Capstone project - breast cancer

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Data set description

Features are computed from a digitized image of a fine needle aspirate (FNA) of a breast mass. They describe characteristics of the cell nuclei present in the image. n the 3-dimensional space is that described in: [K. P. Bennett and O. L. Mangasarian: "Robust Linear Programming Discrimination of Two Linearly Inseparable Sets", Optimization Methods and Software 1, 1992, 23-34].

Attribute information:

Ten real-valued features are computed for each cell nucleus: a) radius (mean of distances from center to points on the perimeter) b) texture (standard deviation of gray- scale values) c) perimeter d) area e) smoothness (local variation in radius lengths) f) compactness (perimeter^2 / area - 1.0) g) concavity (severity of concave portions of the contour) h) concave points (# of concave portions of the contour) i) symmetry j) fractal dimension ("coastline approximation" - 1)

The mean, standard error and "worst" or largest (mean of the three largest values) of these features were computed for each image, resulting in 30 features. For instance, field 3 is Mean Radius, field 13 is Radius SE, field 23 is Worst Radius.

Class distribution: 357 benign, 212 malignant

Data processing

1. Load and inspect data

```
In [135]: ## Load packages
   import numpy as np # linear algebra
   import pandas as pd # data processing, CSV file I/O (e.g. pd.read_csv)
   import seaborn as sns # data visualization library
   import matplotlib.pyplot as plt
   # Input data files are available in the "../input/" directory.
   # For example, running this (by clicking run or pressing Shift+Enter)
   will list the files in the input directory
   import time
   from subprocess import check_output
   print(check_output(["ls", "../input"]).decode("utf8"))
```

data.csv

```
In [136]: data = pd.read_csv('../input/data.csv')
    data.head()
```

Out[136]: __

	id	diagnosis	radius_mean	texture_mean	perimeter_mean	area_mean	smo
0	842302	М	17.99	10.38	122.80	1001.0	0.11
1	842517	М	20.57	17.77	132.90	1326.0	30.0
2	84300903	М	19.69	21.25	130.00	1203.0	0.10
3	84348301	М	11.42	20.38	77.58	386.1	0.14
4	84358402	М	20.29	14.34	135.10	1297.0	0.10

5 rows × 33 columns

The key findings are column 32 is all NAs, which will not be included in further analysis. Column diagnosis is the target column, contain the diagnosis results - M or B.

2. Assess missing values

There is no missing values in the data set.

```
In [138]: print(data.isnull().sum())
```

id	0
diagnosis	0
radius_mean	0
texture_mean	0
perimeter_mean	0
area_mean	0
smoothness_mean	0
compactness_mean	0
concavity_mean	0
concave points_mean	0
symmetry_mean	0
<pre>fractal_dimension_mean</pre>	0
radius_se	0
texture_se	0
perimeter_se	0
area_se	0
smoothness_se	0
compactness_se	0
concavity_se	0
concave points_se	0
symmetry_se	0
<pre>fractal_dimension_se</pre>	0
radius_worst	0
texture_worst	0
perimeter_worst	0
area_worst	0
smoothness_worst	0
compactness_worst	0
concavity_worst	0
concave points_worst	0
symmetry_worst	0
<pre>fractal_dimension_worst</pre>	0
Unnamed: 32	569
dtype: int64	

3. Standardize data

```
In [140]: data_trans_melt.tail()
```

Out[140]:

	diagnosis	features	value
17065	М	fractal_dimension_worst	-0.708467
17066	М	fractal_dimension_worst	-0.973122
17067	М	fractal_dimension_worst	-0.318129
17068	М	fractal_dimension_worst	2.217684
17069	В	fractal_dimension_worst	-0.750546

Exploratory analysis

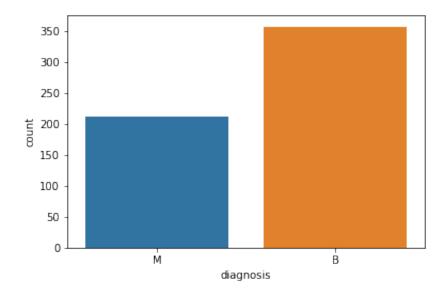
1. Visualize data

Count is plot is to inspect the distribution of malignant vs benign.

```
In [141]: ## make diagnosis result in one list, features in one list
x = data.drop(['id', 'diagnosis', 'Unnamed: 32'], axis=1)
y = data.diagnosis
```

```
In [142]: ## Plot the count of each diagnosis
ax = sns.countplot(y, label='Count')
B, M = y.value_counts()
print('Number of Benign: ',B)
print('Number of Malignant: ', M)
```

