

Maximum Sub-Array Sum [Kadane's Algorithm]

↳ take forward the sum which adds value to the next sum; i.e. is pos.

→ if $sum > 0 \Rightarrow sum += a[i]$

→ $max = \text{math.max}(max, sum);$
return max. (to be returned)

→ if $sum < 0 \Rightarrow \text{assign } sum = 0;$

eg: $a = \{-2, -3, 4, -1, -2, 1, 5, -3\}$

$sum = -2$	$max = -2$
→ $sum = 0$	$max = 0$
→ $sum = -3$	$max = 0$
→ $sum = 0$	$max = 0$
→ $sum = 4$	$max = 4$
→ $sum = 3$	
→ $sum = 1$	
→ $sum = 2$	
→ $sum = 7$	$max = 7$
→ $sum = 4$	

Pseudo Code:

```
int max = INT - MIN;  
int sum = 0;  
for (i = 0; i < n; i++) {  
    if (sum >= 0) { sum += a[i]; }  
    max = math.max(max, sum);  
    else { sum = 0; }  
}
```

Finding max^m sum

Finding the subarray with max^m sum

```
int max = INT - MIN;  
int sum = 0; (sStart, sEnd = -1)  
for (i = 0; i < n; i++) {  
    sum += a[i];  
    if (sum > max) {  
        max = sum;  
        sStart = start;  
        sEnd = i;  
    }  
}
```

Optimal solⁿ

```
if (sum < 0) { sum = 0;  
              start = i;  
            }  
}
```

for subarray return
(sStart, sEnd)

Time Complexity:

→ $O(N)$ ✓

Space → $O(1)$ ✓

for both cases