

1. It is in 1NF because there are no composed attribute and multivalued attribute.

It is not in 2NF because of partial dependency on salesperson# for attribute Commission%.

in 2NF: CAR_SALE(Car#, Date_sold, salesperson#, Discount_amt)
R1(salesperson#, Commission%)

It is not in 3NF because Discount_amt is depend on Date_sold, which is non prime.

in 3NF:

CAR_SALE(Car#, Date_sold, salesperson#)
R1(salesperson#, Commission%)
R2(Date_sold, Discount_amt)

2.

(a) It is in 1NF, because there are no composite attribute and multivalued attribute.

And it has partial dependency and transitive dependency. So it is not in 2NF and 3NF.

(b) Book(Book_title, Author_name)

R1(Book_title, Publisher, Book_type)

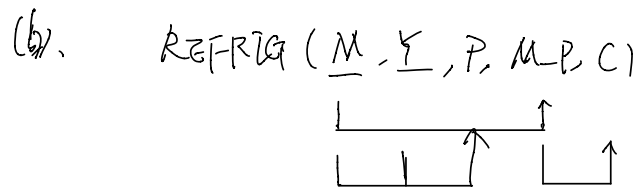
R2(Book_type, List_price)

R3(Author_name, Author_affil)

3. (a) $\{M\}^+ = \{M, M-P, C\}$ cannot be, because it doesn't contain Y and P .

$\{M, Y\}^+ = \{M, Y, M-P, P, C\}$ can be, because it contains all attributes.

$\{M, C\}^+ = \{M, C, M-P\}$ cannot be, because it doesn't contain Y and P .



It is not in 3NF and BCNF because it is not even in 2NF. Since $M-P$ has partial dependency on M .

$\text{REFRIG}(\underline{M}, \underline{Y}, P)$

$R_1(\underline{M}, M-P)$

$R_2(\underline{M-P}, C)$

4.

F covers G : true

G covers \bar{F} : true

$$\{A\}^T = \{A, \underline{C}, \underline{D}\} -$$

$$\{E\}^T = \{E, \underline{A}, \underline{D}, C, H\} \cup$$

$$\{A\}^T = \{A, \underline{C}, \underline{D}\} \cup$$

$$\{AC\}^T = \{A, C, \underline{D}\} \cup$$

$$\{E\}^T = \{E, \underline{A}, \underline{H}, \underline{C}, \underline{D}\} \cup$$

Since F covers G and G covers \bar{F} , F and G is equivalent.

5.

$$\begin{array}{l} P \rightarrow R \\ \underline{P \rightarrow C} \times \\ \underline{P \rightarrow A} \\ R, C \rightarrow A \\ R, C \rightarrow P \\ \underline{A \rightarrow C} \end{array}$$

\rightarrow

$$\begin{array}{l} P \rightarrow R \\ \underline{P \rightarrow A} \\ R, C \rightarrow A \times \\ \underline{R, C \rightarrow P} \\ A \rightarrow C \end{array}$$

\rightarrow

$$\begin{array}{l} P \rightarrow R \\ P \rightarrow A \\ R, C \rightarrow P \\ A \rightarrow C \\ \hline \text{minimum cover} \end{array}$$

$$\Rightarrow \begin{array}{l} R1(\underline{R}, C, P) \\ R2(\underline{P}, R, A) \\ R3(\underline{A}, C) \end{array}$$