

# Automated Negotiation for Supply Chain Management

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**ICA 2023 Tutorial Updated on December 4, 2023**

# Outline

- ① Theoretical Session
- ② Development Environment
- ③ Development Example

# Why Now?

- ① Industries are moving online.
- ② Automation: Factory floor → The back office.
- ③ Human-Human Negotiation is cumbersome, and inefficient.
- ④ Automated Negotiation opens new possibilities:
  - Too fast for people: Repeated smart contracts.
  - Too large for people: complete supply chains



# Negotiation in SCM Business

- Human negotiations lead to an estimated 17-40% *value leakage* in some estimates <sup>1</sup>

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<sup>1</sup>KPMG report: <https://bit.ly/3kDRy6l>

<sup>2</sup>Forrester report: <https://bit.ly/3nwXEaY>

<sup>3</sup>UN/CEFACT Project website: <https://bit.ly/38LOsLX>

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- More to come<sup>4</sup>.

**CONTRACTROOM**

pactum

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# The Automated Negotiation Challenge

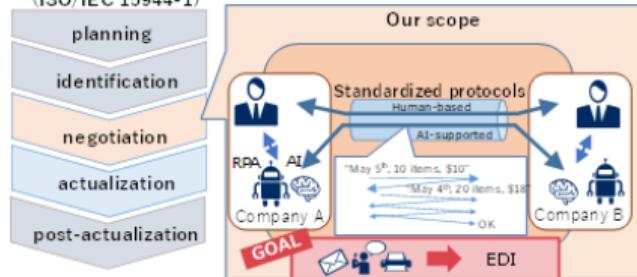
## Why is it hard?

- Mechanism Design Problem:
  - Better than haggling?
- Negotiator Design Problem:
  - Generality × Effectiveness

## Why is it interesting?

- Easy to state yet hard to solve.
- Multiple levels of abstraction and complexity.
- Several concrete open questions.
- Vibrant yet not saturated research space.

Five fundamental activities of a business transaction (ISO/IEC 15944-1)



attribution: UNECE eNegotiation Project



Automated Negotiating Agents Competition: 2010-

# Tutorial Outline

## ① Theoretical Session (55min) Break (10min)

- The Negotiation Problem (35min)
- Automated Negotiating Agents Competition (ANAC) (5min)
- Supply Chain Management League 15min
- Anatomy of an Agent (10min)

## ② Development Environment (50min) Break (10min)

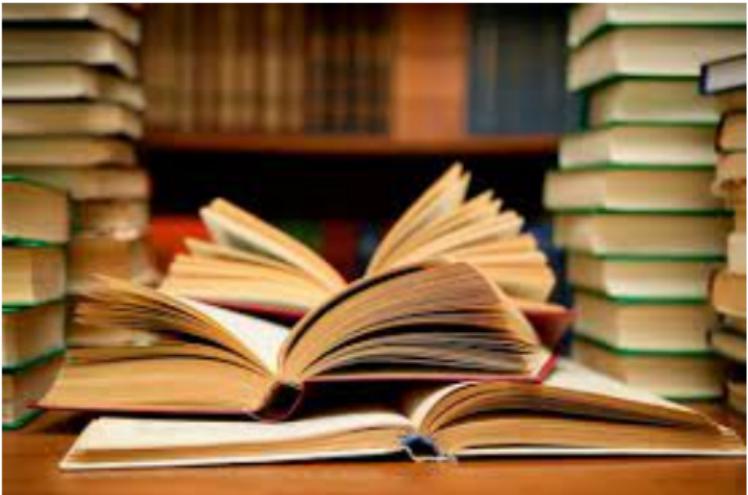
- Installing SCML (5min)
- Running a simulation (5min)
- Running Tournaments (5min)
- Visualization and Logging (15min)
- Troubleshooting and breathing time (10min)

## ③ Development Example (55min)

- SCML Builtin Strategies (20min)
- Example Agent Strategies (15min)
- An RL based trading strategy (20min)

## ④ Conclusions (5min)

# Materials



- ① Tutorial Website: <http://yasserm.com/tutorial-ica2023/>
- ② Github Repository: <https://github.com/yasserfarouk/ica2023autoneg>
- ③ Handouts: <https://github.com/yasserfarouk/ica2023autoneg/raw/main/ica2023autoneg.pdf>
- ④ Negmas Documentation: <https://negmas.readthedocs.io>
- ⑤ SCML Documentation: <https://scml.readthedocs.io>
- ⑥ SCML Competition: <https://scml.cs.brown.edu>

# Outline

## 1 Theoretical Session

- The Negotiation Problem
- Automated Negotiating Agents Competition: ANAC
- Supply Chain Management League: SCML
- Anatomy of an Agent

## 2 Development Environment

## 3 Development Example

# Outline

## 1 Theoretical Session

### • The Negotiation Problem

- Negotiation as a Game
- Automated Negotiation Basics
- Visualizing a Negotiation

- Automated Negotiating Agents Competition: ANAC
- Supply Chain Management League: SCML
- Anatomy of an Agent

## 2 Development Environment

## 3 Development Example

# Types of Games

## Complete Information Game

- All game parameters are **common knowledge** except players' policies.
- All information sets has a single node.

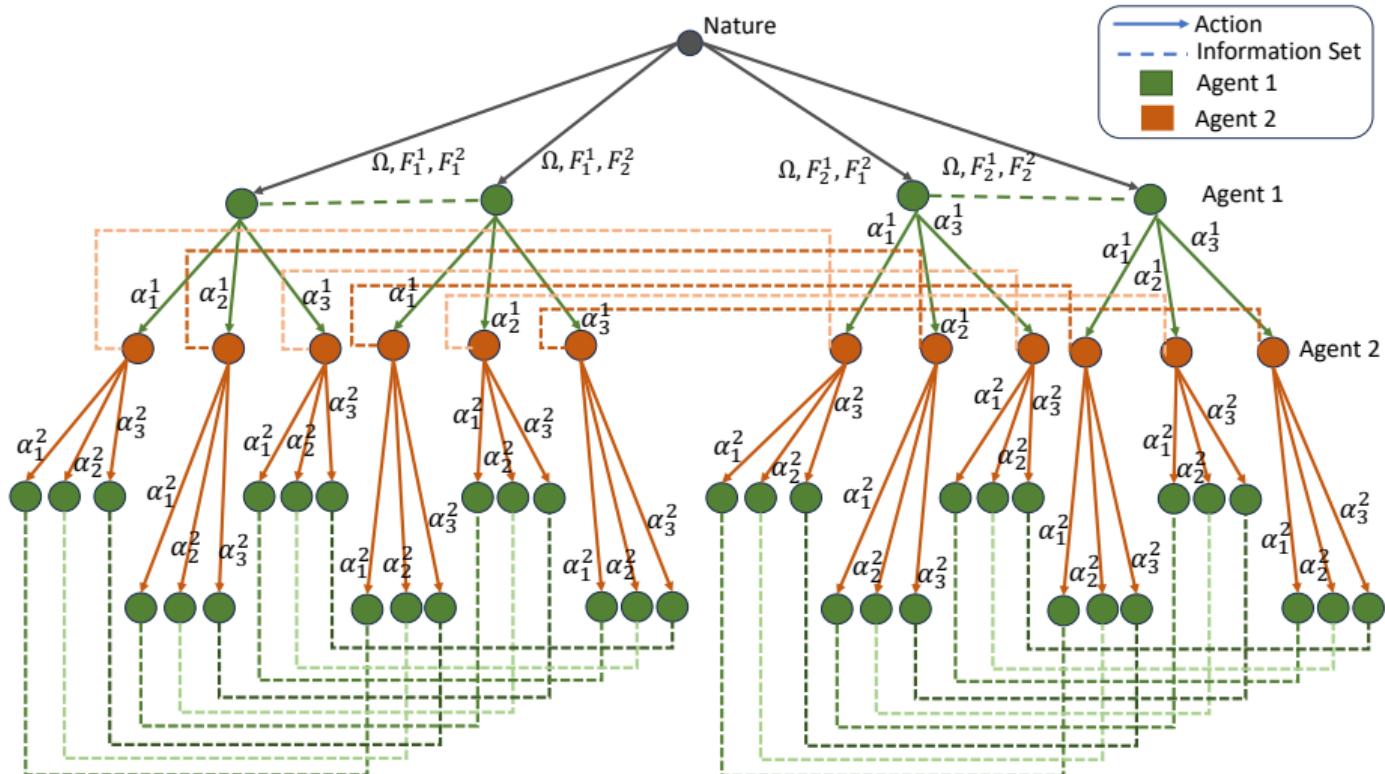
## Imperfect Information Game

- Some partner infomration is unknown.
- Some information sets has multiple nodes.

