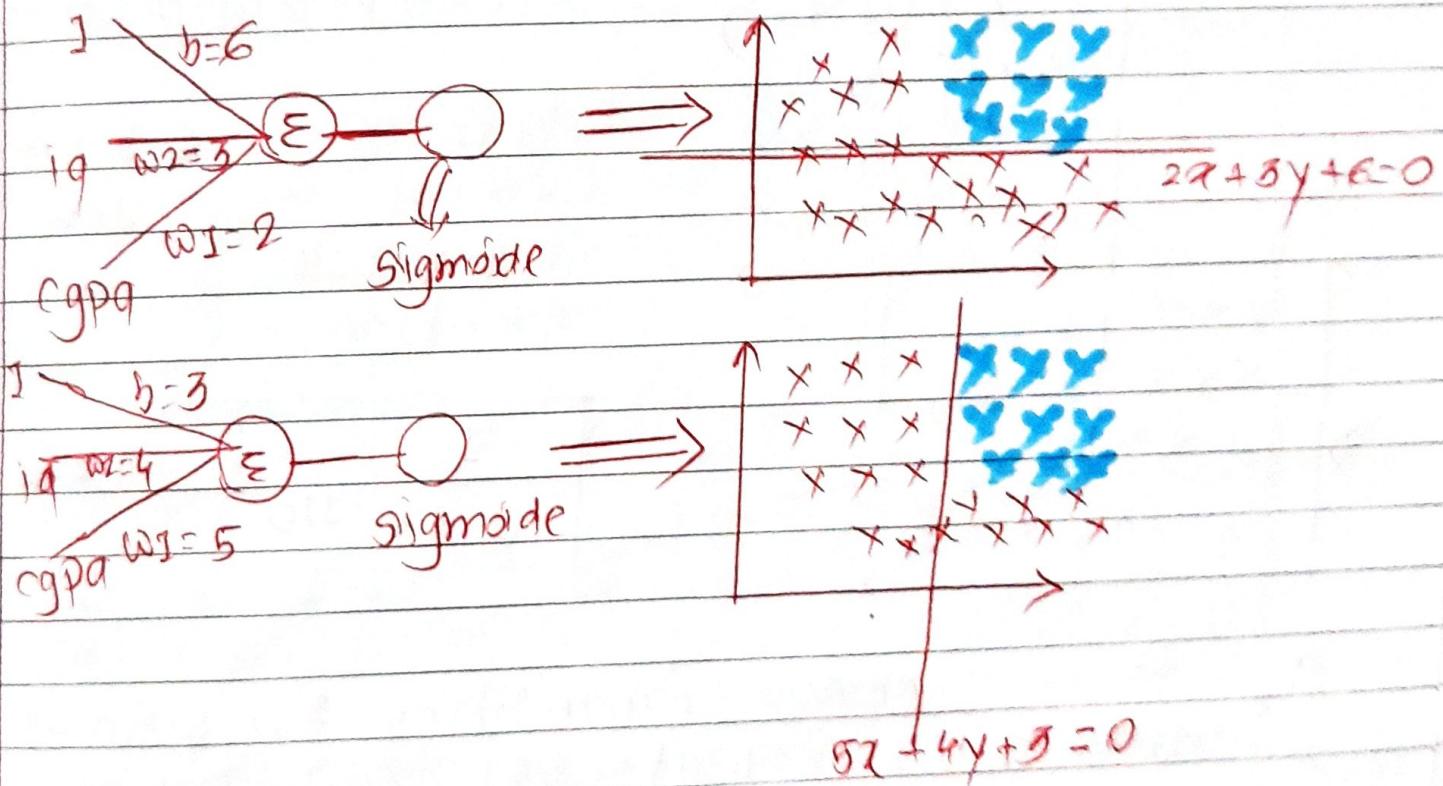


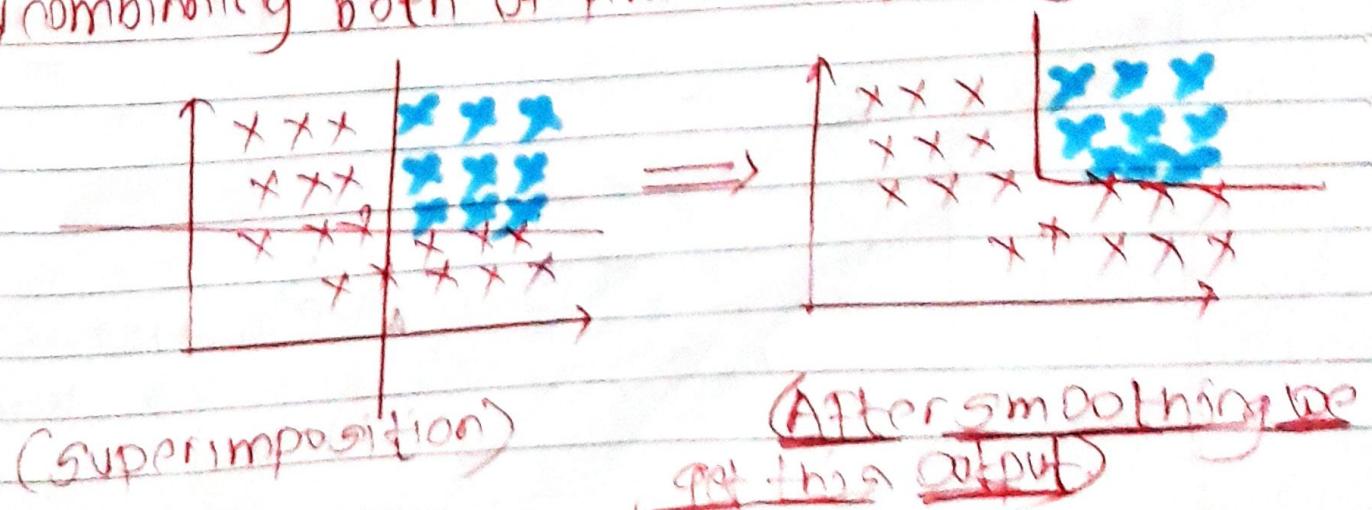
हाती

Let's form a idea of multilayer perceptron

- Apply two perceptron on some dataset.



