## **Time series Analysis Project**

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A **time series** is a sequence of data points recorded or measured at successive points in time, usually at uniform intervals. Time series analysis involves methods for analyzing these data points to extract meaningful statistics and identify characteristics of the data.

#### **Components of Time Series**

- 1. Trend Component (T): Represents the general direction or pattern of the data over a long period.
- 2. Seasonal Component (S): Captures the periodic fluctuations within a specific period (e.g., quarterly sales).
- 3. Cyclic Component (C): Refers to long-term oscillations that are not necessarily periodic.
- 4. Irregular Component (I): Random or residual variations after accounting for trend, seasonality, and cyclic components.

Data has increasing / decreasing width and height of the seasonal patterns or peaks. Trend of the data is non-linear.

## Information about dataset

<u>Link to dataset (https://www.rbi.org.in/Scripts/BS PressReleaseDisplay.aspx?prid=49901#)</u>

This dataset contain 3 columns:

- 1. Date of transaction
- 2. Volumne in lakhs
- 3. Value in INR Crores

# **Exploratory Data Analysis**

```
In []: # Importing necessary libraries
         import pandas as pd
         import numpy as np
         import matplotlib.pyplot as plt
         import seaborn as sns
         import plotly.express as px
         from datetime import datetime
In [ ]: # Loading dataset
         df = pd.read_csv("/content/UPI transaction data.csv")
In [ ]: # Let's see first 5 rows
         df.head(5)
Out[4]:
                  Date
                          Vol
                                  Val
          0 June 1, 2020 476.97 10413.11
          1 June 2, 2020 476.78
                              9951.30
          2 June 3, 2020 456.26
                               9622.38
          3 June 4, 2020 463.05
                               9639.50
          4 June 5, 2020 464.79
                              9539.52
In [ ]: # Let's see last 5 rows
         df.tail(5)
Out[5]:
                      Date
                              Vol
                                       Val
          1486 June 26, 2024 4481.40 62349.06
          1487 June 27, 2024 4504.87 62009.24
          1488 June 28, 2024 4527.52 66808.91
          1489 June 29, 2024 4755.43 70499.43
```

**1490** June 30, 2024 4619.75 59293.86

```
In [ ]: # Converting date to pandas datetime
         df['Date'] = pd.to_datetime(df['Date'])
         # Now index will be Date
         df.set index('Date', inplace=True)
In [ ]: # Checking shape of dataset
         df.shape
Out[7]: (1491, 2)
In [ ]: # Checking null values
         df.isnull().sum()
Out[8]:
              0
          Vol 0
          Val 0
         dtype: int64
In [ ]: df.describe()
Out [9]:
                      Vol
                                  Val
          count 1491.000000
                           1491.000000
          mean 2160.439611 34927.247458
               1266.795148 18632.921051
                 289.000000
                           4333.740000
           min
                 929.760000 18035.945000
           25%
               1972.090000 33487.990000
           50%
           75% 3136.965000 48262.555000
```

max 4840.870000 84201.750000

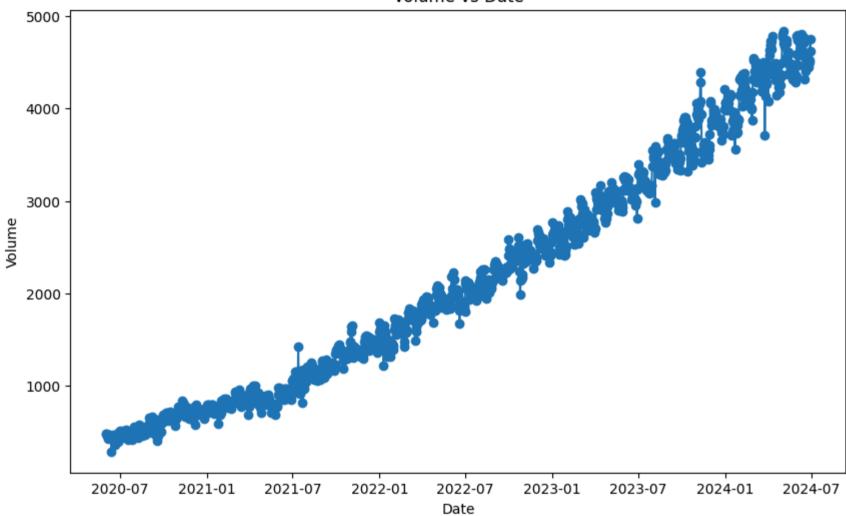
```
In []: import matplotlib.pyplot as plt

# Assuming 'df' is your DataFrame with a datetime index and a 'Vol' column
plt.figure(figsize=(10, 6))
plt.plot(df.index, df['Vol'], marker='o', linestyle='-')

# Adding title and labels
plt.title('Volume vs Date')
plt.xlabel('Date')
plt.ylabel('Volume')

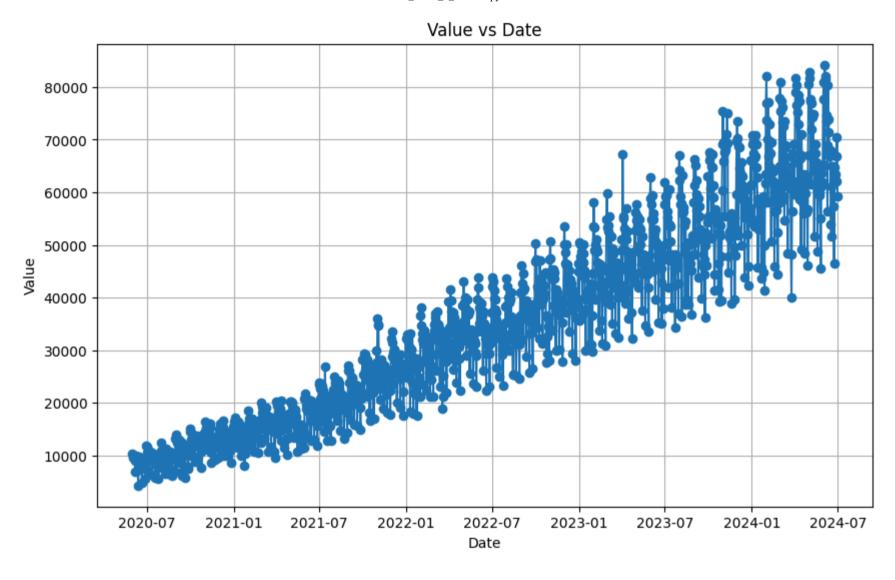
# Display the plot
plt.show()
```

## Volume vs Date



```
In []: import matplotlib.pyplot as plt

# Plotting the line graph of 'Val' vs 'date'
plt.figure(figsize=(10, 6))
plt.plot(df.index, df['Val'], marker='o')
plt.xlabel('Date')
plt.ylabel('Value')
plt.title('Value vs Date')
plt.grid(True)
plt.show()
```



```
In []: import matplotlib.pyplot as plt

# Grouping the data by year and summing the 'Vol' column

df_year = df.groupby(df.index.year)['Vol'].sum()

# Plotting the bar graph of 'Volume' vs 'Year'

plt.figure(figsize=(10, 6))

plt.bar(df_year.index, df_year.values)

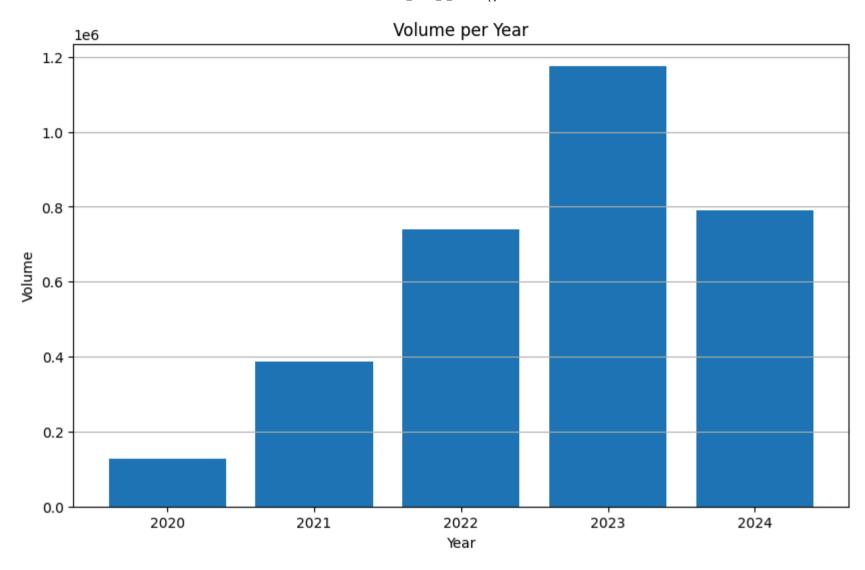
plt.xlabel('Year')

plt.ylabel('Volume')

plt.ylabel('Volume per Year')

plt.grid(axis='y')

plt.show()
```