## Incomplete Information Game

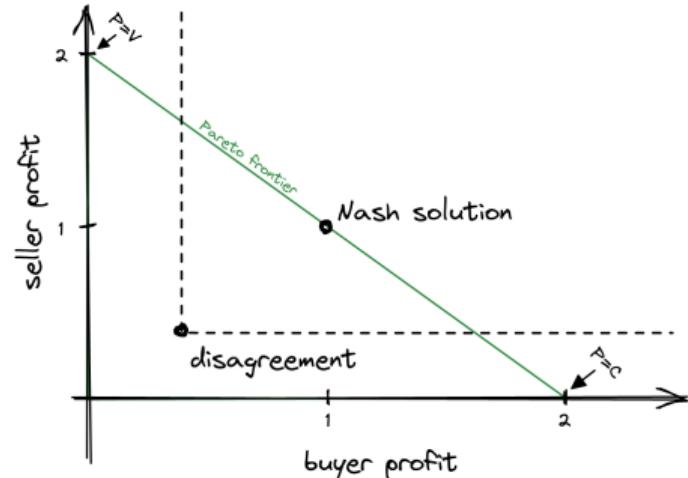
- The game is not fully specified (e.g. unknown opponent ufun)
- Can be converted to an Imperfect information game by adding **Nature** as a player.

# Induced Game with Incomplete Information



# A Simple Trading Problem

- A buyer values a good at  $V$
- A seller can create the good at cost  $C$
- If  $V > C$ , then there is surplus  $V - C$  to be gained (**value creation**)
- Bargaining problem: how much should the buyer pay the seller for the good? (**value division**)
- We might also assume there is an outside option (e.g., eBay), if the negotiation breaks down (i.e., they do not reach an agreement):
  - The buyer (seller) can buy (sell) the good elsewhere for slightly less than  $V$  (more than  $C$ )



Sketch by Jackson de Campos

# No-go Theorem

Desiderata:

- Efficient outcome.
- Individual rationality (IR).
- Incentive compatible (IC).
- Budget balance (BB).

Myerson-Satterthwaite Impossibility Result

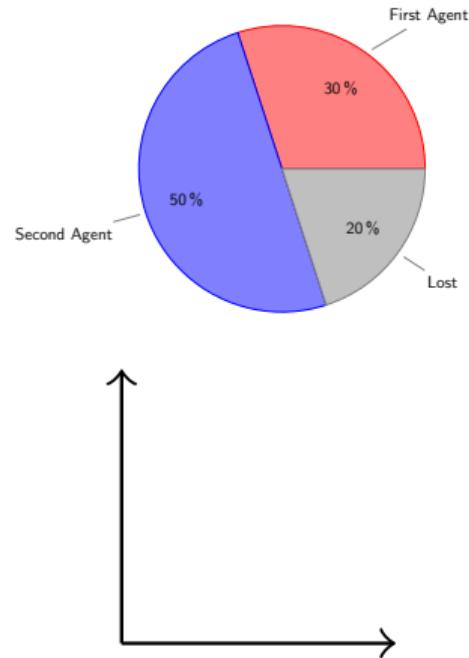
**Theorem:**<sup>5</sup> No mechanism can achieve all four of these desiderata.

- A buyer values a good at  $V$ .
- A seller can create the good at cost  $C$ .
- $V$  ( $C$ ) is private information, known only to the buyer (seller).
- There is no IR, IC, and BB mechanism that results in agreement, for all  $V > C$  values.

<sup>5</sup>Roger B Myerson and Mark A Satterthwaite. "Efficient mechanisms for bilateral trading". In: *Journal of economic theory* 29.2 (1983), pp. 265–281.

# Nash Bargaining Game: Description

A single-step full-information bilateral negotiation with  $\Omega = [0, 1]^2$  and two utility functions  $(\tilde{u}_1, \tilde{u}_2)$  such that:

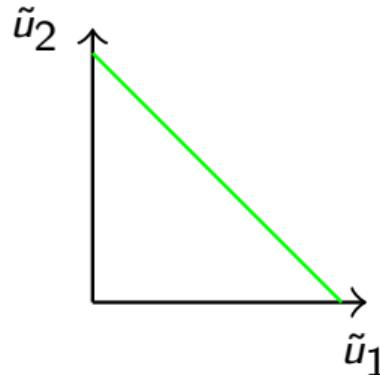
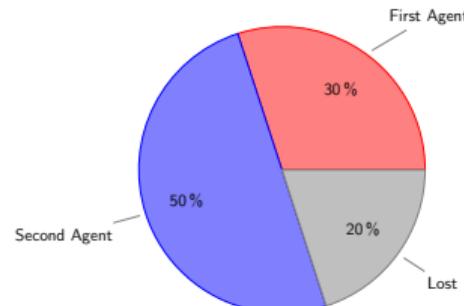


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- A feasible set of agreements  $F$ . A common example is to define  $F$  as all the outcomes for which the total utility received by negotiators is less than or equal to one:

$$F = \{(\omega_1, \omega_2) | \tilde{u}_2(\omega_2) + \tilde{u}_1(\omega_1) \leq 1\}.$$

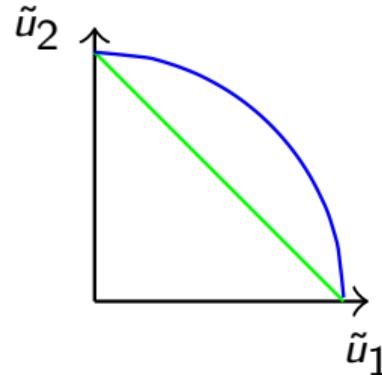
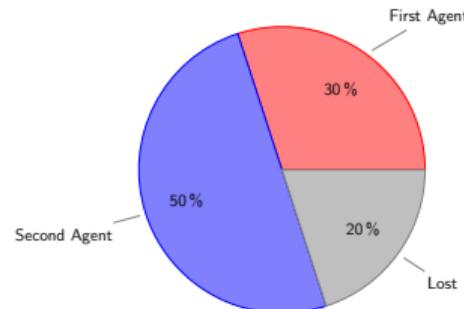


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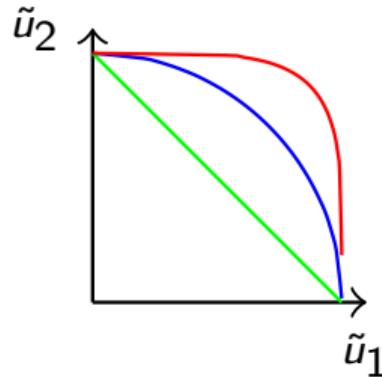
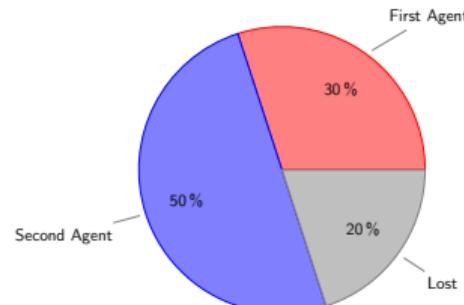


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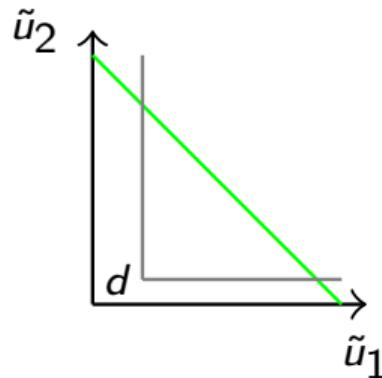
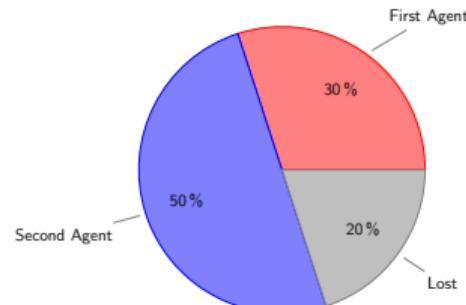
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- A disagreement point  $d \equiv \tilde{u}_1(\phi) + \tilde{u}_2(\phi) \in \Re^2$  which is the utility value received by the two players in case of disagreement ( reserved values).



