

Red-Black Tree Insertion

This lesson will cover the insertion operation in Red-Black trees, discussing all the four insertion cases.

We'll cover the following

- Insertion in Red-Black Tree
- Rebalancing the Tree
 - Case 1: Left-Left
 - Case 2: Left-Right
 - Case 3: Right-Right
 - Case 4: Right-Left

Insertion in Red-Black Tree

Here is a high-level description of the algorithm involved in inserting a value in a Red-Black Tree:

- 1. Insert the given node using the standard BST Insertion technique that we studied earlier and color it **Red**.
- 2. If the given node is the root, then change its color to **Black**
- 3. If the given node is not the root, then we will have to perform some operations to make the tree follow the Red-Black property.

Rebalancing the Tree

There are two ways to balance an unbalanced tree:

- 1. Recoloring Nodes
- 2. Rotating Nodes (left or right)

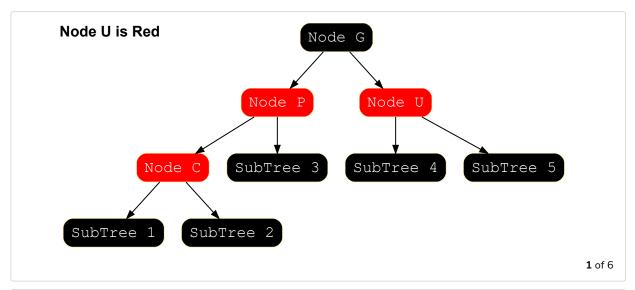
But before the details are explained, let's define the structure of the Red-Black Tree and some nodes relative to the given node, which is the node that we inserted in the Tree.

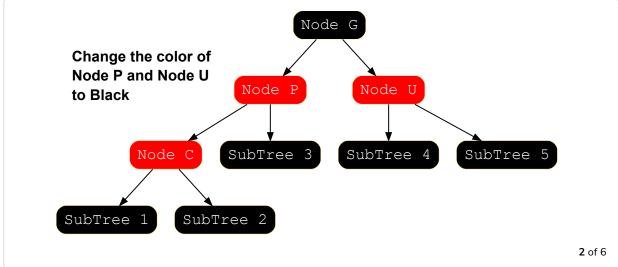
- Node C the newly inserted node
- Node P the parent of the newly inserted node
- Node G the grandparent of the newly inserted node
- Node U the sibling of the parent of the newly inserted node, i.e., the sibling of Node P / child of Node G

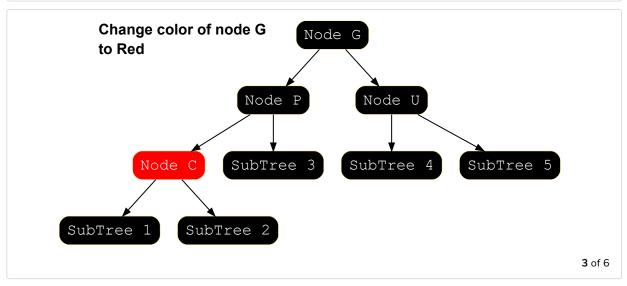
If the newly inserted node is not a root and the parent of the newly inserted node is not **Black**, first, we will check Node U which is the and based on Node U's color, we balance the tree. If