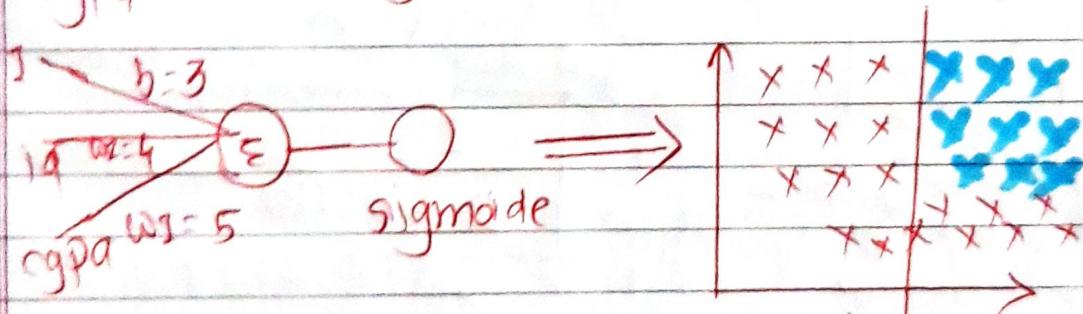
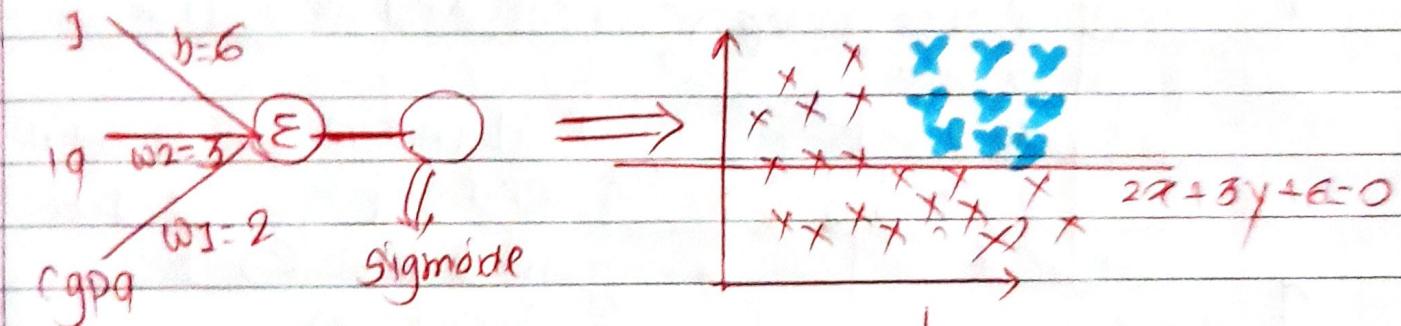
- By combining both of perceptron output we get this,