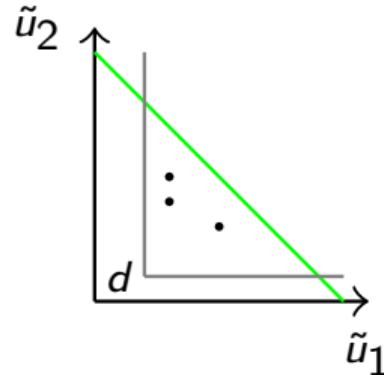
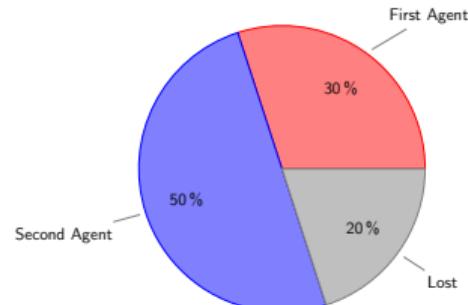
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# Other Bargaining Solutions

- Nash Bargaining Solution (1950): The point at which the product of surplus utility (above reservation value) of negotiators is maximized

$$\arg \max_{\omega_1, \omega_2} \prod_{i=1}^2 (u_i(\omega_i) - u_i(\phi))$$

- Kalai-Smorodinsky Bargaining Solution (1975): The Pareto outcome with equal ratios of achieved surplus utility and maximum feasible surplus utility

$$\arg \max_{\omega_1, \omega_2 \in F} (\omega_1 + \omega_2) \text{ s.t. } \left( \frac{u_1(\omega_1) - u_1(\phi)}{u_2(\omega_2) - u_2(\phi)} \right) = \left( \frac{\max_{v \in F} (u_1(v)) - u_1(\phi)}{\max_{v \in F} (u_2(v)) - u_2(\phi)} \right)$$

- Kalai Bargaining Solution (1977): The Pareto outcome maximizing the utility for the unfortunate player. Defining  $P$  as the Pareto front

$$\arg \max_{\omega_1, \omega_2 \in P} \min_{i \in \{1,2\}} (u_i(\omega_i) - u_i(\phi))$$

# Rubinstein's Bargaining Protocol: Description

## The Game

- Two agents sharing a pie.

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## Main Result

There is a unique *sub-game perfect equilibrium* that requires a single negotiation step in most cases.

# Rubinstein's Bargaining Protocol: Equilibrium

## Exponential Discounting

The negotiation ends in **one step** with the first agent proposing and the second agent accepting *for asymmetric cases*:

$$(\omega_1^*, \omega_2^*) = \left( \frac{1 - \delta_2}{1 - \delta_1 \delta_2}, \frac{\delta_2 (1 - \delta_1)}{1 - \delta_1 \delta_2} \right)$$

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## Linear Discounting

The negotiation ends in **one step** with the first agent proposing and the second agent accepting:

$$(\omega_1^*, \omega_2^*) = \begin{cases} (c_2, 1 - c_2) & c_1 > c_2 \\ (x, 1 - x) \quad \forall x \in [c_1, 1] & c_1 = c_2 \\ (1, 0) & c_1 < c_2 \end{cases}$$

# Negotiation with Complete Information

## Hick's Paradox

Why do rational parties negotiate when they have full information?

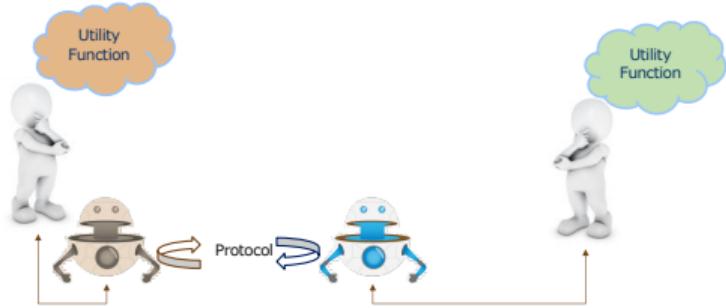
## Labor vs. Management

- A union negotiating (in rounds) with management about a wage raise.
- Both parties are perfectly rational and fully informed.
- Threat: the union *can* strike.

**Theorem<sup>6</sup>** Subgame perfect equilibria exist in which there is a finite strike followed by agreement.

<sup>6</sup>Raquel Fernandez and Jacob Glazer. *Striking for a bargain between two completely informed agents*. Tech. rep. National Bureau of Economic Research, 1989.

# Components of Negotiation



**Negotiation Scenario** Defines who is negotiating about what

**Negotiation Protocol** Defines how negotiation is to be conducted

- Alternating Offers Protocol
- Single Text Protocol
- ...

**Negotiation Strategy** Defines how agents behave during a negotiation

- Time-based strategies: boulware, conceder, ...
- Tit-for-tat variations
- ...

# Notation

Negotiation Scenario  $\mathcal{S}$

Agent Indices  $\mathcal{A}^{\mathcal{S}}$ : The set of  $n_A$  agents.

Domain  $\mathcal{D}^{\mathcal{S}}$ : A tuple  $(K, \mathcal{F}^{\mathcal{S}})$  defining the situation:

Outcome Space  $K$ : A set of all possible agreements with  $\phi \notin K$  representing disagreement.  $K^+ \equiv K \cup \{\phi\}$  is called the Extended Outcome Space.

Preferences Tuple  $\mathcal{F}^{\mathcal{S}}$ : A tuple of  $n_A$  members that defines the preferences of each agent engaged in the negotiation.

Information Set Tuple  $\mathcal{I}^{\mathcal{S}}$ : A tuple of  $n_A$  information sets  $(\{I_f^{\mathcal{S}}(\mathcal{F}^{\mathcal{S}}) \mid f \in \mathcal{A}^{\mathcal{S}}\})$  where  $I_f^{\mathcal{S}}(\mathcal{F}^{\mathcal{S}})$  represents all the information available to agent  $x$  about the preferences  $\mathcal{F}^{\mathcal{S}}$  of all agents including itself.

Protocol  $\mathcal{P}$ : The negotiation protocol.

# Negotiation Protocol Execution: $\mathcal{P}(\mathcal{S})$

## Protocol

**Breaking Rule** when the negotiation ends with a timeout.

**Action Constraints** what actions are valid.

**Activation Rule** which each agent is activated.

**Evaluation Rule** the next step:

Continue ▷ Goto breaking rule.

Agreement Succeed with  $\omega$ .

Disagreement Fail with  $\phi$ .

## Agent (Strategy)

Selects an action from the **valid action set**.

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**Algorithm 1** Negotiation Mechanism Execution:  $\mathcal{P}_Y(\lambda)$ 


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**Input:** Scenario  $\lambda \equiv (\mathcal{N}^\lambda, (\Omega, \mathcal{F}^\lambda), \mathcal{I}^\lambda \equiv \{I_x^\lambda : x \in \mathcal{N}^\lambda\})$ ,  
 Mechanism  $\mathcal{P}_Y = (\mathcal{P}, Y) : \mathcal{P} = (\zeta, \chi, \sigma)$

