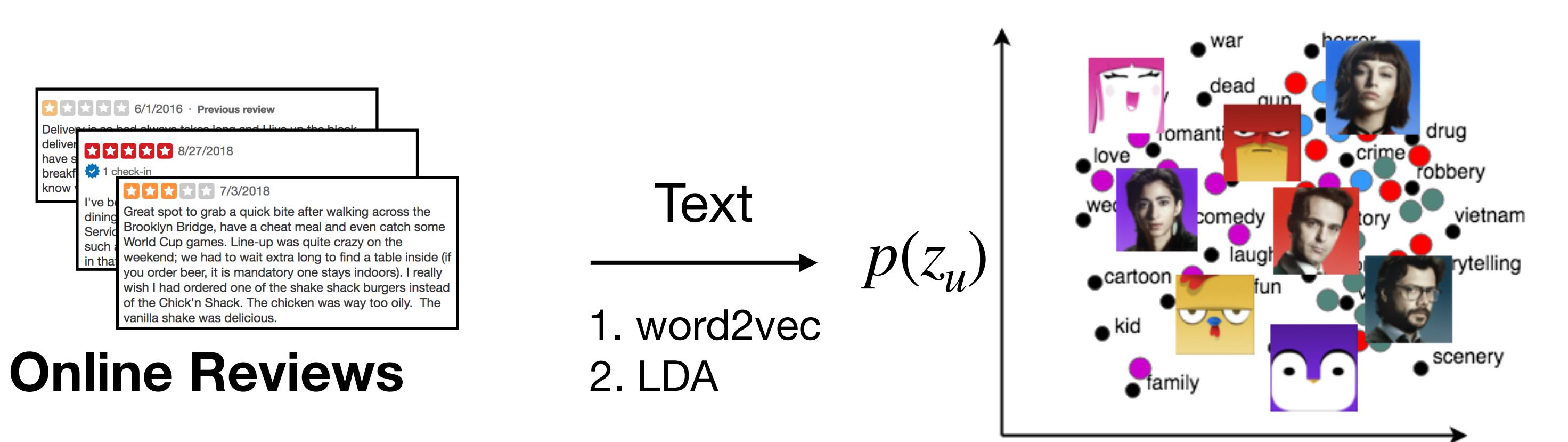
Item Recommendation Pipeline



Online Reviews

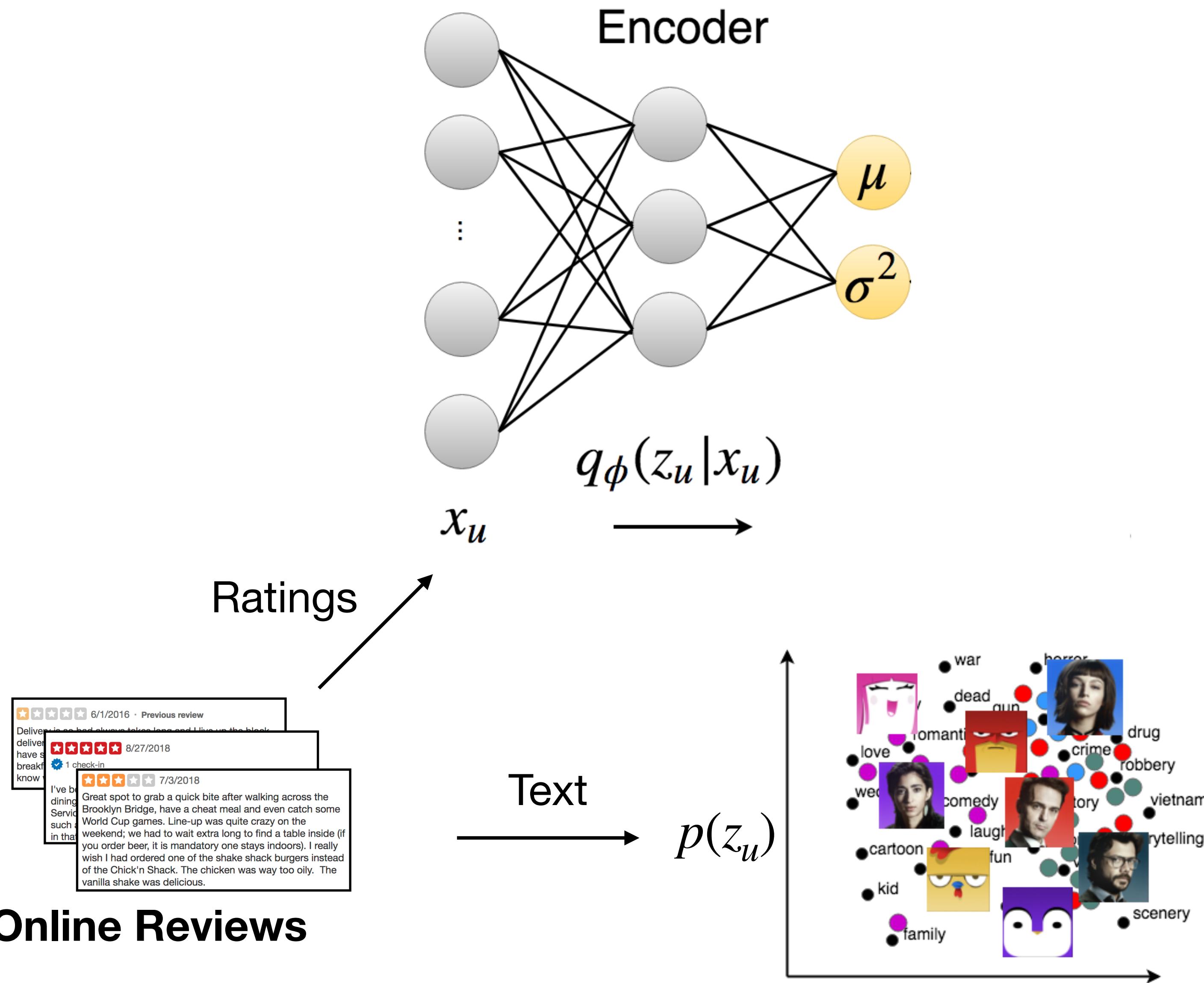
Item Recommendation with VAEs and Heterogenous Priors