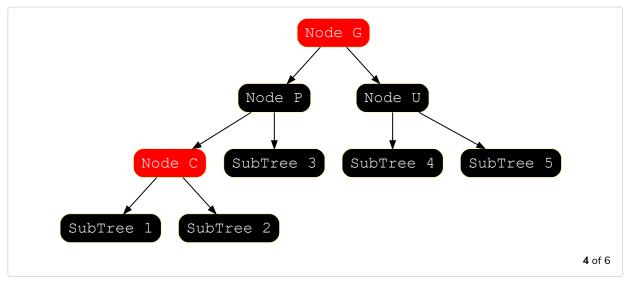


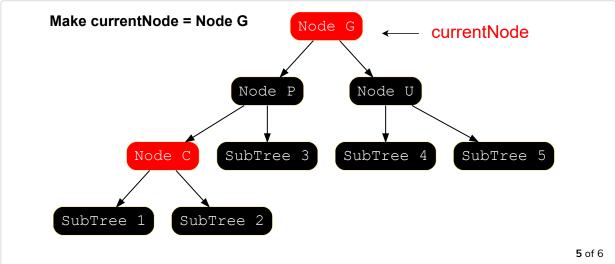
- 1. Change color of Node P and U to Black
- 2. Change color of Node G to Red
- 3. Make Node G the new currentNode and repeat the same process from step two

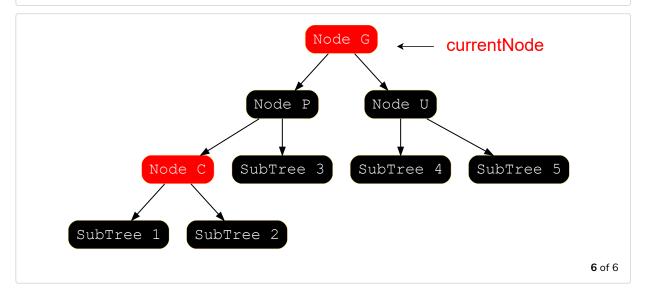












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If Node U is Black, then we come across four different scenarios based on the arrangements of Node P and G, just like we did in AVL trees. We will cover each of these scenarios and try to help you understand through illustrations.

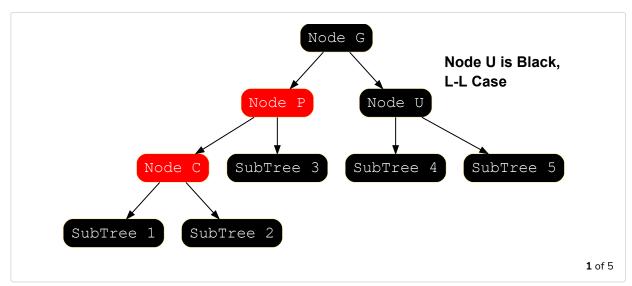
• Left-Left: Node P is the leftChild of Node G and currentNode is the leftChild of Node P

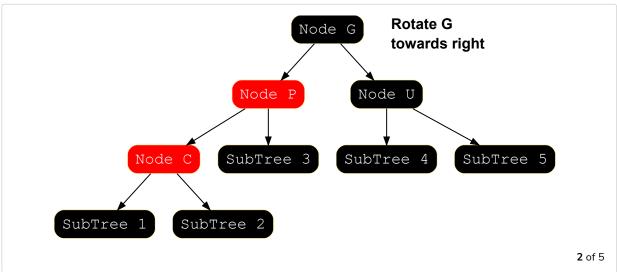
- Left-Right: Node P is the leftChild of Node G and currentNode is the rightChild of Node P
- Right-Right: Node P is the rightChild of Node G and currentNode is the rightChild of Node P
- Right-Left: Node P is the rightChild of Node G and currentNode is the leftChild of Node P