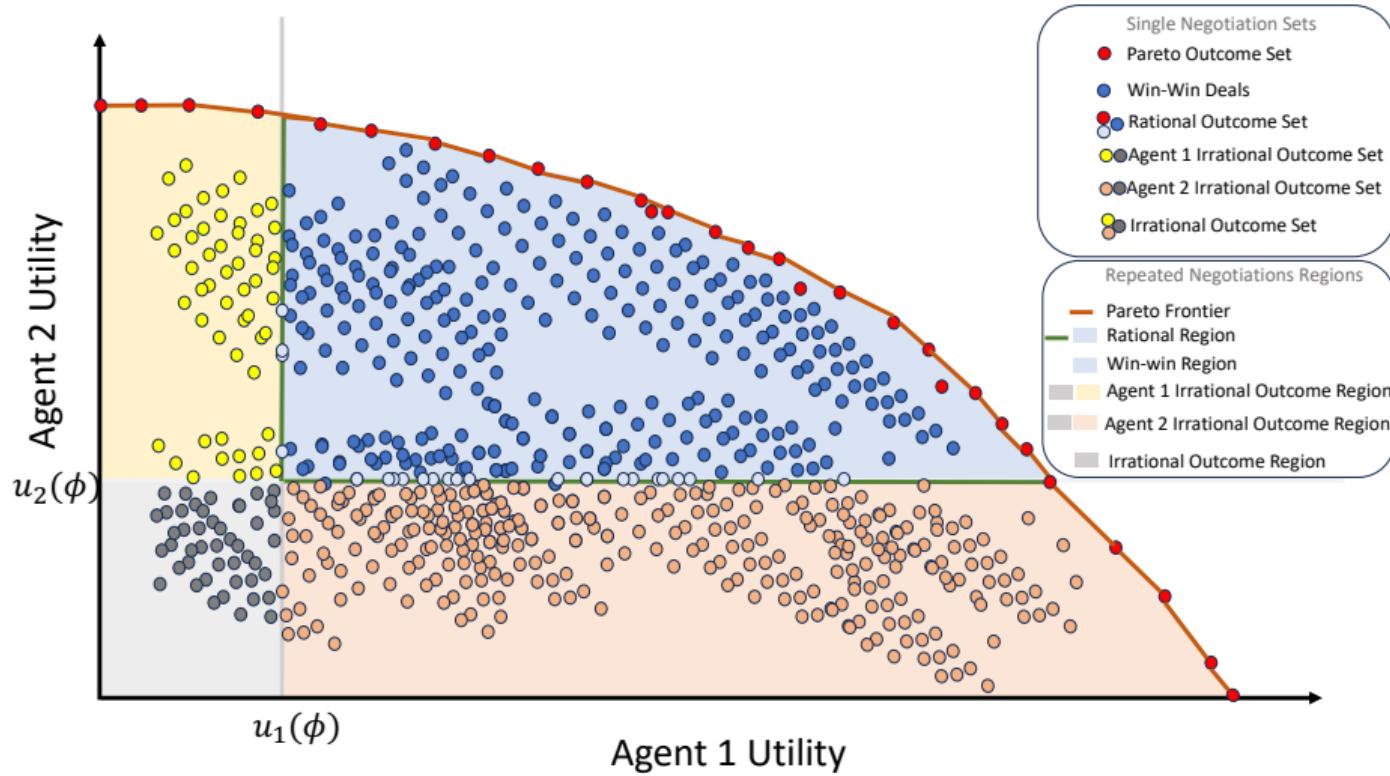
**Output:**  $\omega_* \in \Omega \cup \{\phi\}$

```

1:  $x \approx \pi_x \forall x \in \mathcal{N}^\lambda \leftarrow Y(\lambda)$                                 ▷ Assign strategies
2:  $i, t, t_0, \mathcal{T} \leftarrow 0, 0, \text{clock}(), \langle \rangle$                             ▷ Init step, time and trace
3: while  $\zeta(\mathcal{T}, i, t; \lambda) = 0$  do                                         ▷ check the breaking rule
4:    $\mathcal{N}_i^\lambda \leftarrow \chi(\mathcal{T}, i; \lambda)$                                          ▷ Next active agents
5:   for  $x \in \mathcal{N}_i^\lambda$  do                                              ▷ Activate agents
6:      $\mathbb{A}_x^v \leftarrow \gamma(\mathcal{T}, x; \lambda)$                                          ▷ Valid action set
7:      $\alpha_i^x \leftarrow \pi_x(\mathcal{T}, \mathbb{A}_x^v; I_x^\lambda)$                                ▷ Receive action
8:      $\mathcal{T} \leftarrow \mathcal{T} + \langle \alpha_i^x, x \rangle$                                      ▷ Update the trace
9:      $z \leftarrow \sigma(\mathcal{T}, i; \lambda)$                                          ▷ Evaluation rule
10:    if  $z = \phi$  then return  $\phi$  ▷ End with disagreement
11:    else if  $z \in \Omega$  then return  $\omega_i$                                          ▷ agreement
12:    end if                                         ▷ Otherwise continue to the next step
13:  end for
14:   $i, t \leftarrow i + 1, \text{clock}() - t_0$                                          ▷ Update step and time.
15: end while
16: return  $\phi$                                          ▷ Disagreement on breaking rule returning 1
  
```

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# Visualizing a negotiation



# Outline

## 1 Theoretical Session

- The Negotiation Problem
- **Automated Negotiating Agents Competition: ANAC**
- Supply Chain Management League: SCML
- Anatomy of an Agent

## 2 Development Environment

## 3 Development Example

# Automated Negotiating Agents Competition (ANAC)

- An international competition dedicated to automated negotiation.
- Started in conjunction with AAMAS in 2010.
- Running every year with AAMAS or IJCAI (14 iterations so far).
- Next ANAC will be in conjunction with AAMAS 2024 (not official yet).



# Outline

## 1 Theoretical Session

- The Negotiation Problem
- Automated Negotiating Agents Competition: ANAC
- Supply Chain Management League: SCML
  - SCML-OneShot
  - Simulation Steps
- Anatomy of an Agent

## 2 Development Environment

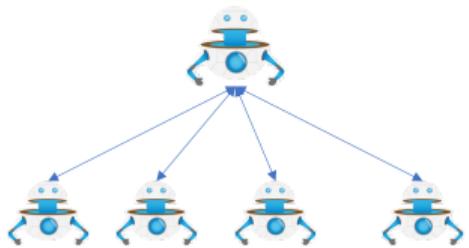
## 3 Development Example

# Supply Chain Management League (SCML)

- Running as part of ANAC since 2019.
- **Scenario** A market in which all trade is done through **concurrent closed bilateral negotiations**:
  - Represents several applications in the real world.
- Agent preferences are endogenous to the simulation.
- **Goal** Maximize your profit.
- **Main Challenges:**
  - Situated Negotiations.
  - Sequential Negotiation (learning between negotiations).
  - Concurrent Negotiation (outside-options).
  - Trust management.



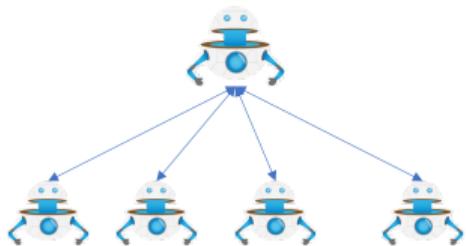
# Concurrent Negotiation



# Concurrent Negotiation

## Generality

- Specific scenario (buyer-seller).
- General domain



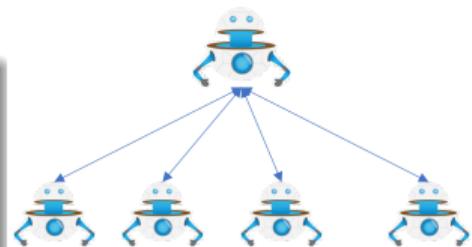
# Concurrent Negotiation

## Generality

- Specific scenario (buyer-seller).
- General domain

## Decommitment

- Symmetric de-commitment.
- Asymmetric de-commitment.
- No de-commitment.



# Concurrent Negotiation

## Generality

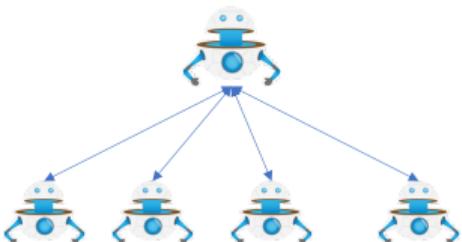
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## Timing

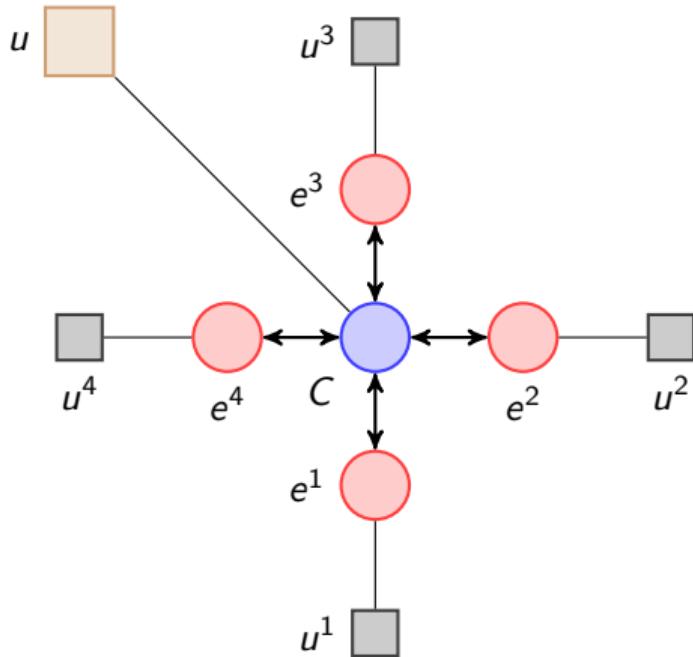
- Synchronous.
- Any-time.



# Concurrent Negotiations

These negotiations are dependent, as evidenced by the global ufun  $u$ , which depends on a global outcome: i.e., the outcomes of all negotiations.

The problem of how to negotiate in this setting is reminiscent of how to bid in simultaneous auctions, when bidders' utilities are combinatorial.<sup>7</sup>

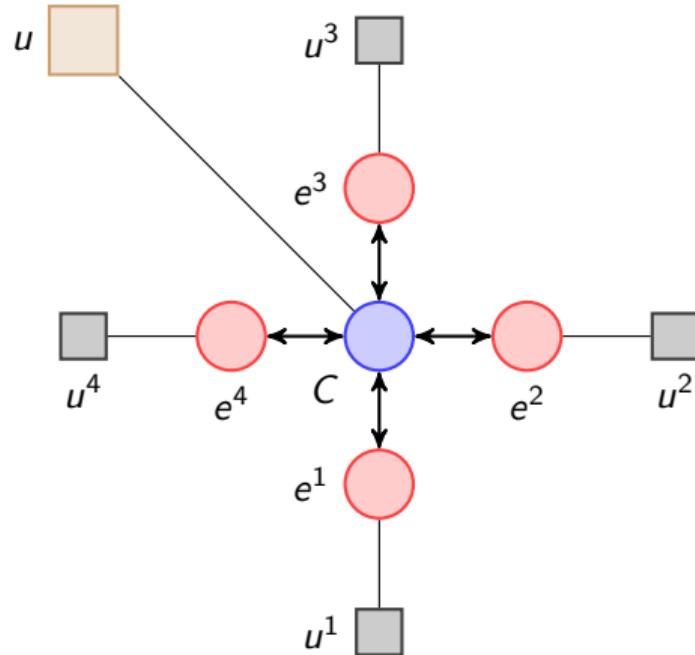


<sup>7</sup> Michael P. Wellman, Eric Sodomka, and Amy Greenwald. "Self-confirming price-prediction strategies for simultaneous one-shot auctions". In: *Games and Economic Behavior* 201 (2017), pp. 339–372.

