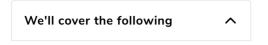




Solution Review: Find Two Numbers that Add up to "k"

This review provides a detailed analysis of the different ways to solve the find two numbers that add up to k.



- Solution #1: Brute Force
 - Time Complexity
- Solution #2: Sorting the List
 - Time Complexity
- Solution #3: Moving indices
 - Time Complexity

Solution #1: Brute Force

```
def find_sum(lst, k):
 2
        # iterate lst with i
 3
        for i in range(len(lst)):
            # iterate lst with j
             for j in range(len(lst)):
                 # if sum of two iterators is k
                 # and i is not equal to j
 8
                 # then we have our answer
 9
                 if(lst[i]+lst[j] is k and i is not j):
10
                     return [lst[i], lst[j]]
11
12
    print(find_sum([1, 2, 3, 4], 5))
\triangleright
```

This is the most time intensive but intuitive solution. Traverse the whole list of size, say \mathbf{s} , for each element in the list and check if any of the two elements add up to the given number $\,\mathbf{k}$. So, using two nested for-loops each iterating over the entire list will serve the purpose.

Time Complexity

Since we iterate over the entire list of k elements, n times in the worst case, therefore, the time complexity is $O(n^2)$.

Solution #2: Sorting the List

```
1 def binary_search(a, item):
2   first = 0
3   last = len(a) - 1
4   found = False
5   index = -1
6   while first <= last and not found:
7   mid = (first + last) // 2</pre>
```

```
8
             if a[mid] == item:
 9
                 index = mid
10
                 found = True
11
             else:
                 if item < a[mid]:</pre>
12
                     last = mid - 1
13
14
                 else:
15
                     first = mid + 1
16
        if found:
17
             return index
18
        else:
19
             return -1
20
21
22 def find sum(lst, k):
23
        lst.sort()
24
        for j in range(len(lst)):
25
             # find the difference in list through binary search
26
             # return the only if we find an index
27
            index = binary_search(lst, k -lst[j])
28
             if index is not -1 and index is not j:
29
                 return [lst[j], k -lst[j]]
30
31
32
33 print(find_sum([1, 5, 3], 2))
34 print(find_sum([1, 2, 3, 4], 5))
                                                                                            \leftarrow
\triangleright
```

While solution #1 is very intuitive, it is not very time efficient. A better way to solve this challenge is by first sorting the list. Then for each element in the list, use a binary search to look for the difference between that element and the intended sum. In other words, if the intended sum is k and the first element of the sorted list is a_0 , then we will do a binary search for k- a_0 . The search is repeated for every a_i up to a_n until one is found." You can implement the binary_search() function however you like, recursively or iteratively.

Time Complexity

Since most optimal comparison-based sorting functions take O(nlogn), let's assume that the Python <code>.sort()</code> function takes the same. Moreover, since binary search takes O(logn) time for a finding a single element, therefore a binary search for all n elements will take O(nlogn) time."

Solution #3: Moving indices

```
1 def find_sum(lst, k):
2  # sort the list
3  lst.sort()
4  index1 = 0
5  index2 = len(lst) - 1
6  result = []
```

```
7
        sum = 0
 8
        # iterate from front and back
        # move accordingly to reach the sum to be equal to k
10
        # returns false when the two indices meet
        while (index1 != index2):
11
             sum = lst[index1] + lst[index2]
12
13
             if sum < k:
14
                 index1 += 1
15
             elif sum > k:
16
                 index2 -= 1
17
            else:
18
                 result.append(lst[index1])
                 result.append(lst[index2])
19
20
                 return result
21
         return False
22
23
24 print(find_sum([1, 2, 3, 4], 5))
    print(find_sum([1, 2, 3, 4], 2))
\triangleright
                                                                                    []
```

Time Complexity

The linear scan takes O(n) and sort takes O(nlogn). The time complexity becomes O(nlogn) + O(n) because the sort and the linear scan are done one after the other. The overall would be O(nlogn) in the worst case.

Note: The solution provided above is not the optimal solution for this problem. We can write a more efficient solution using hashing. We will cover that approach in Hashing Chapter: Challenge 8 (https://www.educative.io/courses/data-structures-in-python-an-interview-refresher/B13DmMq4YRJ)

