Part ·	<b>(\( \( \)</b>	Only	, one	correc	t option
ı aıı .	$\mathbf{r}$		, one	COLLEC	t Option

FREE Download Study Package from website: www.TekoClasses.com & www.MathsBySuhag.com There are 2 identical white balls, 3 identical red balls and 4 green balls of different shades. The number 🖺 of ways in which they can be arranged in a row so that atleast one ball is separated from the balls of the  $\frac{\Phi}{R}$  same colour, is:

- (A) 6 (7! 4!)
- (B) 7(6!-4!)
- (C) 8! 5!
- (D) none

The number of permutations that can be formed by arranging all the letters of the word 'NINETEEN' in Which no two E's occur together is

(A)  $\frac{8!}{3! \, 3!}$  (B)  $\frac{5!}{3! \times {}^6C_2}$  (C)  $\frac{5!}{3!} \times {}^6C_3$  (D)  $\frac{8!}{5!} \times {}^6C_3$ .

The number of ways in which n different things can be given to r persons when there is no restriction as to the number of things each may receive is:
(A)  ${}^nC_r$  (B)  ${}^nP_r$  (C)  ${}^n$  (D)  ${}^n$ The number of divisors of  $a^pb^qc^rd^s$  where a, b, c, d are primes & p, q, r, s  $\in$  N, excluding 1 and the number itself is:
(A) pqrs (B) (p+1)(q+1)(r+1)(s+1)-2The number of ordered triplets of positive integers which are solutions of the equation x+y+z=100 is:

- (A) 3125
- (B) 5081
- (C)6005
- (D) 4851

Number of ways in which 7 people can occupy six seats, 3 seats on each side in a first class railway compartment if two specified persons are to be always included and occupy adjacent seats on the same side, is (k). 5! then k has the value equal to:

- (A) 2
- (B)4

(D) none

Number of different words that can be formed using all the letters of the word "DEEPMALA" if two vowels are together and the other two are also together but separated from the first two is:

(A) 960

(B) 1200

(C) 2160

(D) 1440

Six persons A, B, C, D, E and F are to be seated at a circular table. The number of ways this can be done if A must have either B or C on his right and B must have either C or D on his right is:

- (A) 36
- (C)24
- (D) 18

The number of ways in which 15 apples & 10 oranges can be distributed among three persons, each receiving none, one or more is:

- (A) 5670
- (B) 7200
- (C) 8976
- (D) none of these

The number of permutations which can be formed out of the letters of the word "SERIES" taking three letters together is:

- (A) 120
- (B) 60
- (C)42
- (D) none

Seven different coins are to be divided amongst three persons. If no two of the persons receive the same number of coins but each receives atleast one coin & none is left over, then the number of ways in which the division may be made is:

(A) 420 (B) 630 (C) / 10

The streets of a city are arranged like the lines of a chess board. There are m streets running North to go the latest to West. The number of ways in which a man can travel from NW to SE

- (B)  $\sqrt{(m-1)^2 \cdot (n-1)^2}$  (C)  $\frac{(m+n)!}{m! \cdot n!}$

(A)  $\sqrt{m^2 + n^2}$  (B)  $\sqrt{(m-1)^2 \cdot (n-1)^2}$  (C)  $\frac{\sqrt{m! \cdot n!}}{m! \cdot n!}$  (D)  $\frac{\sqrt{(m-1)! \cdot (n-1)!}}{(m-1)! \cdot (n-1)!}$  In a conference 10 speakers are present. If S<sub>1</sub> wants to speak before S<sub>2</sub> & S<sub>2</sub> wants to speak after  $\frac{\sqrt{m^2 + n^2}}{\sqrt{m^2 + n^2}}$ S<sub>a</sub>, then the number of ways all the 10 speakers can give their speeches with the above restriction if the remaining seven speakers have no objection to speak at any number is:

- (B) <sup>10</sup>P<sub>8</sub>

(A)  ${}^{10}\text{C}_3$  (B)  ${}^{10}\text{P}_8$  (C)  ${}^{10}\text{P}_3$  (D)  $\frac{16}{3}$ Two variants of a test paper are distributed among 12 students. Number of ways of seating of the  $\frac{60}{3}$  students in two rows so that the students sitting side by side do not have identical papers & those  $\frac{1}{3}$ sitting in the same column have the same paper is:

