```
% Shannon Fano Coding
clear all;
close all;
clc;
% Define corresponding frequencies
symbols = \{ '0-30', '31-59', '60-63', '64-100', '101-127', '128-150', 
'151-200', '201-255'};
frequencies = [2048, 2048, 2048, 2048, 819, 819, 3277, 3277];
% Calculate probabilities
probabilities = frequencies / sum(frequencies);
% Sort probabilities in descending order
[probabilities, idx] = sort(probabilities, 'descend');
symbols = symbols(idx);
% Initialize variables
codes = cell(size(symbols));
code_lengths = zeros(size(symbols));
% Use a stack to implement the Shannon-Fano algorithm
stack = {{symbols, probabilities, ''}};
while ~isempty(stack)
   data = stack{end};
    stack(end) = [];
    s = data\{1\};
   p = data\{2\};
   pre = data{3};
    % If only one symbol remains, assign the final code
    if length(s) == 1
        idx = strcmp(symbols, s{1});
        codes{idx} = pre;
        code_lengths(idx) = length(pre);
        continue;
    end
    % Find the best split point where cumulative probability is close to half
    split = find(cumsum(p) >= sum(p) / 2, 1);
    % Push the two partitions
    stack{end+1} = {s(1:split), p(1:split), strcat(pre, '0')};
    stack{end+1} = {s(split+1:end), p(split+1:end), strcat(pre, '1')};
end
% Display
fprintf('Symbol\tCode\tLength\n');
for i = 1:length(symbols)
```

```
fprintf('\$s\t\$d\n', symbols\{i\}, codes\{i\}, code\_lengths(i));
end
Symbol
        Code
                 Length
151-200
         000
201-255
          001
                 3
0-30
       01
            2
       100 3
31-59
60-63
        101
64-100
         110
               3
101-127
          1110
                 4
128-150
          1111
```

Published with MATLAB® R2024b