

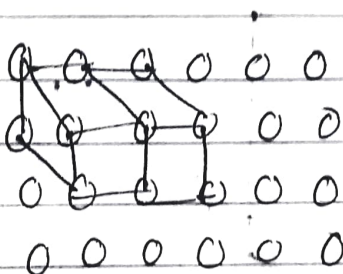
1, Sep, 2021

LECTURE - 2 (SOLID STATE)

LATTICE

1-D lattice - 0 0 0 0 0 0 0 0 0 0

2-D lattice - 

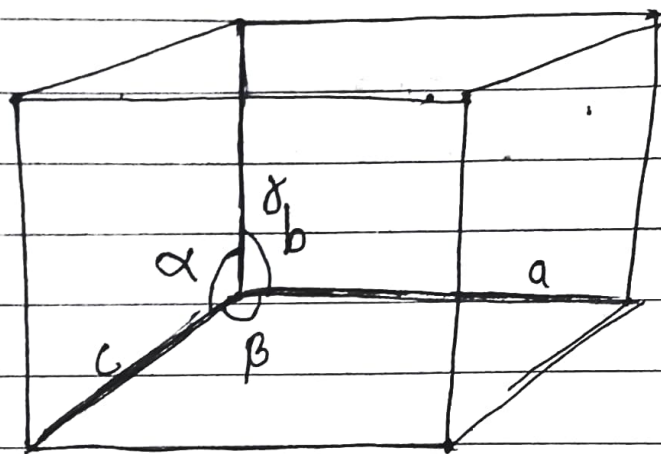
3D lattice 

SPACE LATTICE \rightarrow It is an imaginary collection of infinite no. of points with a regular and repeating geometry.

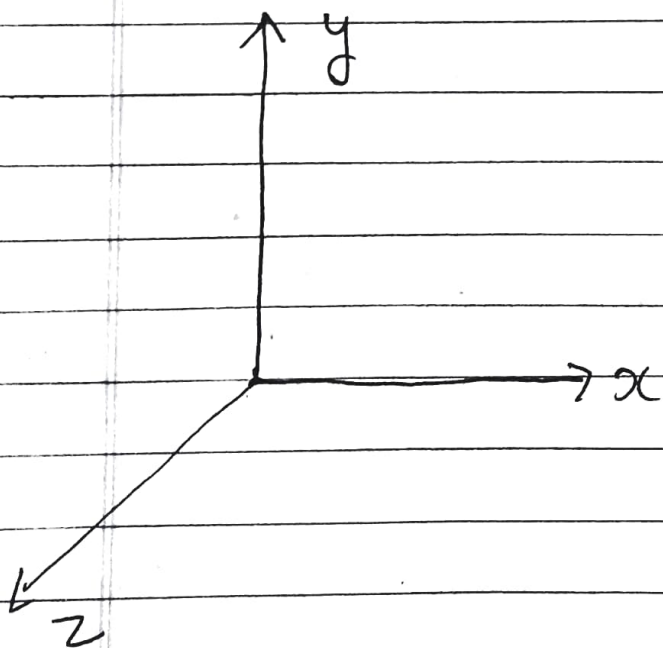
UNIT CELL \rightarrow The smallest repeating unit of space lattice is called unit cell.

Cell parameters define the geometry of unit cell.

The imaginary points are known as lattice points.



$a \rightarrow$ edge length along x
 $b \rightarrow$ edge length along y
 $c \rightarrow$ edge length along z



a , b and c represents the edge length of unit cell along three axis,

The plane may not be perpendicular to each other.

CELL PARAMETERS \rightarrow SIX

$\Rightarrow a, b, c, \alpha, \beta, \gamma$

\Rightarrow Geometry of the unit cell defines crystal system. There are a total of seven crystal systems.

CUBIC CRYSTAL SYSTEM

\Rightarrow There can be four types of arrangement for a given geometry of unit cell

ARRANGEMENT

Non-centered



Primitive

Centered



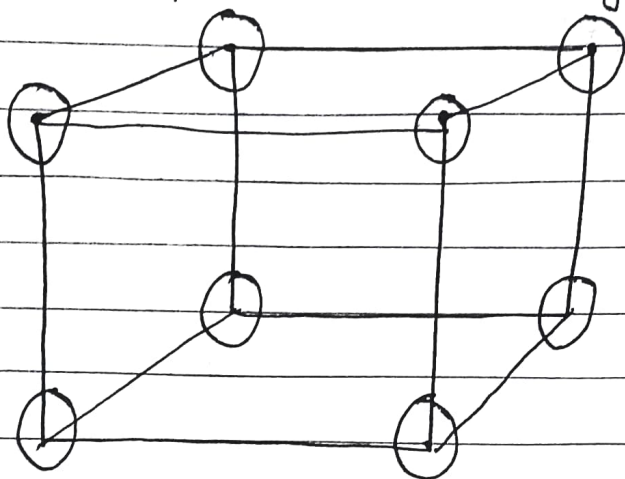
Body Centered

Face Centered

Ind. Cen.

