

## Challenge 4:

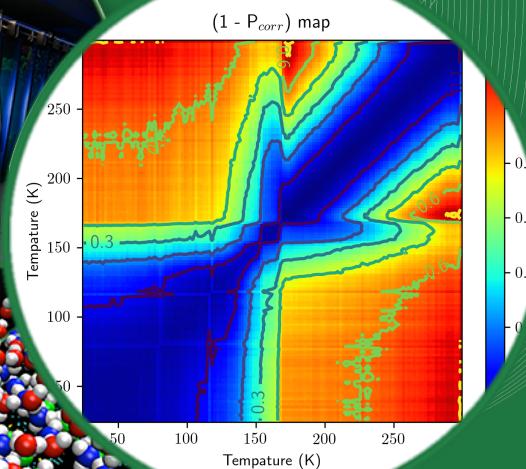
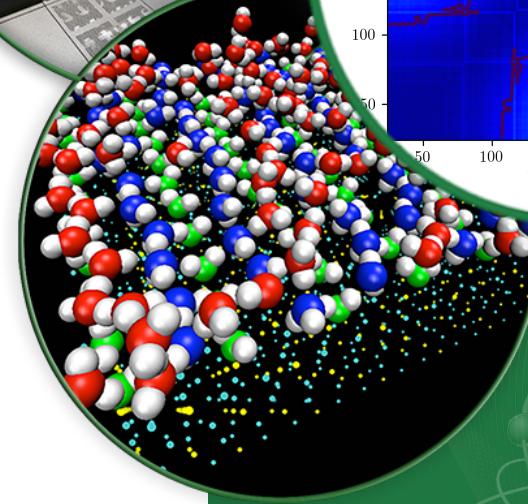
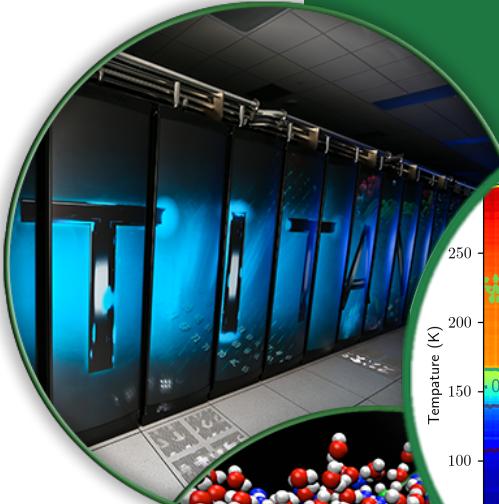
# Automated Discovery of Temperature Dependent Structural Change

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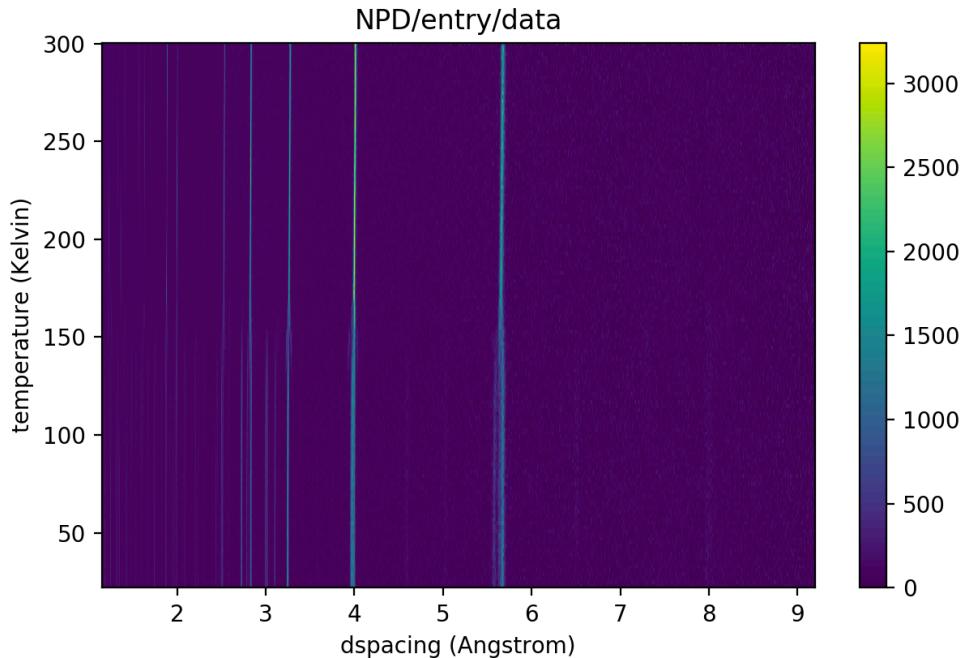
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# Introduction

2D Data:  $I = I(d, T)$

Parameterized study of neutron powder diffraction experiments as a function of temperature.