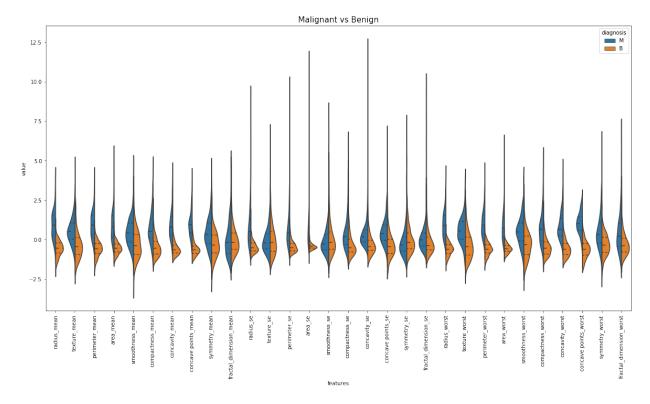
Number of Benign: 357 Number of Malignant: 212



Violin plot is used to exam the ditribution of each features. Features differ a lot between malignant and benign will be considered to include the the model.

```
In [143]: plt.figure(figsize = (20,10))
    sns.violinplot(x="features", y="value", hue="diagnosis", data=data_tra
    ns_melt, split=True, inner="quart")
    plt.xticks(rotation=90)
    plt.title("Malignant vs Benign", fontdict={"fontsize":15})
```

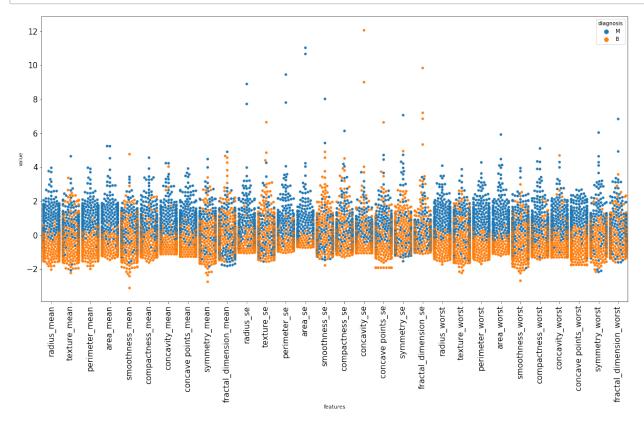
Out[143]: Text(0.5,1,'Malignant vs Benign')



- Based on the violin plot, benign samples in general have lower values than malignant
- There are lots of outliers of each feature
- Features with significant difference: radias_mean, concavity_mean, concave points points_mean, area_se, lots of features in "worst"

Swarm plot is used to better visualize the data

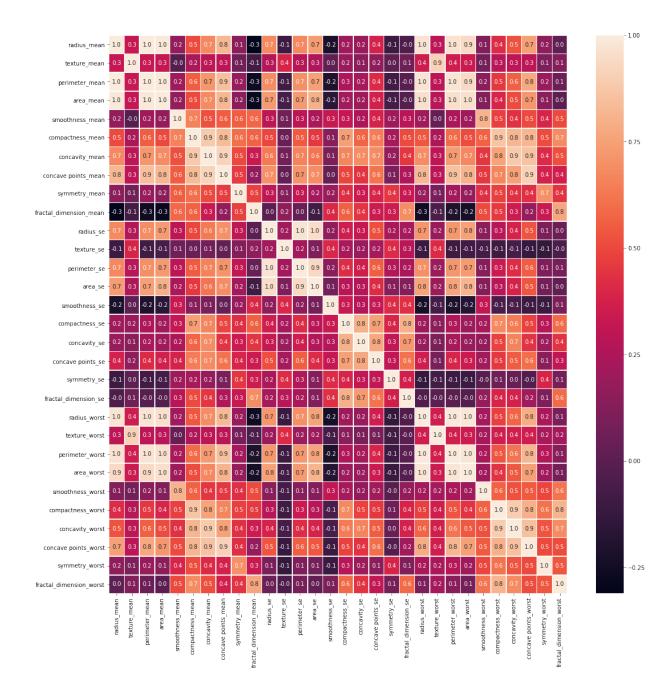
```
In [49]: plt.figure(figsize = (20,10))
    ax = sns.swarmplot(x="features", y="value", hue= "diagnosis", data=dat
    a_trans_melt)
    plt.xticks(rotation = 90)
    ax.tick_params(labelsize = 15)
```