1) PRIMITIVE ARRANGEMENT \Rightarrow

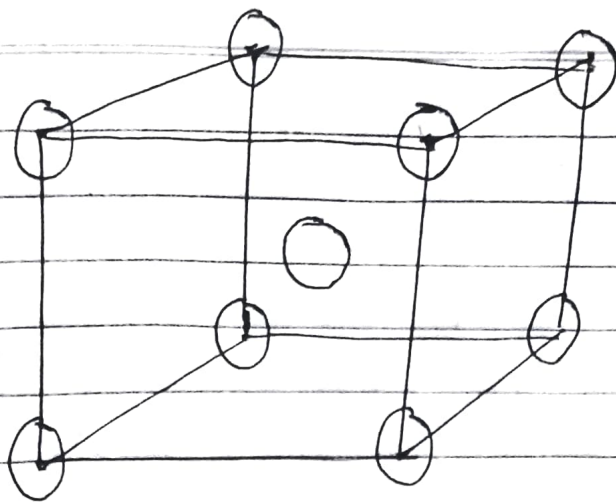
\Rightarrow when the constituents particles are present at the corners only, it is called primitive arrangement.



\rightarrow Primitive Crystal System
Arrangement Crystal System.

2) BODY CENTERED ARRANGEMENT \Rightarrow

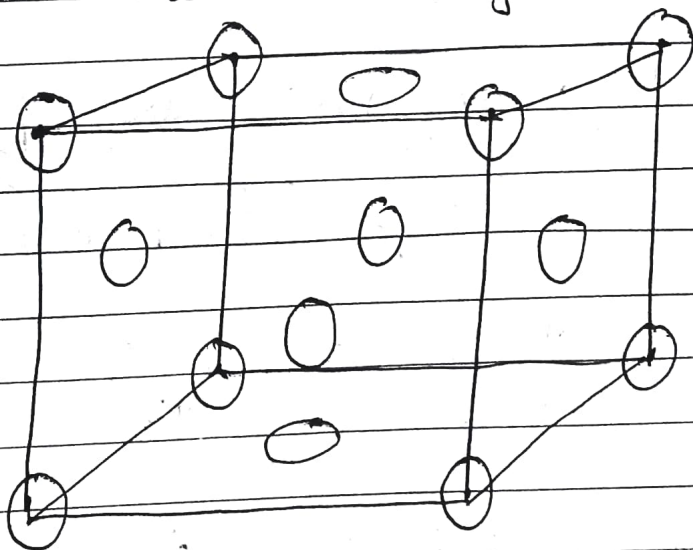
\Rightarrow when the constituents particles are present at the corners as well as the center of the unit cell, it is called body centered arrangement.



Body centered Cubic (BCC)
Arrangement.

3) Face Centered Arrangement \Rightarrow

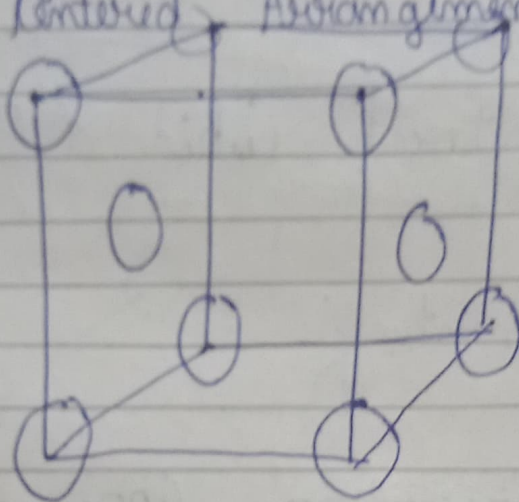
\Rightarrow when the constituents particles are present at the corners as well as the center of the faces, it is called face centered arrangement.



Face Centered
Arrangement Cubic
Crystal System.

END - CENTERED ARRANGEMENT

when the atoms are present at corners and at any two ~~is~~ parallel walls of unit cell is known as End - Centered Arrangement.



CELL RANK \Rightarrow

Important Points \Rightarrow

- \Rightarrow Since 4 arrangements are possible within each crystal system, so $7 \times 4 = 28$ unit cells are possible theoretically.
- \Rightarrow Only 14 out of 28 can exist in nature (Symmetry Consideration)
- \Rightarrow These unit cells are not equally distributed among the crystal system.

