Applying hLDA to Practical Topic Modeling

Joseph Heng lengerfulluse@gmail.com

CIST Lab of BUPT

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- Introduction
 - HLDA
 - Discussion
- 2 Bayesian Clue
 - the nested CRP
 - GEM Distribution
 - Dirichlet Distribution
 - Posterior Inference

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 - Manual Modeling Procedure
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Background

The Goal in Our Paper.

HLDA has been proved to be a powerful tool. One of the bottlenecks which prevent its large-scale application is that we cannot find a quick and effective approach to modeling new data properly. There exist lots of factors, eg. hyper-parameter settings, uncertainty of random algorithms and features of different corpus.

Probabilistic Topic Models

Topic models are algorithms for discovering the main themes that pervade a large and otherwise unstructured collection of documents. Topic models can organize the collection according to the discovered themes.

♣ LDA-related Introduction

LDA and other topic models are part of the larger field of probabilistic modeling. In generative probabilistic modeling, we treat our data as arising from a generative process that includes hidden variables.

Merits of HLDA

- Generative process for documents [2]
- 2 Posterior approximate inference with Gibbs sampling [1]

$$p(z_{d,n}|z_{-(d,n)},c,w,\pi,\eta) \propto p(z_{d,n}|z_{-d,-n},m,\pi)p(z_{d,n}|z,c,w_{-(d,n)},\eta)$$
(1)

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Practical Difficulty

- ♣ What's practical problem [3] when using hDLA to topic modeling?
- Why unified framework?

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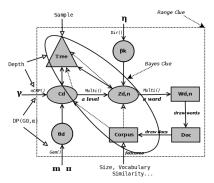


Figure: unified analysis framework with two clues

Generative Process

Document are assumed to be drawn from the following process.

- For each node $k \in T$ in the infinite tree, draw a topic $\beta_k \sim Dirichlet(\gamma)$.
- For each document, d ∈ 1,2,...,D
 - Draw $C_d \in nCRP(\gamma)$ to choose the path
 - Draw a distribution over levels in the tree, $\theta_d|m, \pi \in GEM(m, \pi)$.
 - For each word,
 - Choose level $Z_{d,n}|\theta \in Mult(\theta_d)$.
 - Choose word $W_{d,n}|Z_{d,n}, C_d, \beta \in Mult(\beta_{c_d}, [Z_{d,n}).$

nCRP

- Introduction to CRP algorithm
- ullet γ parameters
- ullet Experiments with γ
- Comparision

GEM

- The Different View of DP
- Parameters m and π
- ullet Experiments with m and π

Dirichlet Process

- Experiment with parameter
- Relationship with Three above.

Iterator Convergency

- A Monte Carlo Markov Chain
- A (Collapsed) Gibbs Sampling Algorithm

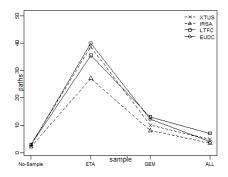
• Tree Depth

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theme\depth	3	4	5
XTUS	4.9	59.7	78.7
IRSA	3.6	35.8	46.5
LTFC	7.1	54.2	74.8
EUDC	4.1	59.2	83.5
GBAB	3.1	47	66.2

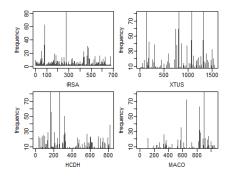
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Manual Modeling Procedure

- Generate hLDA input and extract features from corpus.
- Approximate depth of tree.
- Topic parameter for each level.
- nCRP parameter for non-leaf levels.
- m, π parameter for words allocations.
- Sampling for hyper-parameters or not.

Empirical Results

Experiments have been conducted with the guide of modeling procedure above with only three modifications to the settings.

theme	level#1	level#2	hLDA#1	hLDA#2	score
XTUS	4	9	5.3	10	4
EUDC	4	5	5.2	9	3
IRSA	2	5	3.9	8	4
HCDH	5	7	4.8	10	4
CQWF	4	9	5.3	10	5
SBAG	4	10	6	10	5
GBAB	6	8	4.8	11	3
LTFC	6	14	7.2	12	5
MACO	4	7	6.7	8	4
NOHN	5	9	7	9	4

Reference



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