

Parallel and Distributed Computing

[CSE4001]

Lab Digital Assignment

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Q1)Execute an OpenMP program to Counts the number of primes between 1 and N.

Solution:

Code in C:

```
# include <stdlib.h>
# include <stdio.h> #
include <omp.h>

int main ( int argc, char *argv[] ); void
prime_number_sweep ( int n_lo, int n_hi, int
n_factor ); int prime_default ( int n );
int prime_static ( int n ); int
prime_dynamic ( int n ); int main (
int argc, char *argv[] )
{   int
n_factor;   int
n_hi;   int
n_lo;

    printf("enter starting number\n");
scanf("%d",&n_lo);   printf("enter the
end number(N)\n");
scanf("%d",&n_hi);   n_factor = 2;

    prime_number_sweep ( n_lo, n_hi, n_factor
);

    printf ( "\n" );   printf ( "   Normal end
of execution.\n" );
```

```

    return
0;
} void prime_number_sweep ( int n_lo, int n_hi,
int
n_factor )
{   int n;   int primes;
double time1,time2,time3;

    printf ( "\n" );   printf ( "  Call PRIME_NUMBER
to count the primes from 1 to N.\n" );   printf (
"\n" );

    printf ( "          N          Pi(N)          Time1
Time2          Time3\n" );
printf ( "\n" );

    n =
n_lo;
    while ( n <= n_hi
)
    {
        time1= omp_get_wtime ( );
primes = prime_default( n );          time1
= omp_get_wtime ( ) - time1;
        time2= omp_get_wtime ( );
primes = prime_static( n );          time2
= omp_get_wtime ( ) - time2;
time3= omp_get_wtime ( );          primes =

```

```

prime_dynamic( n );      time3 =
omp_get_wtime ( ) - time3;

    printf ( "  %8d  %8d  %14f %14f %14f\n", n, primes,
time1, time2, time3 );

    n = n *
n_factor;

    }      printf ( "\n" );   printf ( "  Number of
processors available = %d\n", omp_get_num_procs ( )
);   printf ("  No of threads in
use=%d\n",omp_get_num_threads());   printf ( "
Optimal number of threads which gives minimal
execution time= %d\n", omp_get_max_threads ( )
);

return;

}

int prime_default( int n
)

{   int
i;   int
j;   int
prime;
int
total =
0;

```

```

# pragma omp parallel \
shared ( n ) \   private
( i, j, prime )

# pragma omp for reduction ( + : total )
for ( i = 2; i <= n; i++ )
    {
        prime
= 1;

        for ( j = 2; j < i; j++
)

            {
                if ( i % j
== 0 )
                {
prime = 0;
break;
                }
            }
        total =
total + prime;
    }

    return total;
} int prime_static ( int
n )

```

```

{   int i;   int
j;   int prime;
int total = 0;

# pragma omp parallel \
shared ( n ) \   private
( i, j, prime )

# pragma omp for reduction ( + : total )
schedule(static,100)   for ( i = 2; i <=
n; i++ )
    {   prime
= 1;
        for ( j = 2; j < i; j++
)
            {   if ( i % j
== 0 )
                {
                    prime = 0;
break;
                }   }   total =
total + prime;
    }   return
total;