2. Evaluate multi-collinearity through heat map

```
In [13]: f,ax = plt.subplots(figsize=(18, 18))
sns.heatmap(x.corr(), annot=True, linewidths=.5, fmt= '.1f',ax=ax)
```

Out[13]: <matplotlib.axes._subplots.AxesSubplot at 0x1a30f22d30>



From the heat map, we can see there are lots of features corelated with each other - multicollinearity. This indicates that we should do feature selection and PCA to address this issue.

__3. PCA to addresss multicollinearity and get benchmark for predictive model performance

```
In [144]: x_trans = data_trans.drop(['diagnosis'], axis=1)
    x_trans.head()
```

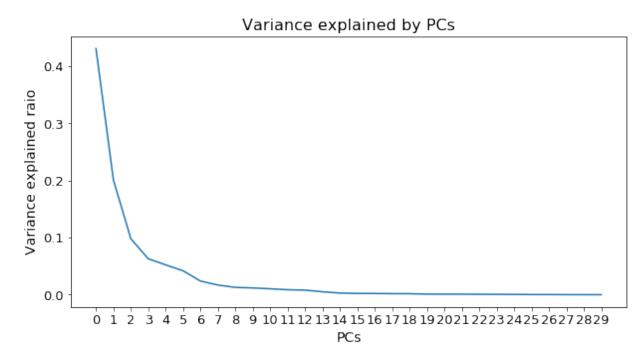
Out[144]:

	radius_mean	texture_mean	perimeter_mean	area_mean	smoothness_mean	comt
0	1.096100	-2.071512	1.268817	0.983510	1.567087	3.280
1	1.828212	-0.353322	1.684473	1.907030	-0.826235	-0.48
2	1.578499	0.455786	1.565126	1.557513	0.941382	1.052
3	-0.768233	0.253509	-0.592166	-0.763792	3.280667	3.399
4	1.748758	-1.150804	1.775011	1.824624	0.280125	0.538

5 rows × 30 columns

```
In [145]: | ## split the dataset into training and testing
          from sklearn.model_selection import train_test_split
          # split data train 70 % and test 30 %
          x train, x test, y train, y test = train test split(x trans, y, test s
          ize=0.3, random state=42)
          ## PCA on training data and plot the percentage of variance explained
          from sklearn.decomposition import PCA
          pca = PCA()
          pca.fit transform(x train)
          plt.figure(figsize = (10,5))
          pcs = np.arange(pca.n components )
          plt.plot(pcs, pca.explained variance ratio )
          plt.xticks(pcs, fontsize = 13)
          plt.yticks(fontsize = 13)
          plt.xlabel("PCs", fontsize = 14)
          plt.ylabel("Variance explained raio", fontsize = 14)
          plt.title("Variance explained by PCs", fontsize = 16)
```

Out[145]: Text(0.5,1,'Variance explained by PCs')



The first **six** capture the most variance in data set. We next look at what original features contribute to the first six PCs and they can considered include in the model.

Out[146]:

		ī	ī	ī	ī	
	0	1	2	3	4	
radius_mean	0.222656	-0.229404	-0.020918	-0.035382	0.061762	0.02335
texture_mean	0.105219	-0.039244	0.036707	0.611434	-0.048591	-0.0806
perimeter_mean	0.230670	-0.210681	-0.021514	-0.037227	0.061470	0.01893
area_mean	0.229600	-0.229335	0.017267	-0.054361	0.024496	-0.0026
smoothness_mean	0.136608	0.181331	-0.124076	-0.157794	-0.384644	-0.2232
compactness_mean	0.229308	0.162642	-0.078284	-0.041616	0.020095	-0.0254
concavity_mean	0.254258	0.068014	-0.005365	-0.030366	0.096398	-0.0330
concave points_mean	0.257850	-0.026583	-0.047610	-0.062613	-0.033636	-0.0388
symmetry_mean	0.142883	0.180462	-0.057396	-0.026522	-0.231231	0.37600
fractal_dimension_mean	0.054644	0.372087	-0.016567	-0.085780	-0.071313	-0.1243
	•					