# Concurrent Negotiations

In ANAC SCML, an agent negotiates with multiple agents simultaneously. Moreover, the agent's utility depends on the outcomes of all the negotiations.

An agent represents a factory, whose production depends on the inputs it acquires from all its trading partners, and so, in turn, does its sales.



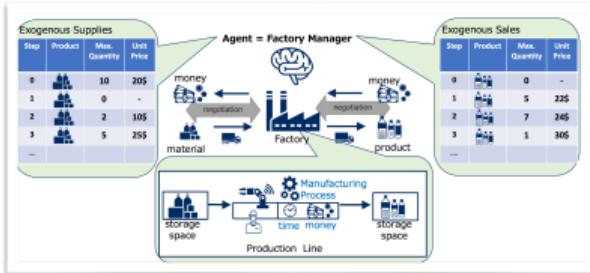
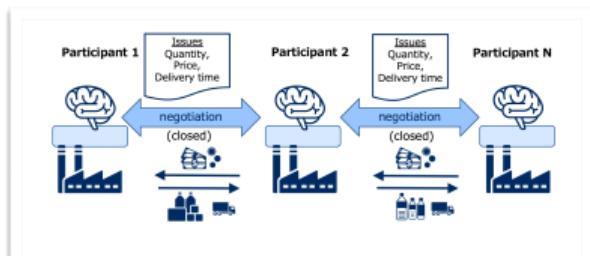
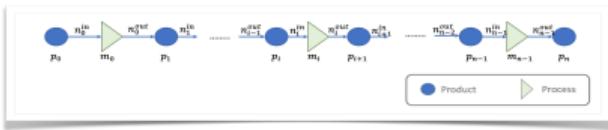
# SCML World

## Challenge

- Negotiation game with imperfect information
- Concurrent negotiations.
- Repeated negotiations → OneShot.
- Sequential negotiations → Standard.

## Information

- **Website** <https://scml.cs.brown.edu/>
- **Code** <https://www.github.com/yasserfarouk/scml>



# SCML Competition

## Competition Details

- Runs as part of ANAC IJCAI.
- You control one or more factories.
  - **Oneshot track** → one factory (predefined ufun).
  - **Standard track** → one factory (you define your own ufun).
  - **Collusion track** → multiple factories (3).

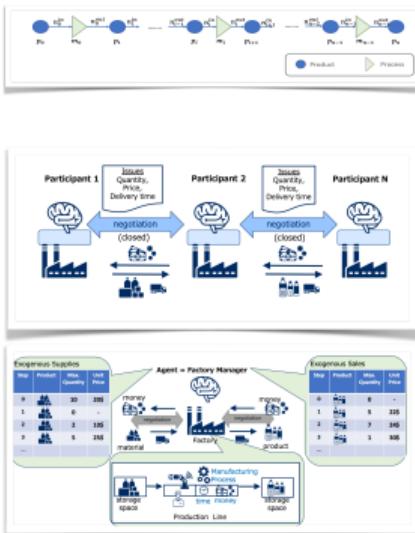
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## Flavors

- Online competition at <https://scml.cs.brown.edu>
- Official competition as part of ANAC.



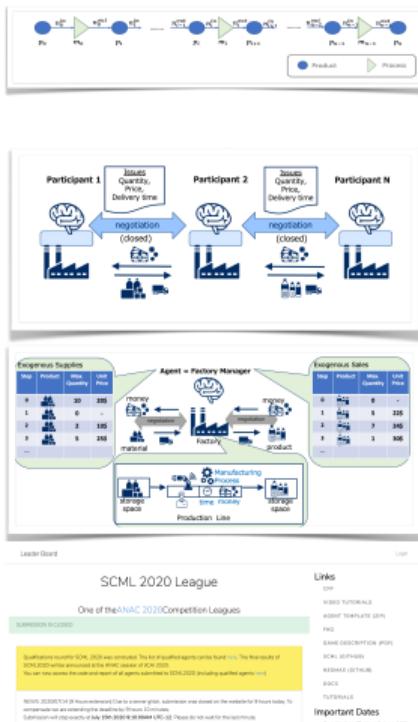
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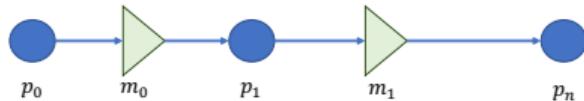
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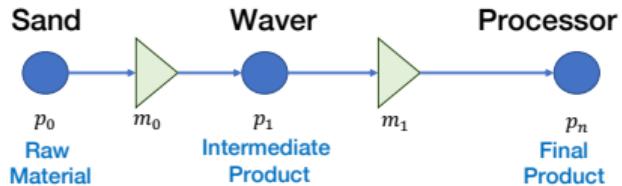
# Overview



- A **production-graph** defines what can be produced and how.



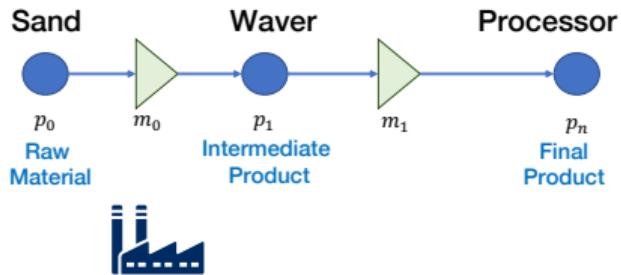
# Overview



- A **production-graph** defines what can be produced and how.
- We have 3 products, 2 processes.

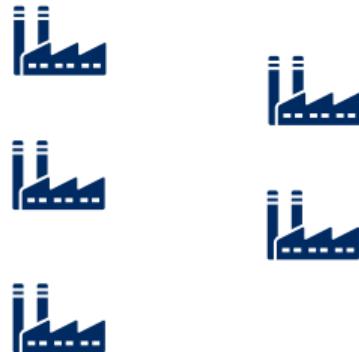
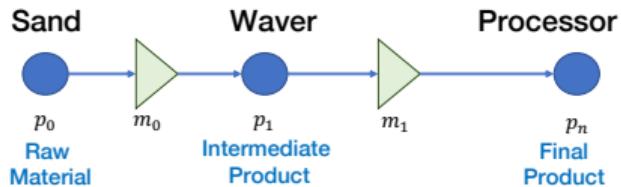


# Overview



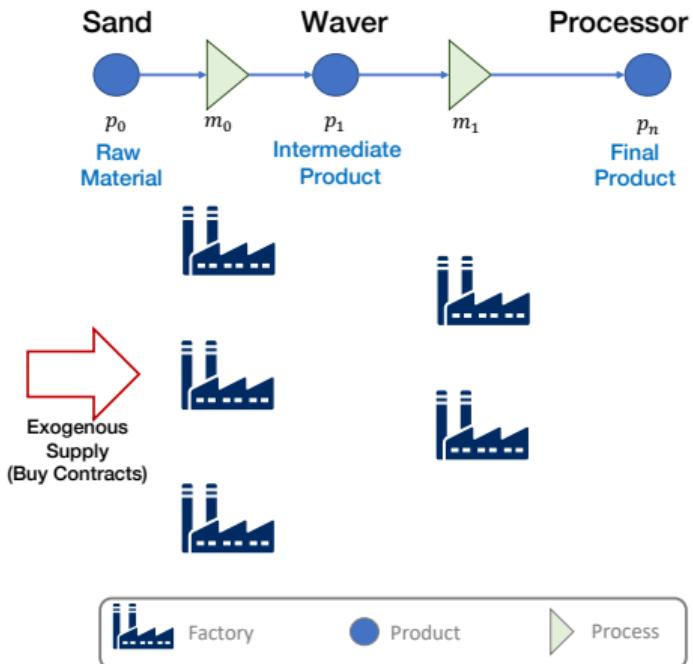
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# Overview