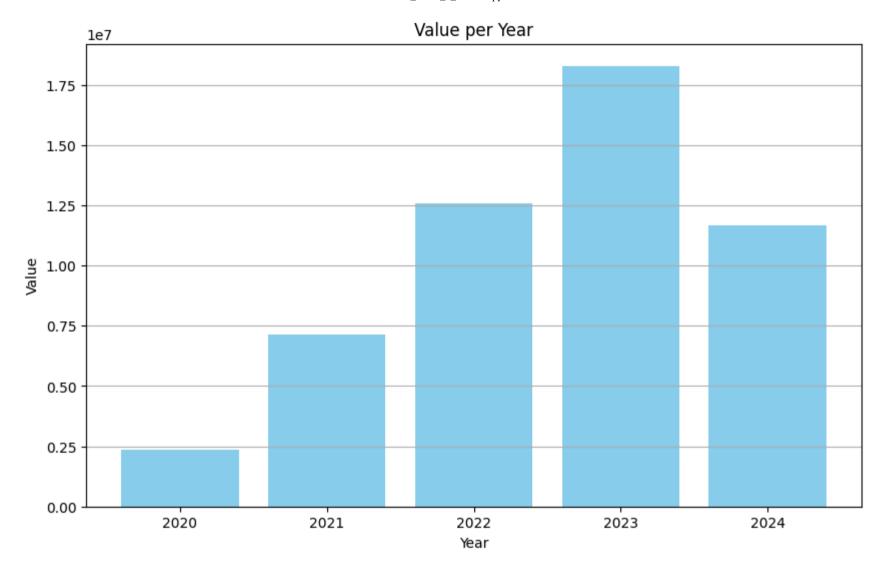


```
In []: import matplotlib.pyplot as plt

# Grouping the data by year and summing the 'Val' column
df_year = df.groupby(df.index.year)['Val'].sum()

# Plotting the bar graph of 'Value' vs 'Year'
plt.figure(figsize=(10, 6))
plt.bar(df_year.index, df_year.values, color='skyblue')
plt.xlabel('Year')
plt.ylabel('Value')
plt.ylabel('Value per Year')
plt.grid(axis='y')

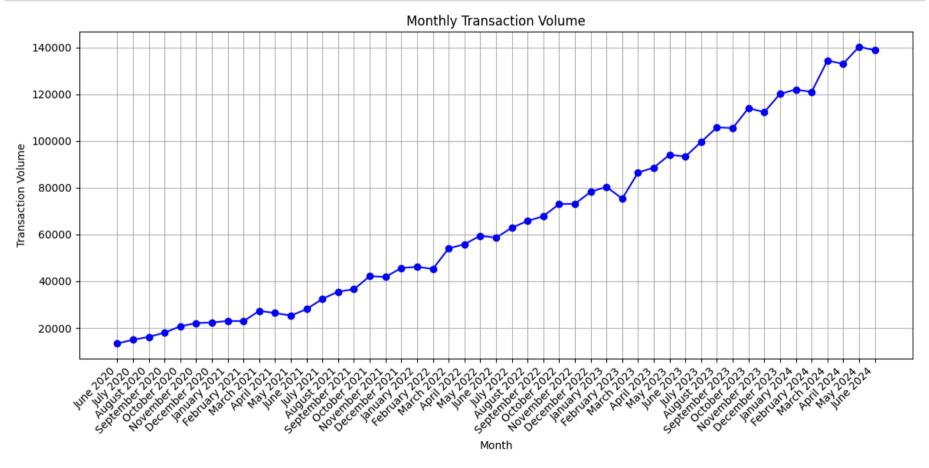
plt.show()
```



### Monthly data

```
In [ ]: # Grouping by month and summing the 'Vol' column
df_monthly = df.resample('M').sum()
```

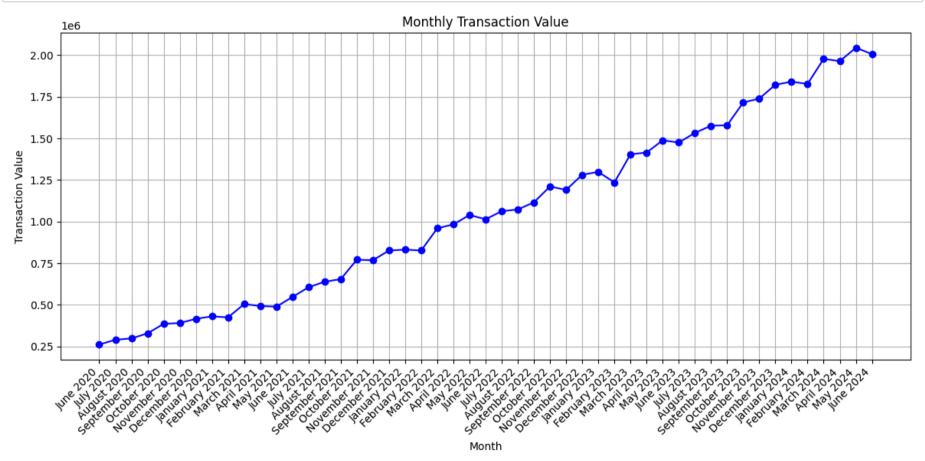
```
In []: # Plotting the line graph of 'Val' vs 'Month'
    plt.figure(figsize=(12, 6))
    plt.plot(df_monthly.index, df_monthly['Vol'], marker='o', color='blue')
    plt.xticks(rotation=45, ha='right') # Rotate month labels for better readability
    plt.xlabel('Month')
    plt.ylabel('Transaction Volume')
    plt.title('Monthly Transaction Volume')
    plt.grid(True)
    plt.tight_layout() # Adjust layout to prevent clipping of labels
    plt.show()
```



In [ ]:			

```
In []: import matplotlib.pyplot as plt

# Plotting the line graph of 'Val' vs 'Month'
plt.figure(figsize=(12, 6))
plt.plot(df_monthly.index, df_monthly['Val'], marker='o', color='blue')
plt.xticks(rotation=45, ha='right') # Rotate month labels for better readability
plt.xlabel('Month')
plt.ylabel('Transaction Value')
plt.title('Monthly Transaction Value')
plt.grid(True)
plt.tight_layout() # Adjust layout to prevent clipping of labels
plt.show()
```

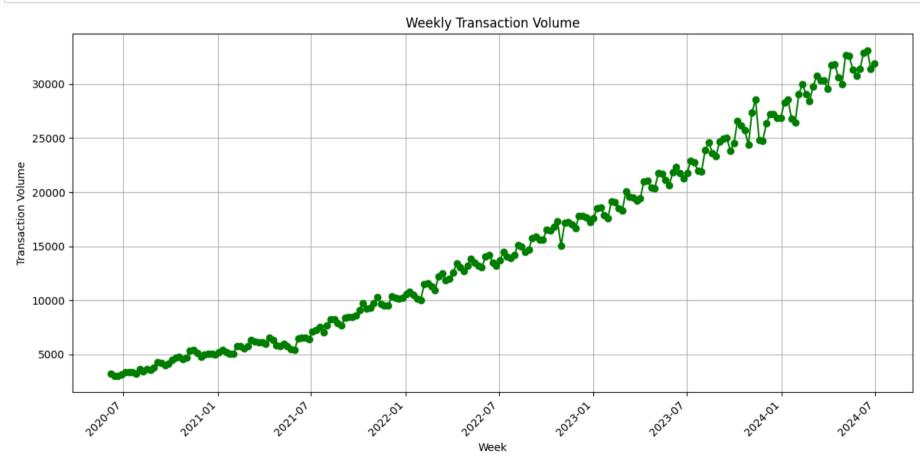


### Weekly data

```
In []:
In []: # Grouping by week and summing the 'Vol' column
df_weekly = df.resample('W').sum()
```

```
In []: import matplotlib.pyplot as plt

# Plotting the line graph of 'Vol' vs 'Week'
plt.figure(figsize=(12, 6))
plt.plot(df_weekly.index, df_weekly['Vol'], marker='o', color='green')
plt.xticks(rotation=45, ha='right') # Rotate week labels for better readability
plt.xlabel('Week')
plt.ylabel('Transaction Volume')
plt.title('Weekly Transaction Volume')
plt.grid(True)
plt.tight_layout() # Adjust layout to prevent clipping of labels
plt.show()
```

