# St. Francis Institute of Technology, Mumbai-400 103 Department of Information Technology

A.Y. 2020-2021 Class: SE-ITA/B, Semester: III Subject: DATA STRUCTURE LAB

## Experiment – 5 Graph using adjacency matrix

- **1. Aim:** Write a C program to implement a graph using adjacency matrix.
- **2. Objectives:** After study of this experiment, the student will be able to
- To use basic principles of programming as applied to complex data structures
- To learn fundamentals of graphs
- **3. Outcomes:** After study of this experiment, the student will be able to
- Implement a graph using adjacency matrix and understand its operations
- Understand the concepts and apply the methods in graphs.
- **4. Prerequisite:** Graphs, Types of Graphs.
- **5. Requirements:** PC and Turbo C compiler version 3.0
- **6. Pre-Experiment Exercise:**

**Brief Theory:** 

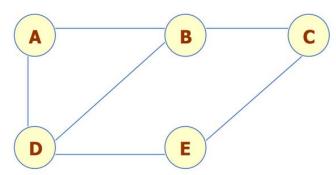
#### A. Graphs

- A graph is basically, a collection of vertices (also called nodes) and edges that connect these vertices.
- A graph is often viewed as a generalization of the tree structure, where instead of a having a purely parent-to-child relationship between tree nodes, any kind of complex relationships between the nodes can be represented.

#### Why graphs are useful?

- Graphs are widely used to model any situation where entities or things are related to each other in pairs; for example, the following information can be represented by graphs:
- Family trees in which the member nodes have an edge from parent to each of their children.
- Transportation networks in which nodes are airports, intersections, ports, etc. The edges can be airline flights, one-way roads, shipping routes, etc. <u>Definition</u>
- A graph G is defined as an ordered set (V, E), where V(G) represent the set of vertices and E(G) represents the edges that connect the vertices.

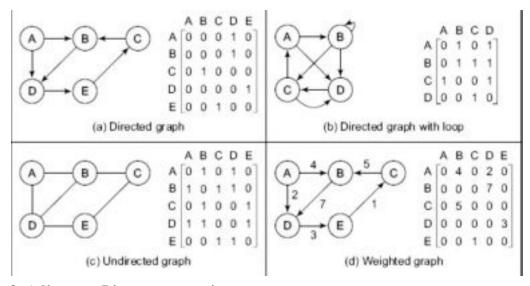
- The figure given shows a graph with
- $V(G) = \{ A, B, C, D \text{ and } E \}$  and
- $E(G) = \{ (A, B), (B, C), (A, D), (B, D), (D, E), (C, E) \}.$



## **B.** Representation of Graphs

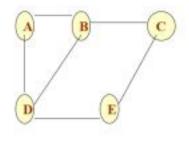
## 1. Adjacency Matrix representation

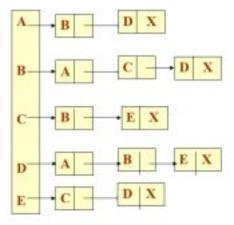
- An adjacency matrix is used to represent which nodes are adjacent to one another. By definition, we have learnt that, two nodes are said to be adjacent if there is an edge connecting them.
- In a directed graph G, if node v is adjacent to node u, then surely there is an edge from u to v. That is, if v is adjacent to u, we can get from u to v by traversing one edge. For any graph G having n nodes, the adjacency matrix will have dimensions of n X n.



#### 2. Adjacency List representation

- The adjacency list is another way in which graphs can be represented in computer's memory.
- This structure consists of a list of all nodes in G.
- Furthermore, every node is in turn linked to its own list that contains the names of all other nodes that are adjacent to itself.







## 7. Laboratory Exercise

#### A. Procedure

Write a C program to implement a Graph using adjacency matrix and show all the following operations in switch case,

- i) Create a graph
- ii) Display graph

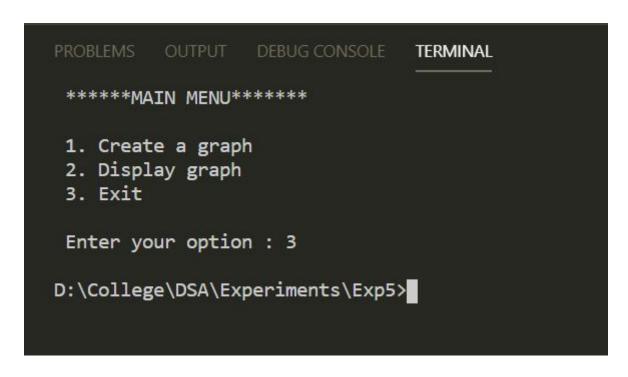
```
#include <stdio.h>
int adj[MAX][MAX];
void creategraph(int size);
void displaygraph(int size);
int main()
    int option, size;
        printf("\n *****MAIN MENU****** \n");
        printf("\n 1. Create a graph");
        printf("\n 2. Display graph ");
        printf("\n 3. Exit ");
        printf("\n\n Enter your option : ");
        scanf("%d", &option);
        switch (option)
                printf("\n Enter the number of the nodes in graph : ");
                scanf("%d", &size);
```

```
creategraph(size);
               displaygraph(size);
   }while (option!=3);
void creategraph(int size)
   printf("\n Enter the adjacency matrix: ");
       for(j = 0; j < size; j++)
           scanf("%d", &adj[i][j]);
void displaygraph(int size)
   printf("\n Graph with adjacency matrix representation: \n");
       printf("\t%c ", i+65); // print characters in rows
       printf("\n");
       for(j = 0; j < size; j++)
           printf("%d \t", adj[i][j]);
```

## B. Result/Observation/Program code:

Observe the output for the above code and print it.