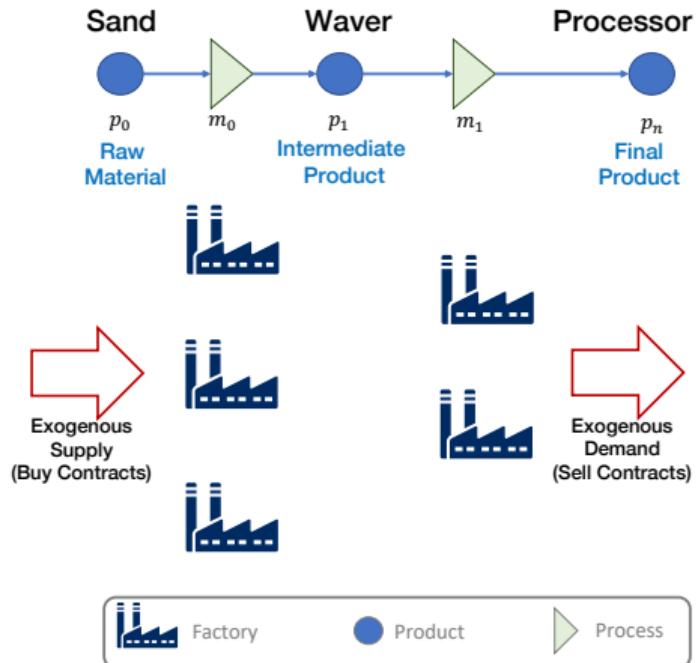
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# Overview



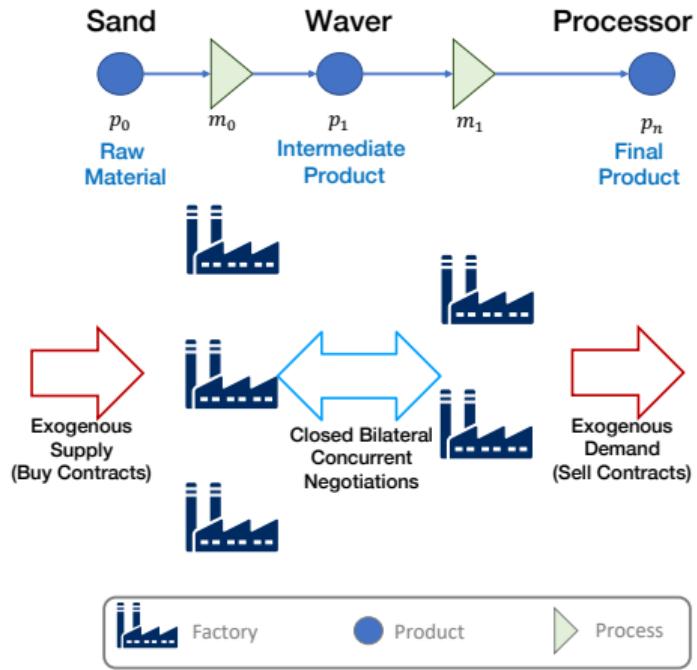
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# Overview



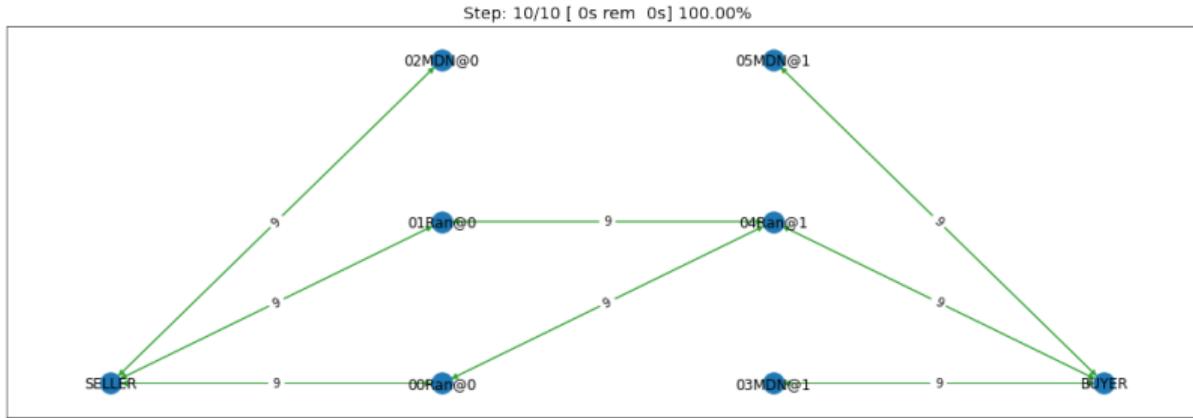
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# Overview



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- We have two layers of factories/agents.
- $L_0$  factories/agents receive exogenous supplies of **raw material**.
- $L_1$  factories/agents receive exogenous sales of **final product**.
- $L_0$  negotiate with  $L_1$  agents to exchange **intermediate product**

# SCML-OneShot Track



## Main Idea

- Agents arranged in two production levels (3 products, 2 processes)
- Every day you get a **fresh set** of exogenous contracts.
- All products perish in one day (no inventory accumulation).

# Utility Function

## General Form

Utility = Profit = Sales - Supply cost - Production cost - Disposal cost - Delivery Penalty

Sales unit price  $\times$  quantity  $\forall$  feasible sales.

Supply cost unit price  $\times$  quantity  $\forall$  supplies.

Production cost unit production cost  $\times$  quantity produced.

Disposal cost unit disposal cost  $\times$  quantity bought but not produced.

Shortfall penalty unit shortfall penalty  $\times$  infeasible sales.

# Information about self

## Static Information

- Number of production lines.
- Production cost.
- Mean and variance of disposal cost and shortfall penalty.
- Input/output product, consumers/suppliers, n. input/output negotiations.

## Dynamic Information

- current input/output negotiation issues.
- current input/output exogenous contracts (quantity, unit price).
- current disposal cost and shortfall penalty.
- Current balance (money in wallet).

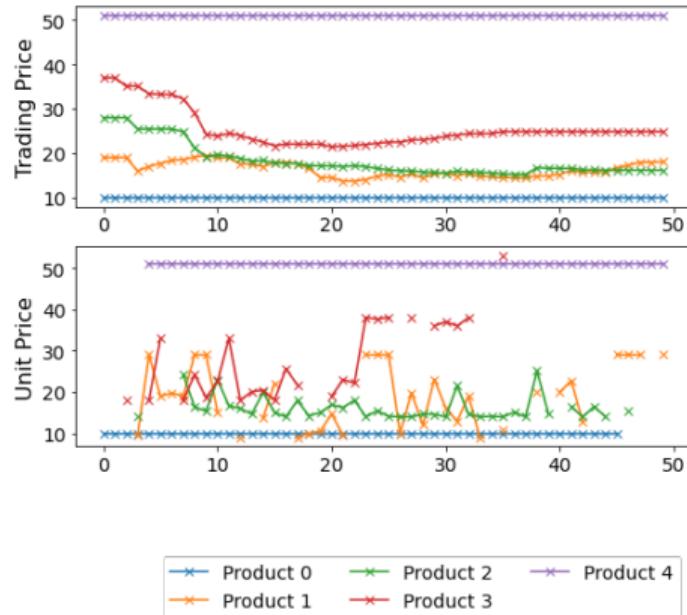
# Market Information

## Trading prices

- Trading prices represent a weighted running average of different product prices.
- Available to the agent through the AWI in all tracks.

## Exogenous Contract Summary

- The total quantity and average prices of all exogenous contracts are now available through the AWI.
  - Exogenous contracts for individual agents are private information.



Product 0      Product 2      Product 4  
Product 1      Product 3

# Other Agents' Information

## Financial Reports

For each agent, a financial report is published every  $m$  days (e.g. 5) with the following information:

- Current balance (money in wallet).
- breach probability (fraction of sale contracts not satisfied).
- breach level (average fraction of sales not satisfied).

# Simulation Steps

Once



Initialize all agents  
• init()

# Simulation Steps

Once



Initialize all agents  
• init()



Update trading prices

# Simulation Steps

Once



# Simulation Steps

Once



# Simulation Steps

Once



# Simulation Steps

Once



Initialize all agents  
• `init()`



Update trading prices



Create exogenous contracts and sample agent's disposal cost, and shortfall penalty



Initialize agents for the day

• `before_step()` [First call every day]



Run All Negotiations

• `propose()`    `respond()`    |    `on_neg*_success()`    `on_neg*_failure()`



Calculate profits for all agents by simulating contract execution.

Every Day

# Simulation Steps

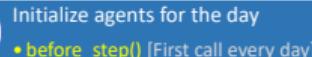
Once



Every Day



Create exogenous contracts and sample agent's disposal cost, and shortfall penalty



Run All Negotiations

• `propose()`    `respond()`    |    `on_neg*_success()`    `on_neg*_failure()`

Calculate profits for all agents by simulating contract execution.