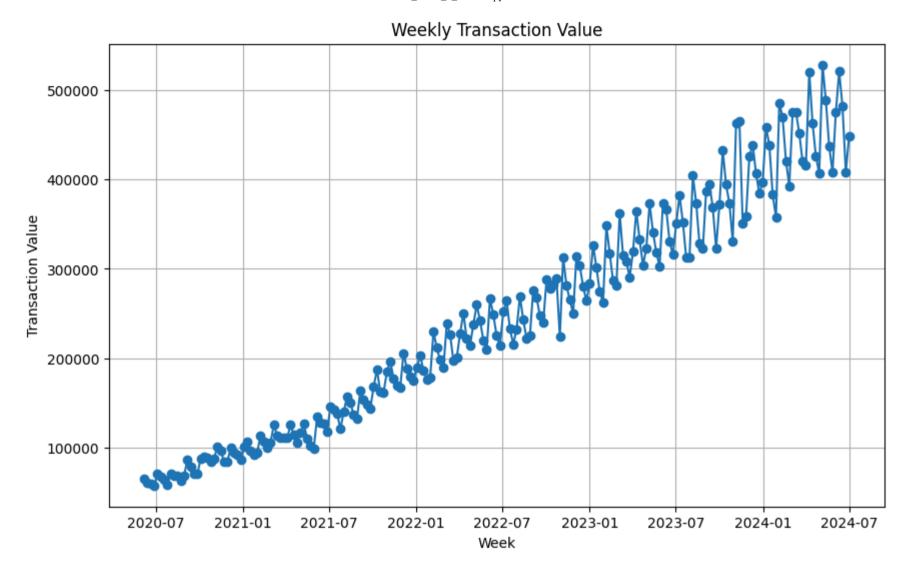


```
In []: import matplotlib.pyplot as plt

# Assuming df_weekly has a DateTime index
plt.figure(figsize=(10, 6))
plt.plot(df_weekly.index, df_weekly['Val'], marker='o', linestyle='-')

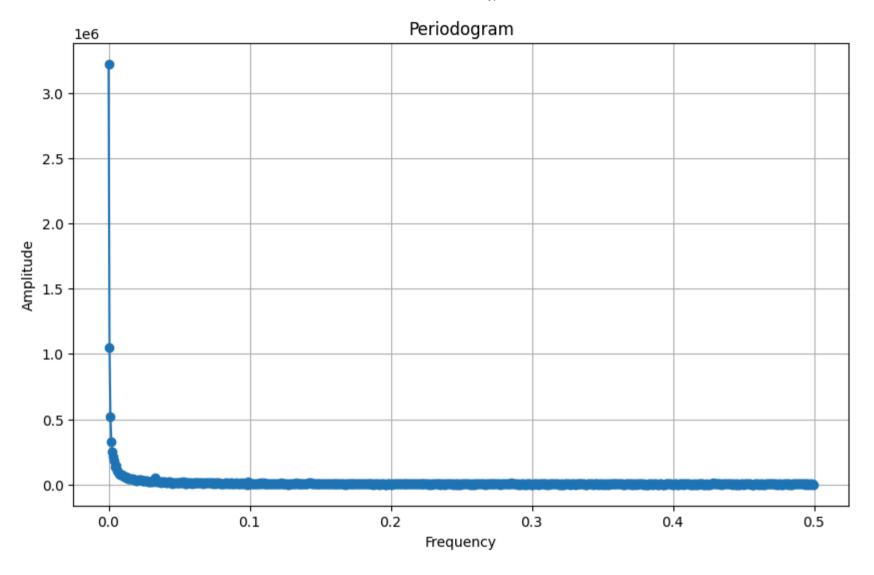
# Adding titles and labels
plt.title('Weekly Transaction Value')
plt.xlabel('Week')
plt.ylabel('Transaction Value')

# Display the plot
plt.grid(True)
plt.show()
```



Let's find the period of Seasonality

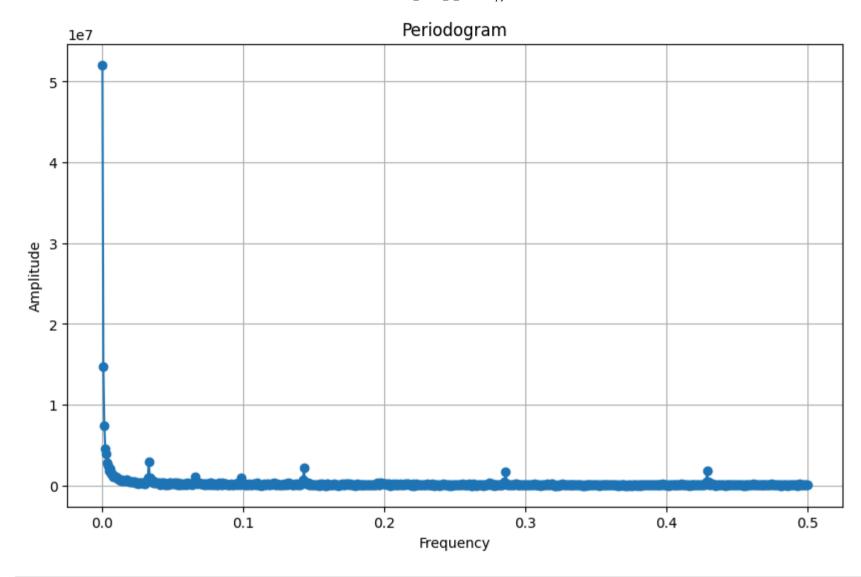
```
In [ ]: import matplotlib.pyplot as plt
        import numpy as np
        # Perform Fourier Transform
        fft_vals = np.fft.fft(df['Vol'])
        fft_freqs = np.fft.fftfreq(len(df))
        # Only keep the positive frequencies
        positive_freqs = fft_freqs[fft_freqs >= 0]
        positive_vals = np.abs(fft_vals[fft_freqs >= 0])
        # Create the plot
        plt.figure(figsize=(10, 6))
        plt.plot(positive_freqs, positive_vals, marker='o', linestyle='-')
        # Adding titles and labels
        plt.title('Periodogram')
        plt.xlabel('Frequency')
        plt.ylabel('Amplitude')
        # Display the plot
        plt.grid(True)
        plt.show()
```



Let's decompose our data to see Trend, Seasonality and Irregular components

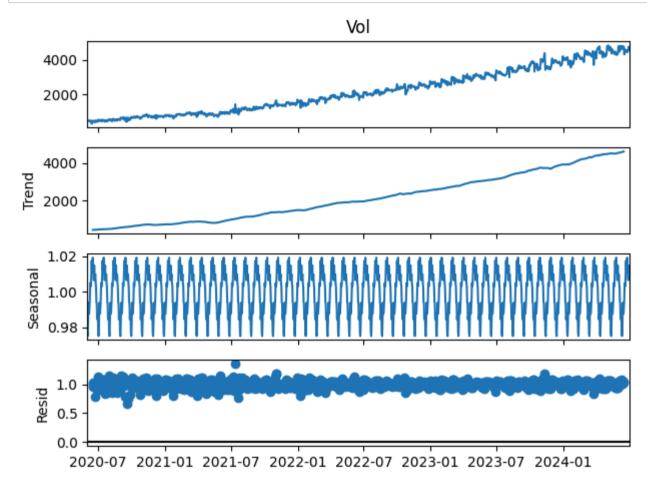
```
In [ ]:
        # Perform Fourier Transform
        fft_vals = np.fft.fft(df['Val'])
        fft_freqs = np.fft.fftfreq(len(df))
        # Only keep the positive frequencies
        positive_freqs = fft_freqs[fft_freqs >= 0]
        positive_vals = np.abs(fft_vals[fft_freqs >= 0])
        # Create the plot
        plt.figure(figsize=(10, 6))
        plt.plot(positive_freqs, positive_vals, marker='o', linestyle='-')
        # Adding titles and labels
        plt.title('Periodogram')
        plt.xlabel('Frequency')
        plt.vlabel('Amplitude')
        # Display the plot
        plt.grid(True)
        plt.show()
```