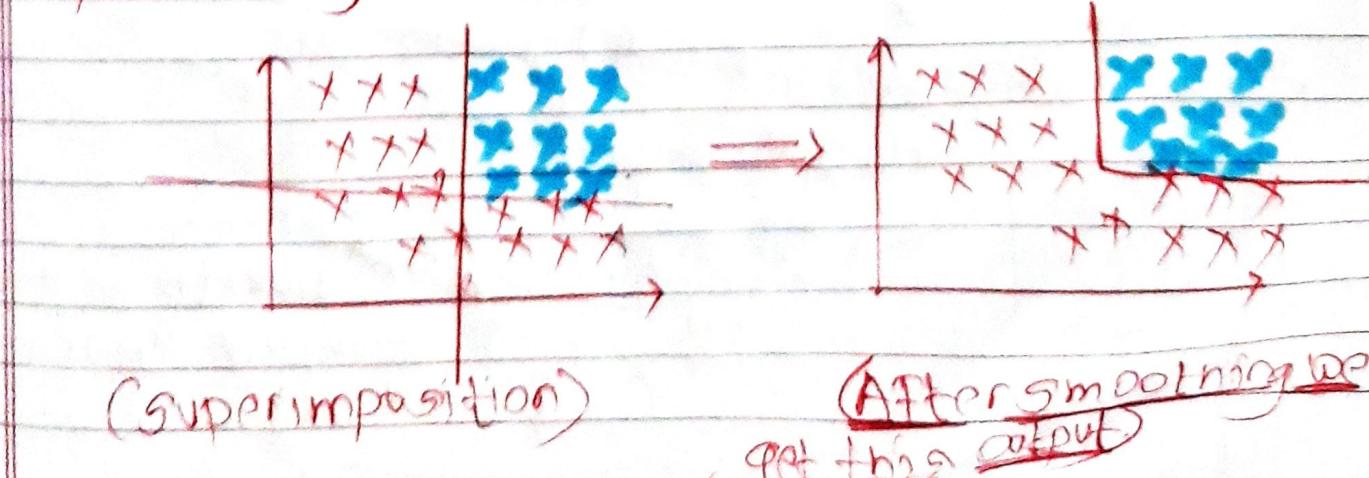
- ऐसी भी हम line के दो ओरीन्टेशन पर जानकी probabilities लेंगे, in P(Getting placed) > P(Not getting placed) region and opposite side probabilities of getting placed reduce होती है।

∴ Let's form a idea of multilayer perceptron

- Apply two perception on some dataset.



- By combining both of perceptron output we get this,



22

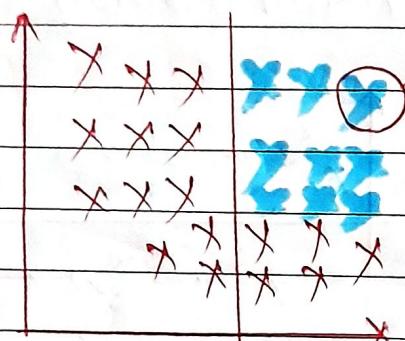
Superimposition and smoothing mathematical intuition



Probabilities of getting placed by this student according to individual perception

$$\text{First perception} \Rightarrow 0.87$$

$$\text{Second perception} \Rightarrow 0.73$$



Add them and put in sigmoid function

$$0.8 + 0.7 = 1.5$$

$$\frac{1}{1 + e^{-1.5}} = 0.85$$

22

- 0.85 is combined probabilities for both of perception, this will create smoother the boundary.

22

- Check diagram of result in back page.