Finalize agents for the day

• `step()` [Last call every day]

# Simulation Steps

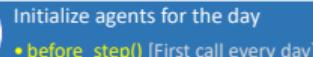
Once



Every Day



Create exogenous contracts and sample agent's disposal cost, and shortfall penalty

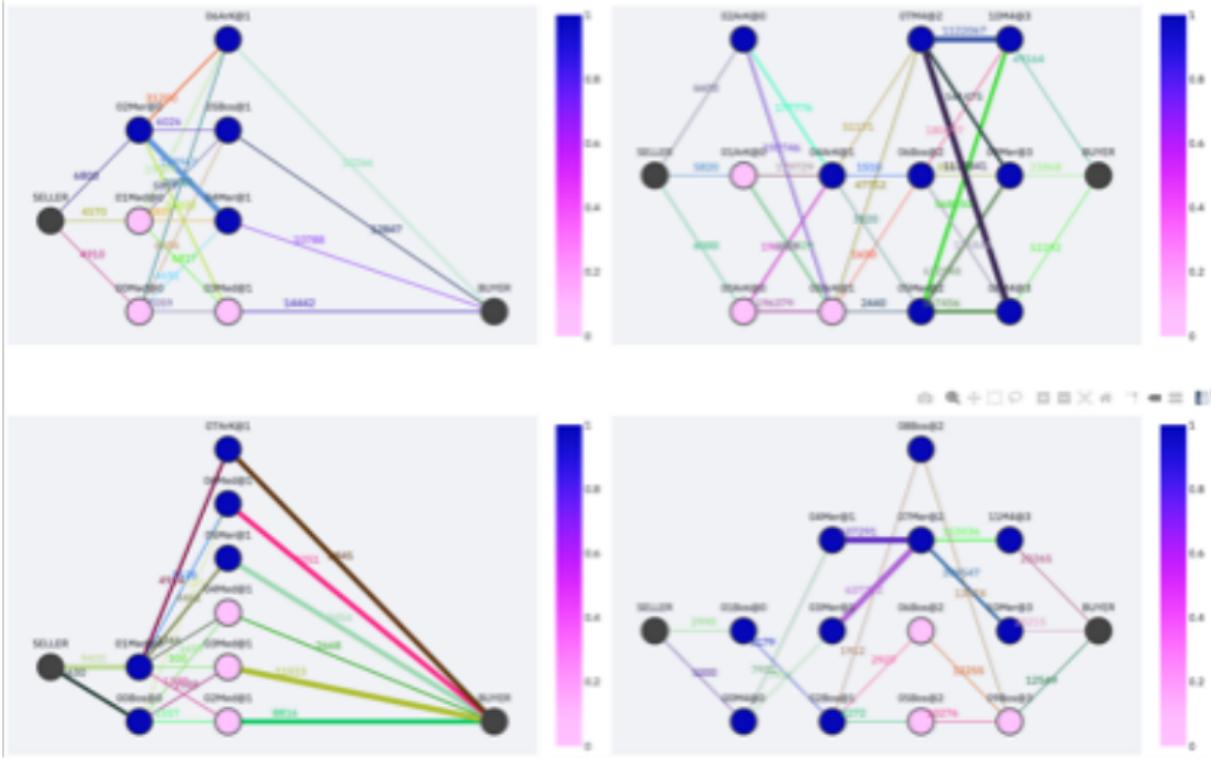


Calculate profits for all agents by simulating contract execution.



Publish Financial Reports

# SCML Environment



# Outline

## 1 Theoretical Session

## 2 Development Environment

- Installing SCML
- Running a simulation
- Running a tournament
- Visualization and logging
- Troubleshooting and breathing time

## 3 Development Example

# Outline

## 1 Theoretical Session

## 2 Development Environment

- **Installing SCML**
- Running a simulation
- Running a tournament
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## 3 Development Example

# Installing SCML

## Pre-Installation

```
> python3 -m venv .venv  
> source .venv/bin/activate  
> .venv\\Scripts\\activate
```

## Basic Installation

```
> pip install scml
```

## Optional Installations

```
> pip install scml-agents  
> pip install scml-vis
```

# Outline

## 1 Theoretical Session

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- Installing SCML
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## 3 Development Example

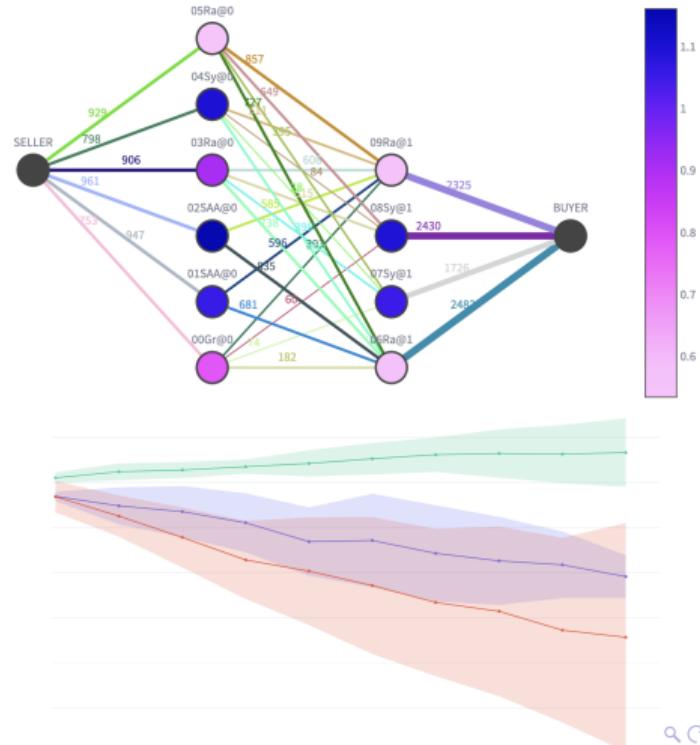
# Running a single simulation (oneshot)

## Command Line Tool

```
> scml run2024 —oneshot
```

## Python

```
SCML2024OneShotWorld(  
**SCML2024OneShotWorld.generate(  
agent_types=DefaultAgentsOneShot2024  
)).run()
```



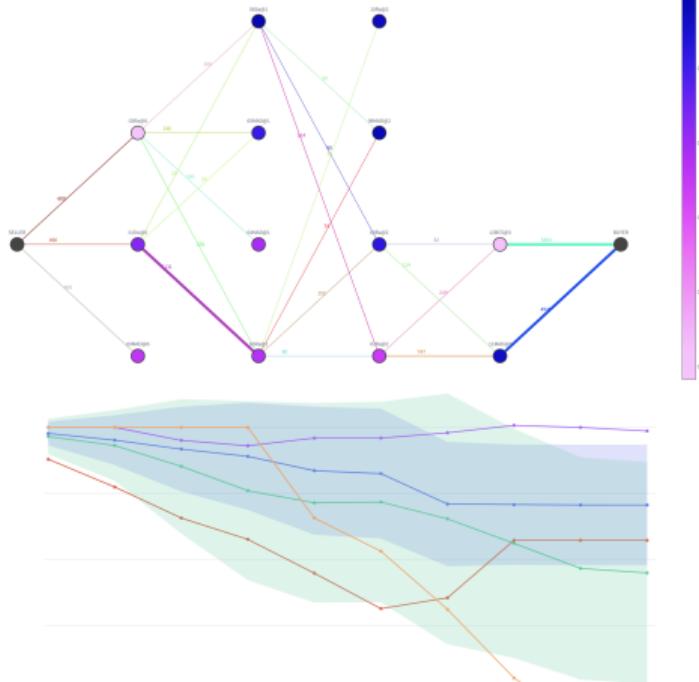
# Running a single simulation (std)

## Command Line Tool

```
> scml run2024
```

## Python

```
SCML2024StdWorld(  
    **SCML2024StdWorld.generate(  
        agent_types=DefaultAgents2024  
    )).run()
```



# Outline

## 1 Theoretical Session

## 2 Development Environment

- Installing SCML
- Running a simulation
- **Running a tournament**
- Visualization and logging
- Troubleshooting and breathing time

## 3 Development Example

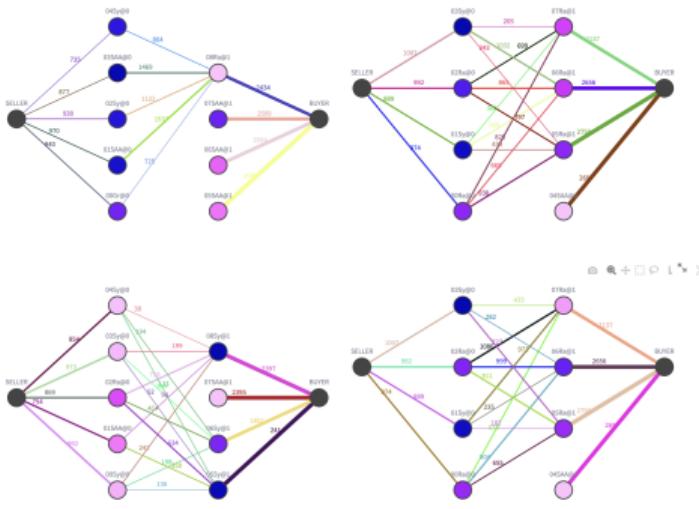
# Running a complete tournament (oneshot)