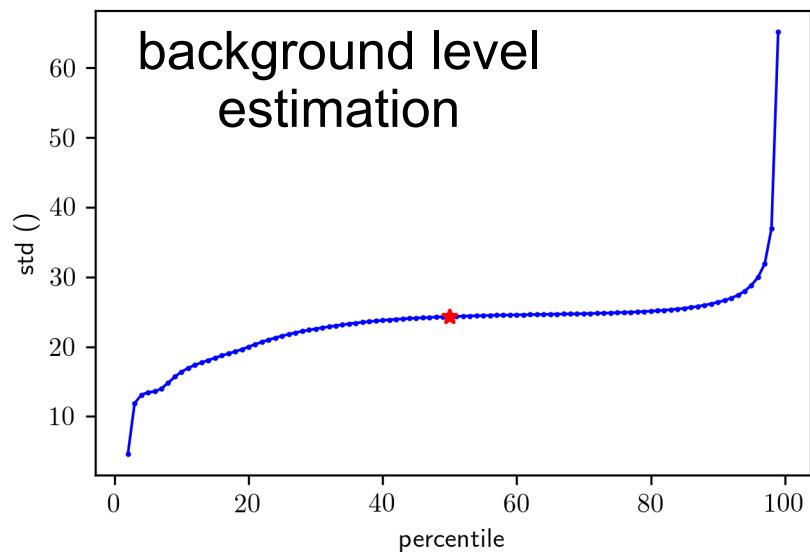
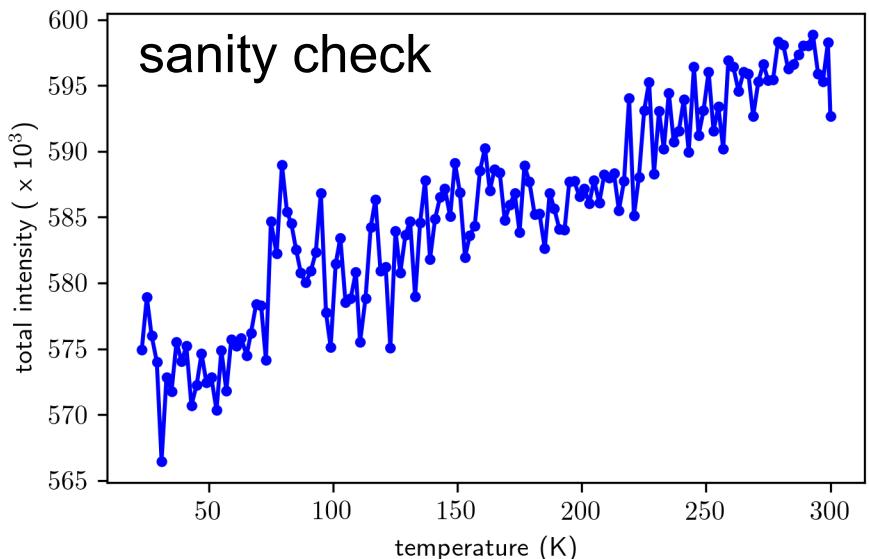


Four tasks (rephrased):

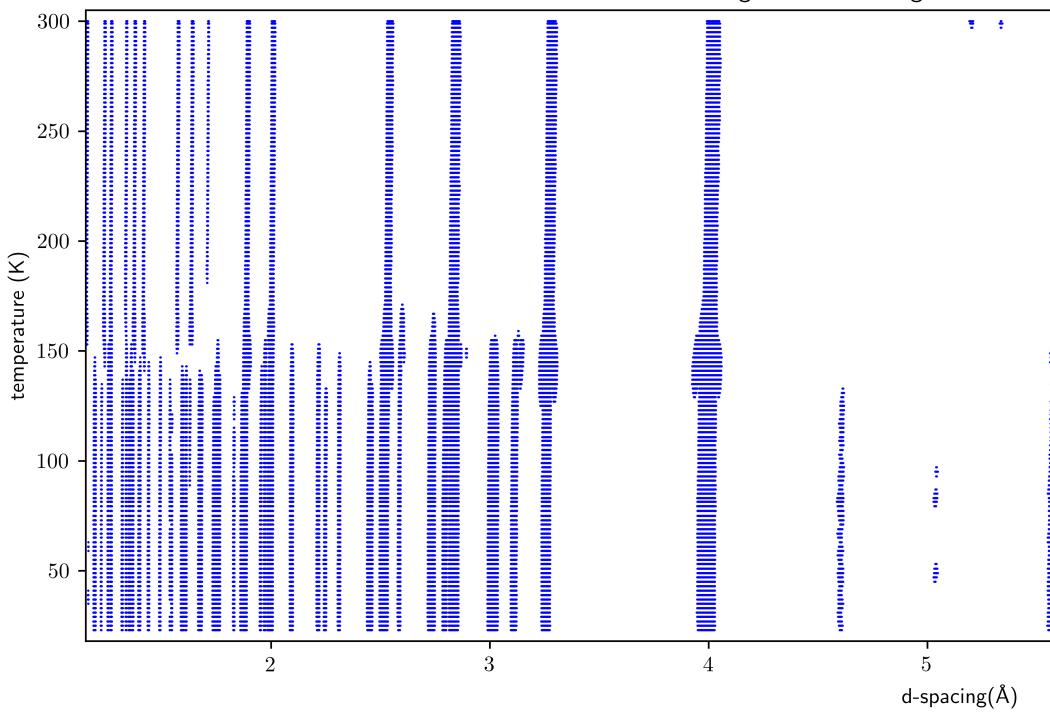
1. Provides the structural transition temperature.
2. Provides the intensity, center and width on the signal between 3.2 and 3.3 Å as a function of temperature.
3. Provides the signal information for all peaks at a given temperature.
4. Indicates if a phase transition occurred between two adjacent temperatures. Generates information for all peaks that are at least 1.5x above background in under 5 seconds.

