

- Similar for other <sup>weights</sup> too.

## Forward propagation

- In back propagation, there is two thing

### i) forward propagation

Here our data move through each layer in forward direction one-by-one.

### ii) Backward propagation

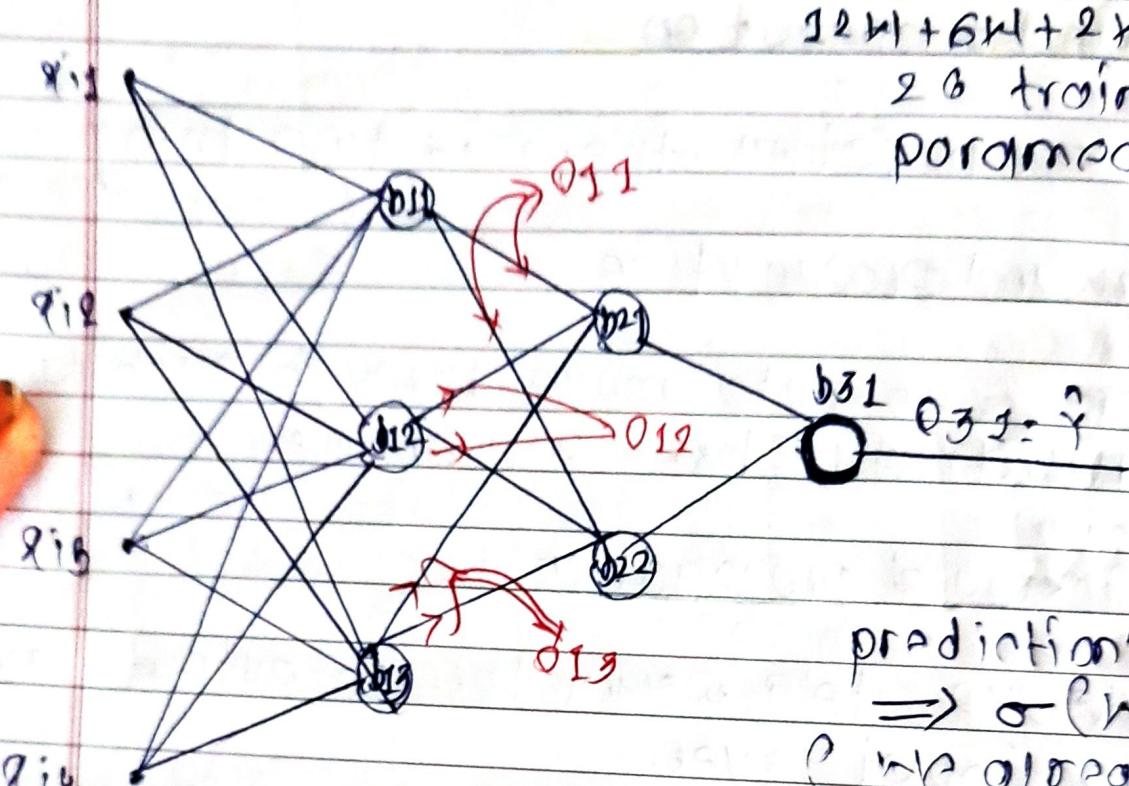
We update weight through output layer to input layer.

- We will learn forward propagation for now, we will see if we have input and weights we will able predict.

- We will see that all things handled by linear algebra, Cat the end we have to make a dot product of matrices.

- This is our setup,

Copy	iq	10th	12th	planed	→	# of trainable parameters
7.2	72	69	81	1		
8.1	92	75	76	0		



prediction for step function  
 $\Rightarrow \sigma(W^T x + b)$   
 (we already seen that).

\* Obviously we start from random value of weight and bias.

#### # Layer 1

$$\begin{array}{c}
 \text{Diagram: A 4x3 matrix of weights } W^1 \text{ and a 4x1 vector } x_i. \\
 W^1 = \begin{bmatrix} w_{11} & w_{12} & w_{13} \\ w_{21} & w_{22} & w_{23} \\ w_{31} & w_{32} & w_{33} \\ w_{41} & w_{42} & w_{43} \end{bmatrix}^T \\
 x_i = \begin{bmatrix} x_{i1} \\ x_{i2} \\ x_{i3} \\ x_{i4} \end{bmatrix} \\
 \text{Equation: } (4 \times 3)^T \Rightarrow (3 \times 4) \quad 4 \times 1 \quad 3 \times 1
 \end{array}$$

This first row comes from  $x_{ij}$  i.e.  $x_{i1}$  column  
 This first column weight goes to this bias

biz, this is how the weights are assigned.