Adds

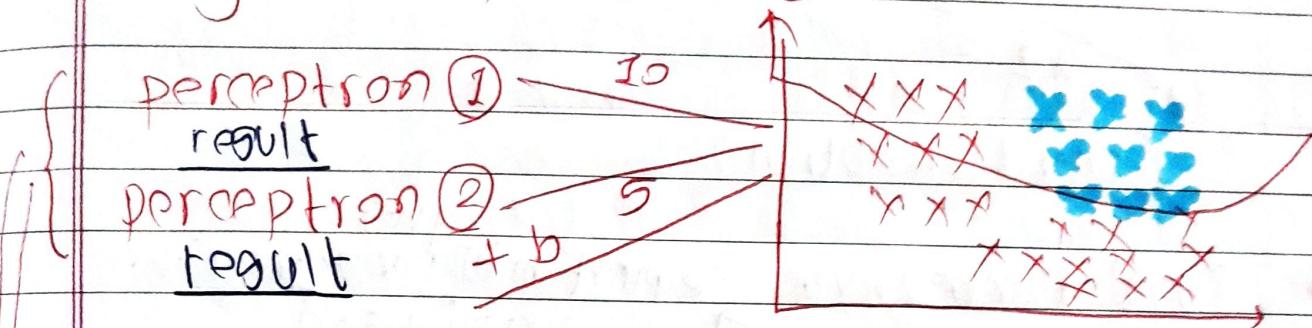
22

Flexibility



We want this decision boundary instead of this one

- This result has perception ① important more and perception ② less.
- At the time of superimposition give more weight's to perceptron ①.



$$\text{perception } ① \text{ output} \Rightarrow 0.7 \times 10$$

$$\text{perception } ② \text{ output} \Rightarrow 0.8 \times 5$$

$$0.7 \times 10 + 0.8 \times 5 = 7 + 4 = 11 = z$$

$$\text{sigmoid}(z) = \frac{1}{1 + e^{-11}} =$$

- We have to do above for all points.

- We can add bias here too bias = 3.

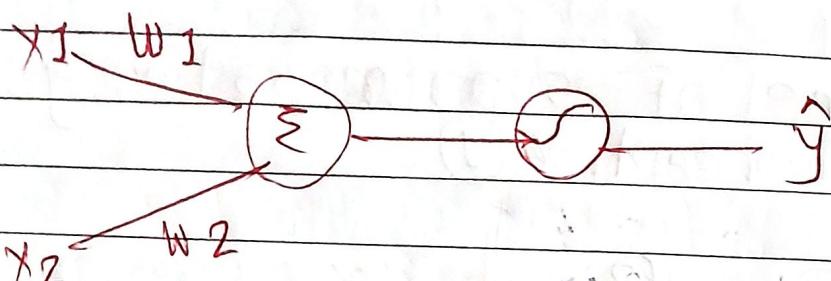
$$\text{now, } 7 + 4 + 3 = 14$$

$$\frac{1}{e^{(-14)} + 1}$$

so

- So, this working is of perceptron too, we use '3' perceptron that's why this concept

multilayer perceptron.

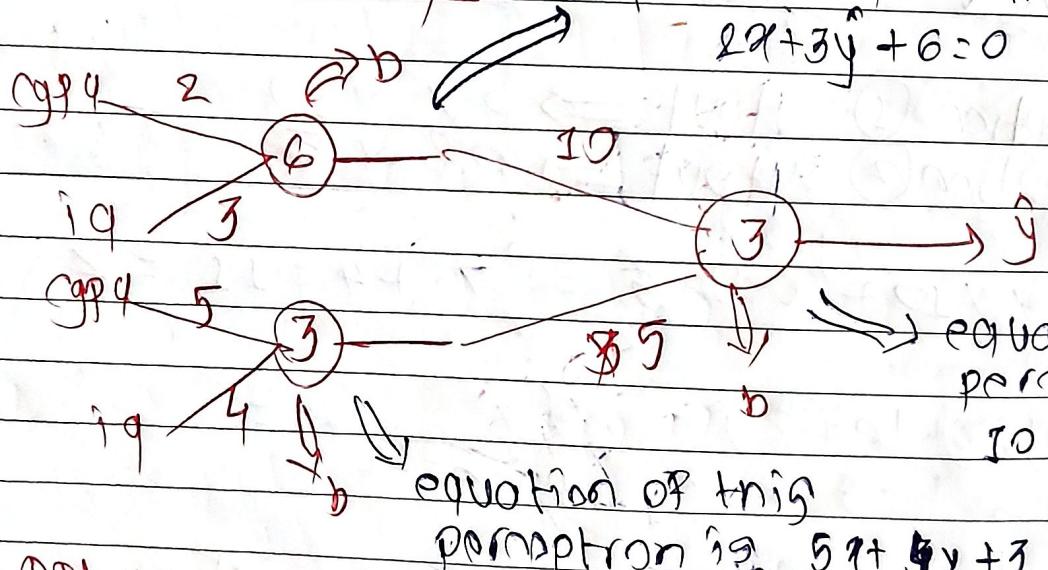


(Third perceptron).