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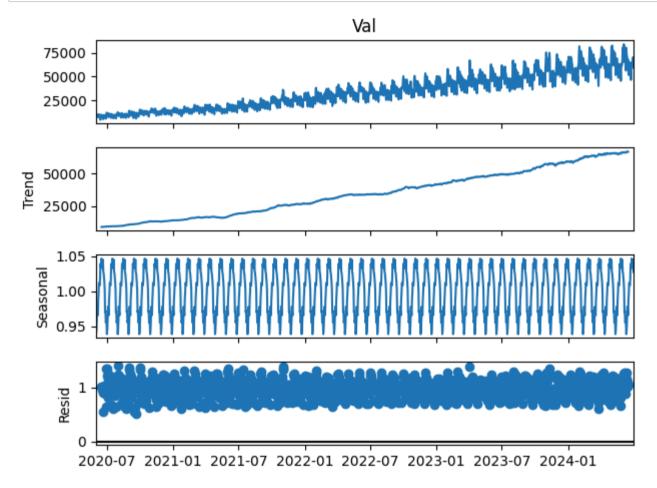




```
In [ ]: dec = sm.tsa.seasonal_decompose(df['Vol'],period = 30, model = 'multiplicative').plot()
plt.show()
```



```
In [ ]: dec = sm.tsa.seasonal_decompose(df['Val'],period = 30, model = 'multiplicative').plot()
plt.show()
```



# **Defining important functions**

**Defining Dickey-Fuller test for Stationarity** 

```
In []: #Ho: It is non stationary
        #H1: It is stationary
        from statsmodels.tsa.stattools import adfuller
        def adfuller test(col):
            result=adfuller(col)
            labels = ['ADF Test Statistic','p-value','#Lags Used','Number of Observations Used']
            for value, label in zip(result, labels):
                print(label+' : '+str(value) )
            if result[1] <= 0.05:
                print("strong evidence against the null hypothesis(Ho), reject the null hypothesis. Data has no unit
            else:
                print("weak evidence against null hypothesis, time series has a unit root, indicating it is non-stati
```

# In [ ]: |adfuller test(df['Vol']) ADF Test Statistic: 1.9914203313883863

p-value: 0.9986616986026696 #Lags Used: 24

Number of Observations Used: 1466

weak evidence against null hypothesis, time series has a unit root, indicating it is non-stationary

## In [ ]: |adfuller\_test(df['Val'])

ADF Test Statistic : -0.3564569648359322

p-value : 0.9171190012280932

#Lags Used: 24

Number of Observations Used: 1466

weak evidence against null hypothesis, time series has a unit root, indicating it is non-stationary

From test also it is now evident that data is not stationary. So we need to do differencing.

#### **Differencing**

```
In []: df['Vol_30st_diff'] = df['Vol'].diff(periods = 30)
adfuller_test(df['Vol_30st_diff'][30:])
```

ADF Test Statistic : -5.3345307157577775

p-value: 4.642310952725903e-06

#Lags Used: 23

Number of Observations Used: 1437

strong evidence against the null hypothesis(Ho), reject the null hypothesis. Data has no unit root and is s tationary

## In [ ]: df['Vol\_30st\_diff'][30:].head()

### Out[39]:

#### Vol 30st diff

Date	
2020-07-01	38.21
2020-07-02	5.18
2020-07-03	51.15
2020-07-04	35.72
2020-07-05	-32.27

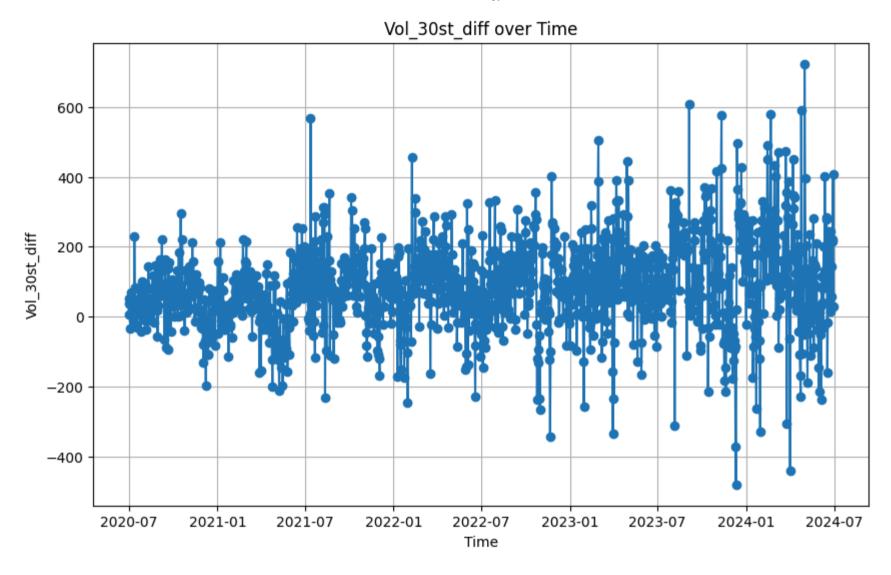
dtype: float64

```
In []: import matplotlib.pyplot as plt

# Create the plot
plt.figure(figsize=(10, 6))
plt.plot(df.index, df['Vol_30st_diff'], marker='o', linestyle='-')

# Adding titles and labels
plt.title('Vol_30st_diff over Time')
plt.xlabel('Time')
plt.ylabel('Vol_30st_diff')

# Display the plot
plt.grid(True)
plt.show()
```



```
In []: df['Val_30st_diff'] = df['Val'].diff(periods = 30)
adfuller_test(df['Val_30st_diff'][30:])
```

ADF Test Statistic : -6.3194666358845435

p-value : 3.09165280616763e-08

#Lags Used : 22

Number of Observations Used: 1438

strong evidence against the null hypothesis(Ho), reject the null hypothesis. Data has no unit root and is s tationary

## In [ ]: df['Val\_30st\_diff'][30:].head()

### Out[43]:

#### Val 30st diff

Date	
2020-07-01	1198.60
2020-07-02	543.14
2020-07-03	1113.07
2020-07-04	475.08
2020-07-05	-2424.47

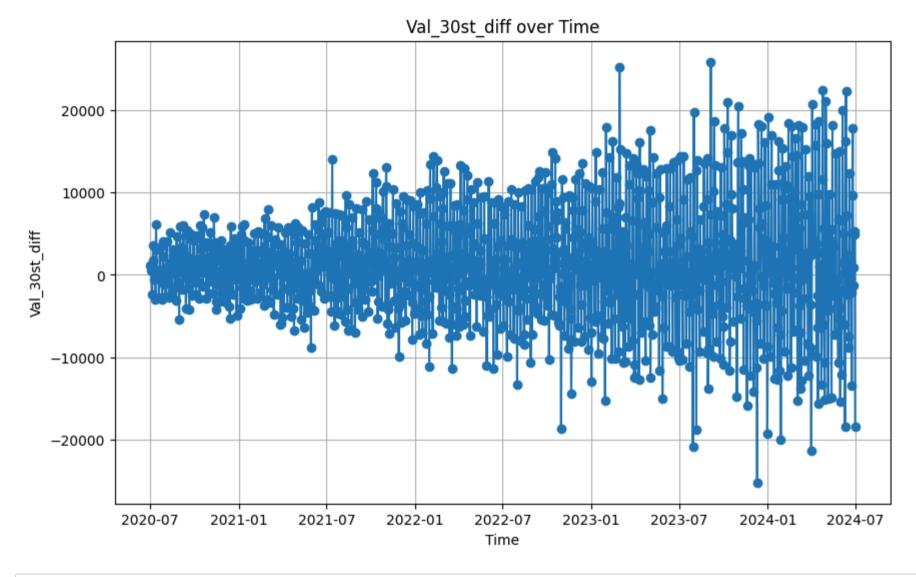
dtype: float64

```
In []: import matplotlib.pyplot as plt

# Create the plot
plt.figure(figsize=(10, 6))
plt.plot(df.index, df['Val_30st_diff'], marker='o', linestyle='-')

# Adding titles and labels
plt.title('Val_30st_diff over Time')
plt.xlabel('Time')
plt.ylabel('Val_30st_diff')

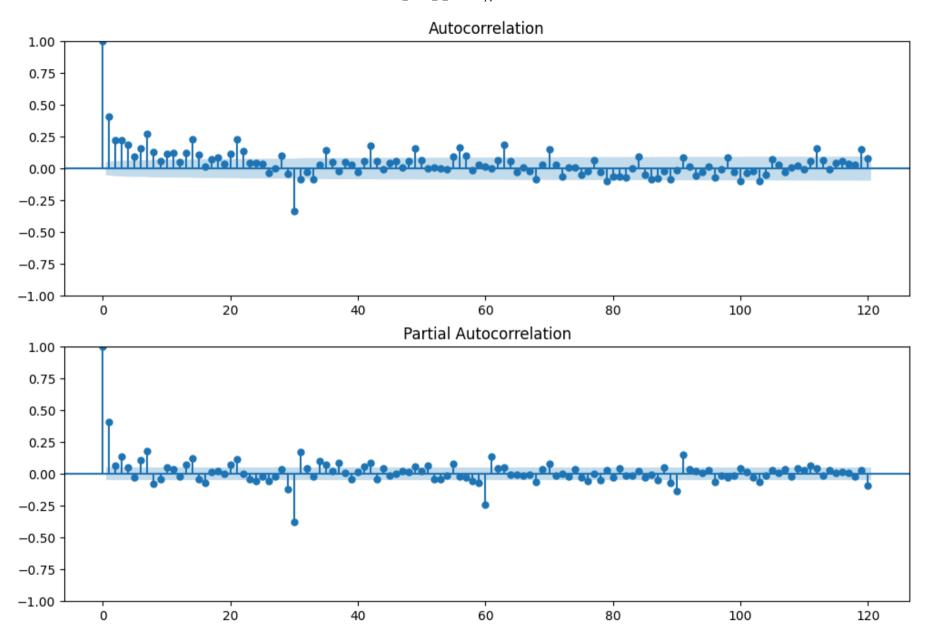
# Display the plot
plt.grid(True)
plt.show()
```



