Triplet Sum Close to Target (medium)

We'll cover the following

Problem Statement

Given an array of unsorted numbers and a target number, find a **triplet in the array whose sum is as close to the target number as possible**, return the sum of the triplet. If there are more than one such triplet, return the sum of the triplet with the smallest sum.

Example 1:

```
Input: [-2, 0, 1, 2], target=2
Output: 1
Explanation: The triplet [-2, 1, 2] has the closest sum to the target.
```

Example 2:

```
Input: [-3, -1, 1, 2], target=1
Output: 0
Explanation: The triplet [-3, 1, 2] has the closest sum to the target.
```

Example 3:

```
Input: [1, 0, 1, 1], target=100
Output: 3
Explanation: The triplet [1, 1, 1] has the closest sum to the target.
```

Try it yourself

Try solving this question here:

Java | Python3 | JS | C++

```
def triplet_sum_close_to_target(arr, target_sum):
  # TODO: Write your code here
  return -1

```

Solution

This problem follows the **Two Pointers** pattern and is quite similar to Triplet Sum to Zero (https://www.educative.io/collection/page/5668639101419520/5671464854355968/5679549973004288/).

We can follow a similar approach to iterate through the array, taking one number at a time. At every step, we will save the difference between the triplet and the target number, so that in the end, we can return the triplet with the closest sum.

Code

Here is what our algorithm will look like:

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```
import math


def triplet_sum_close_to_target(arr, target_sum):
  arr.sort()
  smallest_difference = math.inf
  for i in range(len(arr)-2):
    left = i + 1
    right = len(arr) - 1
    while (left < right):
      target_diff = target_sum - arr[i] - arr[left] - arr[right]
      if target_diff == 0:  # we've found a triplet with an exact sum
        return target_sum - target_diff  # return sum of all the numbers

      # the second part of the following 'if' is to handle the smallest sum when we have m
      if abs(target_diff) < abs(smallest_difference) or (abs(target_diff) == abs(smallest_
        smallest_difference = target_diff  # save the closest and the biggest difference

      if target_diff > 0:
        left += 1  # we need a triplet with a bigger sum
      else:
        right -= 1  # we need a triplet with a smaller sum

  return target_sum - smallest_difference


def main():
  print(triplet sum close to target([-2, 0, 1, 2], 2))
```

Time complexity

Sorting the array will take $O(N * logN)$. Overall `searchTriplet()` will take $O(N * logN + N^2)$, which is asymptotically equivalent to $O(N^2)$.

Space complexity

The space complexity of the above algorithm will be $O(N)$ which is required for sorting.