Final summary,

equation of perceptron is,

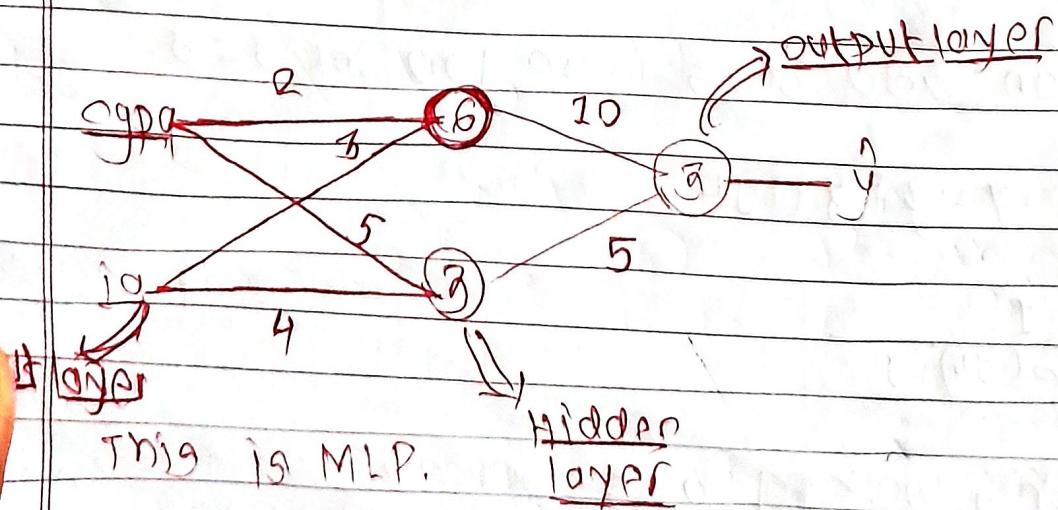
$$2x + 3y + 6 = 0$$



equation of this
perceptron is,
 $10x + 5y + 3 = 0$

equation of this
perceptron is, $5x + 4y + 3 = 0$

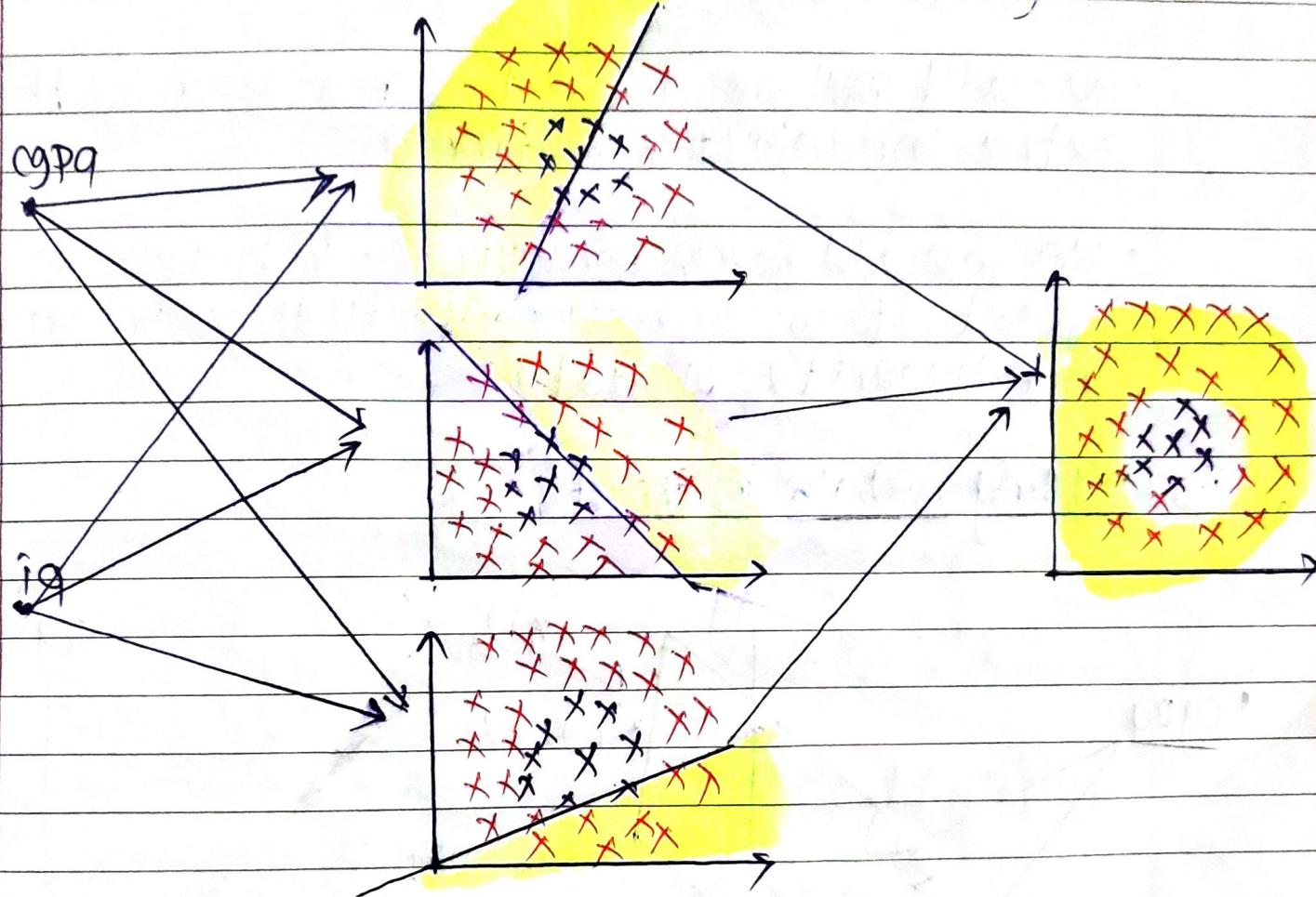
After rearranging it,



This is MLP.