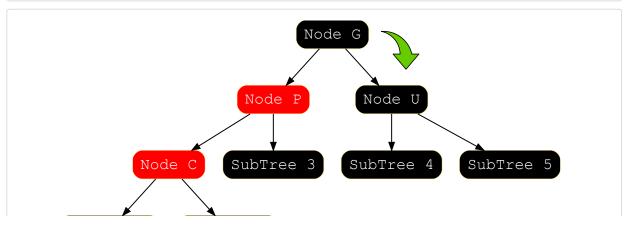
Case 1: Left-Left

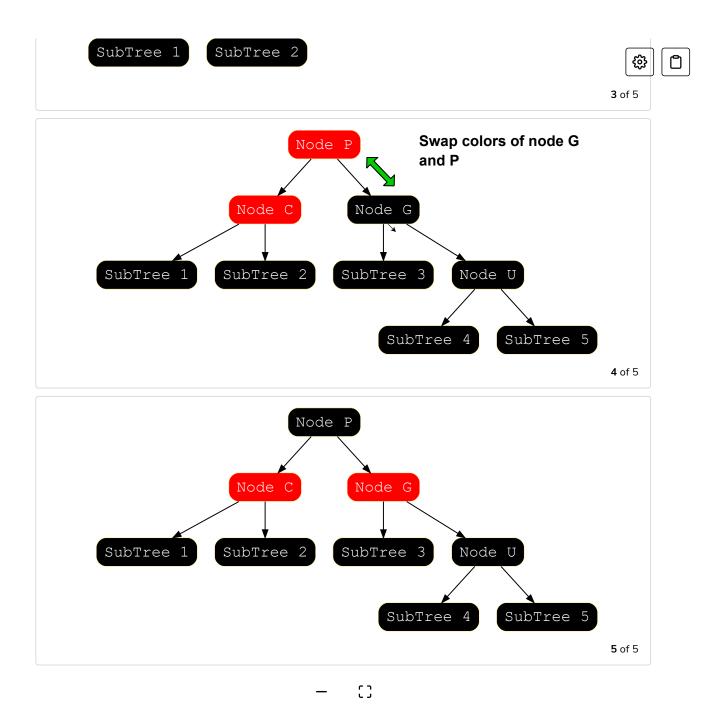
In case when the Node P is the *leftChild* of Node G and *currentNode* is the *leftChild* of Node P, we perform the following steps. Look at the illustration below for a better understanding.

- 1. Right Rotate Node G
- 2. Swap the colors of Nodes G and P







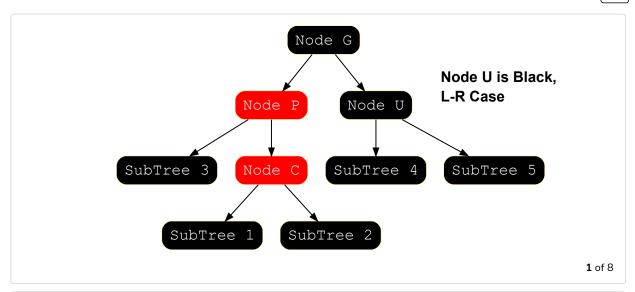


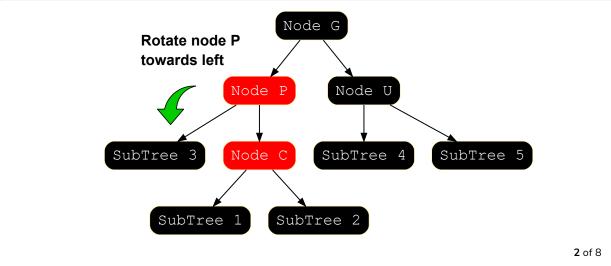
Case 2: Left-Right

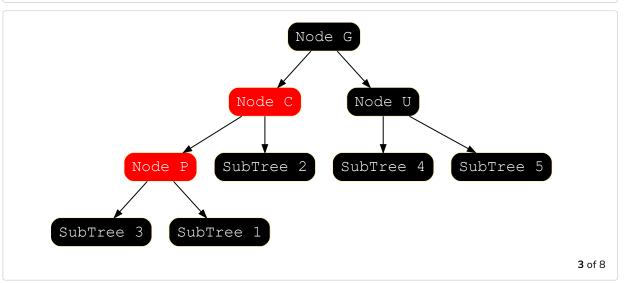
In the case when the Node P is the *leftChild* of Node G and the currentNode is the *rightChild* of Node P, we perform the following steps. Look at the illustration below for better understanding:

- 1. Left Rotate Node P
- 2. After that, repeat the steps that we covered in the Left-Left case