0.222084	-0.114349	0.269018	-0.089685	-0.193415	-0.0112
0.035205	0.093577	0.316194	0.363017	-0.199626	0.01534
0.225763	-0.093140	0.272784	-0.077251	-0.147647	0.00931
0.221917	-0.161825	0.228757	-0.114406	-0.176612	-0.0460
0.026898	0.207082	0.310815	-0.042212	-0.276929	-0.2903
0.164496	0.241724	0.161598	0.046235	0.269361	0.06151
0.153924	0.202542	0.200424	0.007370	0.351097	0.00728
0.185208	0.146886	0.227056	-0.029102	0.195635	-0.0137
0.052624	0.152600	0.241498	-0.010957	-0.232154	0.53910
0.100984	0.287197	0.221423	-0.031191	0.242697	-0.0454
0.229312	-0.212533	-0.064959	-0.011524	0.018217	-0.0014
0.104381	-0.027828	-0.077596	0.635573	-0.083098	-0.0837
0.236585	-0.190606	-0.064909	-0.008323	0.033143	0.00274
0.229665	-0.213263	-0.028610	-0.028797	-0.011999	-0.0348
0.122394	0.177181	-0.283641	-0.044351	-0.346219	-0.3251
0.191616	0.151784	-0.226346	0.069940	0.127467	0.02539
0.216423	0.101187	-0.169218	0.042960	0.188203	-0.0146
0.244612	0.007480	-0.188201	-0.000303	0.052081	-0.0242
0.119425	0.126063	-0.302632	0.048945	-0.174072	0.52603
0.115315	0.280038	-0.215836	0.011908	0.072457	-0.0833
	0.035205 0.225763 0.221917 0.026898 0.164496 0.153924 0.185208 0.052624 0.100984 0.229312 0.104381 0.236585 0.229665 0.122394 0.191616 0.216423 0.244612 0.119425	0.035205 0.093577 0.225763 -0.093140 0.221917 -0.161825 0.026898 0.207082 0.164496 0.241724 0.153924 0.202542 0.185208 0.146886 0.052624 0.152600 0.100984 0.287197 0.229312 -0.212533 0.104381 -0.027828 0.236585 -0.190606 0.229665 -0.213263 0.191616 0.151784 0.216423 0.101187 0.244612 0.007480 0.119425 0.126063	0.035205 0.093577 0.316194 0.225763 -0.093140 0.272784 0.221917 -0.161825 0.228757 0.026898 0.207082 0.310815 0.164496 0.241724 0.161598 0.153924 0.202542 0.200424 0.185208 0.146886 0.227056 0.052624 0.152600 0.241498 0.100984 0.287197 0.221423 0.229312 -0.212533 -0.064959 0.104381 -0.027828 -0.077596 0.236585 -0.190606 -0.064909 0.229665 -0.213263 -0.028610 0.191616 0.151784 -0.226346 0.216423 0.101187 -0.169218 0.244612 0.007480 -0.188201 0.119425 0.126063 -0.302632	0.035205 0.093577 0.316194 0.363017 0.225763 -0.093140 0.272784 -0.077251 0.221917 -0.161825 0.228757 -0.114406 0.026898 0.207082 0.310815 -0.042212 0.164496 0.241724 0.161598 0.046235 0.153924 0.202542 0.200424 0.007370 0.185208 0.146886 0.227056 -0.029102 0.052624 0.152600 0.241498 -0.010957 0.100984 0.287197 0.221423 -0.031191 0.229312 -0.212533 -0.064959 -0.011524 0.104381 -0.027828 -0.077596 0.635573 0.236585 -0.190606 -0.064909 -0.008323 0.229665 -0.213263 -0.028610 -0.028797 0.122394 0.177181 -0.283641 -0.044351 0.191616 0.151784 -0.226346 0.069940 0.216423 0.101187 -0.169218 0.042960 0.244612 0.007480 -0.188201 -0.000303 0.119425 0.126063 <th>0.035205 0.093577 0.316194 0.363017 -0.199626 0.225763 -0.093140 0.272784 -0.077251 -0.147647 0.221917 -0.161825 0.228757 -0.114406 -0.176612 0.026898 0.207082 0.310815 -0.042212 -0.276929 0.164496 0.241724 0.161598 0.046235 0.269361 0.153924 0.202542 0.200424 0.007370 0.351097 0.185208 0.146886 0.227056 -0.029102 0.195635 0.052624 0.152600 0.241498 -0.010957 -0.232154 0.100984 0.287197 0.221423 -0.031191 0.242697 0.229312 -0.212533 -0.064959 -0.011524 0.018217 0.104381 -0.027828 -0.077596 0.635573 -0.083098 0.229665 -0.213263 -0.028610 -0.028797 -0.011999 0.122394 0.177181 -0.283641 -0.044351 -0.346219 0.191616 0.151784 -0.22634</th>	0.035205 0.093577 0.316194 0.363017 -0.199626 0.225763 -0.093140 0.272784 -0.077251 -0.147647 0.221917 -0.161825 0.228757 -0.114406 -0.176612 0.026898 0.207082 0.310815 -0.042212 -0.276929 0.164496 0.241724 0.161598 0.046235 0.269361 0.153924 0.202542 0.200424 0.007370 0.351097 0.185208 0.146886 0.227056 -0.029102 0.195635 0.052624 0.152600 0.241498 -0.010957 -0.232154 0.100984 0.287197 0.221423 -0.031191 0.242697 0.229312 -0.212533 -0.064959 -0.011524 0.018217 0.104381 -0.027828 -0.077596 0.635573 -0.083098 0.229665 -0.213263 -0.028610 -0.028797 -0.011999 0.122394 0.177181 -0.283641 -0.044351 -0.346219 0.191616 0.151784 -0.22634