Item Recommendation Pipeline



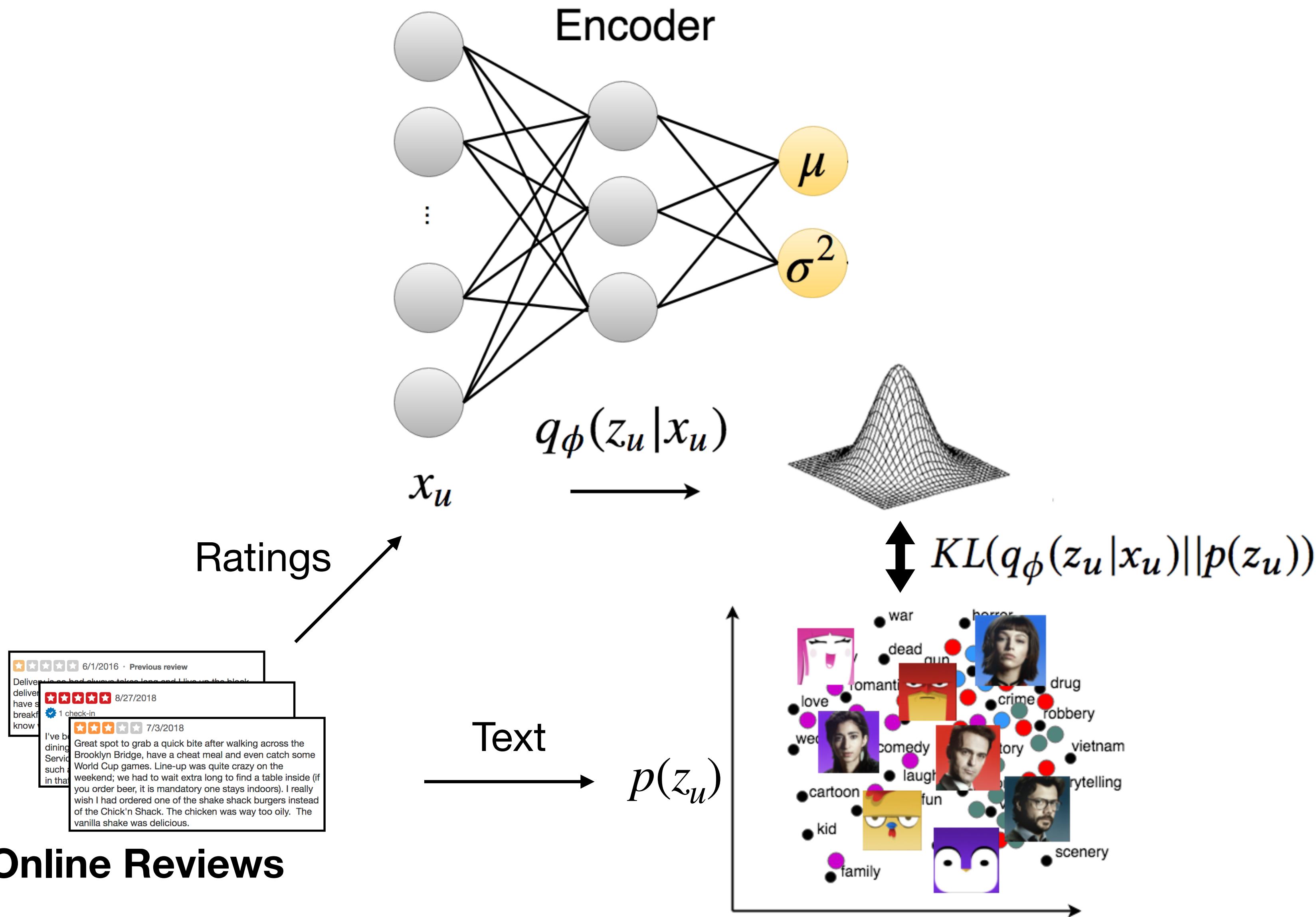
Item Recommendation with VAEs and Heterogenous Priors

