

Hi, I'm Kyle!

<https://personal.utdallas.edu/~kyle.fox/courses/cs6363.003.21s/>

eLearning: email

Homework submit

grades

"required book" Cormen et al.

CLRS

"highly recommended"; Erickson

homework: 30% (~5 assignments)

two midterms: 20% each

final exam: 30%  
↑  
cumulative

homework groups of 1 or 2

one submission per group

ask for free 48 hour

homework extensions

Can use outside sources  
if needed, but cite them  
and write solutions in your  
own words.

algorithm: an explicit,  
precise,  
unambiguous,  
mechanically-executable  
sequence of elementary instructions

BOTTLESOFBEER( $n$ ):

For  $i \leftarrow n$  down to 1

Sing " $i$  bottles of beer on the wall,  $i$  bottles of beer,"

Sing "Take one down, pass it around,  $i - 1$  bottles of beer on the wall."

Sing "No bottles of beer on the wall, no bottles of beer,"

Sing "Go to the store, buy some more,  $n$  bottles of beer on the wall."

lattice multiplication

input: two arrays  $X[0..m-1]$

$Y[0..n-1]$

$$x = \sum_{i=0}^{m-1} X[i] \cdot 10^i$$

$$y = \sum_{j=0}^{n-1} Y[j] \cdot 10^j$$

output:  $Z[0..m+n-1]$

$$z = x \cdot y = \sum_{k=0}^{m+n-1} Z[k] \cdot 10^k$$

FIBONACCIMULTIPLY( $X[0..m-1], Y[0..n-1]$ ):

$hold \leftarrow 0$

    for  $k \leftarrow 0$  to  $n + m - 1$

        for all  $i$  and  $j$  such that  $i + j = k$

$hold \leftarrow hold + X[i] \cdot Y[j]$

$Z[k] \leftarrow hold \bmod 10$

$hold \leftarrow \lfloor hold/10 \rfloor$

    return  $Z[0..m+n-1]$

any CS student should be  
able to run any line without  
further explanation

Describing an algorithm:

1) What

- what precisely does it solve?

2) How

- describe the algo itself

3) Why

- prove the algo solves the what

4) How fast: asymptotic run time

remember your audience

(me or a TA)

(not a computer)

(skeptical novice)

nobody should have to  
read code to know "what"

Highly recommends using  
pseudocode.

use English + math  
for individual instructions

- ~ proof ≠ restating how in  
~~in~~ English