The top 2 variables of the first six PCs are summarized below. They can be considered to include in the model.

PC1: concavity_mean, concavity points_mean

PC2: fractal_dimension_mean, fractal_dimension_wrost

PC3: texture_se, smootheness_se
PC4: texture_mean, texture_wrost
PC5: smoothness_mean, concavity_se
PC6: symmetry_se, symmetry_wrost

4. Hand selected features

Based on the matrix correlation and PCA, I handed selected the following 6 features: concavity_mean, fractal_dimension_mean, fractal_dimension_wrost, texture_se, smootheness_se, texture_wrost

Classification Models

Model I: Logistic regression

From data exploratory analysis, we know that multi-linearality exists. We exame the performance of using **all** data, hand-selected features and sklearn selected feature with logistic regession.

Logistic regression on all features

```
In [147]: ## functions to compute the model performance matrix
          # Import metrics functions from sklearn
          from sklearn.metrics import precision score, accuracy score, recall sc
          ore, f1 score, roc auc score
          # Helper method to print metric scores
          def get performance metrics(y train, p train pred, y test, p test pred
          , threshold=0.5):
              metric_names = ['AUC','Accuracy','Precision','Recall','f1-score']
              metric values train = [roc auc score(y train, p train pred),
                              accuracy_score(y_train, p_train_pred>threshold),
                              precision score(y train, p train pred>threshold),
                              recall_score(y_train, p_train_pred>threshold),
                              f1 score(y train, p train pred>threshold)
              metric_values_test = [roc_auc_score(y_test, p_test_pred),
                              accuracy_score(y_test, p_test_pred>threshold),
                              precision score(y test, p test pred>threshold),
                              recall score(y test, p test pred>threshold),
                              f1 score(y test, p test pred>threshold)
              all metrics = pd.DataFrame({'metrics':metric names,
                                           'train':metric values train,
                                           'test':metric values test},columns=['m
          etrics','train','test']).set index('metrics')
              print(all metrics)
```

```
In [148]: ## convert the y into binary model
          y_train_binary = y_train
          y_test_binary = y_test
          y train binary = y train binary.replace(['M'], 1)
          y_test_binary = y_test_binary.replace(['M'], 1)
          y train binary = y train binary.replace(['B'], 0)
          y test binary = y test binary.replace(['B'], 0)
In [149]: np.shape(x train)
Out[149]: (398, 30)
In [150]: # Import logistic regression from sklearn
          from sklearn.linear model import LogisticRegression
          # Initialize model by providing parameters
          # http://scikit-learn.org/stable/modules/generated/sklearn.linear mode
          1.LogisticRegression.html
          #clf = LogisticRegression(C=1.0, penalty='12')
          clf = LogisticRegression()
          # Fit a model by providing X and y from training set
          clf.fit(x train, y train binary)
          # Make prediction on the training data
          y train pred = clf.predict(x train)
          p train pred = clf.predict proba(x train)[:,1]
          # Make predictions on test data
          y test pred = clf.predict(x test)
          p test pred = clf.predict proba(x test)[:,1]
```