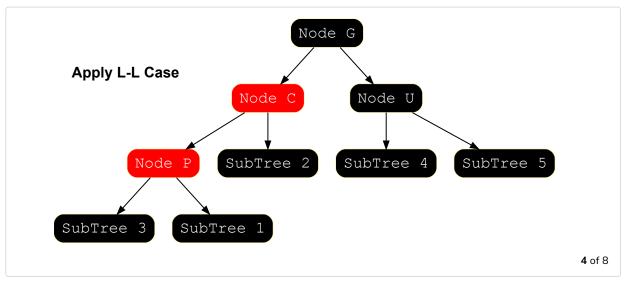


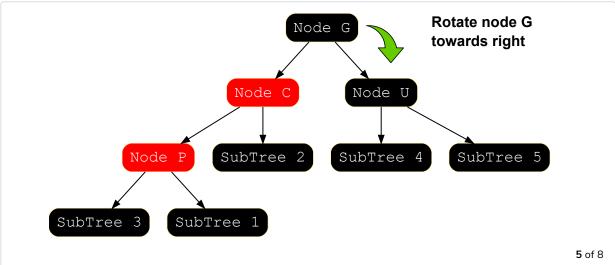


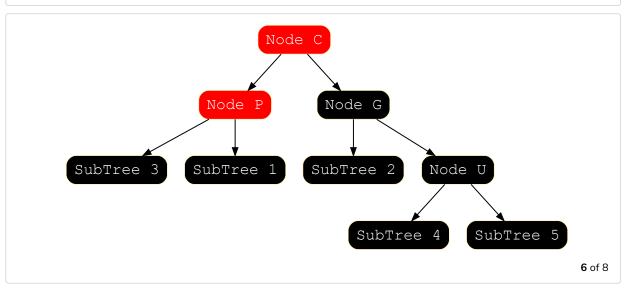


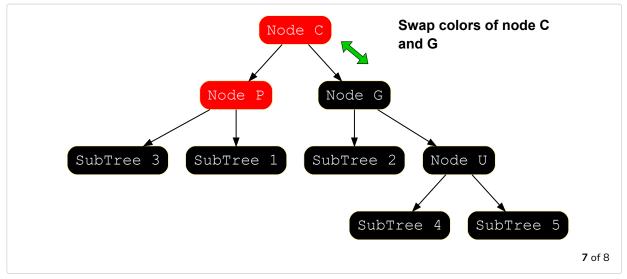


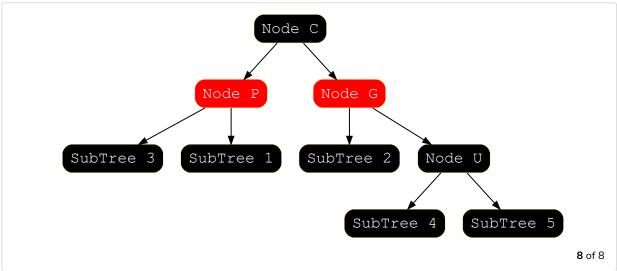










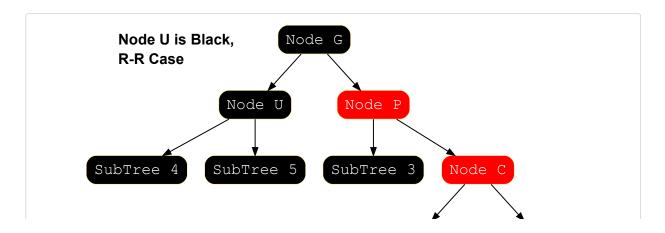


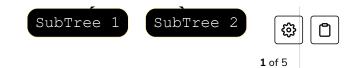
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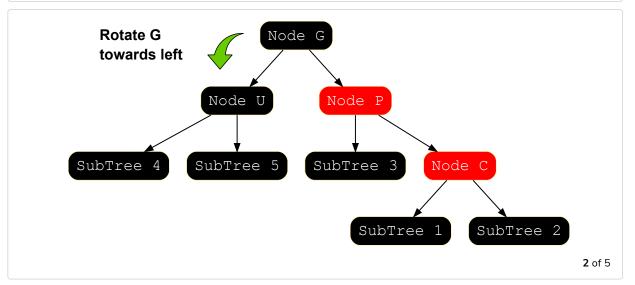
Case 3: Right-Right