Adding layers in hidden layer (How to change a architecture)

- To have some additional flexibility.



Before that what is architecture of neural network?

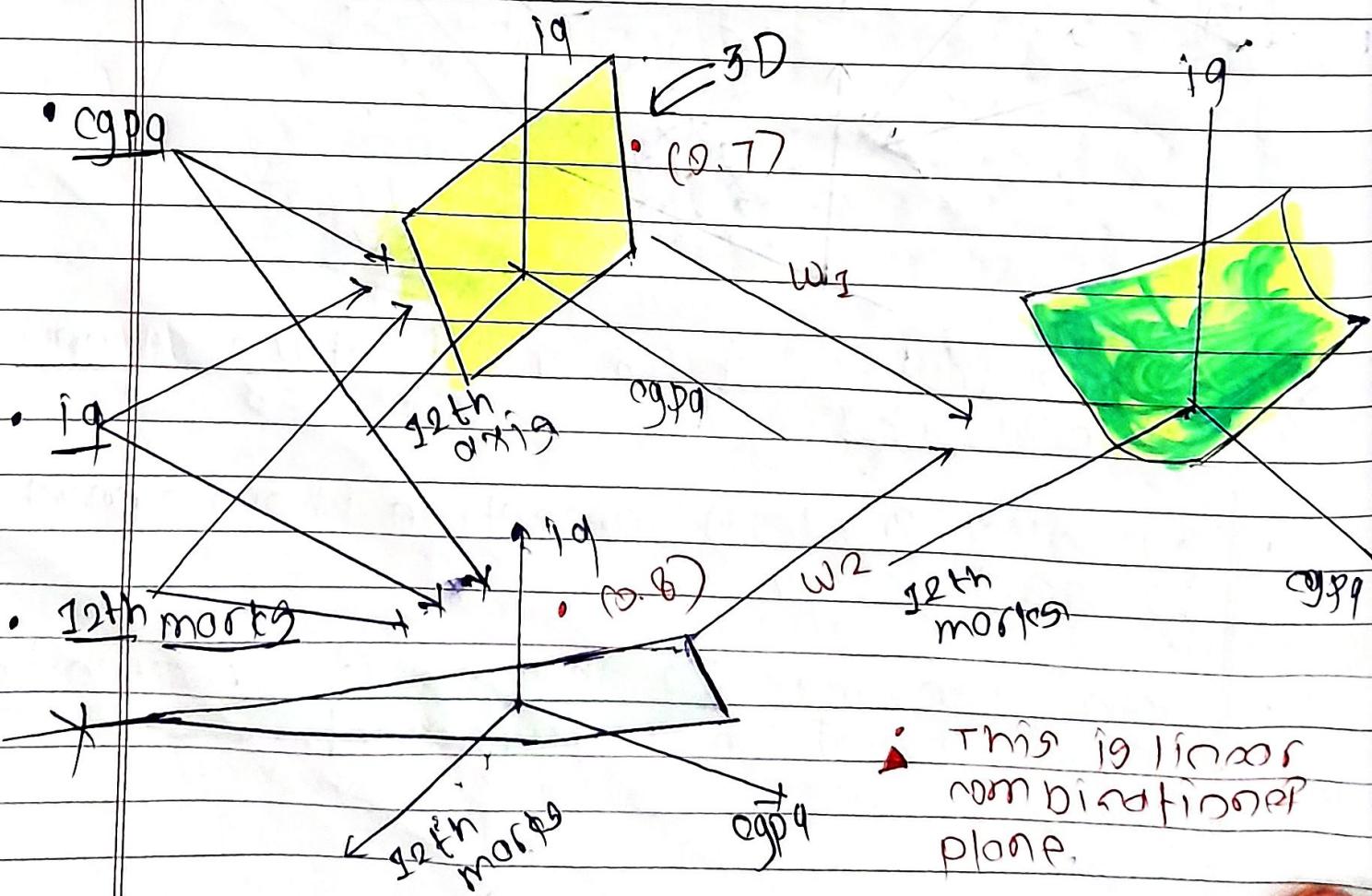
- Basically nodes('perception') how connected to each other.
- We can make changes in our architecture based on requirement.