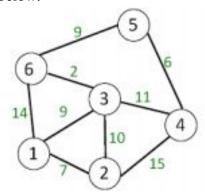
```
PROBLEMS
         OUTPUT DEBUG CONSOLE
                                TERMINAL
D:\College\DSA\Experiments\Exp5>Graph
 ******MAIN MENU*****
 1. Create a graph
 2. Display graph
 3. Exit
 Enter your option: 1
 Enter the number of the nodes in graph : 5
 Enter the adjacency matrix: 0 1 0 1 0
10110
01001
11001
00110
 ******MAIN MENU*****
 1. Create a graph
 2. Display graph
 3. Exit
 Enter your option: 2
Graph with adjacency matrix representation:
                                        Е
               В
                       C
        Α
                               D
                               1
        0
               1
                                       0
                       0
Α
В
        1
               0
                               1
                                       0
                       1
C
        0
               1
                       0
                               0
                                       1
D
               1
                                       1
        1
                       0
                               0
E
        0
               0
                       1
                               1
                                       0
 ******MAIN MENU*****
```



## 8. Post-Experiments Exercise

## A. Questions:

Show the adjacency matrix and adjacency list representation for the graph given below.



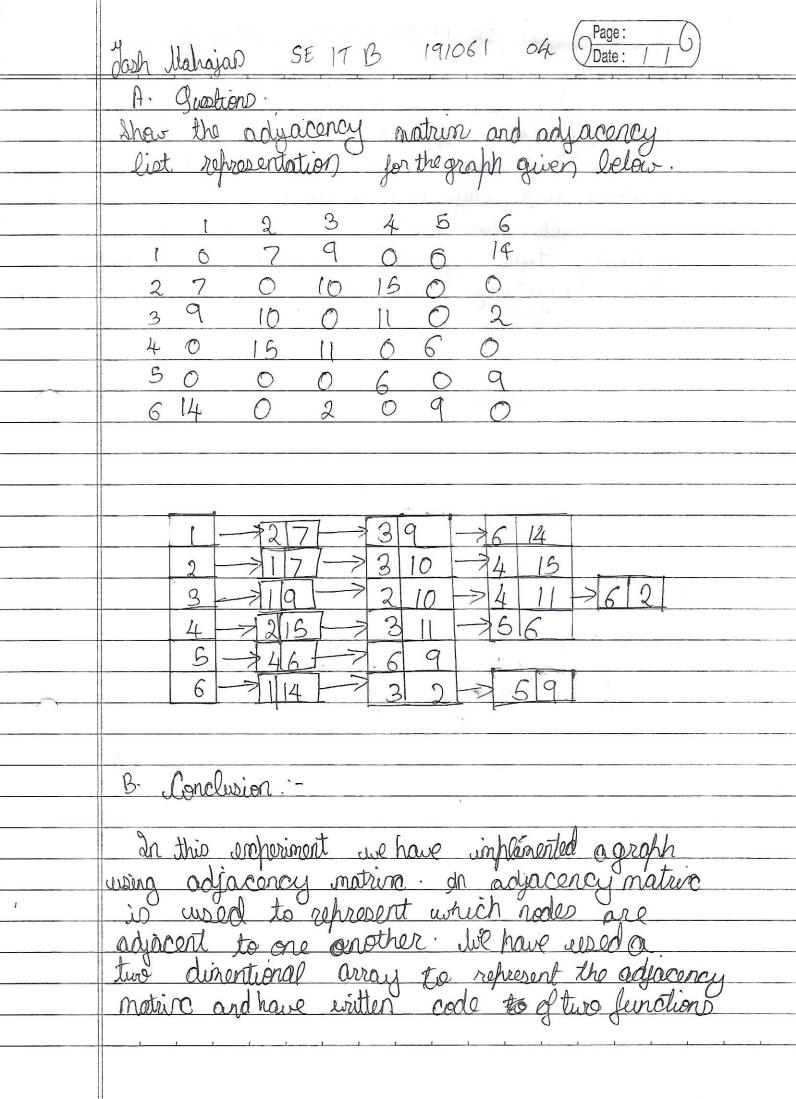
#### **B.** Conclusion:

- 1. Summary of Experiment
- 2. Importance of Experiment

#### C. References:

- 1. S. K Srivastava, Deepali Srivastava; Data Structures through C in Depth; BPB Publications; 2011.
- 2. Reema Thareja; Data Structures using C; Oxford.
- 3. Data Structures A Pseudocode Approach with C, Richard F. Gilberg & Behrouz A. Forouzan, second edition, CENGAGE Learning.

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	Josh Jeanazan SE IT B 191061 04 Page: Date: 11
	create graph and dishlay size to create a graph
	create graph and display size to create agraph and display it respectively.  Bric operations like adding an edge removeing and edge and checking weather there is an edge from worter i to worter i are entremely time afficient constant time operations with adjacancy matrice.
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	removeing and edge and checking weather there
	is an edge from vortere i to vortere i are
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