```

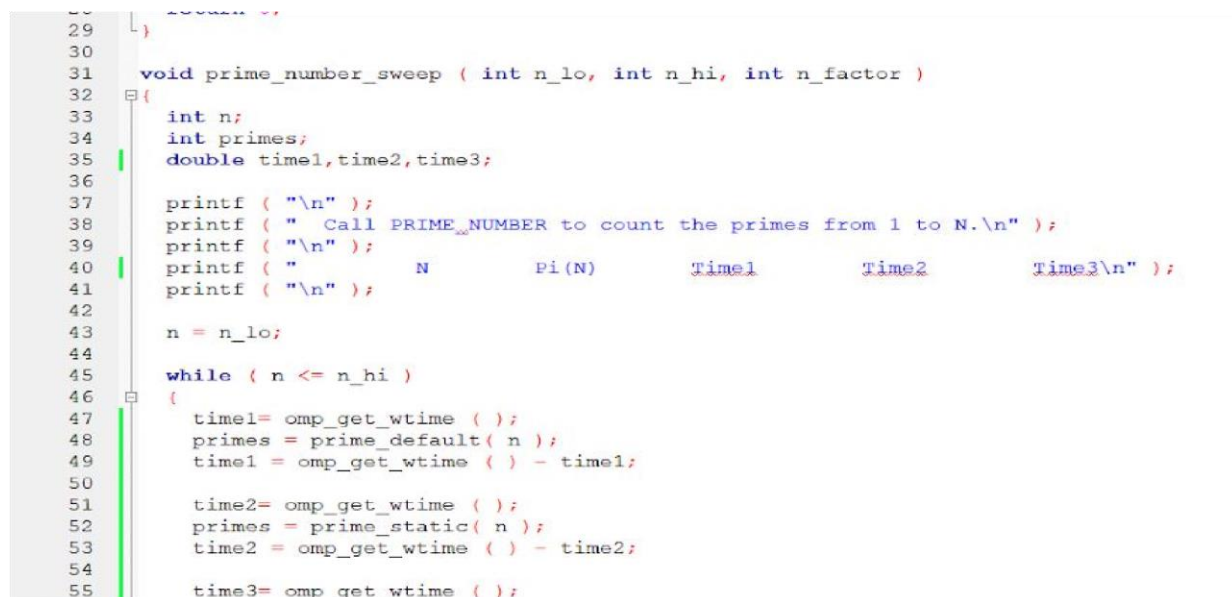
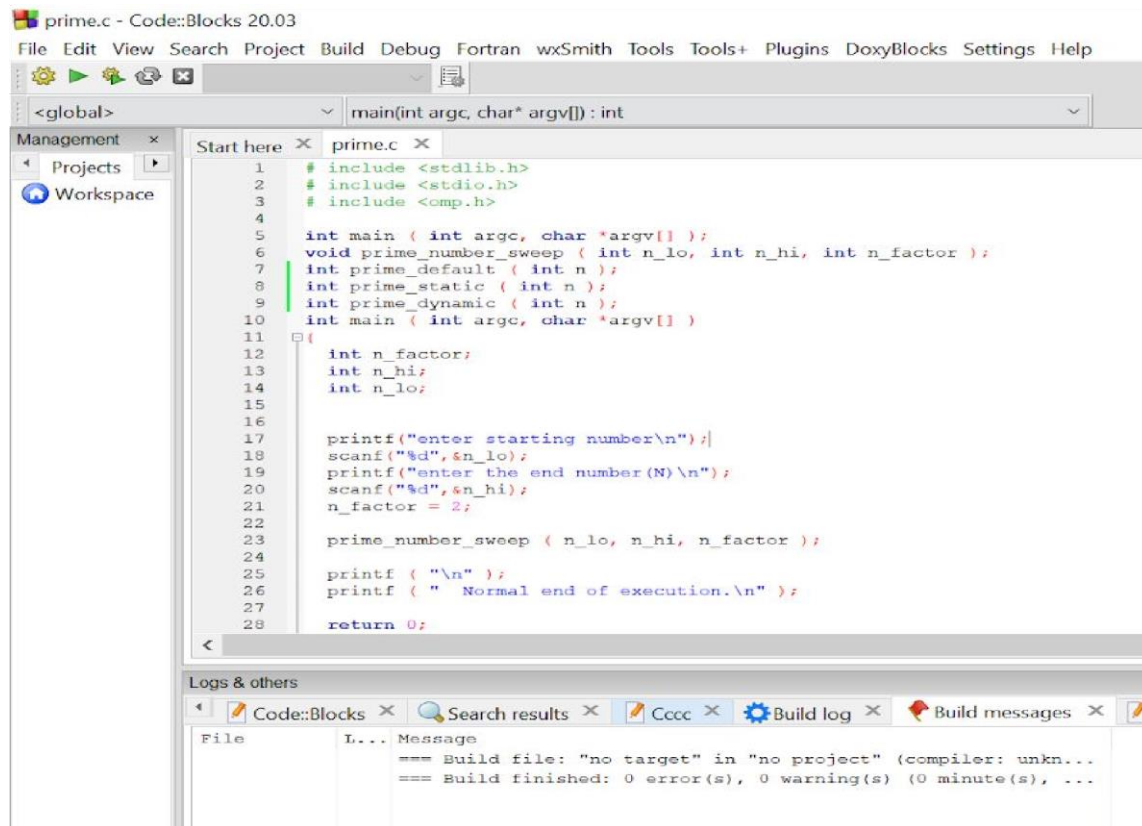
```

} int prime_dynamic ( int
n )
{   int i;   int
j;   int prime;
int total = 0;

# pragma omp parallel \
shared ( n ) \   private
( i, j, prime )

# pragma omp for reduction ( + : total )
schedule(dynamic,100)   for ( i = 2; i
<= n; i++ )
    {   prime = 1;   for (
j = 2; j < i; j++ )
        {   if ( i % j ==
0 )   {   prime
= 0;   break;
}   }   total = total
+ prime;
    }   return
total;
}