We implemented algorithms in Python using the **numpy** library and the **jupyter** notebook. We have also used the following packages: **scipy**, **sklearn**, **matplotlib**, **nexusformat**. We have also tested **multiprocessing**, **numba** and **ipyparallel** to speed up for task #4.

# Q0: Characteristics of the data

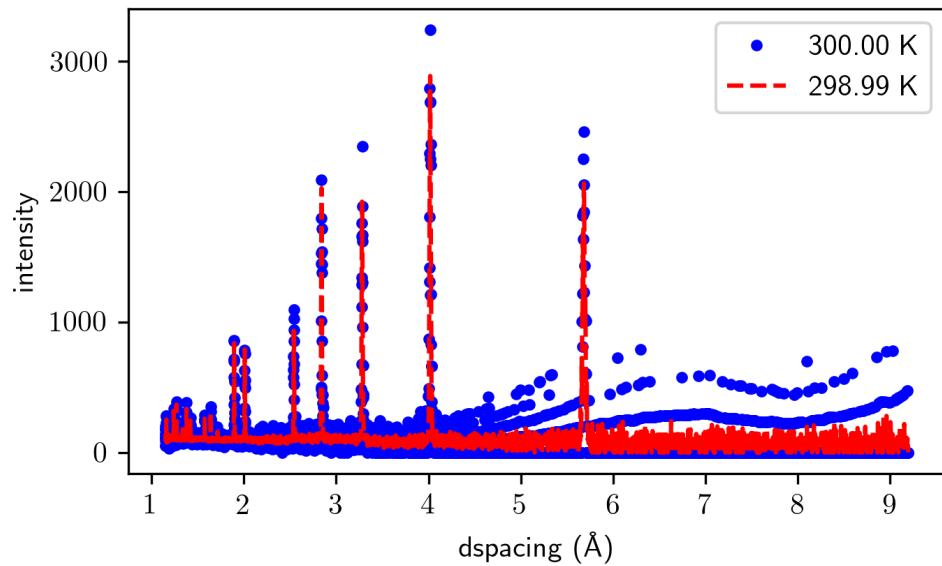
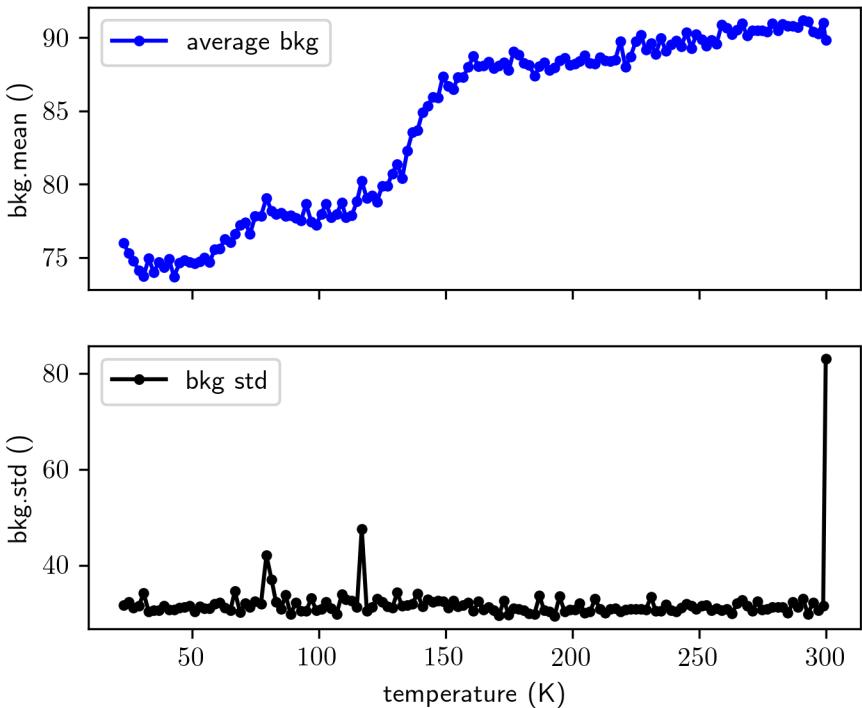


Signal above background found by DBSCAN.



Regions of signal above bkg  
found via DBSCAN.