In [ ]: from statsmodels.graphics.tsaplots import plot\_acf,plot\_pacf

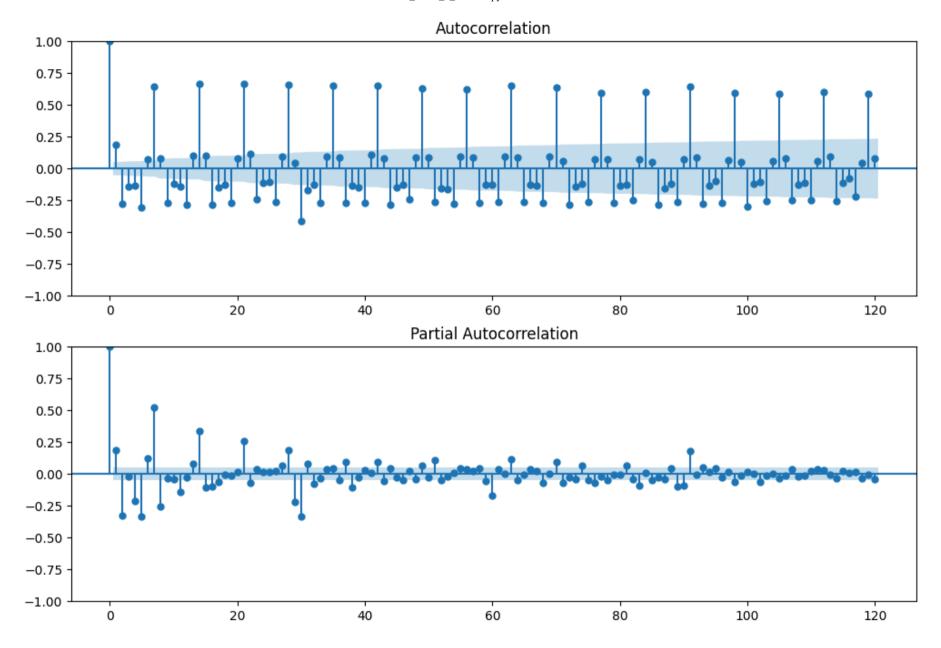
```
In []: fig = plt.figure(figsize=(12,8))
    ax1 = fig.add_subplot(211)
    fig = sm.graphics.tsa.plot_acf(df['Vol_30st_diff'].iloc[30:],lags=120,ax=ax1)
    ax2 = fig.add_subplot(212)
    fig = sm.graphics.tsa.plot_pacf(df['Vol_30st_diff'].iloc[30:],lags=120,ax=ax2)
```

localhost:8889/notebooks/Time\_series\_2\_new.ipynb



```
In []: fig = plt.figure(figsize=(12,8))
    ax1 = fig.add_subplot(211)
    fig = sm.graphics.tsa.plot_acf(df['Val_30st_diff'].iloc[30:],lags=120,ax=ax1)
    ax2 = fig.add_subplot(212)
    fig = sm.graphics.tsa.plot_pacf(df['Val_30st_diff'].iloc[30:],lags=120,ax=ax2)
```

localhost:8889/notebooks/Time\_series\_2\_new.ipynb



# **Model fitting**

#### **Splitting Dataset**

```
In []: # Split the data into train and test sets
    train_size = int(len(df) * 0.8)
    train_Vol, test_Vol = df['Vol'].iloc[:train_size], df['Vol'].iloc[train_size:]
    train_Val, test_Val = df['Val'].iloc[:train_size], df['Val'].iloc[train_size:]
```

#### ARIMA(p,d,q)

```
In [ ]: pip install statsmodels
```

```
Requirement already satisfied: statsmodels in /usr/local/lib/python3.10/dist-packages (0.14.2)
Requirement already satisfied: numpy>=1.22.3 in /usr/local/lib/python3.10/dist-packages (from statsmodels)
(1.26.4)
Requirement already satisfied: scipy!=1.9.2,>=1.8 in /usr/local/lib/python3.10/dist-packages (from statsmod
els) (1.13.1)
Requirement already satisfied: pandas!=2.1.0,>=1.4 in /usr/local/lib/python3.10/dist-packages (from statsmo
dels) (2.1.4)
Requirement already satisfied: patsy>=0.5.6 in /usr/local/lib/python3.10/dist-packages (from statsmodels)
(0.5.6)
Requirement already satisfied: packaging>=21.3 in /usr/local/lib/python3.10/dist-packages (from statsmodel
s) (24.1)
Requirement already satisfied: python-dateutil>=2.8.2 in /usr/local/lib/python3.10/dist-packages (from pand
as!=2.1.0,>=1.4->statsmodels) (2.8.2)
Reguirement already satisfied: pytz>=2020.1 in /usr/local/lib/python3.10/dist-packages (from pandas!=2.1.0,
>=1.4->statsmodels) (2024.1)
Requirement already satisfied: tzdata>=2022.1 in /usr/local/lib/python3.10/dist-packages (from pandas!=2.1.
0.>=1.4->statsmodels) (2024.1)
Requirement already satisfied: six in /usr/local/lib/python3.10/dist-packages (from patsy>=0.5.6->statsmode
ls) (1.16.0)
```

In [ ]: from statsmodels.tsa.arima.model import ARIMA
import warnings

```
In [ ]: # Suppress warnings for cleaner output
warnings.filterwarnings("ignore")
```

### **For Volume**

```
In []: # Fit ARIMA model
# (p, d, q) are the parameters of the ARIMA model. You can adjust these parameters or use auto_arima to deter
model = ARIMA(train_Vol, order=(1, 1, 4))
model_fit = model.fit()
```

# In []: # Print summary of the model print(model\_fit.summary())

### SARIMAX Results

Dep. Variable:	Vol	No. Observations:	1192
Model:	ARIMA(1, 1, 4)	Log Likelihood	-6870.496
Date:	Sat, 10 Aug 2024	AIC	13752.992
Time:	08:23:28	BIC	13783.487
Sample:	06-01-2020	HQIC	13764.483
	- 09-05-2023		

Covariance Type:

opg	
-----	--

	coef	std err	Z	P>   z	[0.025	0.975]
ar.L1 ma.L1	-0.7759 0.3051	0.202 0.205	-3.833 1.488	0.000 0.137	-1.173 -0.097	-0.379 0.707
ma.L2	-0.4093	0.101	-4.055	0.000	-0.607	-0.211
ma.L3 ma.L4	-0.0423 -0.0517	0.030 0.028	-1.428 -1.824	0.153 0.068	-0.100 -0.107	0.016 0.004
sigma2	5998.2343	131.396	45.650	0.000	5740.703	6255.766

Ljung-Box (L1) (Q):	0.02	Jarque-Bera (JB):	1966.26
<pre>Prob(Q):</pre>	0.89	<pre>Prob(JB):</pre>	0.00
Heteroskedasticity (H):	3.82	Skew:	0.15
<pre>Prob(H) (two-sided):</pre>	0.00	Kurtosis:	9.29

\_\_\_\_\_

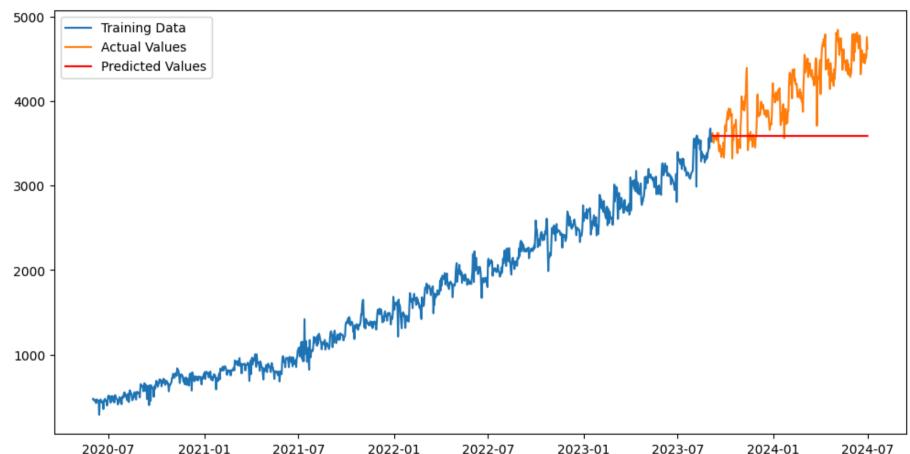
## Warnings:

[1] Covariance matrix calculated using the outer product of gradients (complex-step).

```
In [ ]: # Make predictions
```

```
predictions = model_fit.forecast(steps=len(test_Vol))
predictions = pd.Series(predictions, index=test_Vol.index)
```

```
In []: # Plot actual vs predicted values
plt.figure(figsize=(12, 6))
plt.plot(train_Vol, label='Training Data')
plt.plot(test_Vol, label='Actual Values')
plt.plot(predictions, label='Predicted Values', color='red')
plt.legend()
plt.show()
```



## In [ ]: pip install pmdarima Collecting pmdarima Downloading pmdarima-2.0.4-cp310-cp310-manylinux 2 17 x86 64.manylinux2014 x86 64.manylinux 2 28 x86 64.w hl.metadata (7.8 kB) Requirement already satisfied: joblib>=0.11 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1. 4.2) Requirement already satisfied: Cython!=0.29.18,!=0.29.31,>=0.29 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (3.0.11) Requirement already satisfied: numpy>=1.21.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1. 26.4) Requirement already satisfied: pandas>=0.19 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (2. 1.4) Requirement already satisfied: scikit-learn>=0.22 in /usr/local/lib/python3.10/dist-packages (from pmdarim a) (1.3.2) Requirement already satisfied: scipy>=1.3.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.1 3.1) Requirement already satisfied: statsmodels>=0.13.2 in /usr/local/lib/python3.10/dist-packages (from pmdarim a) (0.14.2) Requirement already satisfied: urllib3 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (2.0.7) Reguirement already satisfied: setuptools!=50.0.0,>=38.6.0 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (71.0.4) Requirement already satisfied: packaging>=17.1 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (24.1)Requirement already satisfied: python-dateutil>=2.8.2 in /usr/local/lib/python3.10/dist-packages (from pand as >= 0.19 - pmdarima) (2.8.2) Reguirement already satisfied: pytz>=2020.1 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19-> pmdarima) (2024.1) Reguirement already satisfied: tzdata>=2022.1 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19 ->pmdarima) (2024.1) Requirement already satisfied: threadpoolctl>=2.0.0 in /usr/local/lib/python3.10/dist-packages (from scikit -learn >= 0.22 -> pmdarima) (3.5.0)Requirement already satisfied: patsy>=0.5.6 in /usr/local/lib/python3.10/dist-packages (from statsmodels>= 0.13.2->pmdarima) (0.5.6) Requirement already satisfied: six in /usr/local/lib/python3.10/dist-packages (from patsy>=0.5.6->statsmode ls>=0.13.2->pmdarima) (1.16.0) Downloading pmdarima-2.0.4-cp310-cp310-manylinux 2 17 x86 64.manylinux2014 x86 64.manylinux 2 28 x86 64.whl (2.1 MB) - 2.1/2.1 MB 12.0 MB/s eta 0:00:00

Installing collected packages: pmdarima Successfully installed pmdarima-2.0.4

Using Predefined library which is able to find parameters od ARIMA model.

```
In []: from pmdarima import auto arima
        # Find the best ARIMA parameters using auto arima
        auto model = auto arima(train Vol, seasonal=True, stepwise=True, suppress warnings=True, trace=True)
        # Print the summary of the best model found
        print(auto model.summary())
        # Fit the model with the determined parameters
        best order = auto model.order
        model = ARIMA(train Vol, order=best order)
        model fit = model.fit()
        # Make predictions
        predictions = model_fit.forecast(steps=len(test_Vol))
        predictions = pd.Series(predictions, index=test Vol.index)
        # Plot actual vs predicted values
        plt.figure(figsize=(12, 6))
        plt.plot(train Vol, label='Training Data')
        plt.plot(test Vol, label='Actual Values')
        plt.plot(predictions, label='Predicted Values', color='red')
        plt.legend()
        plt.show()
```

```
Performing stepwise search to minimize aic
ARIMA(2,1,2)(0,0,0)[0] intercept
                                    : AIC=13749.146, Time=6.03 sec
ARIMA(0,1,0)(0,0,0)[0] intercept
                                    : AIC=13986.207. Time=0.11 sec
ARIMA(1,1,0)(0,0,0)[0] intercept
                                    : AIC=13809.455, Time=0.25 sec
 ARIMA(0,1,1)(0,0,0)[0] intercept
                                    : AIC=13748.998, Time=3.81 sec
 ARIMA(0.1.0)(0.0.0)[0]
                                    : AIC=13985.319, Time=0.08 sec
ARIMA(1,1,1)(0,0,0)[0] intercept
                                    : AIC=13746.818, Time=4.10 sec
 ARIMA(2,1,1)(0,0,0)[0] intercept
                                    : AIC=13702.387, Time=6.59 sec
ARIMA(2,1,0)(0,0,0)[0] intercept
                                    : AIC=13767.786, Time=0.76 sec
 ARIMA(3,1,1)(0,0,0)[0] intercept
                                    : AIC=13696.446, Time=10.75 sec
ARIMA(3,1,0)(0,0,0)[0] intercept
                                    : AIC=13759.823, Time=1.07 sec
ARIMA(4,1,1)(0,0,0)[0] intercept
                                    : AIC=13698.440, Time=12.32 sec
ARIMA(3,1,2)(0,0,0)[0] intercept
                                    : AIC=inf, Time=14.31 sec
ARIMA(4,1,0)(0,0,0)[0] intercept
                                    : AIC=13760.413, Time=1.05 sec
 ARIMA(4,1,2)(0,0,0)[0] intercept
                                    : AIC=inf, Time=14.12 sec
ARIMA(3,1,1)(0,0,0)[0]
                                    : AIC=13731.999, Time=3.08 sec
Best model: ARIMA(3,1,1)(0,0,0)[0] intercept
Total fit time: 78.480 seconds
                               SARIMAX Results
Dep. Variable:
                                        No. Observations:
                                                                           1192
                     SARIMAX(3, 1, 1)
                                        Log Likelihood
Model:
                                                                      -6842.223
                     Sat, 10 Aug 2024
Date:
                                        AIC
                                                                      13696.446
                             08:25:08
                                        BIC
Time:
                                                                      13726.941
Sample:
                           06-01-2020
                                        HQIC
                                                                      13707.938
                         - 09-05-2023
Covariance Type:
                                  opg
_____
                                                  P>|z|
                                                             [0.025
                                                                         0.975]
                         std err
                 coef
                                          Ζ
intercept
               0.7657
                           0.138
                                      5.550
                                                  0.000
                                                              0.495
                                                                          1.036
               0.4450
                           0.023
                                                  0.000
                                                              0.400
                                                                          0.489
ar.L1
                                     19.602
ar.L2
                                      6.559
                                                                          0.224
               0.1728
                           0.026
                                                  0.000
                                                              0.121
ar.L3
               0.0833
                                                              0.031
                           0.027
                                      3.131
                                                  0.002
                                                                          0.135
ma.L1
              -0.9657
                           0.014
                                    -68.105
                                                  0.000
                                                             -0.994
                                                                         -0.938
```

42.837

0.00

0.98

0.000

Prob(JB):

Jarque-Bera (JB):

5455.201

5978.331

1616.35

0.00

0.22

Heteroskedasticity (H): 3.55 Skew:

133.454

sigma2

Prob(Q):

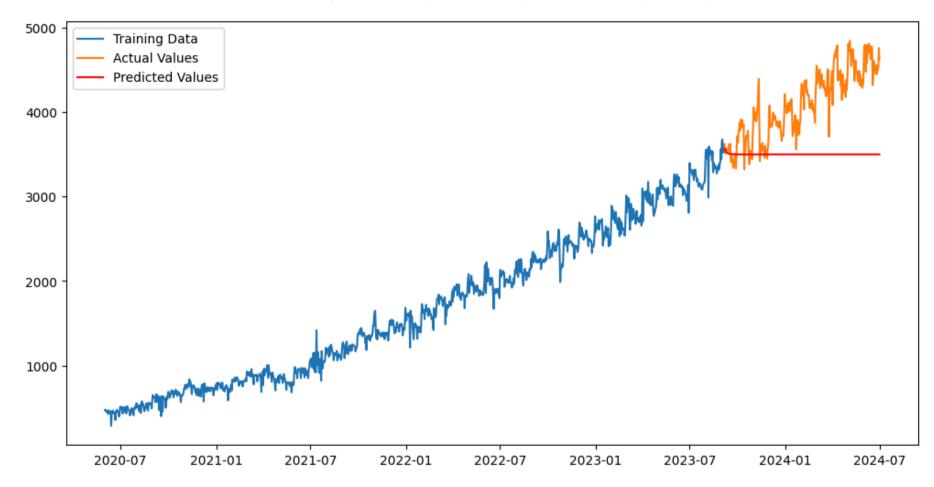
Liung-Box (L1) (0):

5716.7659

Prob(H) (two-sided): 0.00 Kurtosis: 8.69

### Warnings:

[1] Covariance matrix calculated using the outer product of gradients (complex-step).