Item Recommendation Pipeline



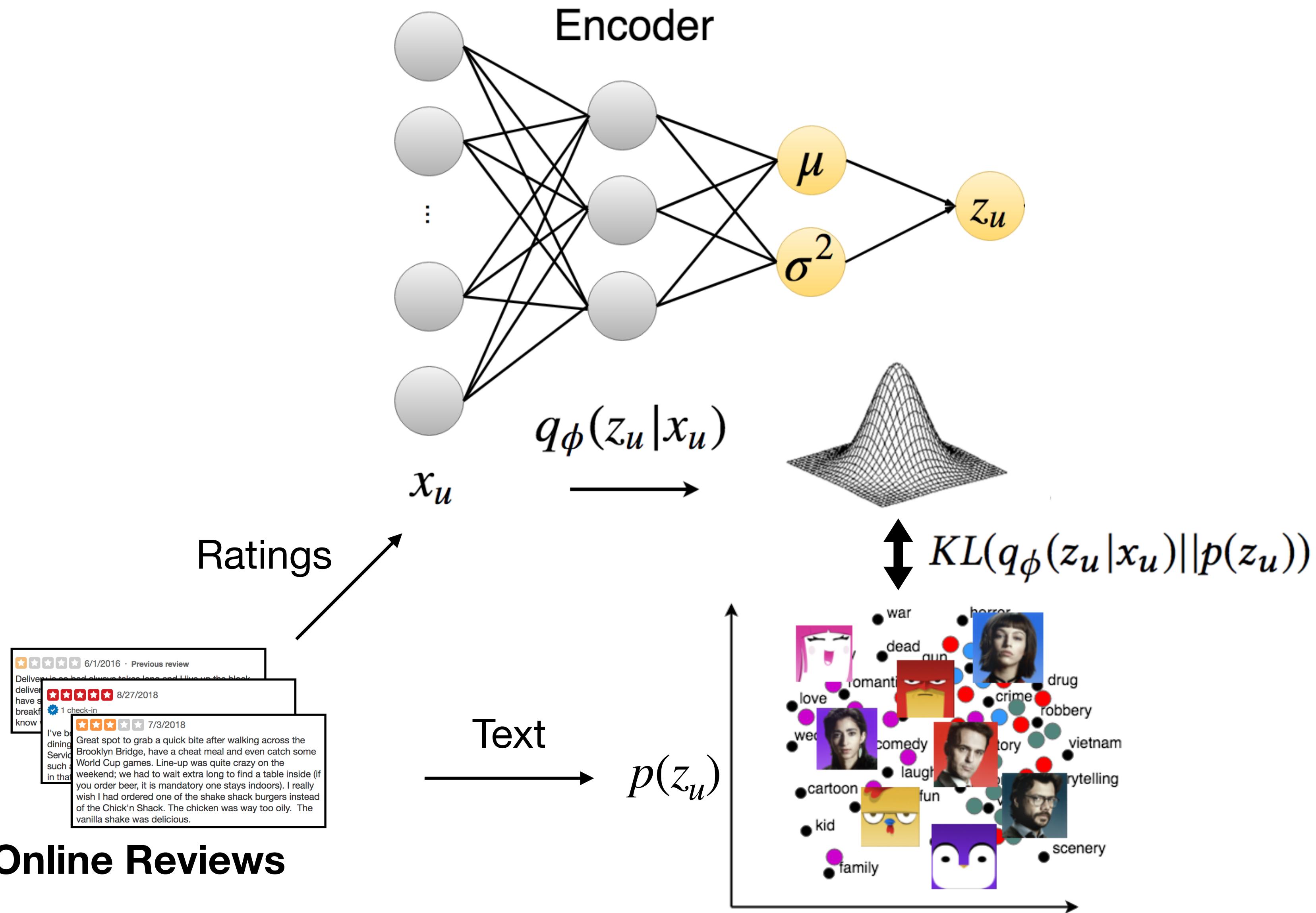
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