# **Popular Python Libraries**

## Numpy/Scipy

(numerical and scientific computing)

### **Pandas**

(different data format)

# Matplotlib/Pandas/Seaborn/Plotly

(visualization: base, dataframe, stat, interactive)

# SciKit-Learn

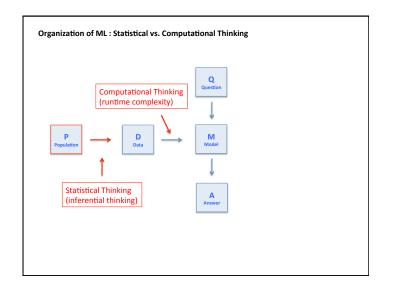
(basic machine learning algorithms)

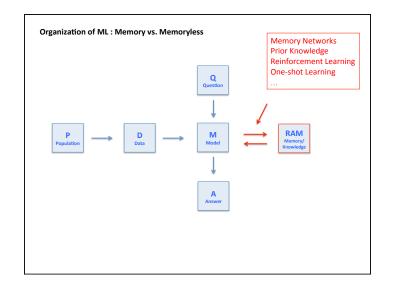
# PySpark

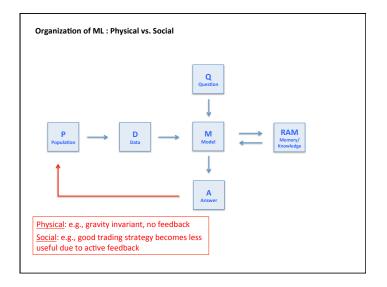
(big data)

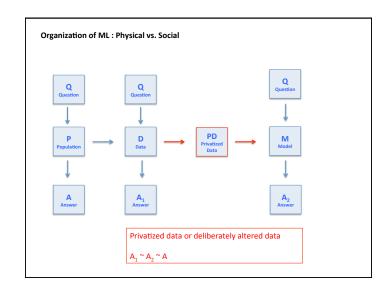
# Organization of ML : Basic Backbone Q Question M Model A Answer

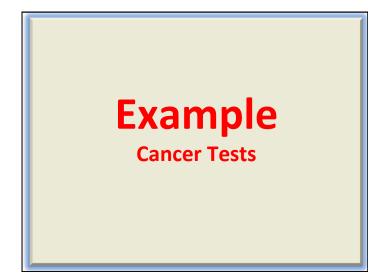
# **ML** in Cartoon

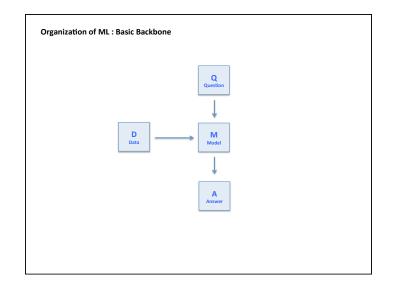


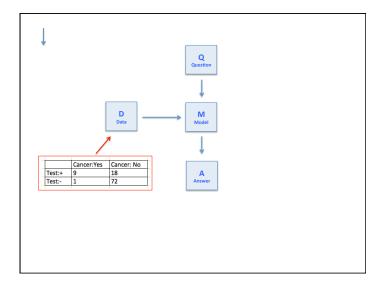


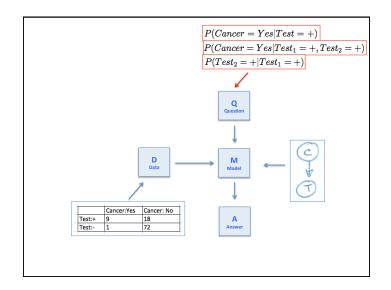


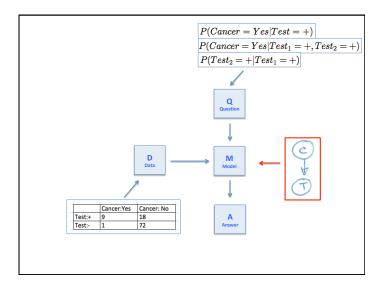


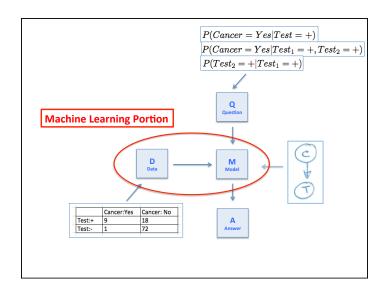


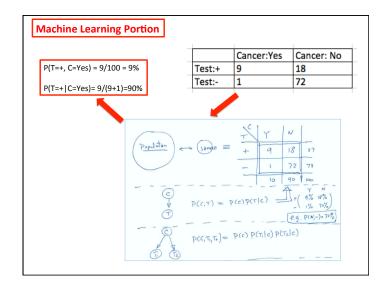


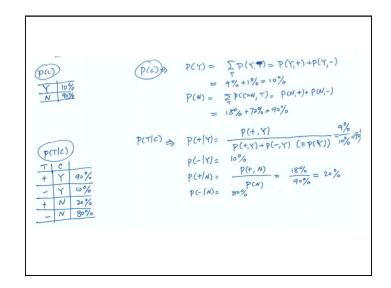


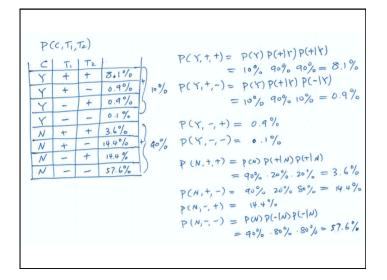












$$P(+) = \sum_{C} P(C_1, +) = \frac{P(Y_1, +) + P(N_1, +)}{q^{1/6}} = \frac{27\%}{18\%}$$