- We have to multiply this matrix with 'input'

i.e.

$$\begin{bmatrix} x_{i1} \\ x_{i2} \\ x_{i3} \\ x_{i4} \end{bmatrix}$$

- After multiplication,

$$= \begin{bmatrix} w_{11}^1 x_{i1} + w_{12}^1 x_{i2} + w_{13}^1 x_{i3} + w_{14}^1 x_{i4} \\ w_{21}^1 x_{i1} + w_{22}^1 x_{i2} + w_{23}^1 x_{i3} + w_{24}^1 x_{i4} \\ w_{31}^1 x_{i1} + w_{32}^1 x_{i2} + w_{33}^1 x_{i3} + w_{34}^1 x_{i4} \end{bmatrix}$$

$$+ \begin{bmatrix} b_{i1} \\ b_{i2} \\ b_{i3} \end{bmatrix}$$

$$= \begin{bmatrix} - & + & - & + & - & + & - & + & b_{i1} \\ - & + & - & + & - & + & - & + & b_{i2} \\ - & + & - & | & + & - & + & - & + & b_{i3} \end{bmatrix}$$

- After taking sigmoid we have this matrix of output.

$$\begin{bmatrix} O_{11} \\ O_{12} \\ O_{13} \end{bmatrix} \implies \text{Assume this as, } O[1]$$

## Layer 2

$$= \begin{bmatrix} W_{21}^2 & W_{22}^2 \\ W_{21}^1 & W_{22}^1 \\ W_{21}^3 & W_{22}^3 \end{bmatrix}^T \begin{bmatrix} O_{11} \\ O_{12} \\ O_{13} \end{bmatrix} + \begin{bmatrix} b_{21} \\ b_{22} \end{bmatrix}$$

$$(3 \times 2)^T \Rightarrow 2 \times 3 \quad 3 \times 1 \quad 2 \times 1$$

After calculating we get this, also after applying sigmoid.

$$\begin{bmatrix} O_{21} \\ O_{22} \end{bmatrix} \implies \text{Assume this as, } O[2]$$

## Layer 3

$$\begin{bmatrix} W_{31}^3 \\ W_{32}^3 \end{bmatrix} \begin{bmatrix} O_{21} \\ O_{22} \end{bmatrix} + [b_{31}]$$

$$(2 \times 1)^T = (1 \times 2) \quad 2 \times 2 \quad 1 \times 1$$

After calculating and applying sigmoid we get

th<sup>h</sup>g.

$$= 0.31 = \hat{y}_1 \implies \text{output thg as } a[3]$$

- And input layer output as  $a[0]$ .
- This step will do let me explain one by one,

$$a[1] = \sigma(a[0]W[1] + b[1]) \Rightarrow \text{layer 1 output}$$

$$a[2] = \sigma(a[1]W[2] + b[2]) \Rightarrow \text{layer 2 output}$$

$$\hat{y}_1 = a[3] = \sigma(a[2]W[3] + b[3]) \Rightarrow \text{layer 3 output.}$$

- We can write above each layer output in one expression,

$$\sigma(\sigma((\sigma(a[0]W[1] + b[1]))W[2] + b[2])W[3] + b[3])$$

Whole thing gives  $a[3]$

## Customer churn prediction

- Scale all values first since neural network converges fast with scaled values

import tensorflow

from tensorflow import keras

from tensorflow.keras import sequential

from tensorflow.keras import Dense

layer's are added one after another

in sequence  
(No branching,  
No loop,  
just straight  
layers)

### Dense parameter

- 1) 'units'  $\Rightarrow$  number of neurons
- 2) 'activation'  $\Rightarrow$  activation function
- 3) 'input\_dim'  $\Rightarrow$  only used for first layer
- 4) 'use\_bias': 'True'  $\Rightarrow$  Each neurons get bias without bias no shifting of line, each line passing to origin.
- 5) 'kernel\_initializer'  $\Rightarrow$  "Different values present (How the initial weights are created).

- 6) "bias\_initializer" = "zeros"  $\Rightarrow$  default (How bias ~~are~~ values initialized)
- 7) We can give name to layers  
'name'

### Important note

activation function =

- Binary classifier unit  $\Rightarrow$  1 sigmoid
- Multiclass classifier unit = 3 softmax
- Linear unit = 1 linear
- So,
- model = Sequential()
- model.add(Dense(1, activation = 'sigmoid', input\_dim = 11))
- model.add(Dense(1, activation = 'sigmoid'))
- model.add(Dense(1, activation = 'sigmoid'))
- model.summary() # Give's total no. of trainable parameter.

### Model compilation stage

- Here we tell which optimizer we are using or which loss function we were using.

model, compile ( $\text{log}$  = 'binary-cross-entropy' ( $\text{log} - \text{log}$ )), optimizer = 'Adam'

### 2.2 Compile parameters

- $\text{log}$  = mathematical function model tries to minimize,

binary-crossentropy  $\Rightarrow$  Binary classification

Categorical-crossentropy  $\Rightarrow$  one-hot

or categorical-crossentropy  $\Rightarrow$  integer labels.

### Multi-class classification

### Regression mae/mse

- Optimizer (controls how model's update's weight).

Adam  $\Rightarrow$  Default.

'sgd'  $\Rightarrow$  simple gradient descent.

'rmsprop'  $\Rightarrow$  Good for RNN.

'ddograd'  $\Rightarrow$  sparse data,

### • Metrics

What performance we want to see during training.

'accuracy', 'mae', 'mse',

## layer attributes

model.layers[0].get\_weight()

# we get weight and bias value for  
# layer '0'

## Prediction

y-pred = model.predict(x-test)

Handwritten digit classification by using ANN  
(MNIST) (img is about multi-classification by using ANN)

• Resolution of this image are low  $28 \times 28$   
 $= 784$  pixels.