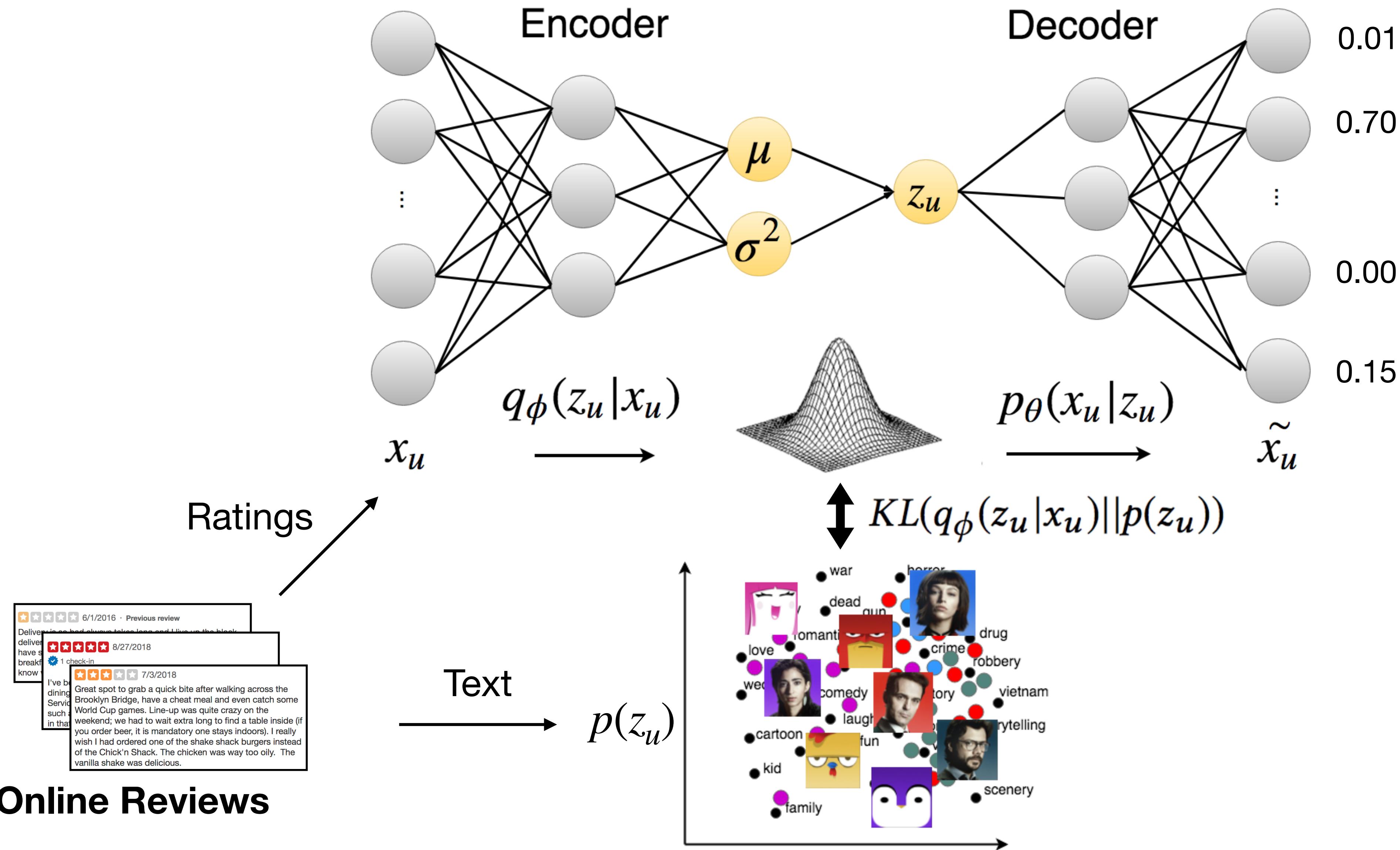
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