

$$(x_1 \vee x_2 \vee x_3)$$

$$x_1: \quad \Delta \quad \odot$$

$$\neg x_1: \quad \Delta \quad \leftarrow \text{Here we do not include a socket because } \neg x_1 \text{ is not in the clause.}$$

$$x_2: \quad \Delta \quad \odot$$

$$\neg x_2: \quad \Delta$$

$$x_3: \quad \Delta \quad \odot$$

$$\neg x_3: \quad \Delta$$

Note that if one of these sockets are powered, all the sockets in that column is powered. Even if it is the middle socket that is powered, we can do a simple reordering to observe the rules of no two wires can be drawn, but that is not a concern of this mapping. For example:

$$(x_1 \vee x_2 \vee x_3)$$

$$x_1: \quad \Delta \quad \odot$$

$$\neg x_1: \quad \Delta$$

$$x_2: \quad \Delta \quad \odot$$

$$\neg x_2: \quad \Delta$$

$$x_3: \quad \Delta \quad \odot$$

$$\neg x_3: \quad \Delta$$

If x_1 socket is powered, a wire can be drawn to a socket below it, and this will hold for subsequent sockets underneath it. Therefore, $(x_1 \vee x_2 \vee x_3)$ is true if any one literal is true, and this holds for PLUG IT.