For Value

```
In []: # Fit ARIMA model
# (p, d, q) are the parameters of the ARIMA model. You can adjust these parameters or use auto_arima to deter
model = ARIMA(train_Val, order=(2, 1, 1))
model_fit = model.fit()
```

# In [ ]: # Print summary of the model print(model\_fit.summary())

#### SARIMAX Results

============	=======================================		=========
Dep. Variable:	Val	No. Observations:	1192
Model:	ARIMA(2, 1, 1)	Log Likelihood	-11685.321
Date:	Sat, 10 Aug 2024	AIC	23378.642
Time:	08:25:16	BIC	23398.972
Sample:	06-01-2020	HQIC	23386.303
	- 09-05-2023		

Covariance Type: opg

	coef	std err	Z	P> z	[0.025	0.975]
ar.L1	0.3456	0.022	15.409	0.000	0.302	0.390
ar.L2	0.1331	0.030	4.412	0.000	0.074	0.192
ma.L1	-0.9612	0.011	-90.940	0.000	-0.982	-0.940
sigma2	2.154e+07	2.24e-10	9.61e+16	0.000	2.15e+07	2 <b>.</b> 15e+07

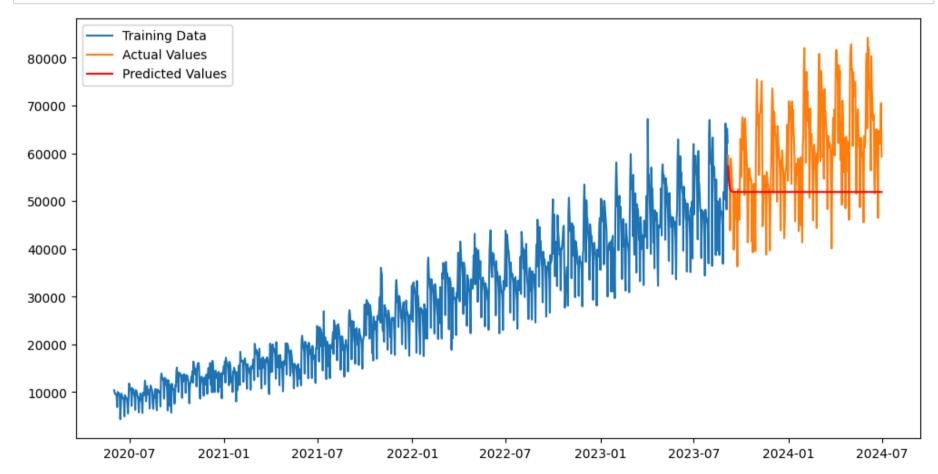
Ljung-Box (L1) (Q):	0.31	Jarque-Bera (JB):	227.27
<pre>Prob(Q):</pre>	0.58	Prob(JB):	0.00
<pre>Heteroskedasticity (H):</pre>	7.33	Skew:	0.14
<pre>Prob(H) (two-sided):</pre>	0.00	Kurtosis:	5.12

### Warnings:

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 4.14e+31. Standard errors may be unstable.

```
In []: # Make predictions
predictions = model_fit.forecast(steps=len(test_Val))
predictions = pd.Series(predictions, index=test_Val.index)
```

```
In []: # Plot actual vs predicted values
    plt.figure(figsize=(12, 6))
    plt.plot(train_Val, label='Training Data')
    plt.plot(test_Val, label='Actual Values')
    plt.plot(predictions, label='Predicted Values', color='red')
    plt.legend()
    plt.show()
```



Using Predefined library which is able to find parameters od ARIMA model.

### SARIMA(p,d,q)\*(P,D,Q,S)

#### For Volume

```
In []: # Fit SARIMA model
# (p, d, q) are the parameters for the non-seasonal part of the model.
# (P, D, Q, s) are the parameters for the seasonal part of the model.
# 's' is the periodicity of the seasonality (e.g., 7 for weekly, 12 for monthly).
# You can adjust these parameters or use auto_arima to determine the best parameters.
from statsmodels.tsa.statespace.sarimax import SARIMAX
```

```
In []: model = SARIMAX(train_Vol, order=(1, 0, 3), seasonal_order=(1, 1, 1, 30))
    model_fit_vol = model.fit(disp=False)

# Forecast and get predictions for the training data to get residuals
    train_predictions = model_fit_vol.fittedvalues
    residuals = train_Vol - train_predictions

# Print summary of the model
    print(model_fit.summary())
```

#### SARTMAX Results

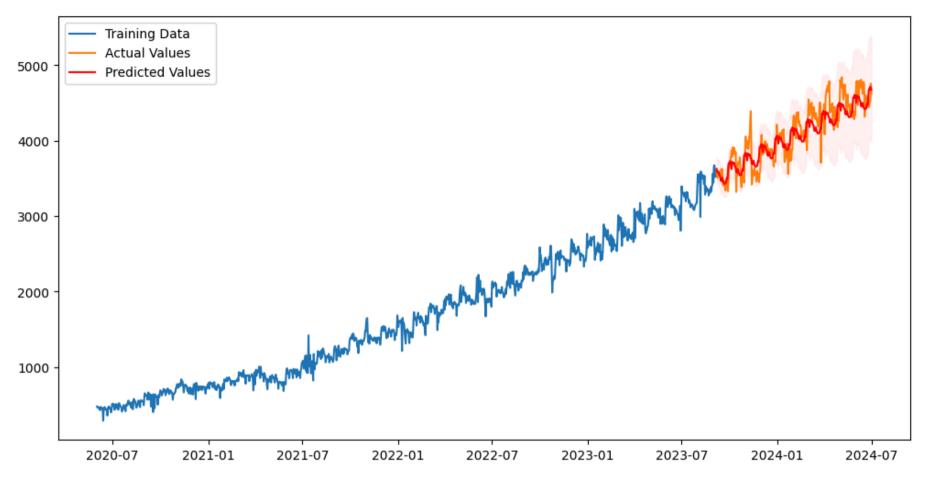
		SA) 	RIMAX Resu	LTS 			
Dep. Variable: Model: Date: Time: Sample: Covariance Type:		Val N ARIMA(2, 1, 1) L Sat, 10 Aug 2024 A 08:26:51 E 06-01-2020 H - 09-05-2023 opg			1192 -11685.321 23378.642 23398.972 23386.303		
======= ar.L1 ar.L2 ma.L1	coef 0.3456	0.022 0.030 0.011	15.409 4.412 -90.940	0.000 0.000	0.302 0.074 -0.982	0.390 0.192 -0.940	
Prob(Q): Heteroske	c(L1)(Q): edasticity(H): two-sided):	:	0.31 0.58 7.33 0.00	Jarque-Bera Prob(JB): Skew: Kurtosis:	(JB):	227. 0. 0. 5.	00 14

#### Warnings:

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 4.14e+31. Standard errors may be unstable.

```
In []: # Make predictions
    predictions = model_fit_vol.get_forecast(steps=len(test_Vol))
    predicted_mean = predictions.predicted_mean
    conf_int = predictions.conf_int()

# Plot actual vs predicted values
    plt.figure(figsize=(12, 6))
    plt.plot(train_Vol, label='Training Data')
    plt.plot(test_Vol, label='Actual Values')
    plt.plot(predicted_mean, label='Predicted Values', color='red')
    plt.fill_between(predicted_mean.index, conf_int.iloc[:, 0], conf_int.iloc[:, 1], color='pink', alpha=0.2)
    plt.legend()
    plt.show()
```



In [ ]:

For Value

```
In []: model = SARIMAX(train_Val, order=(1,0,0), seasonal_order=(1, 1, 1, 30))
    model_fit_val = model.fit(disp=False)

# Forecast and get predictions for the training data to get residuals
    train_predictions = model_fit_val.fittedvalues
    residuals = train_Val - train_predictions

# Print summary of the model
    print(model_fit.summary())
```