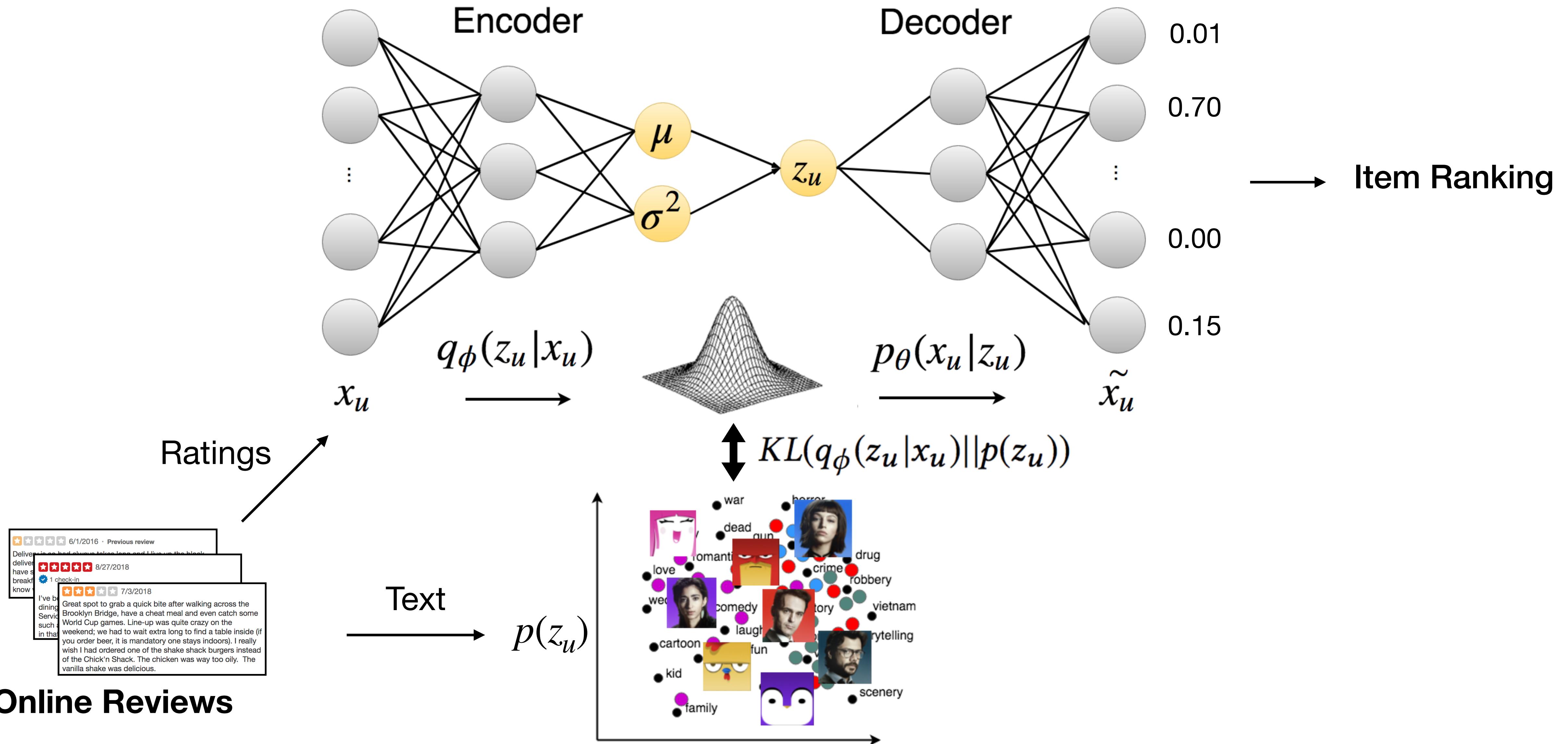
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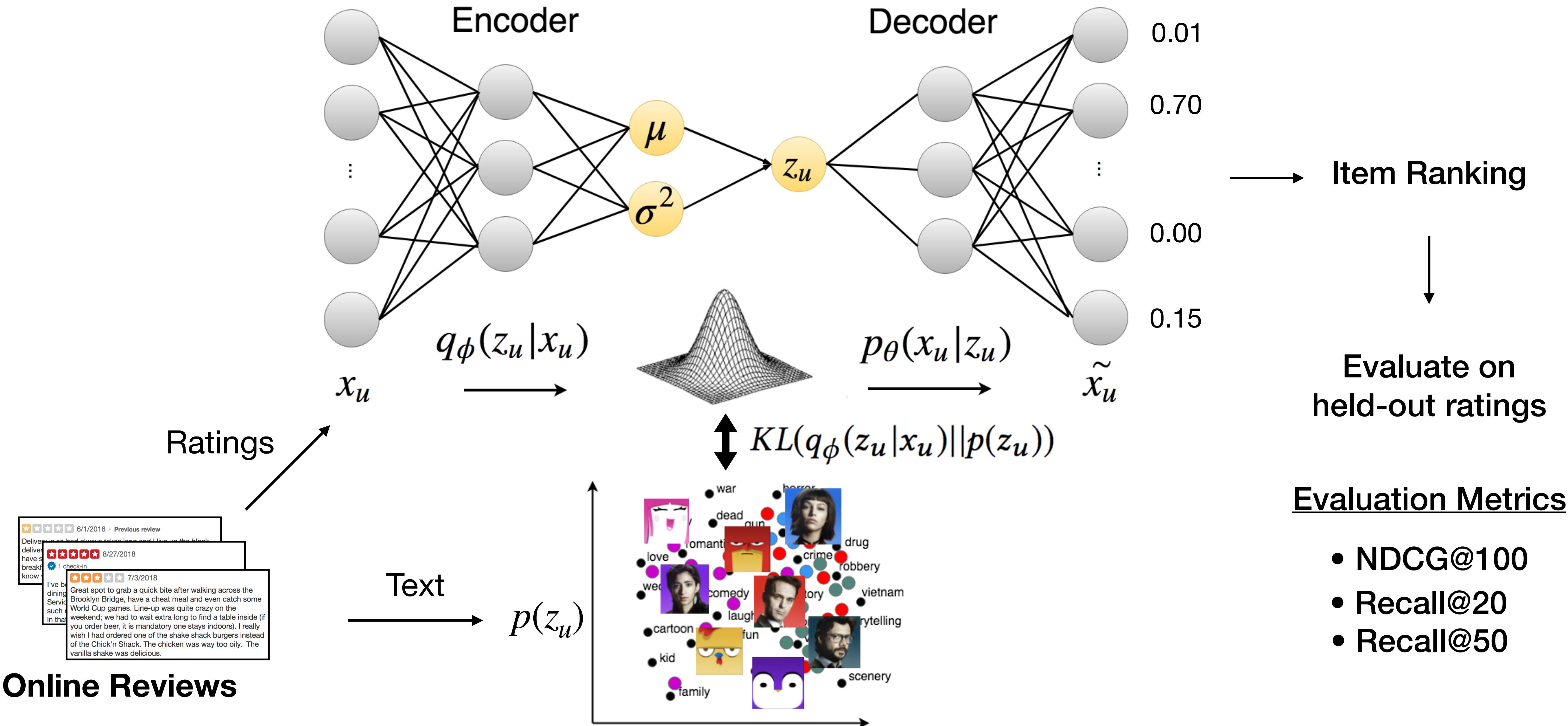