1. Logistic regression with full data set

```
In [151]: # print model results
    get_performance_metrics(y_train_binary, p_train_pred, y_test_binary, p
    _test_pred)
```

	train	test
metrics		
AUC	0.997143	0.998089
Accuracy	0.987437	0.982456
Precision	0.993151	0.968750
Recall	0.973154	0.984127
f1-score	0.983051	0.976378

2. Logistic regression with 6 hand-selected features

```
In [152]:
          #selected features = [u'texture se', u'smoothness se', u'texture worst
          selected features = [u'concavity mean', u'fractal dimension mean', u'f
          ractal dimension worst', u'texture se', u'smoothness se', u'texture wo
          rst'l
          x train handSelected = x train[selected features]
          x test handSelected = x test[selected features]
          #clf = LogisticRegression(C=1.0, penalty='12')
          clf = LogisticRegression()
          # Fit a model by providing X and y from training set
          clf.fit(x train handSelected, y train binary)
          # Make prediction on the training data
          y train pred = clf.predict(x train handSelected)
          p train pred = clf.predict proba(x train handSelected)[:,1]
          # Make predictions on test data
          y test pred = clf.predict(x test handSelected)
          p test pred = clf.predict proba(x test handSelected)[:,1]
          get performance metrics(y train binary, p train pred, y test binary, p
          test pred)
```

	train	test
metrics		
AUC	0.974367	0.981922
Accuracy	0.932161	0.953216
Precision	0.917808	0.936508
Recall	0.899329	0.936508
f1-score	0.908475	0.936508

Out[152]: 0.9532163742690059

3. Logistic regression with cross validation & grid search with all features

```
In [ ]:
          # define function to perform train, test, and get model performance
          def train test model(clf, X train, y train, X test, y test):
              # Fit a model by providing X and y from training set
              clf.fit(X train, y train)
              # Make prediction on the training data
              y train pred = clf.predict(X train)
              p train pred = clf.predict proba(X train)[:,1]
              # Make predictions on test data
              y test pred = clf.predict(X test)
              p test pred = clf.predict proba(X test)[:,1]
              # print model results
              get performance metrics(y train, p train pred, y test, p test pred
          )
              #plot roc curve(y train, p train pred, y test, p test pred)
In [162]:
          from sklearn.ensemble import RandomForestClassifier
          from sklearn.metrics import make scorer, roc auc score, accuracy score
          from sklearn.model selection import GridSearchCV
          # Choose the type of classifier.
          clf = LogisticRegression()
          # Choose some parameter combinations to try
          param grid = \{'C': [0.5, 1.5],
                         'max iter': [50,150]
          # Type of scoring used to compare parameter combinations
          acc scorer = make scorer(roc auc score)
          # Run the grid search
          # read theory
          grid obj = GridSearchCV(clf, param grid, cv=5, scoring=acc scorer)
          grid obj = grid obj.fit(x train, y train binary)
          # Set the clf to the best combination of parameters
          clf = grid obj.best estimator
Out[162]: LogisticRegression(C=0.5, class weight=None, dual=False, fit interce
          pt=True,
                    intercept scaling=1, max iter=50, multi class='ovr', n job
          s=1,
                    penalty='12', random state=None, solver='liblinear', tol=0
          .0001,
```

verbose=0, warm start=False)

