## Solution Review: Compute Factorial of a Number

This lesson discusses the solution to the challenge given in the previous lesson.

```
package main
                                                                                      6
import (
        "fmt"
func main() {
       for i := uint64(0); i < uint64(22); i++ {
               fmt.Printf("Factorial of %d is %d\n", i, Factorial(i)) // calculating factori
       }
// named return variables:
func Factorial(n uint64) (fac uint64) {
       if n<=1{
                       //base case
               return 1
       fac = n * Factorial(n-1)
                                    // recursive case
       return
                                                                          Factorial of a Number
```

In main, we are calling function Factorial for numbers between **0** and **21** inclusively using for loop at **line** 7, and printing the result for every number. See the Factorial function. We always need a *base* and *recursive* case to implement the recursive function. We know that when the number is less than or equal to **1**, we stop the cycle and set the value to **1**. This is the base case. The following code implements the base case:

```
if n<=1{ //base case
  return 1
}</pre>
```

Next, we have a recursive case (for n > 1). You may have noticed the pattern. The factorial of a number n is equal to :

## Factorial(n) = n \* Factorial(n-1)

This pattern is implemented at **line 17**. We start solving this problem from smaller instances, which in turn solve problems for bigger instances.

That's it about the solution. In the next lesson, you'll study *higher-order functions*.