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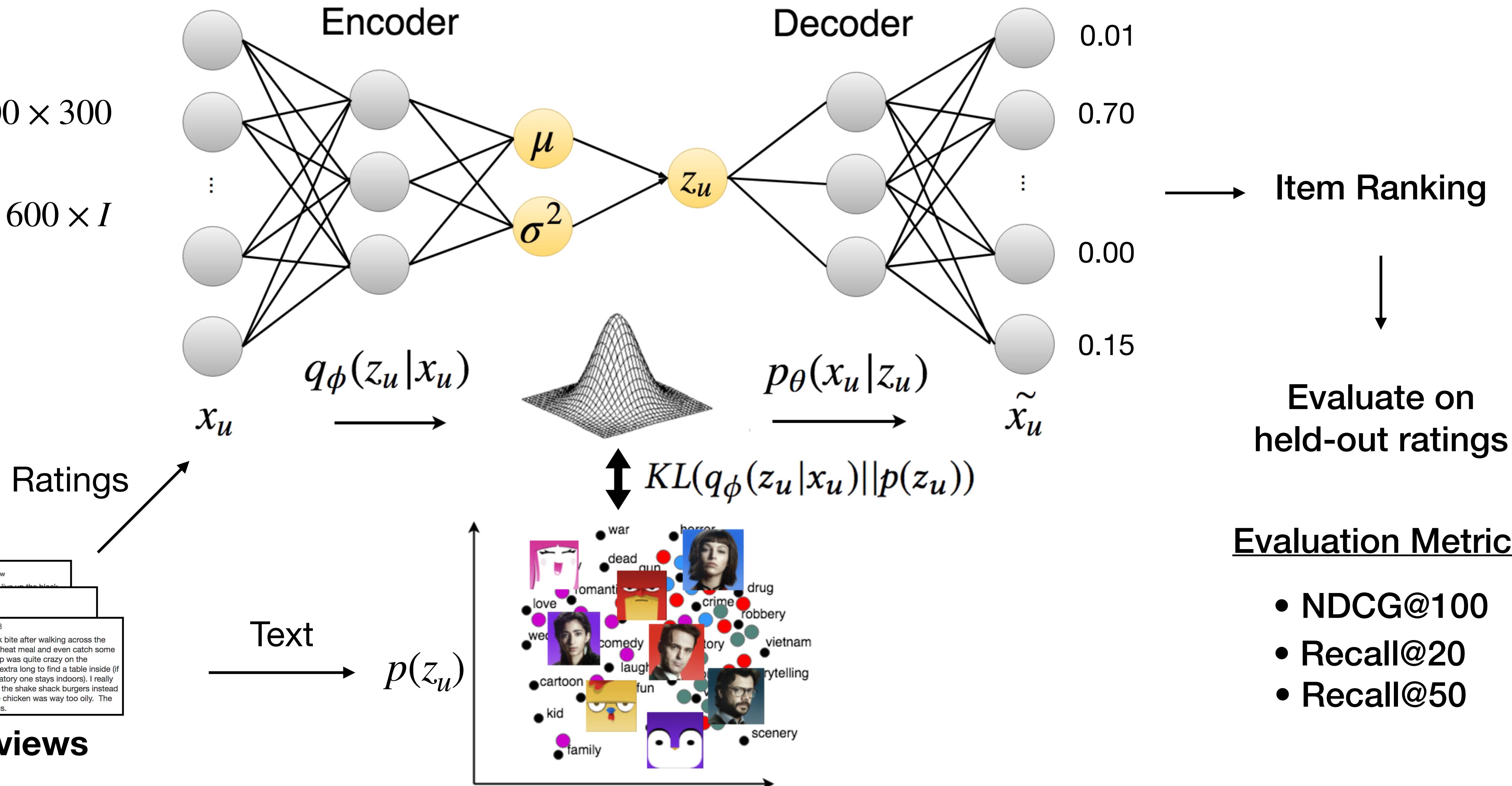
Item Recommendation Pipeline