## Q0: Characteristics of the data- cont.

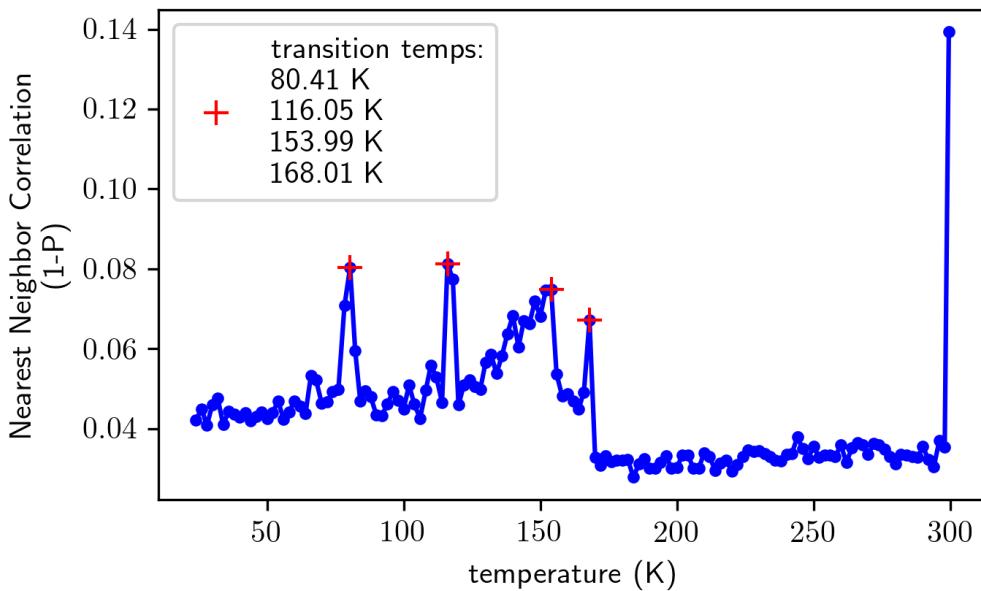


- Statistical analysis on the background found by DBSCAN shows an anomaly at the last temperature, indicated by a high std.
  - ✓ *caused by the high noise level at 300 K.*

# Q1: the structural transition temperature

Key algorithms:

- (1) Pearson's correlation function between two temperatures.
- (2) Wavelet transformation to find the peak location in Pearson correlation function

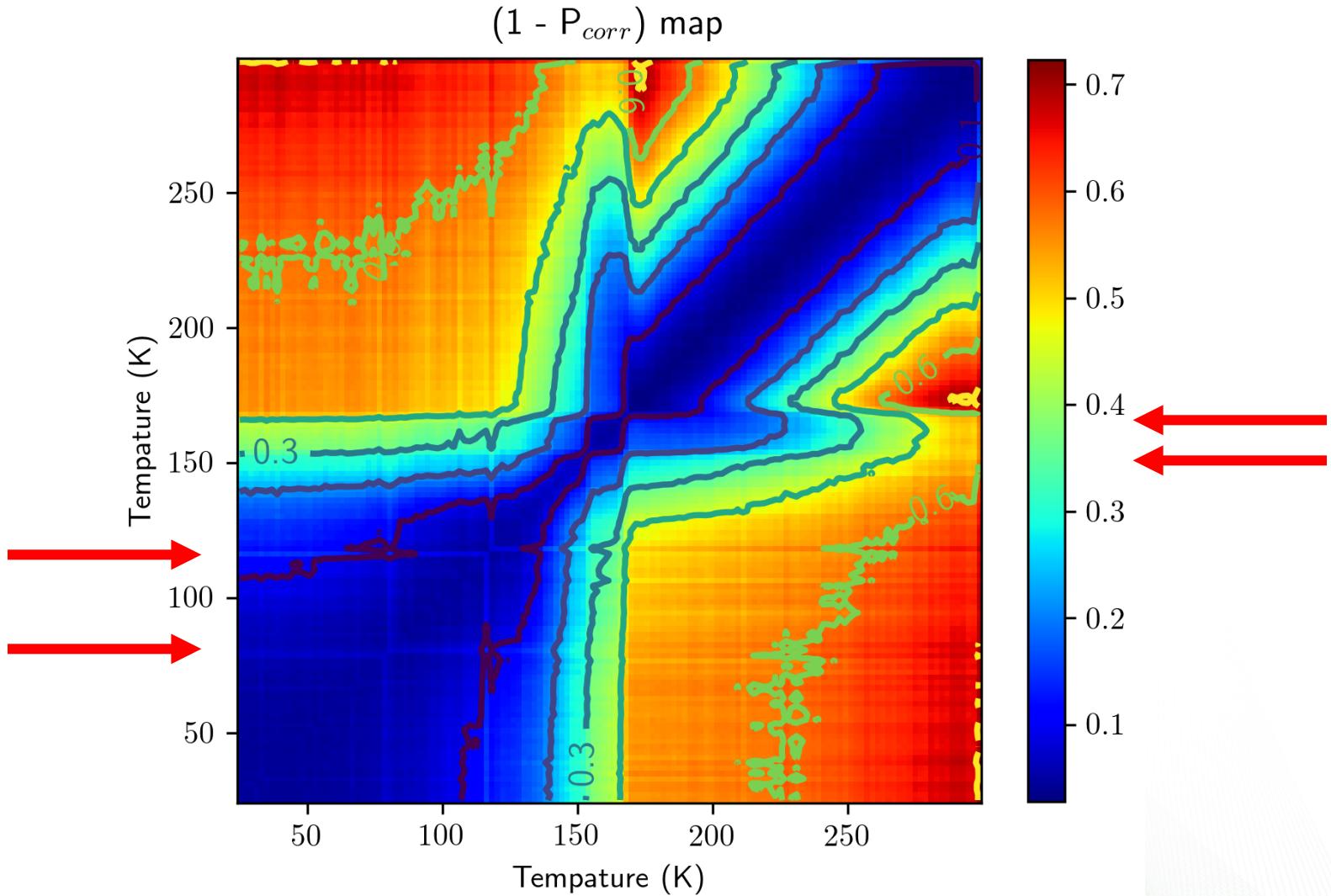


$$P = \frac{\sum_{i=1}^n (x_i - \bar{x})(y_i - \bar{y})}{\sqrt{\sum_{i=1}^n (x_i - \bar{x})^2} \sqrt{\sum_{i=1}^n (y_i - \bar{y})^2}}$$

Calculated (1-P) and found 4 possible transition temperatures.

