#### Boids!

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#### What are Boids?

- ► An artificial life simulation [1, 4]
- ▶ 'Bird-oid' flocking behaviour [1, 4]
- ► First described by Craig Reynolds in 1987 [4]

## Why Boids?

- Some major appearances:
  - ► Half-Life (1998)
  - Batman Returns (1992)
- Other applications:
  - Swarm optimization
  - ▶ Unmanned vehicle guidance

#### Our Implementation

- ▶ **Simulation**: Boids in a toroidal 2D space
- Haskell programming language:
  - A strongly-typed, lazy, purely functional programming language
  - ▶ Why Haskell?
    - ▶ Good for rapid prototyping [2]
    - ► Modularity [3]
    - Prior experience
    - Explore non-OO ways of representing agents

#### What is a Boid?

- A boid consists of:
  - ► A position *p<sub>i</sub>*
  - ▶ A velocity vector  $\vec{v_i}$
  - ► A sight radius *r*

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#### **Boid Behaviour**

First, we define some types:

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type Update = Boid -> Boid
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type Behaviour = Perception -> Update
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Functions for finding a boid's neighborhood:

```
inCircle :: Point -> Radius -> Point -> Bool
inCircle p_0 r p_i = ((x_i - x)^n + (y_i - y)^n) \le r^n
 where x_i = p_i \cdot x
        y_i = p_i ^._y
        x = p_0^{\circ}.x
        y = p_0^{\circ}._y
        n = 2 :: Integer
neighborhood :: World -> Boid -> Perception
neighborhood world self =
    filter (inCircle cent rad . position) world
    where cent = position self
          rad = radius self
```

## Separation steering vector

► Tendency to avoid collisions with other boids

$$ec{s_i} = -\sum_{orall b_i \in V_i} (p_i - p_j)$$

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▶ In Haskell:

```
separation :: Boid -> Perception -> Vector
separation self neighbors =
   let p = position self
   in negated $
        sumV $ map (^-^ p) $ positions neighbors
```

- ► Tendency to steer towards the centre of visible boids
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- ▶ **Step I**: Find the centre:

$$c_i = \sum_{\forall b_i \in V_i} \frac{p_j}{m}$$

▶ In Haskell:

```
centre :: Perception -> Vector
centre boids =
   let m = fromIntegral $ length boids :: Float
   in sumV (positions boids) ^/ m
```

- ▶ Tendency to steer towards the centre of visible boids
- Calculated in two steps.
- ▶ **Step II**: Find the cohesion vector:

$$c_i = \sum_{\forall b_i \in V_i} \frac{p_j}{m}$$

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- ▶ **Step II**: Find the cohesion vector:

$$c_i = \sum_{\forall b_i \in V_i} \frac{p_j}{m}$$

▶ In Haskell:

```
cohesion :: Boid -> Perception -> Vector
cohesion self neighbors =
   let p = position self
   in centre neighbors ^-^ p
```

## Alignment steering vector

► Tendency to match velocity with visible boids

$$\vec{m}_i = \sum_{\forall b_i \in V_i} \frac{\vec{v}_j}{m}$$

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► In Haskell:

```
alignment :: Boid -> Perception -> Vector
    -- :: Boid -> [Boid] -> V2 Float
alignment _ [] = V2 0 0
alignment _ neighbors =
    let m = fromIntegral $ length neighbors :: Float
    in (sumV $ map velocity neighbors) ^/ m
```

# Simulating a boid

1. Velocity update

$$\vec{v_i}' = \vec{v_i} + S.\vec{s_i} + K.\vec{k_i} + M.\vec{m_i}$$

Where S, K, and  $M \in [0, 1]$ 

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Where S, K, and  $M \in [0, 1]$ 

2. Position update

$$p'_i = p_i + \Delta t \vec{v}_i$$

## Simulating a boid

▶ In Haskell:

```
steer :: Weights -> Behaviour
steer (s, c, m) neighbors self =
  let s_i = s *^ separation self neighbors
      c_i = c *^ cohesion self neighbors
      m_i = m *^ alignment self neighbors
      v' = velocity self ^+^ s_i ^+^ c_i ^+^ m_i
      p = position self
      p' = p ^+^ v'
  in self { position = p', velocity = v'}
```

# A brief demonstration

#### References



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