Encoder

MLP: $I \times 600 \times 300$

Decoder

MLP: $300 \times 600 \times I$



Item Recommendation with VAEs and Heterogenous Priors

Evaluation Datasets: Online Reviews (Rating & Text)

- Yelp Challenge Dataset
- IMDB Corpus of Movie Reviews

Preprocessing:

- Binarize ratings
 - Yelp: 1-2 stars → 0, 3-5 stars → 1
 - IMDB: 1-4 stars → 0, 5-10 stars → 1
- Reduce sparsity (cutoff)
 - Yelp: discard businesses < 30 reviews, users < 5 reviews
 - IMDB: discard movies < 5 reviews, users < 5 reviews

% non-empty entries

Dataset	#users	#items	#ratings	sparsity
Yelp	930496	65536	20000263	0.053e-3%
Yelp cutoff	92208	13085	1257420	0.104%
IMDB	50331	21740	278907	0.025%
IMDB cutoff	8080	8357	167593	0.248%

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Model Comparison

- Ranking the items in random order*
Matrix Factorization
Text-only: Ranking items according to $\cos(t_u, t_i)$
VAE (Liang et al. 2018)
*VAE with **random** user-dependent priors*
VAE with Text Regularization

$$\mathcal{L}_\gamma = \mathcal{L}_\beta - \gamma \cdot \text{dist}(z_u, t_u)$$

*VAE with **heterogenous** user-dependent priors* <<<

		Evaluation Results	
		IMDB	Yelp
Model	Text Feat		
RAND	-		
MF	-		
Text-kNN	word2vec		
Mult-VAE	-		
VAE-RP	-		
VAE-TR	word2vec		
VAE-TR	LDA		
VAE-HPrior	word2vec		
VAE-HPrior	LDA		

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		Evaluation Results			
		Model	Text Feat	IMDB	Yelp
				NDCG@100	NDCG@100
	RAND		-	0.006	0.001
	MF		-	0.066	0.070
	Text-kNN	word2vec		0.026	0.003
	Mult-VAE		-	0.147	0.104
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std of scores