Types of changes

i) Increase number of nodes per neuron in hidden layer.

- 90 additional non-linearity captured by this extra nodes/ perceptrons.
 - We can add more perceptrons in hid as we want it will help eventually to capture non-linearity of data.

ii) Adding nodes in input



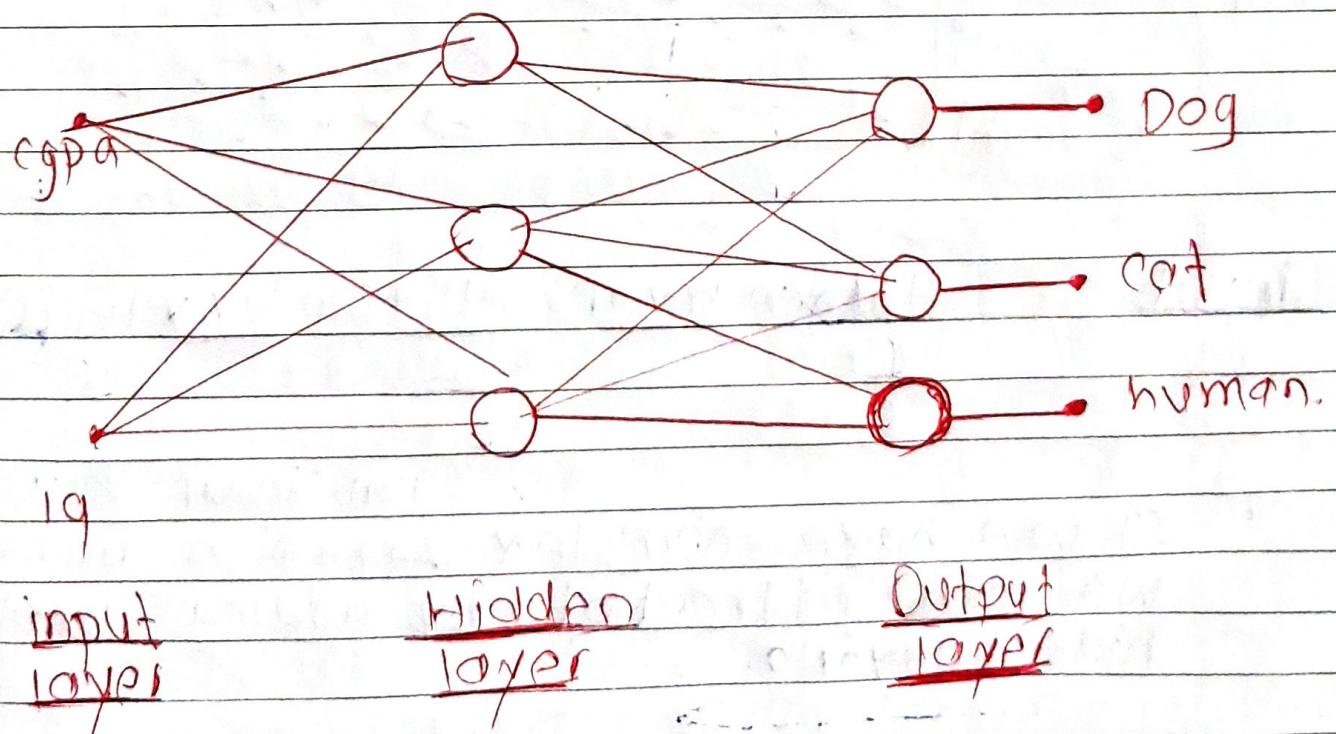
Z becomes,

$$0.7w_1 + 0.8w_2 = Z$$

and this ' Z ' passes to sigmoid function for third perceptron and we get probability that point for linear combination

$$\sigma(Z) = \frac{1}{1+e^{-Z}}$$

iii) Adding nodes in output node.