Model II: Random forest

1. Random forest with all features

```
In [153]:
          from sklearn.ensemble import RandomForestClassifier
          # Choose some parameter combinations to try
          parameters = {'n_estimators': 50,
                         'max features': 'auto',
                         'criterion': 'gini',
                         'max depth': 20,
                         'min samples split': 2,
                         'min samples leaf': 20,
                         'random state': 0,
                         'n jobs': -1
                         }
          clf = RandomForestClassifier()
          # Fit a model by providing X and y from training set
          #clf.fit(x train, y train)
          # Train test model
          train test model(clf, x train, y train binary, x test, y test binary)
```

```
train
                         test
metrics
AUC
          0.999865
                    0.996032
          0.992462 0.953216
Accuracy
Precision 0.986667
                    0.966102
Recall
          0.993289
                    0.904762
f1-score
                    0.934426
          0.989967
```

2. Random forest with hand-selected six features

	train	test
metrics		
AUC	0.999488	0.970018
Accuracy	0.997487	0.918129
Precision	1.000000	0.915254
Recall	0.993289	0.857143
f1-score	0.996633	0.885246

3. Random forest with cross validation & grid search

```
In [157]:
          from sklearn.ensemble import RandomForestClassifier
          from sklearn.metrics import make scorer, roc auc score, accuracy score
          from sklearn.model selection import GridSearchCV
          # Choose the type of classifier.
          clf = RandomForestClassifier()
          # Choose some parameter combinations to try
          param grid = {'n estimators': [100,200],
                         'max features': ['auto'],
                         'criterion': ['gini'],
                         'max depth': [15,20],
                         'min samples split': [2],
                         'min samples leaf': [2,10],
                         'n jobs':[-1]
          # Type of scoring used to compare parameter combinations
          acc scorer = make scorer(roc auc score)
          # Run the grid search
          # read theory
          grid obj = GridSearchCV(clf, param grid, cv=5, scoring=acc scorer)
          grid obj = grid obj.fit( train, y train)
          # Set the clf to the best combination of parameters
          clf = grid obj.best estimator
          # Fit the best algorithm to the data.
          clf.fit(x train, y train)
Out[157]: RandomForestClassifier(bootstrap=True, class_weight=None, criterion=
          'gini',
                      max depth=15, max features='auto', max leaf nodes=None,
                      min impurity decrease=0.0, min impurity split=None,
                      min samples leaf=2, min samples split=2,
                      min weight fraction leaf=0.0, n estimators=100, n jobs=-
          1,
                      oob score=False, random state=None, verbose=0,
```

warm start=False)

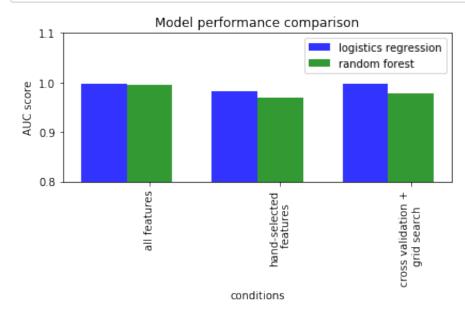
In [159]: train_test_model(clf, x_train_handSelected, y_train_binary, x_test_han
dSelected, y_test_binary)

	train	test
metrics		
AUC	0.999407	0.978395
Accuracy	0.984925	0.912281
Precision	0.979866	0.875000
Recall	0.979866	0.888889
f1-score	0.979866	0.881890

Model comparison and conclusion

In []: ## plot the performance of two methods

```
In [187]:
          n methods = 3
          auc log = (0.998089, 0.981922, 0.998383)
          auc ef = (0.996032, 0.970018, 0.978395)
          bar width = 0.35
          opacity = 0.8
          fig, ax = plt.subplots()
          index - np.arange(n_methods)
          plt.bar(index, auc log, bar width, alpha = opacity, color='b', label =
          "logistics regression" )
          plt.bar(index+bar width, auc ef, bar width, alpha = opacity, color='g'
          , label = "random forest" )
          plt.xlabel('conditions')
          plt.ylabel('AUC score')
          plt.title('Model performance comparison')
          plt.xticks(index + bar width, ('all features', 'hand-selected\n
          features', 'cross validation +\n grid search'), rotation=90)
          plt.legend(loc=1)
          plt.ylim(0.8,1.1)
          plt.tight layout()
          plt.show()
```



- Both models achieve good performance (AUC>0.97) on all conditions
- In general, logistic regression perform bettern than random forest on this data set
- Reduce number of features lead to lower performance for both logistic regression and random forest