```




```

55     time3= omp_get_wtime ( );
56     primes = prime_dynamic( n );
57     time3 = omp_get_wtime ( ) - time3;
58
59     printf ( " %8d %8d %14f %14f %14f\n", n, primes, time1, time2, time3 );
60
61     n = n * n_factor;
62 }
63
64     printf ( "\n" );
65     printf ( " Number of processors available = %d\n", omp_get_num_procs ( ) );
66     printf ( " No of threads in use=%d\n",omp_get_num_threads());
67     printf ( " Optimal number of threads which gives minimal execution time= %d\n", omp_get_max_threads ( ) );
68     return;
69 }
70
71
72 int prime_default( int n )
73 {
74     int i;
75     int j;
76     int prime;
77     int total = 0;
78
79     # pragma omp parallel \
80     shared ( n ) \
81     private ( i, j, prime )
82
83
84     # pragma omp for reduction ( + : total )
85     for ( i = 2; i <= n; i++ )
86     {
87         prime = 1;
88
89         for ( j = 2; j < i; j++ )
90         {

```

```

91             if ( i % j == 0 )
92             {
93                 prime = 0;
94                 break;
95             }
96         }
97         total = total + prime;
98     }
99
100     return total;
101 }
102
103 int prime_static ( int n )
104 {
105     int i;
106     int j;
107     int prime;
108     int total = 0;
109
110     # pragma omp parallel \
111     shared ( n ) \
112     private ( i, j, prime )
113
114
115     # pragma omp for reduction ( + : total ) schedule(static,100)
116     for ( i = 2; i <= n; i++ )
117     {
118         prime = 1;
119
120         for ( j = 2; j < i; j++ )
121         {
122             if ( i % j == 0 )
123             {
124                 prime = 0;
125                 break;
126             }
127         }

```

```

128     total = total + prime;
129 }
130
131 return total;
132 }
133
134 int prime_dynamic ( int n )
135 {
136     int i;
137     int j;
138     int prime;
139     int total = 0;
140
141     # pragma omp parallel \
142     shared ( n ) \
143     private ( i, j, prime )
144
145     # pragma omp for reduction ( + : total ) schedule(dynamic,100)
146     for ( i = 2; i <= n; i++ )
147     {
148         prime = 1;
149
150         for ( j = 2; j < i; j++ )
151         {
152             if ( i % j == 0 )
153             {
154                 prime = 0;
155                 break;
156             }
157         }
158         total = total + prime;
159     }
160
161     return total;
162 }
163

```

OUTPUTS:

When the N is set to 1000:

C:\Users\Del\OneDrive\Desktop\Kumar\prime.exe

enter starting number

1

enter the end number(N)

1000

Call PRIME_NUMBER to count the primes from 1 to N.

N	Pi(N)	Time1	Time2	Time3
1	0	0.002000	0.000000	0.000000
2	1	-0.000000	-0.000000	-0.000000
4	2	-0.000000	-0.000000	-0.000000
8	4	-0.000000	-0.000000	-0.000000
16	6	-0.000000	-0.000000	-0.000000
32	11	-0.000000	-0.000000	-0.000000
64	18	-0.000000	-0.000000	-0.000000
128	31	0.001000	0.000000	0.000000
256	54	0.000000	0.001000	-0.000000
512	97	-0.000000	-0.000000	-0.000000

Number of processors available = 8

No of threads in use=1

Optimal number of threads which gives minimal execution time= 8

Normal end of execution.

Process returned 0 (0x0) execution time : 3.389 s

Press any key to continue.

When the N is set to 3000:

```
C:\Users\Dell\OneDrive\Desktop\Kumar\prime.exe
enter starting number
1
enter the end number(N)
3000

Call PRIME_NUMBER to count the primes from 1 to N.

      N      Pi(N)      Time1      Time2      Time3
      1       0      0.003000     -0.000000     -0.000000
      2       1      0.001000      0.000000      0.000000
      4       2      0.001000      0.000000      0.000000
      8       4      0.000000      0.000000      0.000000
     16       6      0.000000      0.001000     -0.000000
     32      11     -0.000000     -0.000000     -0.000000
     64      18     -0.000000      0.001000     -0.000000
    128      31     -0.000000     -0.000000     -0.000000
    256      54     -0.000000     -0.000000     -0.000000
    512      97     -0.000000     -0.000000     -0.000000
   1024     172     -0.000000      0.001000      0.000000
   2048     309      0.000000      0.000000      0.000000

Number of processors available = 8
No of threads in use=1
Optimal number of threads which gives minimal execution time= 8

Normal end of execution.

Process returned 0 (0x0)   execution time : 7.034 s
Press any key to continue.
```

Conclusion: -

We can clearly see that as and when the value of N increases, the time taken to run the program increases. Thus the program runs faster when run parallelly compared to the serial code. And the **open mp** code is **faster** than when written without it.