
Condensed Representation of Incidence Matrix for Directed Graph with Self-Loops

Yash Sharma - IHM2014006

Aditya Kumawat - ICM2014001

Overview

Proposed Representations of Incidence Matrix

- Base Representation
- Base Representation with Destinations
- Bit Encoding
- Vector<Pair> Representation

Base Representation

- N - no. of vertices
E - no. of edges
 - Matrix 'A' of size N x E
 - Initialize all values with 0s.
 - For every edge 'e' starting from vertex 'v1' to 'v2',
 - $A[v1][e] = 1$
 - $A[v2][e] = 2$.
 - For self-loops at vertex 'v',
 - $A[v][e] = 3$
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Base Representation with Destination

- N - no. of vertices
E - no. of edges
 - Matrix 'A' of size N x E
 - Initialize all values with -1s
 - For every edge 'e' from vertex 'v1' to 'v2',
 - $A[v1][e] = v2$.
 - For self-loops at vertex 'v',
 - $A[v][e] = v$.
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Bit Encoding

- N - no. of vertices
E - no. of edges
 - Array 'B' of size N
 - Initialize all values with 0s.
 - Calculate Quaternary numbers for every vertex 'v' by appending values of every column in A[v] row.
 - For every vertex 'v',
 - $B[v]$ = conversion of Quaternary number to Decimal number.
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Vector Pair Representation

- Define a new Data Structure as a vector of pairs of integers
 - `Vector<Pair<int, int>>`
 - For every edge 'e' between 'v1' and 'v2',
 - If $A[v][e] = 1$
Then $v1 = v$;
 - If $A[v][e] = 2$
Then $v2 = v$;
 - If $A[v][e] = 3$
Then $v1 = v \ \& \ v2 = v$;
 - Push Pair (v1, v2) to Vector
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Thank you