## Command Line Tool

```
> scml tournament2024 --type=oneshot
```

## Python

```
anac2024_oneshot(
    competitors=[
        RandomOneShotAgent,
        SyncRandomOneShotAgent,
        GreedyOneShotAgent
])
```



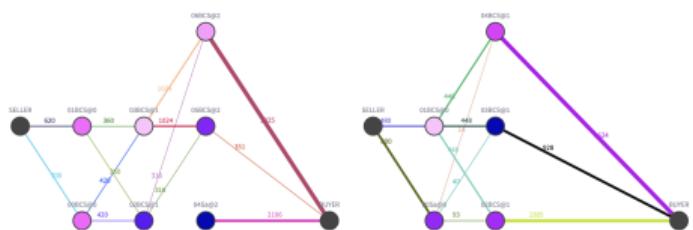
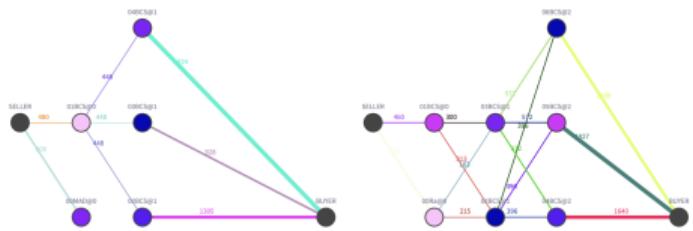
# Running a complete tournament (std)

## Command Line Tool

```
> scml tournament2024 --type=std
```

## Python

```
anac2024_std(
    competitors=[
        RandomOneShotAgent,
        SyncRandomOneShotAgent,
        GreedyOneShotAgent
])
```



# Outline

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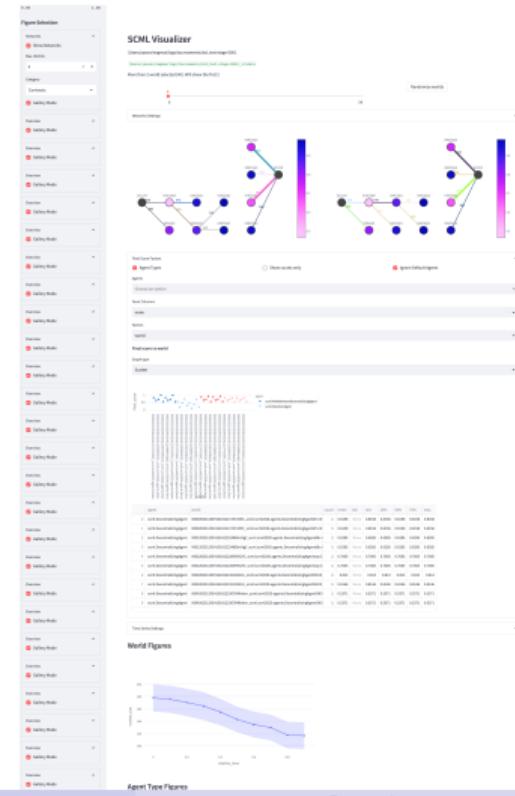


## Visualization CLI

## Command Line Tool

```
> scmlv show
```

File	Size	Last Modified
20231129H194614733893Ps7-stage- 2.2 K	0000S0_0.n_A-RCFR.0008a55a	
20231129H194641342854Lc-stage- 2.2 K	0001S0_1.H_A-R4oJ.016ed8bf	
20231129H194846359611Uby-stage- 08 1 K	0002S0_2.B_A-RUp.0242aa54	
20231129H194955076256MB4-stage- 2.2 K	0003S0_3.5_A-Rw8m.03165be0	
20231129H195110857752sfJ-stage- 2.7 K	0004S1_0.q_A-RNHN.0497cd63	
20231129H195216244186qSc-stage- 2.7 K	0005S1_1.p_A-R3ND.05a5a8bb	
20231129H19485262934603k-stage- 08 1 K	0006S1_2.A_A-RnFK.068292d7	
20231130H080023219868Phm-stage- 960 B	0007S1_3.L_A-RSG8.077b18fc	
20231130H075912052957qf6-stage- 1.9 K	agent_stats.csv	
20231130H075932117366XNX-stage- 1.1 K	agg_stats.csv	
DS_Store	14 K	assigned_configs.json
		assigned_configs.pickle
		attempts
		base_configs.json
		configs
		kstats.csv
		params.json
		partner_advantage.csv
		partner_utility.csv
		received_advantage.csv
		received_utility.csv
		score_stats.csv
		scores.csv
		stats.csv
		total_advantage.csv
		total_scores.csv
		tstats.csv
		type_stats.csv



# Outline

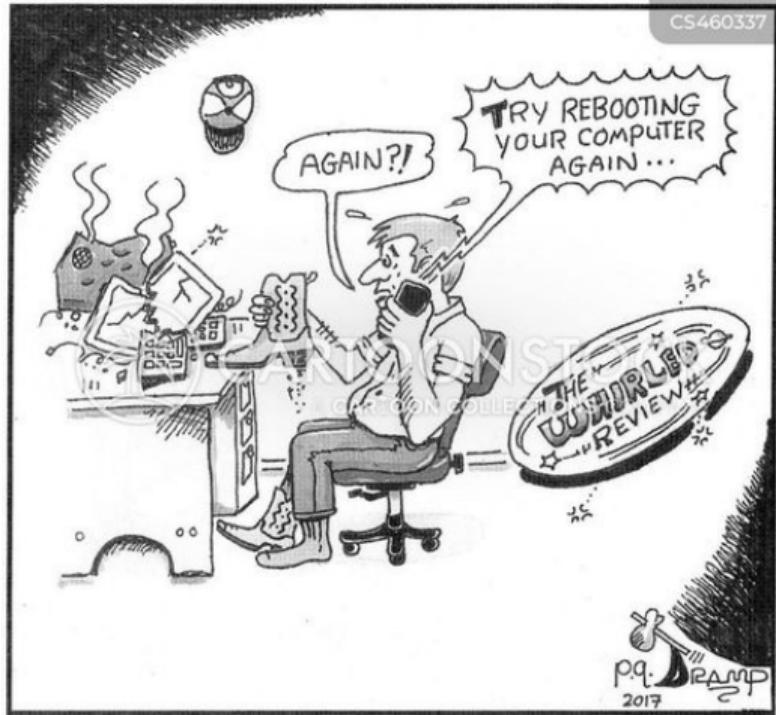
## 1 Theoretical Session

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- Installing SCML
- Running a simulation
- Running a tournament
- Visualization and logging
- **Troubleshooting and breathing time**

## 3 Development Example

# Troubleshooting and breathing time



# Outline

- ① Theoretical Session
- ② Development Environment
- ③ Development Example
  - Anatomy of An Agent
  - SCML Builtin Strategies
  - Example Agent Strategies

# Outline

- 1 Theoretical Session
- 2 Development Environment
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# SCML-OneShot Agent: Core

```
class OneShotSyncAgent(SAOSyncController, OneShotAgent, ABC):
    """
    An agent that automatically accumulate offers from opponents and allows
    you to control all negotiations centrally in the `counter_all` method.

    Args:
    +--- 4 lines: owner: The adapter owning the agent. You do not need to directly deal...
    """

    def __init__(self, *args, **kwargs):
        +--- 2 lines: kwargs["global_ufun"] = True.....
        |
        @abstractmethod
        def counter_all(
            self, offers: dict[str, Outcome], states: dict[str, SAOState]
        ) -> dict[str, SAOResponse]:
        +--- 20 lines: """Calculate a response to all offers from all negotiators.....
        |
        @abstractmethod
        def first_proposals(self) -> dict[str, Outcome]:
        +--- 10 lines: """.....
```

# SCML-OneShot Agent: Optional Timing Callbacks

```
def init(self):
--- 6 lines: """"....."
|
def before_step(self):
--- 8 lines: """"....."
|
def step(self):
--- 8 lines: """"....."
|
```

# SCML-OneShot Agent: Optional Events

```
def on_negotiation_failure(  
--- 5 lines: self,.....  
) -> None:  
--- 12 lines: """.....  
|  
def on_negotiation_success(  
|   self, contract: Contract, mechanism: NegotiatorMechanismInterface  
) -> None:  
--- 8 lines: """.....  
|
```

# Outline

- 1 Theoretical Session
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# Greedy Random Agent



- Link to builtin agent examples (OneShot)
- Link to builtin agent examples (Std)

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# Example Winner Agents



- Link to 2023 winner agent descriptions
- Link to source code and description of every agent