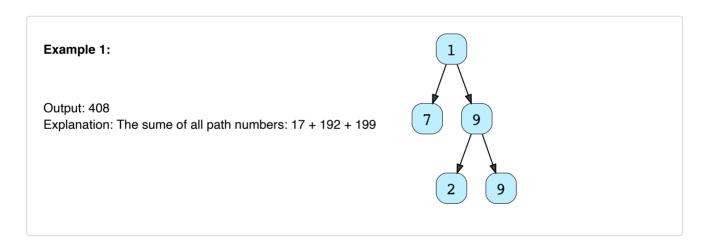
Sum of Path Numbers (medium)

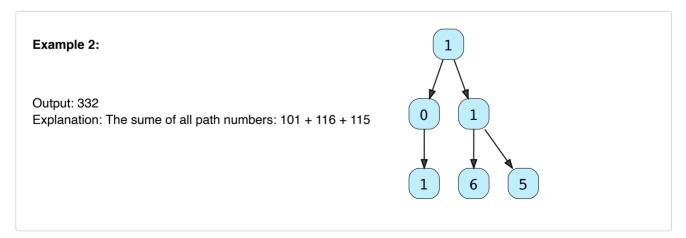
We'll cover the following ^

- Problem Statement
- Try it yourself
- Solution
- Code
 - Time complexity
 - Space complexity

Problem Statement

Given a binary tree where each node can only have a digit (0-9) value, each root-to-leaf path will represent a number. Find the total sum of all the numbers represented by all paths.





Try it yourself

Try solving this question here:

```
JS JS
                                     C++
 1 class TreeNode:
      def __init__(self, val, left=None, right=None):
 2
 3
        self.val = val
 4
         self.left = left
 5
         self.right = right
 6
 7
 8
    def find_sum_of_path_numbers(root):
 9
      # TODO: Write your code here
10
       return -1
11
12
13
14
    def main():
15
      root = TreeNode(1)
16
       root.left = TreeNode(0)
17
      root.right = TreeNode(1)
18
       root.left.left = TreeNode(1)
19
       root.right.left = TreeNode(6)
       root.right.right = TreeNode(5)
20
21
       print("Total Sum of Path Numbers: " + str(find_sum_of_path_numbe
22
23
24
    main()
25
\triangleright
                                                                                  \leftarrow
                                                                                             []
```

Solution

This problem follows the Binary Tree Path Sum

(https://www.educative.io/collection/page/5668639101419520/5671464854355968/564268427850 5472/) pattern. We can follow the same **DFS** approach. The additional thing we need to do is to keep track of the number representing the current path.

How do we calculate the path number for a node? Taking the first example mentioned above, say we are at node '7'. As we know, the path number for this node is '17', which was calculated by: $1 * 10 + 7 \Rightarrow 17$. We will follow the same approach to calculate the path number of each node.

Code

Here is what our algorithm will look like:

```
Java Python3  C++ Js JS

1 class TreeNode:
2  def __init__(self, val, left=None, right=None):
3   self.val = val
4   self.left = left
5   self.right = right
6
-
```

```
def find sum_of_path_numbers(root):
       return find_root_to_leaf_path_numbers(root, 0)
ĺЙ
11
12
    def find_root_to_leaf_path_numbers(currentNode, pathSum):
13
      if currentNode is None:
14
        return 0
15
      # calculate the path number of the current node
16
      pathSum = 10 * pathSum + currentNode.val
17
18
      # if the current node is a leaf, return the current path sum
19
20
      if currentNode.left is None and currentNode.right is None:
21
        return pathSum
22
23
      # traverse the left and the right sub-tree
24
      return find_root_to_leaf_path_numbers(currentNode.left, pathSum)
25
26
    def main():
27
28
      root = TreeNode(1)
\triangleright
                                                                                   []
```

Time complexity

The time complexity of the above algorithm is O(N), where 'N' is the total number of nodes in the tree. This is due to the fact that we traverse each node once.

Space complexity

The space complexity of the above algorithm will be O(N) in the worst case. This space will be used to store the recursion stack. The worst case will happen when the given tree is a linked list (i.e., every node has only one child).