$$= \sum_{C} P(C_1, T_1, +) = \frac{P(Y_1, +) + P(Y_1, +)}{18\%} + \frac{P(N_1, +) + P(N_2, +)}{18\%}$$

$$= \sum_{C} P(T_1, +) + \frac{P(Y_1, +) + P(Y_2, +)}{18\%} + \frac{P(N_1, +) + P(N_2, +)}{18\%} = \frac{27\%}{18\%}$$

$$P(+) = \frac{P(T_1, +) + P(T_2, +)}{P(T_1, +) + P(N_2, +) + P(N_2, +)} = \sum_{C} P(C_1, +) + \frac{P(Y_1, +) + P(N_2, +)}{18\%} = \frac{11.7\%}{11.7\%}$$

$$= \frac{11.7\%}{11.7\%} = \frac{11.7\%}{11.7\%} = \frac{11.7}{27} = \frac{43.8\%}{11.7\%}$$

# **One ML School**

**Bayesian Network Independence/Factorization** 

# p(x,y) = p(x)p(y)



Correlation
Causal Relation

Understanding!

# Independence

Variables x and y are independent if knowing one event gives no extra information about the other event. Mathematically, this is expressed by

$$p(x, y) = p(x)p(y)$$

Independence of x and y is equivalent to

$$p(x|y) = p(x) \Leftrightarrow p(y|x) = p(y)$$

If p(x|y)=p(x) for all states of x and y, then the variables x and y are said to be independent. We write then  $x \perp \!\!\! \perp y$ .

### interpretatio

Note that  $x \perp \!\!\! \perp y$  doesn't mean that, given y, we have no information about x. It means the only information we have about x is contained in p(x).

### factorisation

If

$$p(x, y) = kf(x)g(y)$$

for some constant k, and positive functions  $f(\cdot)$  and  $g(\cdot)$  then x and y are independent.

# Conditional Independence

$$\mathcal{X} \perp \!\!\!\perp \mathcal{Y} \mid \mathcal{Z}$$

denotes that the two sets of variables  $\mathcal X$  and  $\mathcal Y$  are independent of each other given the state of the set of variables  $\mathcal Z$ . This means that

$$p(\mathcal{X},\mathcal{Y}|\mathcal{Z}) = p(\mathcal{X}|\mathcal{Z})p(\mathcal{Y}|\mathcal{Z}) \text{ and } p(\mathcal{X}|\mathcal{Y},\mathcal{Z}) = p(\mathcal{X}|\mathcal{Z})$$

for all states of  $\mathcal{X}, \mathcal{Y}, \mathcal{Z}$ . In case the conditioning set is empty we may also write  $\mathcal{X} \perp \!\!\! \perp \!\!\! \mathcal{Y}$  for  $\mathcal{X} \perp \!\!\! \perp \!\!\! \mathcal{Y} |\emptyset$ , in which case  $\mathcal{X}$  is (unconditionally) independent of  $\mathcal{Y}$ .

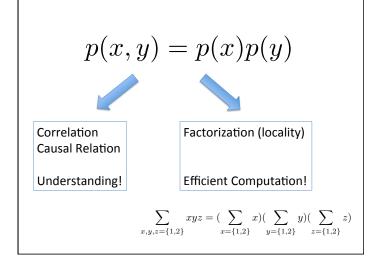
Conditional independence does not imply marginal independence

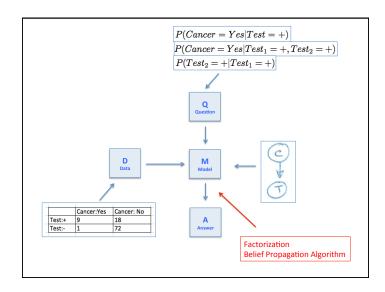
$$p(x,y) = \sum_{z} \underbrace{p(x|z)p(y|z)}_{\text{cond. indep.}} p(z) \neq \underbrace{\sum_{z} p(x|z)p(z)}_{p(x)} \underbrace{\sum_{z} p(y|z)p(z)}_{p(y)}$$

### Conditional dependence

If  ${\mathcal X}$  and  ${\mathcal Y}$  are not conditionally independent, they are conditionally dependent. This is written

$$\mathcal{X} \top \mathcal{Y} | \mathcal{Z}$$





# **Schools of ML**

**People and Kinds** 