~ 0.007

~ 0.003

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std of scores ~ 0.007 ~ 0.003

Mult-VAE → VAE-HPrior	<u>NDCG@100</u>	<u>Recall@20</u>	<u>Recall@50</u>	IMDB	<u>NDCG@100</u>	<u>Recall@20</u>	<u>Recall@50</u>
Relative Performance Improvement:	+18.4%	+29.4%	+17.7%		+14.4%	+18.7%	+12.3%

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- Denoising autoencoder (Liang et al. 2018)* -----

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std of scores				~ 0.007	~ 0.003

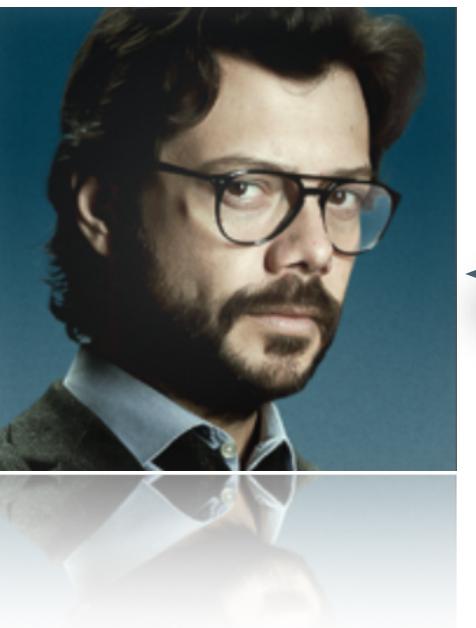
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Conclusions

- Extend VAEs to Collaborative Filtering with side information (ratings + text)
 - User-agnostic → user-dependent priors
 - Prior parameters as functions of the users' review text
 - User representations in a multimodal latent space (encoding ratings + text)
- Outperform the existing Mult-VAE model (up to 29.41% relative improvement in Recall@20)
- Perform comparably to a denoising autoencoder (Mult-DAE).

Ongoing & Future work

- Experiments: VAE-HPrior vs Mult-DAE on different levels of sparsity
- Models: more effective aspect-based methods for extracting user preferences from text reviews
- Data: extra side-information available (e.g., geolocation)



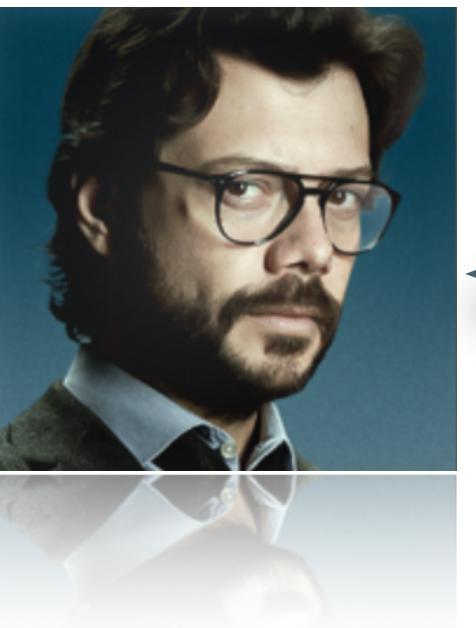
Thank you!

Contact

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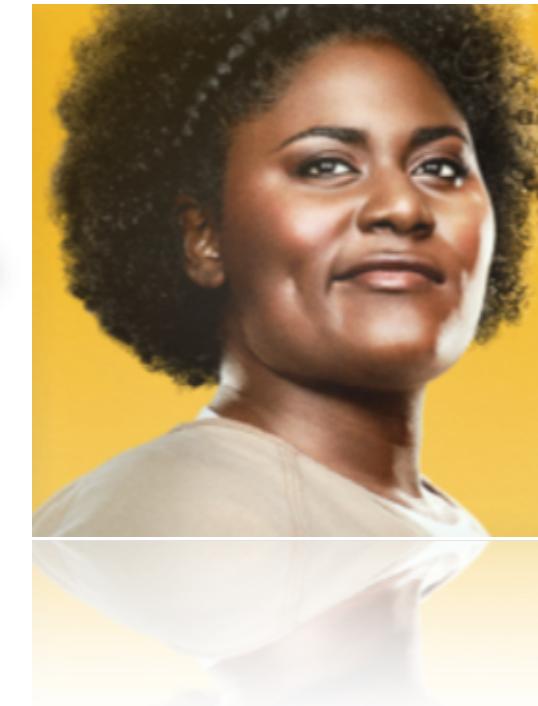
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