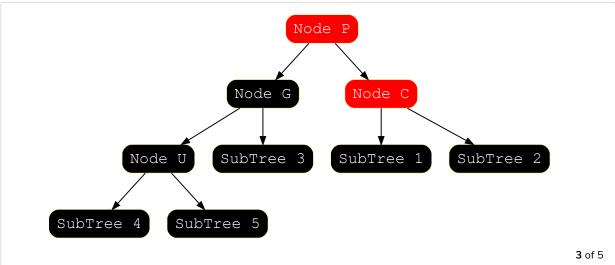
In the case when Node P is the *rightChild* of Node G and the *currentNode* is the *rightChild* of Node P, we perform the following steps. Look at the illustration below for a better understanding.

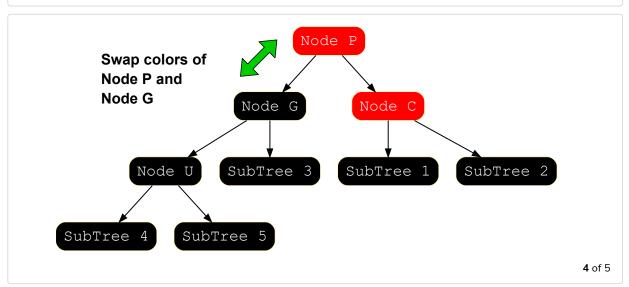
- 1. Left Rotate Node G
- 2. Swap colors of Node G and P



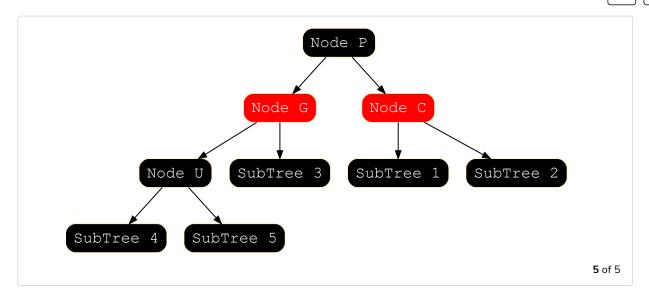










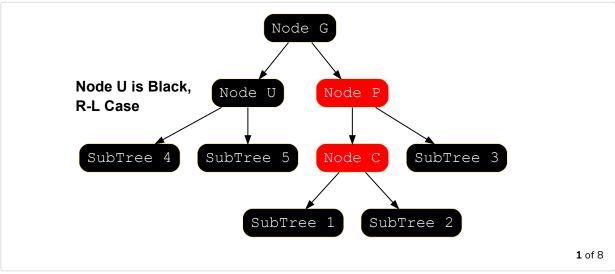


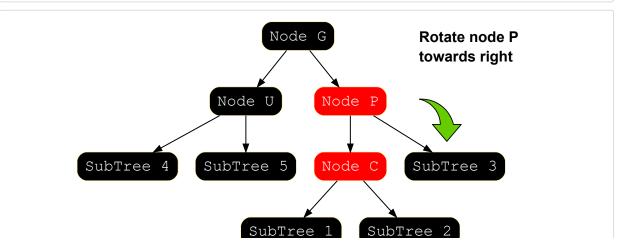
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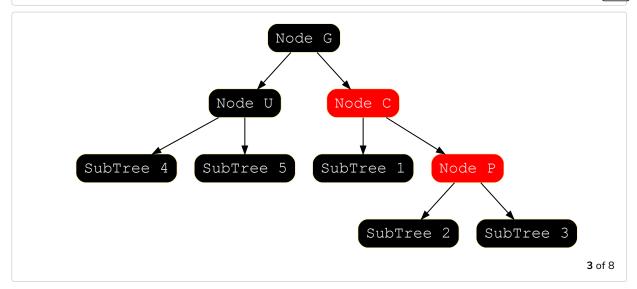
Case 4: Right-Left