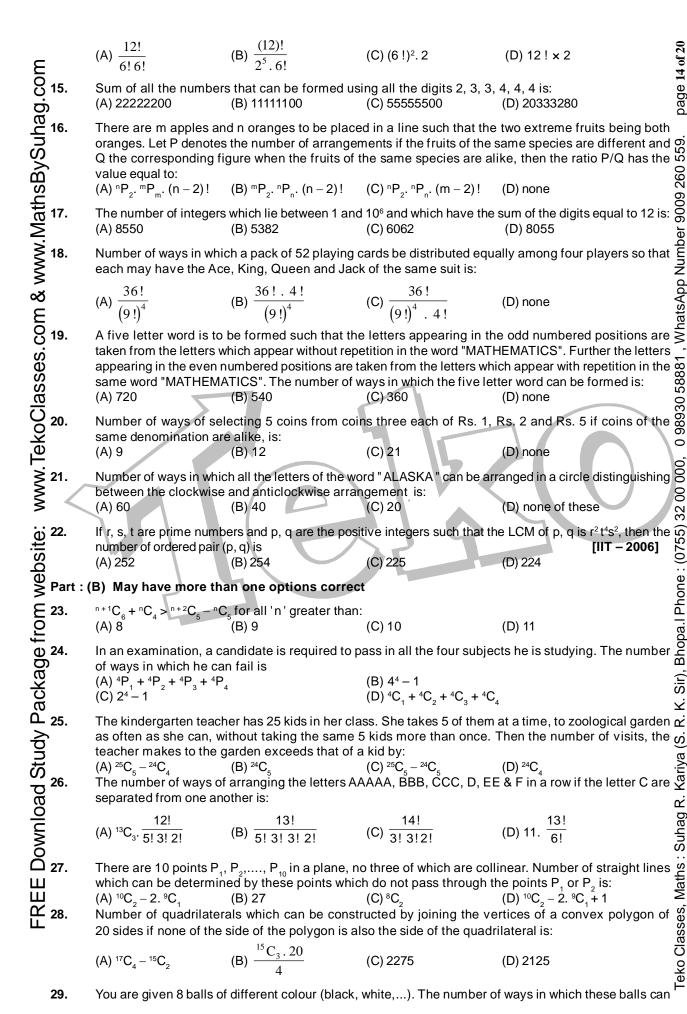
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Sir), Bhopa.I Phone : (0755)

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Successful People Replace the words like; "wish", "try" & "should" with "I Will". Ineffective People don't.

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be a superior of the action of the state of month and a colour (see, and 2 white) many action and

be arranged in a row so that the two balls of particular colour (say red & white) may never come together is:

- (A) 8! 2.7!
- (B) 6.7!
- (C) 2. 6!. <sup>7</sup>C<sub>2</sub>
- (D) none

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0 98930 58881, WhatsApp Number 9009 260 559.

- FREE Download Study Package from website: www.TekoClasses.com & www.MathsBySuhag.com A man is dealt a poker hand (consisting of 5 cards) from an ordinary pack of 52 playing cards. The 🗳 number of ways in which he can be dealt a "straight" (a straight is five consecutive values not of the
  - (A)  $10(4^5-4)$
- (C) 10· 2<sup>10</sup>
- (D) 10200
- Number of ways in which 3 numbers in A.P. can be selected from 1, 2, 3,..... n is:

(B)  $\frac{n(n-2)}{4}$  if n is odd

(C)  $\frac{(n-1)^2}{4}$  if n is odd

- (D)  $\frac{n(n-2)}{4}$  if n is even
- Consider the expansion  $(a_1 + a_2 + a_3 + \dots + a_p)^n$  where  $n \in \mathbb{N}$  and  $n \le p$ . The correct statement(s) is/
  - number of different terms in the expansion is  $^{n+p-1}C_n$ (A)
  - co-efficient of any term in which none of the variables  $a_1, a_2, ..., a_p$  occur more than once is 'n' (B)
  - co-efficient of any term in which none of the variables a, a, ..., a, occur more than once is n! if (C)
  - Number of terms in which none of the variables  $a_1, a_2, \ldots, a_p$  occur more than once is (D)

- In a telegraph communication how many words can be communicated by using atmost 5 symbols. (only dot and dash are used as symbols)

  If all the letters of the word 'AGAIN' are arranged in all possible ways & put in dictionary order, what is the 50th word.
- A committee of 6 is to be chosen from 10 persons with the condition that if a particular person 'A' is chosen, then another particular person B must be chosen. chosen, then another particular person B must be chosen.
  - A family consists of a grandfather, m sons and daughters and 2n grand children. They are to be seated in a row for dinner. The grand children wish to occupy the n seats at each end and the grandfather refuses to have a grand children on either side of him. In how many ways can the family be made to sit?