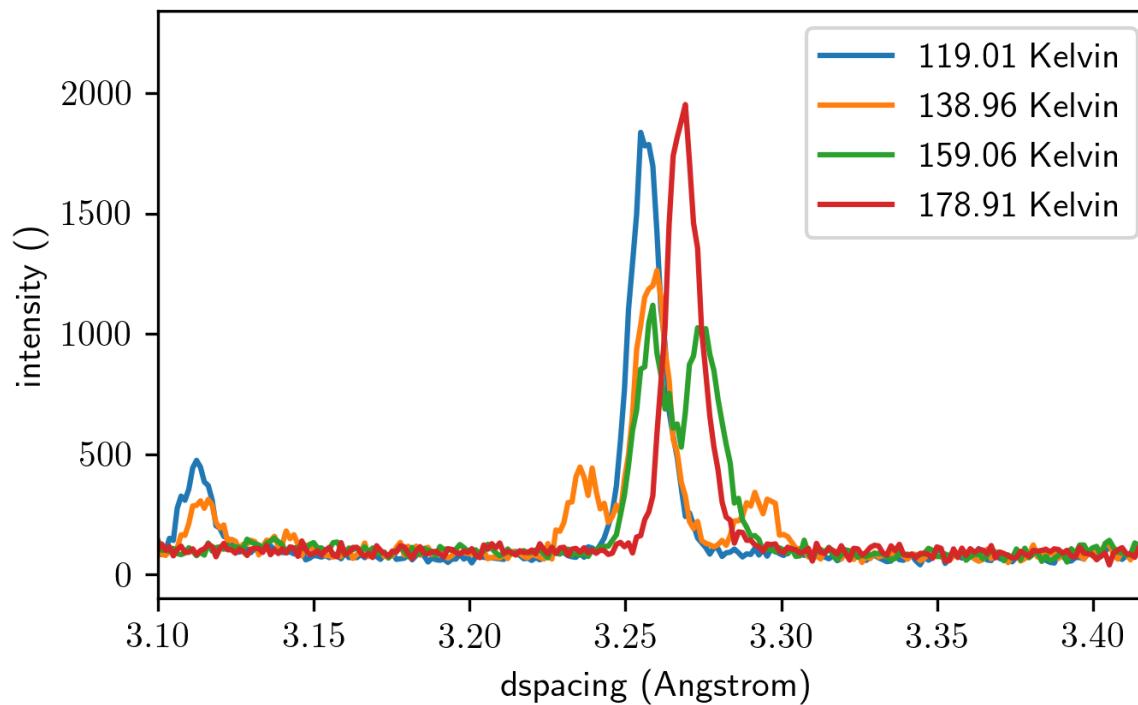
The spurious point between the last two temperatures was due to the high noise level in the 300 K dataset.