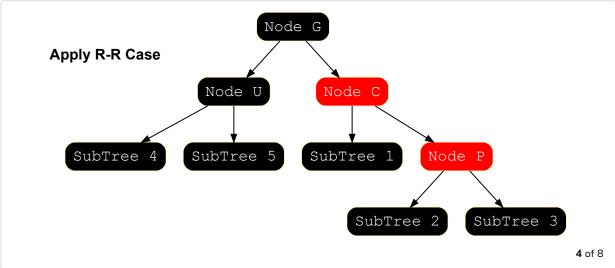
In the case when Node P is the *rightChild* of Node G and the *currentNode* is the *leftChild* of Node P, we perform the following steps. Look at the illustration below for a better understanding.

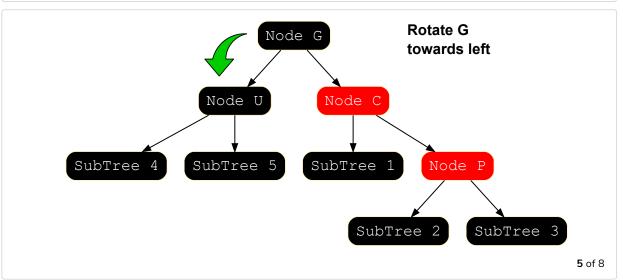
- 1. Right Rotate Node P
- 2. After that, repeat the steps that we covered in Right-Right case

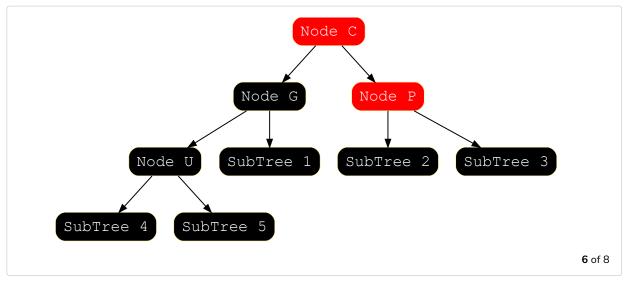


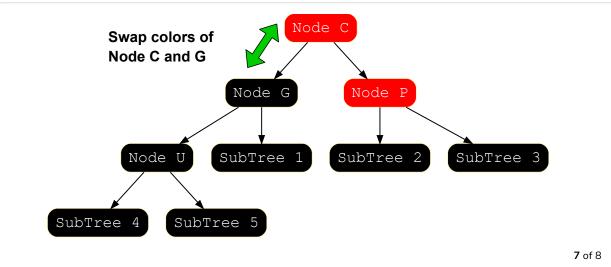


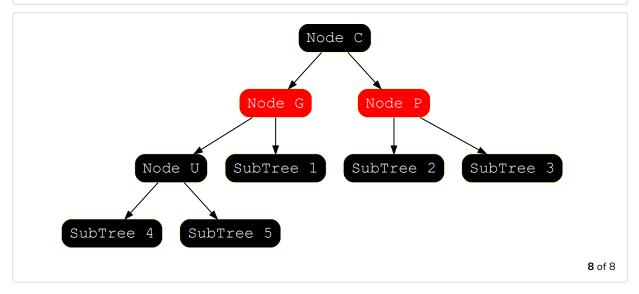












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In the next lesson, we'll study red-black tree deletion!

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What is a Red-Black Tree?

Red-Black Tree Deletion (5)

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