    The sides AB, BC & CA of a triangle ABC have 3, 4 & 5 interior points respectively on them. Find the number of triangles that can be constructed using these interior points as vertices.
- number of triangles that can be constructed using these interior points as vertices.
  - How many five digits numbers divisible by 3 can be formed using the digits 0, 1, 2, 3, 4, 7 and 8 if, each digit is to be used atmost one.
- In how many other ways can the letters of the word MULTIPLE be arranged ; (i) without changing the  $\omega$ order of the vowels (ii) keeping the position of each vowel fixed (iii) without changing the relative order/ position of vowels & consonants.
- There are p intermediate stations on a railway line from one terminus to another. In how many ways can a train stop at 3 of these intermediate stations if no 2 of these stopping stations are to be consecutive?
- Find the number of positive integral solutions of x + y + z + w = 20 under the following conditions:
  - Zero values of x, y, z, w are include (i)
  - (ii) Zero values are excluded
  - No variable may exceed 10; Zero values excluded (iii)
  - (iv) Each variable is an odd number
  - x, y, z, w have different values (zero excluded).
- Classes, Maths: Suhag Find the number of words each consisting of 3 consonants & 3 vowels that can be formed from the letters of the word "CIRCUMFERENCE". In how many of these C's will be together.
- 11. If 'n' distinct things are arranged in a circle, show that the number of ways of selecting three of these

things so that no two of them are next to each other is,  $\frac{1}{6}$  n (n – 4) (n – 5).

- FREE Download Study Package from website: www.TekoClasses.com & www.MathsBySuhag.com In maths paper there is a guestion on "Match the column" in which column A contains 6 entries & each entry of column A corresponds to exactly one of the 6 entries given in column B written randomly. 2 marks are awarded for each correct matching & 1 mark is deducted from each incorrect matching. A student having no subjective knowledge decides to match all the 6 entries randomly. Find the number of ways in which he can answer, to get atleast 25 % marks in this question.
  - Show that the number of combinations of n letters together out of 3n letters of which n are a and n are up to another than the many that is a face of the section of the se b and the rest unlike is, (n + 2).  $2^{n-1}$ .
- Find the number of positive integral solutions of, (i)  $x^2 y^2 = 352706$  (ii) xyz = 21600There are 'n' straight line in a plane, no two of which are parallel and no three pass through the same point. Their points of intersection are joined. Show that the number of fresh lines thus introduced is,  $\frac{1}{8}$  n (n-1) (n-2) (n-3).

  A forecast is to be made of the results of five cricket matches, each of which can be a win or a draw or a loss for Indian team. Find

  (i) number of forecasts with exactly 1 error

  (ii) number of forecasts with exactly 3 errors

  (iii) number of forecasts with all five errors

  Prove by permutation or otherwise  $\frac{(n^2)!}{(n!)^n}$  is an integer  $(n \in I^+)$ .

  [IIIT 2004]

$$\frac{1}{8}$$
 n (n – 1) (n – 2) (n – 3)

18. in the  $k^{th}$  match are given by k.  $2^{n+1-k}$ , where  $1 \le k$ [IIT - 2005]

- С
- **12.** D **13.** D
- **19.** B **20.** B **21.** C
- **22.** C **23.** BCD 25. AB 26. AD
  - 27. CD 28. AB 29. ABC 30. AD 31. CD 32. ACD

- NAAIG
- 154
- (2n)! m! (m-1)
- 5. 205
- 744

- 3359
- (iii) 359 (ii) 59
- p-2C2
- (i)  ${}^{23}C_{3}$  (ii)  ${}^{19}C_{3}$  (iii)  ${}^{19}C_{3} 4.{}^{9}C_{3}$  (iv)  ${}^{11}C_{8}$  (v) 552
- **10.** 22100, 52 **12.** 56 ways
- 14. (i) Zero (ii) 1260
- **16.** (i) 10
- (ii) 80 (iii) 32

**18.** 7

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