# Q1: the structural transition temperature



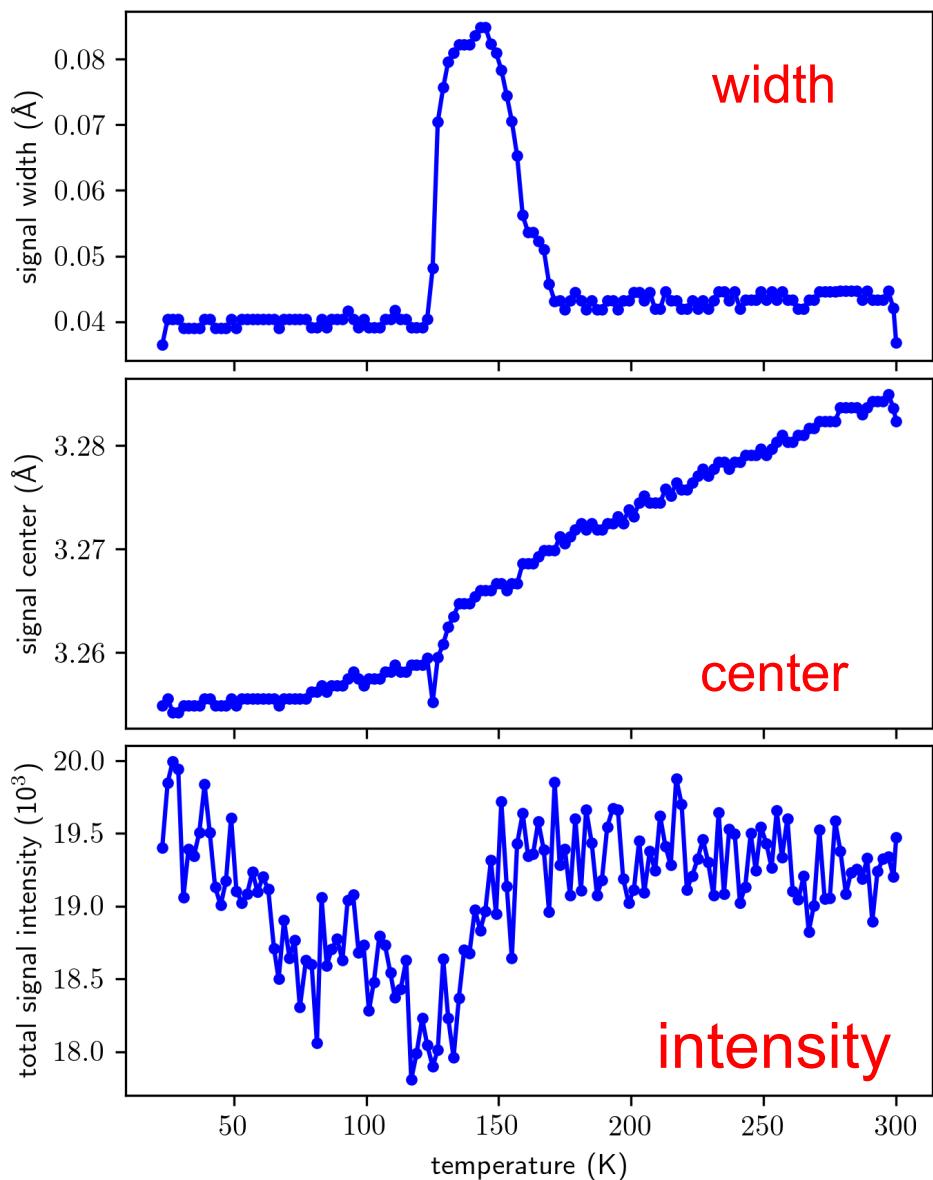
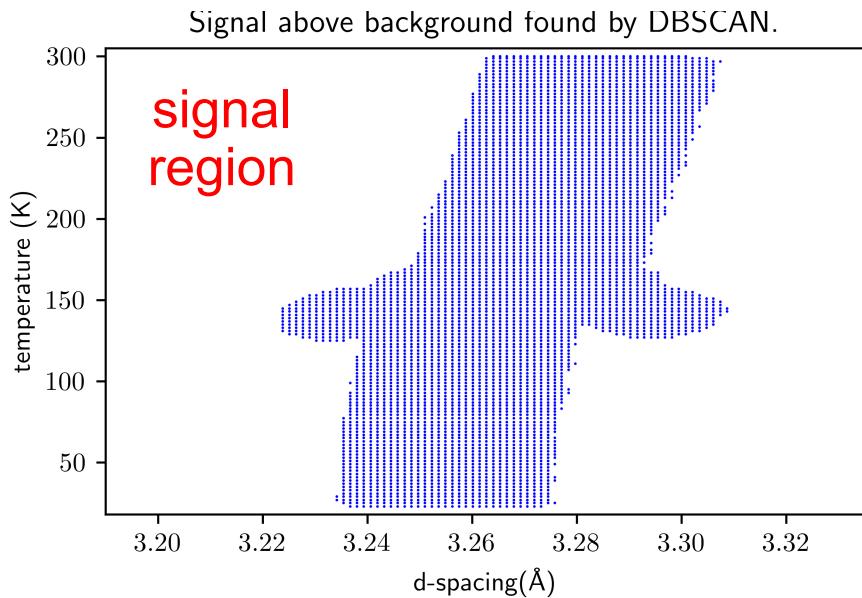
2D Pearson map to better visualize the results.

## Q2: Signal between 3.22 and 3.32 Å as a function of T



- In a wide range of temperatures, there are multiple peaks between 3.2 and 3.3 Å. The center and characteristic width of the peak are not well defined.
- One could find the number of peaks and then fit the data with multiple peaks, then the question becomes a simpler version of Q3.
- We used a clustering method to extract the signal from the background, regardless of the number of peaks.

## Q2: Signal between 3.22 and 3.32 Å as a function of T

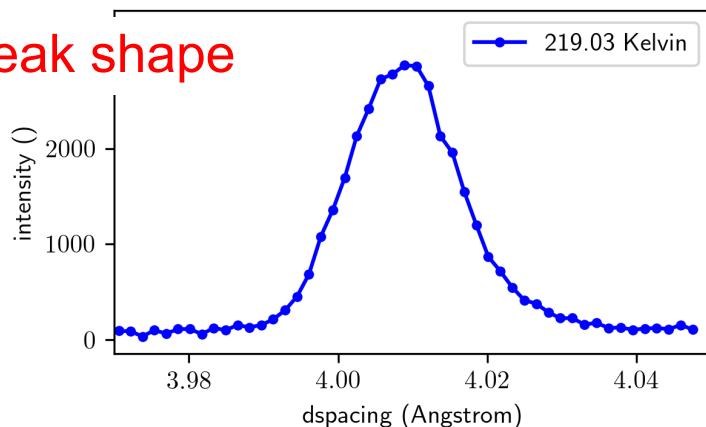


Key steps:

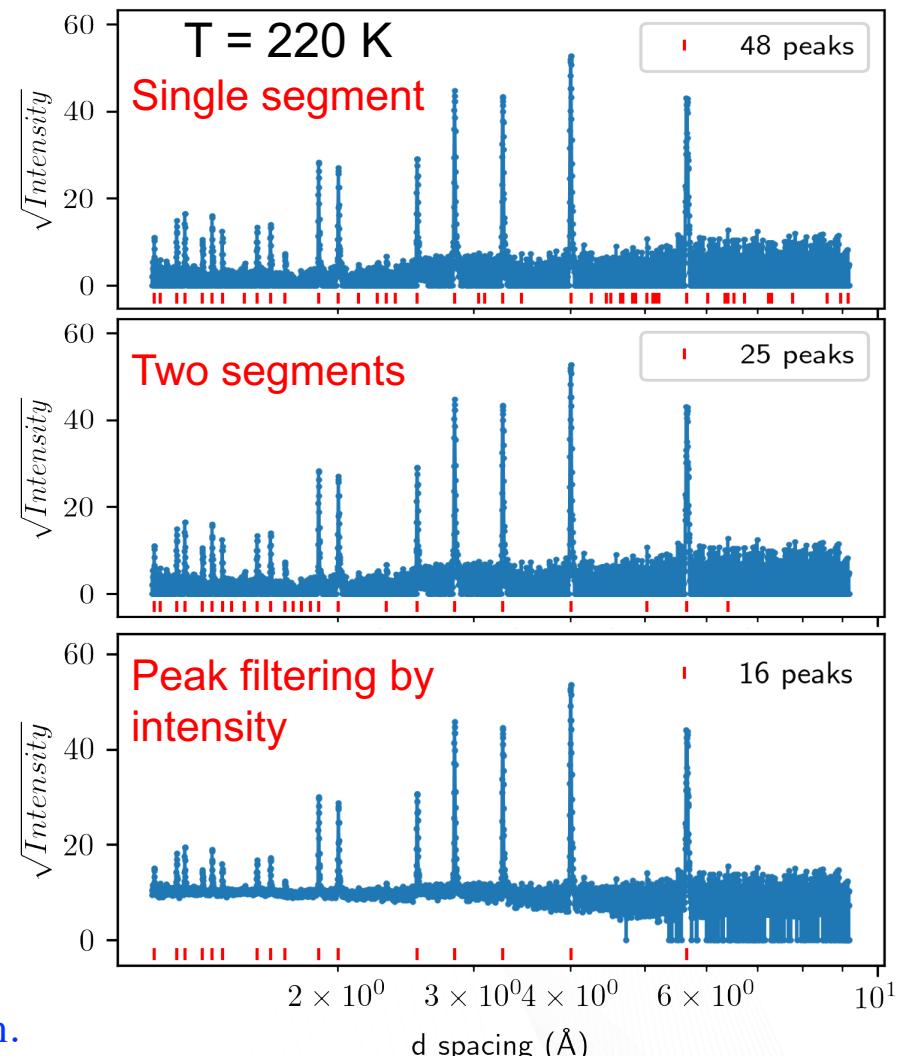
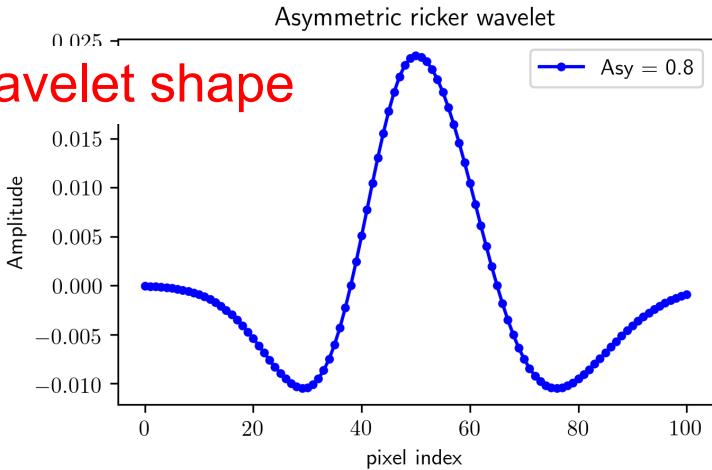
- Determine the background region and signal above background region via DBSCAN.
- Parameterize the background level as a polynomial function of temperature and d-spacing.
- Remove the background from the raw data to calculate the signal intensity.

# Q3 integrated intensity, center & width for all peaks at one T

Peak shape



Wavelet shape



(1) Wavelet transformation to find the peak location.

- Used an asymmetric wavelet; treated low- $d$  and high- $d$  data differently.

(2) Least square optimization for determining the peak amplitudes and locations.

- Le Bail fitting; peak width was parameterized as a function of d-spacing.