input
layer

hidden
layer

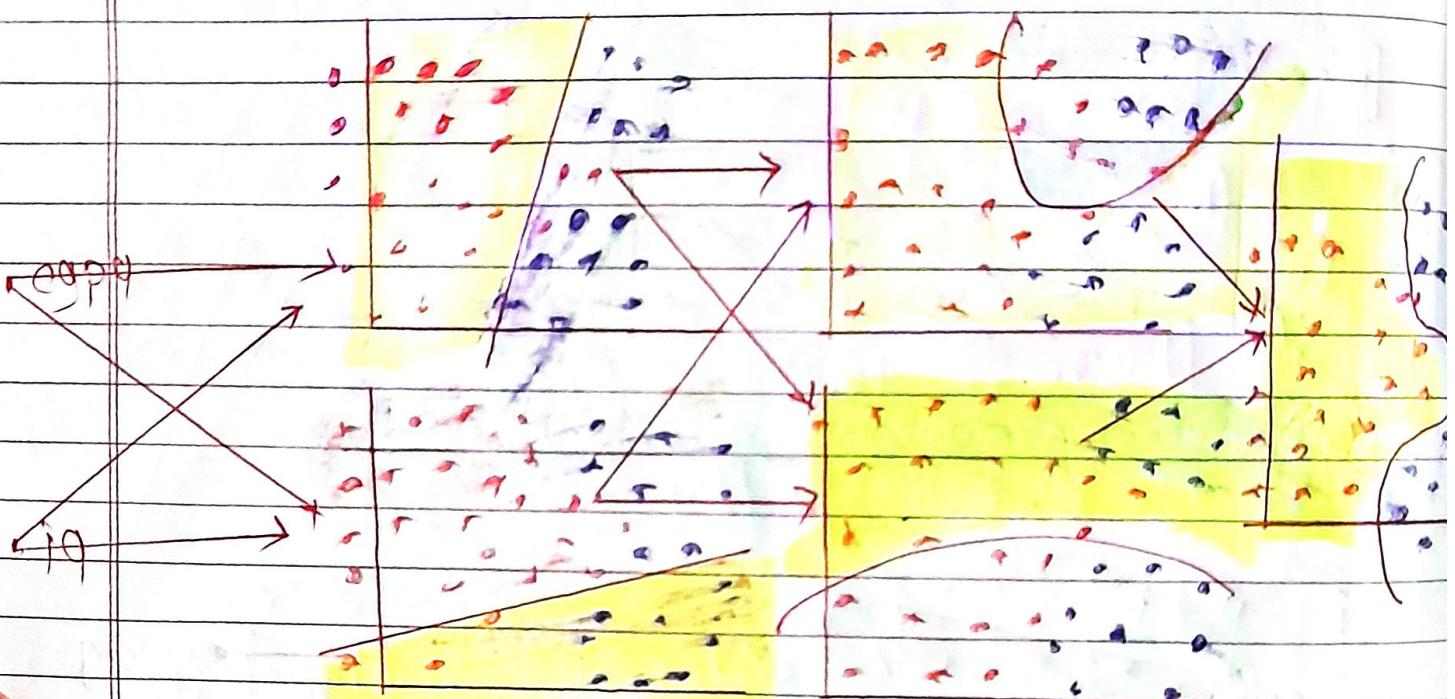
Output
layer

- Generally we do this if we want to do multi-class classification.

- end में छिपाका की probability जैसा होता बनाते हैं इस बोली की cat, dog or human.

iv) Deep neural net

- Add multiple hidden layers.



input Hidden layer 1 Hidden layer 2 Output

- If we have complex decision boundary we can differentiate by adding complex hidden layers.

non-linear data

- We can able to capture complex non-linearity in data.

- That's why neural network is known as universal function approximator.
- Demo in TensorFlow playground.

MLP Notation

- To understand back propagation we have to learn MLP notation (MLP build neural network it comes with biases and weights, if we not able to denote this notation properly then back propagation करने time confusion बहुत होता है).
- We are going to learn two things,

i) Just seeing neural network we are able to figure out how many numbers of trainable parameters included here.

$$\text{trainable parameters} = \text{(No. of weights and biases)}$$

↑
want value हमें
find करते हैं.

ii) How we denote this weight and biases of this neural network.