

Datamining TP 3

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Exercise 1

Create a function that will calculate the mean of a vector with an accuracy of four decimal places

```
> data<-c(1.3456,2.4567,2.4,4,8,6,789)
> myfun<-function(x) {
+ res<-mean(x)
+ round(res,4)
+ }
> myfun(data)
[1] 116.1718
> mean(data)
[1] 116.1718
```

Exercise 2

Programme factorial n , $n! = 1 \times 2 \times \dots \times (n-1) \times n$ using :

- a loop *for*
- the *prod()* function.

Loop for:

```
> f<-function(x) {
+ y<-1
+ for(i in 1:x){
+ y<-y*((1:x)[i])
+ print(y)}}
> f(7)
[1] 1
[1] 2
[1] 6
[1] 24
[1] 120
[1] 720
[1] 5040
> |
```

Prod()

```
> p<-function(n)
+ { if (n<=1){
+ return(1)
+ }else{
+ return(n*p(n-1))}}
> p(6)
[1] 720
> |
```

Exercise 3

Create a function that will calculate the mean, median and standard deviation of a vector and will display one of the chosen options "average", "median" or "SD".

```
> fun.test <- function(v, method = "average") {  
+ if(method == "average") { res<-mean(v) }  
+ if(method=="median") {res<-median(v) }  
+ if(method=="SD") {res<-sd(v) }  
+ return(res)  
+ }  
> fun.test(data,method="average")  
[1] 116.1718  
> fun.test(data,method="median")  
[1] 4  
> fun.test(data,method="SD")  
[1] 296.6984  
> |
```

Exercise 4

Write a function that replaces the negative values of a vector by their absolute values and then displays the modified vector.

Exercise 6

Create a function that will center and reduce (scale) a data matrix.

```

> center_reduce<-function(metrix,method=""){
+ if(method=="reduce"){res<-scale(metrix,center=FALSE)}
+ if(method=="center"){res<-scale(metrix,scale=FALSE)}
+ return (res)
+ }
> center_reduce(M,method="center")
      [,1] [,2] [,3]
[1,] -4.5 -4.5 -4.5
[2,] -1.5 -1.5 -1.5
[3,]  1.5  1.5  1.5
[4,]  4.5  4.5  4.5
attr(,"scaled:center")
[1] 7.5 8.5 9.5
> center_reduce(M,method="reduce")
      [,1]      [,2]      [,3]
[1,] 0.3162278 0.3790944 0.4298012
[2,] 0.6324555 0.6634152 0.6876819
[3,] 0.9486833 0.9477360 0.9455626
[4,] 1.2649111 1.2320568 1.2034433
attr(,"scaled:scale")
[1]  9.486833 10.551461 11.633286
> M
      [,1] [,2] [,3]
[1,]     3     4     5
[2,]     6     7     8
[3,]     9    10    11
[4,]    12    13    14
> |

```

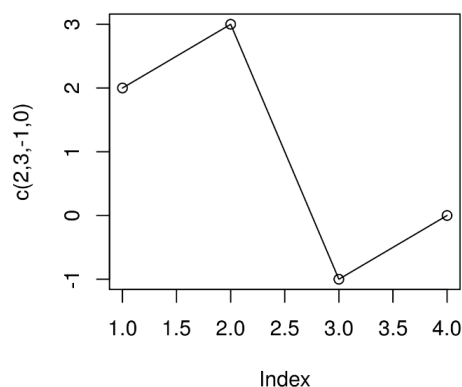
Exercise 7

a) Represent the following graph:

```

Execute | Embed | main.r | Stdin
1 v<-c(2,3,-1,0)
2 plot(v,type="o",xlab="Index",ylab="c(2,3,-1,0)")

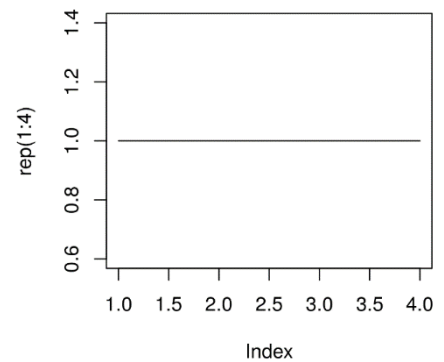
```



```

1 x<-1:4
2 y<-c(1,1,1,1)
3 plot(x,y,type="l",xlab="Index",ylab="rep(1:4)")

```



```

Execute | Embed main.r Stdin
1 x<-1:7
2 y<-7:1
3 plot(x,y,type="p",pch=2)
4

```

b) Reproduce the graph above but with a graphic at the top right with a width of 1 to 3 with respect to the upper left. You must obtain the following graph:

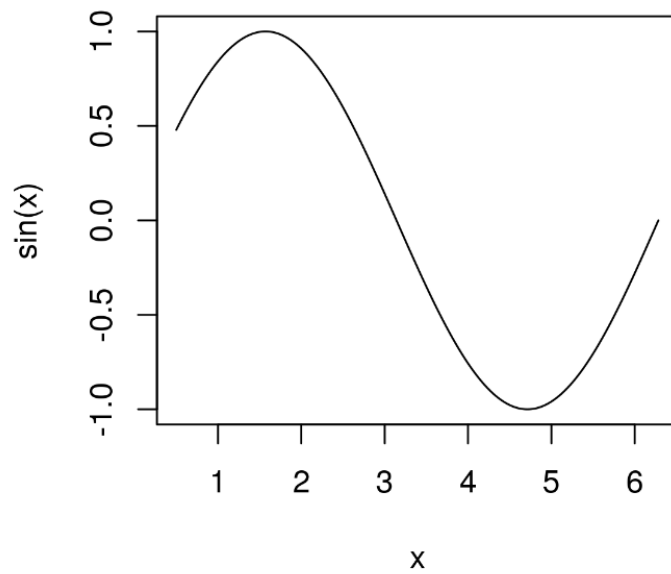
Exercise 8

a) Draw the graph of the sine function between 0.5 and 3π (use π).

```

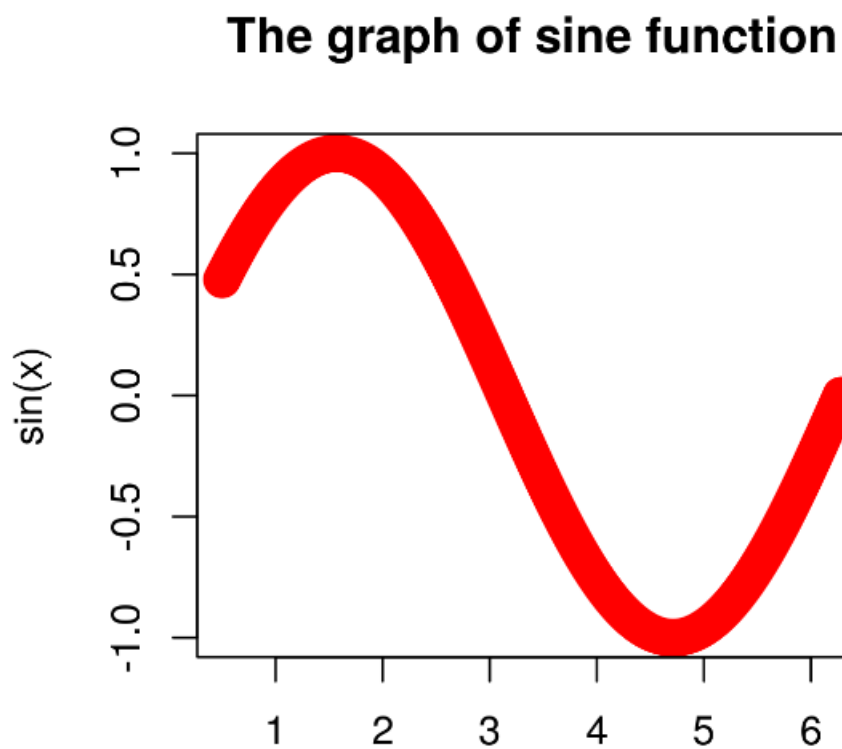
Execute | Embed main.r Stdin
1 x<-seq(0.5,2*pi,length.out=1000)
2 plot(x,sin(x),type="l")

```



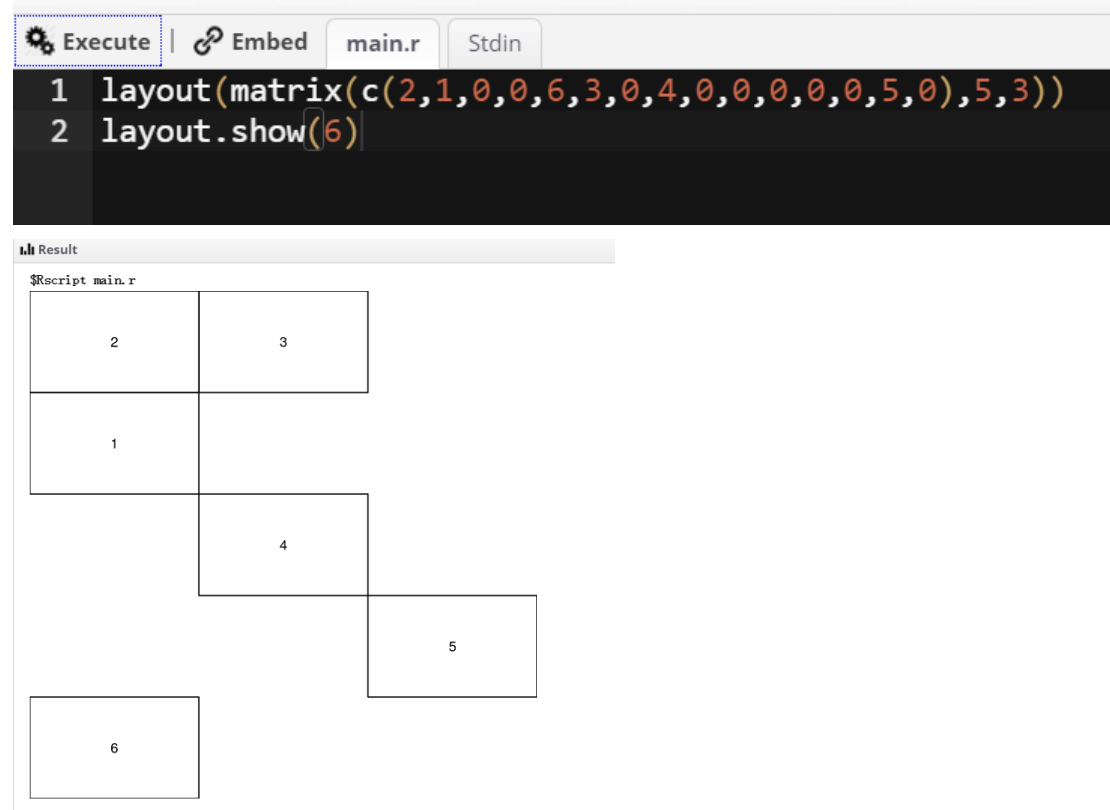
b) Add the following title: "The graph of the sine function," the color of the curve must be red and the line thickness 15.

```
1 x<-seq(0.5,2*pi,length.out=1000)
2 plot(x,sin(x),type="l",main="The graph of sine function",col="red",lwd=15)
```