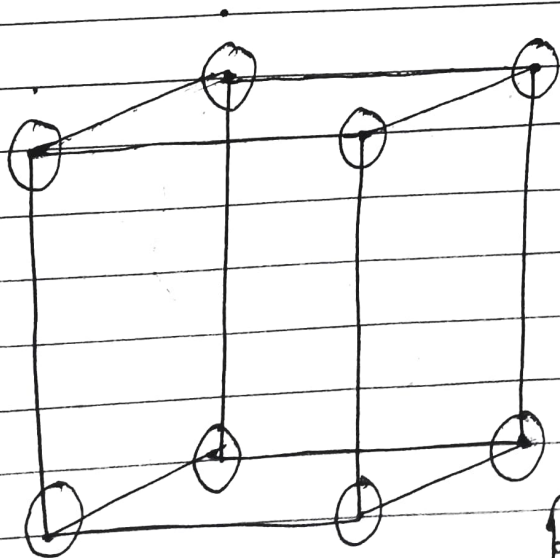
⇒ Constituents particles are considered to be solid sphere. Their shape can't be deformed by the application of stress. They may or may not make contact with each other but they never merge into one another.

⇒ Lattice points are located at the centre of the sphere.

RANK OF UNIT CELL ⇒

⇒ ~~It~~ It is effective number of atoms per unit cell.

1) CORNER CUBIC SYSTEM

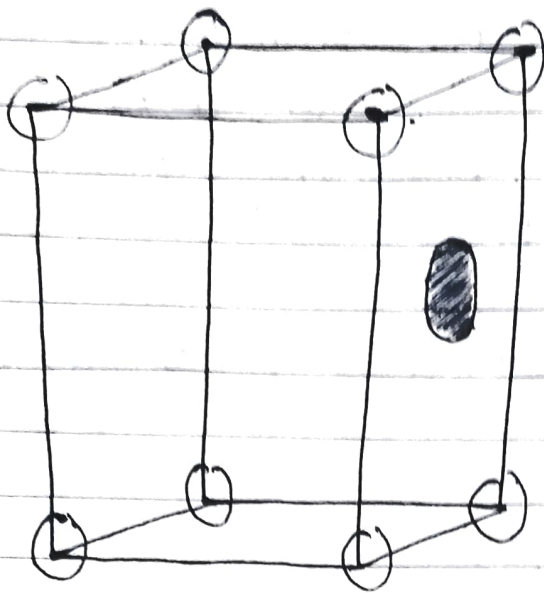


The corner atom is shared by eight cubes, therefore its contribution in one unit cell is $\frac{1}{8}$.

$$R_{\text{amb}} = \frac{n_c}{8}$$

n_c = atoms at corners.

ii) FACE CENTERED CUBIC SYSTEM (fcc) \Rightarrow

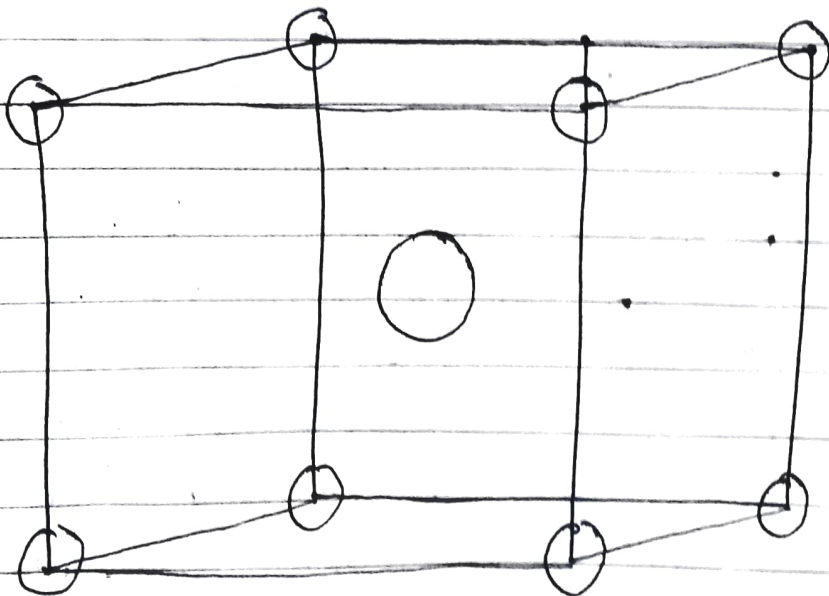


The face atoms are shared by two unit cells, therefore its contribution in one cube is $\frac{1}{2}$.

$$\text{Rank} = \frac{n_f}{2} + \frac{n_c}{8}$$

where n_f = atoms at faces
 n_c = atoms at corners

iii) BODY CENTERED CUBIC SYSTEM (BCC) \Rightarrow



⇒ The atoms inside the cube are called body atoms and they contribute their whole to the unit cell.

$$Z_{\text{amb}} = \frac{m_c}{8} + \frac{m_f}{2} + m_b$$

m_b = atoms of body centered.

#NOTE The atoms on the edges are shared by 4 cubes therefore its contribution to one cube is $\frac{1}{4}$.

$$Z_{\text{amb}} = \frac{m_c}{8} + \frac{m_f}{2} + m_b + \frac{m_e}{4}$$

only applicable to cubic crystal system.