

Naive Bayes Algorithm

Predicting Tennis Play Based on Weather Conditions

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Probability

Foundation of prediction



Bayes Theorem

Conditional probability



Classification

Yes or No prediction

DATASET

1,202 Records

FEATURES

4 Weather Attributes

ALGORITHM

CategoricalNB

Understanding Probability

Independent Events

Events that don't affect each other's probability

Rolling a Dice {1, 2, 3, 4, 5, 6}



$$P(1) = 1/6 \quad P(2) = 1/6 \quad P(3) = 1/6$$

Each roll is independent - previous results don't affect future rolls!

Dependent Events

Events where one affects the probability of another

Marble Bag Problem

What is the probability of removing a white marble and then a yellow marble?

First Draw:



$$P(W) = 3/5 \rightarrow 1st \text{ Event}$$



Second Draw (after white removed)



$$P(Y|W) = 2/4 = 1/2 \rightarrow 2nd \text{ Event}$$

↳ Conditional Probability

$$P(W \text{ and } Y) = P(W) \times P(Y|W) \Rightarrow \text{Independent Event}$$

↳ Conditional Probability

Bayes' Theorem

1 $P(A \text{ and } B) = P(B \text{ and } A)$

2 $P(A) \times P(B|A) = P(B) \times P(A|B)$

$$P(B|A) = \frac{P(B) \times P(A|B)}{P(A)}$$

⇒ Bayes' Theorem

Dataset Structure



Extended Naive Bayes Formula

General Form: $P(Y|X_1, X_2, X_3, \dots, X_n) = P(Y) \times P(X_1, X_2, X_3, \dots, X_n|Y) / P(X_1, X_2, X_3, \dots, X_n)$

Naive Assumption: $= P(Y) \times P(X_1|Y) \times P(X_2|Y) \times P(X_3|Y) \dots \times P(X_n|Y) / P(X_1, X_2, X_3, \dots, X_n)$

"Naive" assumes all features are independent of each other!

TRAINING DATA

Play Tennis Dataset

Let's Solve This Problem

Day	Outlook	Temperature	Humidity	Wind	Play Tennis
D1	Sunny	Hot	High	Weak	No
D2	Sunny	Hot	High	Strong	No
D3	Overcast	Hot	High	Weak	Yes
D4	Rain	Mild	High	Weak	Yes
D5	Rain	Cool	Normal	Weak	Yes
D6	Rain	Cool	Normal	Strong	No
D7	Overcast	Cool	Normal	Strong	Yes

P(Yes)
 $9/14$ P(No)
 $5/14$

Outlook

Outlook	Yes	No	P(E Yes)	P(E No)
Sunny	2	3	$2/5$	$3/5$
Overcast	4	0	$4/4$	$0/5$
Rain	3	2	$3/5$	$2/5$

Temperature

Temperature	Yes	No	P(E Yes)	P(E No)
Hot	2	2	$2/4$	$2/5$
Mild	4	2	$4/6$	$2/5$
Cool	3	1	$3/4$	$1/5$

Test: (Sunny, Hot) → Play?

Calculating $P(\text{Yes} | \text{Sunny, Hot})$

$$P(\text{Yes} | (\text{Sunny, Hot})) = \frac{P(\text{Yes}) \times P(\text{Sunny}|\text{Yes}) \times P(\text{Hot}|\text{Yes})}{P(\text{Sunny}) \times P(\text{Hot})} \leftarrow \text{Constant}$$

$$= \frac{9}{14} \times \frac{2}{9} \times \frac{2}{9}$$

$$= \frac{2}{63} = \mathbf{0.031}$$

Calculating $P(\text{No} | \text{Sunny, Hot})$

$$P(\text{No} | (\text{Sunny, Hot})) = \frac{P(\text{No}) \times P(\text{Sunny}|\text{No}) \times P(\text{Hot}|\text{No})}{P(\text{Sunny}) \times P(\text{Hot})} \leftarrow \text{Constant}$$

$$= \frac{5}{14} \times \frac{3}{5} \times \frac{2}{5}$$

$$= \frac{3}{35} = \mathbf{0.085}$$

Final Prediction

Normalizing Probabilities

$$P(\text{Yes}|\text{Sunny, Hot}) = \frac{0.031}{0.031 + 0.085} = 0.27 = 27\%$$

$$P(\text{No}|\text{Sunny, Hot}) = \frac{0.085}{0.031 + 0.085} = 0.73 = 73\%$$

Probability Comparison

Play Tennis (Yes)

27%

Don't Play (No)

73%

Test Data: (sunny, Hot) = 73%



They will NOT play Tennis

→ Person is not likely to play Tennis

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Training Code (train_model.py)

```
import pandas as pd
from sklearn.naive_bayes import CategoricalNB
from sklearn.preprocessing import LabelEncoder

# Load dataset (1202 records)
df = pd.read_csv('play_tennis_1202.csv')

# Encode categorical features
encoders = {}
for col in df.columns:
    le = LabelEncoder()
    df[col] = le.fit_transform(df[col])
    encoders[col] = le

# Train Naive Bayes model
model = CategoricalNB()
model.fit(X_train, y_train)

# Model accuracy
accuracy = accuracy_score(y_test, y_pred)
print(f"Accuracy: {accuracy * 100:.2f}%")
```

Try Live Prediction

Outlook

Sunny

Temperature

Hot

Humidity

High

Wind

Weak

Predict

Select weather conditions and click Predict!



1,202

Training Records



96.25%

Model Accuracy



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Weather Features



NB

Algorithm

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