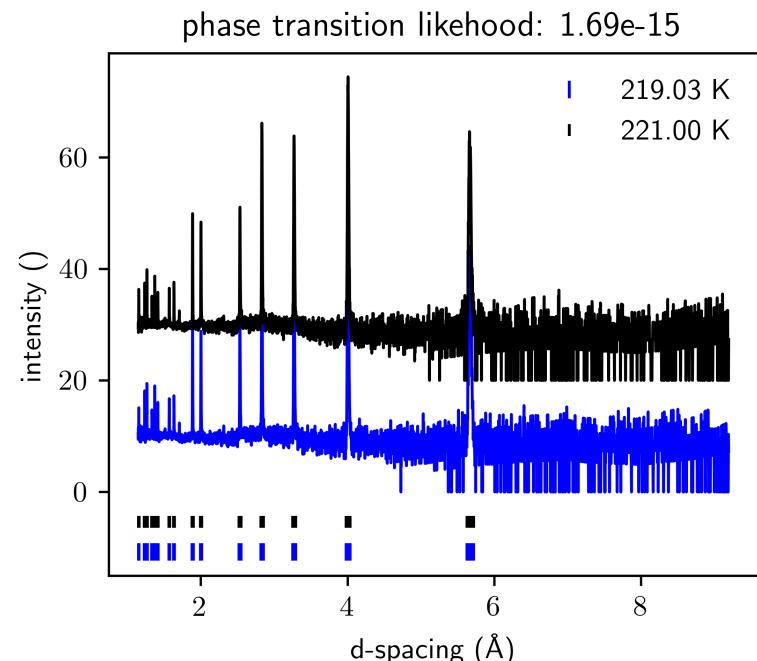
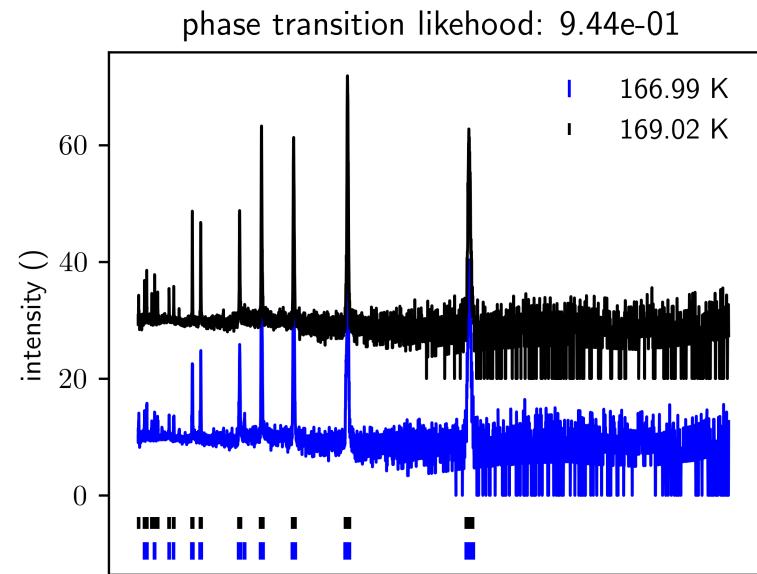
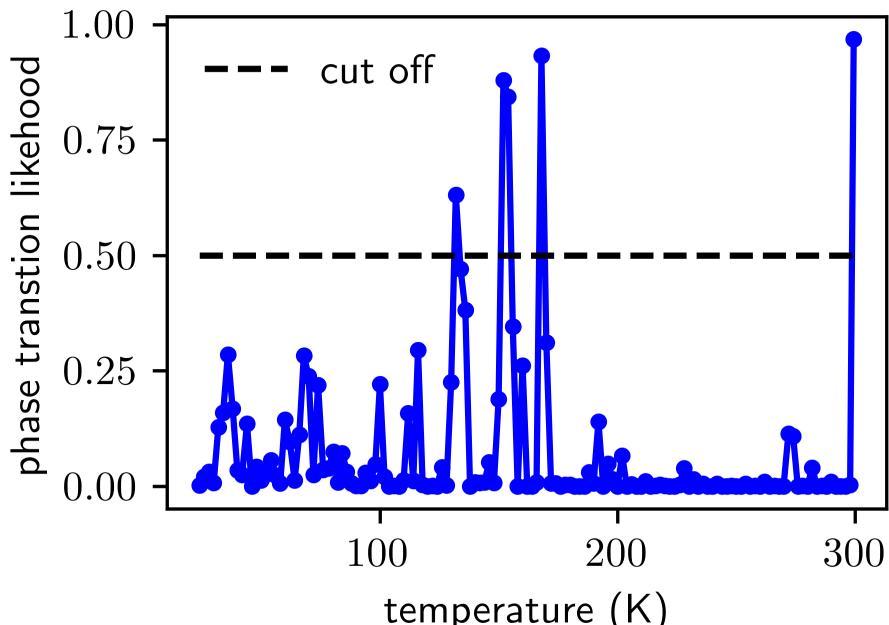
(3) Remove low intensity peaks.

9 (4) 250 ms – 700 ms per temperature.

## Q4 – (a) Likelihood of a phase transition occurred between two adjacent temperatures

- (1) Determine regions of signal above the background (RoSaB) for each of the two adjacent temperatures via DBSCAN.
- (2) Calculate numbers of shared and unshared signal bins between the two temperatures.
  - More shared signal bin → less likely
  - More unshared signal bin → more likely

In contrast to Q1, only data from two temperatures are used for calculation.



## Q4 – (b) Generates information for all peaks that are at least 1.5x above background within 5 seconds.

```
In [7]: # peak table at a single temperature.
```

```
%timeit find_peaks_flow(intsy, temps, dd_cs, par_val=240)
```

1 loop, best of 3: 319 ms per loop

```
In [8]: # peak tables for all temperatures.
```

```
%timeit cal_peaktables_fullT(intsy, temps, dd_cs)
```

1 loop, best of 3: 1min 24s per loop

