Vigian Chen 2024/3/30 1. Donoho's Algorithm Ogct): noise-free signal (2) z(t); white noise 3) f(t): noise - bearing signal noise variance f(t) = g(t) + On Z(t)"additive" normal distribution N(0,1) Step1; Piscretize f(t) step 2 : Transform (Li) to orthogonal domain time-domain orthogonal domain Step 3: Apply soft thresholding or hard thresholding to wordet coefficients a. threshold:  $\lambda = \sqrt{25^n \log n}$  [length (f(i)) b. soft thresholding function:  $S_{\lambda} \stackrel{\text{def}}{=} Sign(x) \times max(|x|-\lambda,0) = Shrinks$ Lc. hard thresholding function:  $h_{\lambda} \stackrel{\text{def}}{=} \times \times 1\{|x|>\lambda\} \leftarrow \begin{cases} \text{input} > \lambda : keep \end{cases}$ | input < 2; set 0 Step4: Reconstruction I inverse DNT denoised signal f'(i) E) a wavelet transform has the compaction property of howing only a small number of large coefficient

b. He denosing is done only on the detail coefficients of wavelet transform.