#### SARTMAX Results

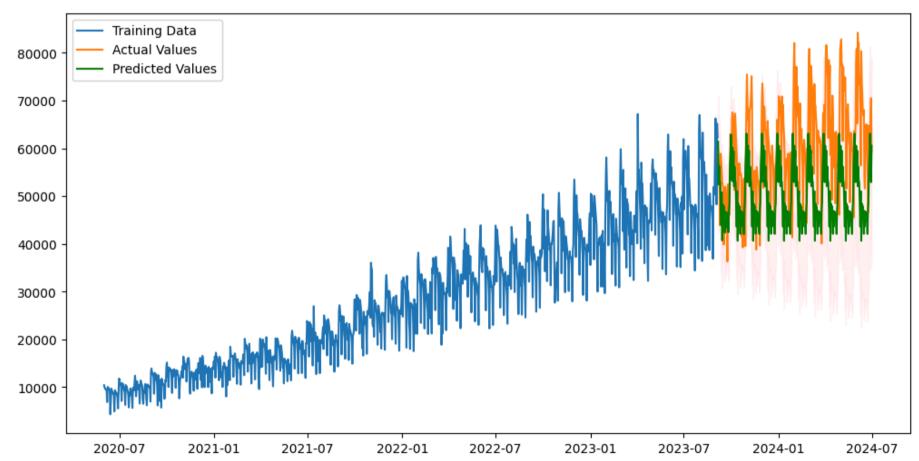
		اہری					
Dep. Varia				No. Observations: Log Likelihood		1192	
Model: Date:	S	ARIMA(2, 1 at, 10 Aug 2	•	AIC	Liketinood		-11685.321 23378.642
Time:	56	08:2		BIC			23398.972
Sample:		06-01- 06-01- - 09-05-		HQIC			23386.303
Covariance	e Type:		opg				
=======	coef	std err	=====	Z	P> z	[0.025	0.975]
ar.L1	 0.3456	0.022	 15	 . 409	0.000	0.302	0.390
ar.L2	0.1331	0.030	4	412	0.000	0.074	0.192
ma.L1	-0.9612	0.011	-90	940	0.000	-0.982	-0.940
sigma2	2.154e+07	2.24e-10	9.61	.e+16	0.000	2.15e+07	2.15e+07
Ljung-Box (L1) (Q):		@	.31	Jarque-Bera	(JB):	 227.	
<pre>Prob(Q):</pre>		0	.58	Prob(JB):		0.	
Heteroskedasticity (H):			7	<b>.</b> 33	Skew:		0.
Prob(H) (	two-sided):		0.00		Kurtosis:		5.

## Warnings:

- [1] Covariance matrix calculated using the outer product of gradients (complex-step).
- [2] Covariance matrix is singular or near-singular, with condition number 4.14e+31. Standard errors may be unstable.

```
In []: # Make predictions
    predictions = model_fit_val.get_forecast(steps=len(test_Val))
    predicted_mean = predictions.predicted_mean
    conf_int = predictions.conf_int()

# Plot actual vs predicted values
    plt.figure(figsize=(12, 6))
    plt.plot(train_Val, label='Training Data')
    plt.plot(test_Val, label='Actual Values')
    plt.plot(predicted_mean, label='Predicted Values', color='green')
    plt.fill_between(predicted_mean.index, conf_int.iloc[:, 0], conf_int.iloc[:, 1], color='pink', alpha=0.2)
    plt.legend()
    plt.show()
```



Type  $\it Markdown$  and LaTeX:  $\it \alpha^2$ 

In [ ]:

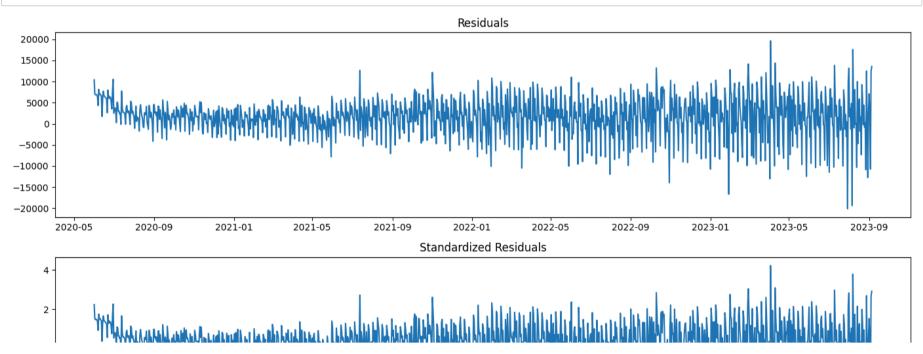
```
In [ ]: # Residuals
        residuals = model fit val.resid
        standardized residuals = residuals / np.std(residuals)
        # Plot the residuals and standardized residuals
        plt.figure(figsize=(14, 7))
        plt.subplot(2, 1, 1)
        plt.plot(residuals)
        plt.title('Residuals')
        plt.subplot(2, 1, 2)
        plt.plot(standardized residuals)
        plt.title('Standardized Residuals')
        plt.tight layout()
        plt.show()
        # Plot ACF and PACF of standardized residuals
        plt.figure(figsize=(12, 6))
        plt.subplot(121)
        plot acf(standardized_residuals, ax=plt.gca(), lags=40)
        plt.title('ACF of Standardized Residuals')
        plt.subplot(122)
        plot_pacf(standardized_residuals, ax=plt.gca(), lags=40)
        plt.title('PACF of Standardized Residuals')
        plt.show()
        # Perform Liung-Box test
        from statsmodels.stats.diagnostic import acorr ljungbox
        ljung_box_result = acorr_ljungbox(standardized_residuals, lags=[10], return_df=True)
        print("Ljung-Box test result:")
        print(ljung box result)
        # Interpretation
        if ljung_box_result['lb_pvalue'].values[0] > 0.05:
            print("Fail to reject the null hypothesis: Residuals are independently distributed.")
        else:
            print("Reject the null hypothesis: Residuals are not independently distributed.")
        # Plot the distribution of the standardized residuals
```

```
plt.figure(figsize=(10, 6))
sns.histplot(standardized_residuals, kde=True)
plt.title('Distribution of Standardized Residuals')
plt.show()

# Plot Q-Q plot
plt.figure(figsize=(10, 6))
import scipy.stats as stats

# Assuming standardized_residuals is a pandas Series or NumPy array
stats.probplot(standardized_residuals, dist="norm", plot=plt)

stats.probplot(standardized_residuals, dist="norm", plot=plt)
plt.title('Q-Q Plot of Standardized Residuals')
plt.show()
```



```
In [ ]: # Residuals
        residuals = model fit vol.resid
        standardized residuals = residuals / np.std(residuals)
        # Plot the residuals and standardized residuals
        plt.figure(figsize=(14, 7))
        plt.subplot(2, 1, 1)
        plt.plot(residuals)
        plt.title('Residuals')
        plt.subplot(2, 1, 2)
        plt.plot(standardized residuals)
        plt.title('Standardized Residuals')
        plt.tight layout()
        plt.show()
        # Plot ACF and PACF of standardized residuals
        plt.figure(figsize=(12, 6))
        plt.subplot(121)
        plot acf(standardized_residuals, ax=plt.gca(), lags=40)
        plt.title('ACF of Standardized Residuals')
        plt.subplot(122)
        plot_pacf(standardized_residuals, ax=plt.gca(), lags=40)
        plt.title('PACF of Standardized Residuals')
        plt.show()
        # Perform Liung-Box test
        ljung box result = acorr ljungbox(standardized residuals, lags=[10], return df=True)
        print("Ljung-Box test result:")
        print(ljung_box_result)
        # Interpretation
        if ljung_box_result['lb_pvalue'].values[0] > 0.05:
            print("Fail to reject the null hypothesis: Residuals are independently distributed.")
        else:
            print("Reject the null hypothesis: Residuals are not independently distributed.")
        # Plot the distribution of the standardized residuals
        plt.figure(figsize=(10, 6))
```

```
sns.histplot(standardized_residuals, kde=True)
plt.title('Distribution of Standardized Residuals')
plt.show()
# Plot Q-Q plot
plt.figure(figsize=(10, 6))
stats.probplot(standardized_residuals, dist="norm", plot=plt)
plt.title('Q-Q Plot of Standardized Residuals')
plt.show()
 Ordered Value
     0 -
    -2
                            -2
                                         -1
              -3
                                                        0
                                                                      1
                                                                                   2
                                                                                                 3
                                               Theoretical quantiles
```