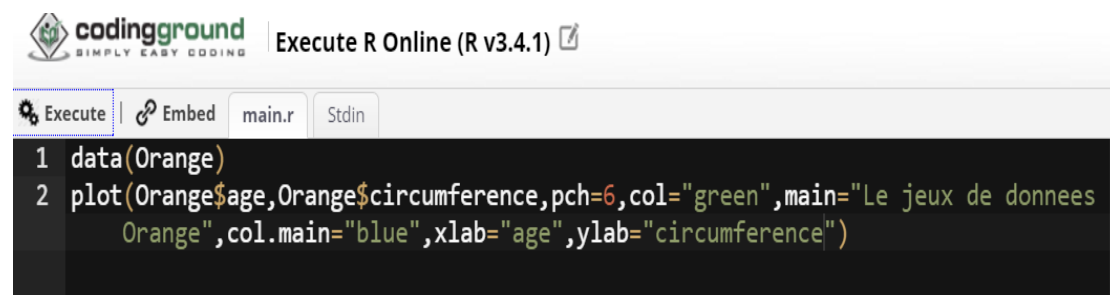
Exercise 9

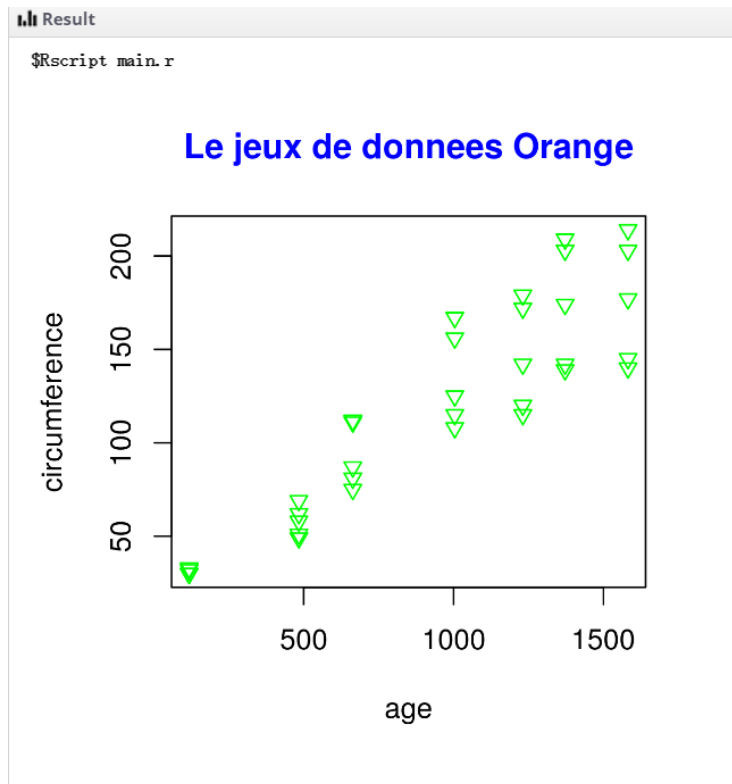
Write the script that will produce the following breakdown of the graphics window:



Exercise 10

Load the Orange dataset. Draw a scatterplot of the variable *age* depending on the variable *circumference*. Change the parameters of the function plot (*pch*, *col.main*, *sub*, *ylab*) to obtain the following representation:





Exercise 11

Draw the graph of the normal distribution between -6 and 6 (use `dnorm`). Add a caption at the top right which will display "Normal distribution between -6 and 6." You should get the following result:

```
Execute | Embed | main.r | Stdin
1 x<-seq(-6,6,by=0.05)
2 y<-dnorm(x)
3 plot(x,y,ylab="dnorm(x)",type='l',xlim=c(-6,6),ylim=c(0.0,0.4))
4 legend("topright",lty=1,c("entre -6 et 6"),cex=0.75)
5 abline(h=c(0))
6 abline(v=c(0),lty=2)
7
```

\$Rscript main.r

