

```
name: <unnamed>
              C:/Users/yfkas/Documents/GitHub/ARE213 Fall2023/PSet 4/Stata/pset4 logfil
        log:
  > e_q3.smcl
              smcl
   log type:
              4 Dec 2023, 22:52:06
   opened on:
2 . // analyze
3 . do "$do_loc/02_q3.do"
 > Title:
                   02 q3.do
 > Purpose:
                    Question 3, PSet 4
 > */
 > 3. Simulating RDD
 > 3.1 Use the dataset to estimate mu-, mu+, sigma-, and sigma+
6 .
7 . pause on
8 . set seed 154
9 . use "$dta_loc/pset4_trim2.dta", clear
10.
11. gen y = logwage
13. rdrobust y x, p(1) c(0.5) h(0.5) kernel(uniform) all // replicate 2a result
 Sharp RD estimates using local polynomial regression.
```

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	1	1			
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1552	.01161	13.3654	0.000	.132438	.177956
Bias-corrected	.15285	.01161	13.1630	0.000	.130088	.175606
Robust	.15285	.01737	8.7974	0.000	.118795	.1869

```
17. mat list e(beta p r)
  e(beta_p_r)[2,1]
  r1 11.497242
  r2 .22796925
19. // mu-
20. mat coefsl = e(beta_p_l)
21. local bl 1 = coefsl[1,1]
22. local bl_2 = coefsl[2,1]
23. // mu+
24. mat coefsr = e(beta_p_r)
25. local br_1 = coefsr[1,1]
26. local br_2 = coefsr[2,1]
27.
28.
             // plot reality check (compare with rdplot in 2a) gen mul = `bl_1' + `bl_2'*x if x < 0.5
29.
  (34,128 missing values generated)
             gen mur = br 1' + br 2'*x if x > 0.5
  (41,656 missing values generated)
             twoway (scatter y x) /// (line mul x) ///
31. //
32. //
33. //
                          (line mur x)
34.
35. // sigma- (residual variance from mu-)
36. gen resl = mul - y if x < 0.5
  (34,128 missing values generated)
37. qui sum resl
38. local resl_sd = r(sd)
39. // sigma+ (residual variance from mu+)
40. gen resr = mur - y if x > 0.5
  (41,656 missing values generated)
41. qui sum resr
42. local resr_sd = r(sd)
43.
44. // simulate y
45. local S 300 // simulations
46. forval s = 1/\slash S'  {
    2.
                capture drop eps yl_s yr_s y_s
             // generate std normal error terms
47.
             qui gen eps = rnormal()
48.
                // generate new outcomes
```

```
qui gen yl s = mul + `resl sd'*eps if x < 0.5 //
49.
     5.
                   qui gen yr_s = mur + resr sd^**eps if x > 0.5 //
     6.
50. /*
                          // plot reality check (compare with rdplot in 2a)
  >
  >
                          twoway (scatter yl s x) ///
                                        (scatter yr_s x) ///
                                        (line mul x\overline{)} ///
                                        (line mur x)
  > */
51.
52.
               // Simulate
53.
               // 3.a Ignore bandwidth because local linear
54.
               // 3.b Estimate conventional and bias-corrected ATE
                                   y_s = yl_s \text{ if } x < 0.5
55.
               qui gen
    7.
                   qui replace y_s = yr_s if x > 0.5
rdrobust y_s x, p(4) c(0.5) h(0.5) kernel(uniform) all
dis "tau_cl = `e(tau_cl)' and tau_bc = `e(tau_bc)'"
    8.
    9.
                   twoway (scatter y s \bar{x}) /// (line mul x) ///
   10. //
56. //
57. //
                                        (line mur x)
                            (line mul x) ///
58. //
               twoway
59. //
                                        (line mur x)
60. //
               rdplot y_s x, /// p(1) ///
61. //
62. //
                         c(0.5) ///
63. //
                         masspoints(adjust) ///
64. //
                         /// bwselect(mserd) ///
65. //
                         kernel(uniform) ///
66. //
                         binselect(espr) ///
67. //
                         graph options(legend(position(6)) ///
68. //
                                                           xtitle("Running variable") ///
                                                           ytitle("Eligible voters")) ///
69. //
70. //
                         ci(95) ///
71. //
                         shade
72.
73.
               // collect locals
74.
               // tau
75.
               local tau_cl_`s' = e(tau_cl)
local tau_bc_`s' = e(tau_bc)
76.
                   // se of tau
   12.
               local se_tau_cl_`s' = e(se_tau_cl)
  local se_tau_bc_`s' = e(se_tau_rb)
   13.
               // bias of conventional and bias-corrected ATEs relative to true effect
local bias_cl_`s' = `tau_cl_`s'' - `tau_cl_true'
local bias_bc_`s' = `tau_bc_`s'' - `tau_cl_true'
   14.
   15.
79. }
```

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs		75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15961	.03075	5.1900	0.000	.099336	.21989
Bias-corrected	.17265	.03075	5.6139	0.000	.112372	.232926
Robust	.17265	.03886	4.4423	0.000	.096475	.248823

 $tau_cl = .1596129269605626$ and $tau_bc = .1726490822006781$

Sharp RD estimates using local polynomial regression.

75784		Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500 1.000	0.500 1.000	BW bias (b) rho (h/b)

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	z	P> z	[95% Conf.	Interval]
Conventional	.23133	.03071	7.5318	0.000	.171133	.29153
Bias-corrected	.2438	.03071	7.9378	0.000	.183603	.304
Robust	.2438	.03869	6.3009	0.000	.167964	.319639

 $tau_cl = .2313315500155113$ and $tau_bc = .243801364407318$

Sharp RD estimates using local polynomial regression.

75784		Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500 1.000	0.500 1.000	BW bias (b) rho (h/b)

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22461	.03096	7.2545	0.000	.163924	.285289
ias-corrected	.25121	.03096	8.1138	0.000	.190528	.311892
Robust	.25121	.03908	6.4275	0.000	.174607	.327812

 $tau_cl = .2246065726235429$ and $tau_bc = .2512096221253159$

Sharp RD estimates using local polynomial regression.

75784 Manual	obs =	Number of ob	Right of c	Left of c	Cutoff $c = .5$
Uniform NN	=	BW type Kernel VCE method	34128 34128	41656 41656	Number of obs
MM	. –	VCE meenod	4 5	4	Order est. (p) Order bias (q)
			0.500 0.500 1.000	0.500 0.500 1.000	BW est. (h) BW bias (b) rho (h/b)

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15642	.03117	5.0189	0.000	.095335	.217504
Bias-corrected	.16335	.03117	5.2413	0.000	.102267	.224436
Robust	.16335	.03923	4.1635	0.000	.086454	.240249

 $tau_cl = .1564192702303444$ and $tau_bc = .1633515297089616$

Cutoff c = .5	Left of c	Right of c	Number of ol	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h) BW bias (b)	0.500	0.500 0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16732	.03152	5.3079	0.000	.105539	.229109
Bias-corrected	.17885	.03152	5.6736	0.000	.117069	.240639
Robust	.17885	.0398	4.4941	0.000	.100852	.256856

 $tau_cl = .1673242312731418$ and $tau_bc = .1788539478493476$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15312	.03088	4.9585	0.000	.092595	.213641
Bias-corrected	.1176	.03088	3.8082	0.000	.057073	.178119
Robust	.1176	.03884	3.0274	0.002	.041464	.193727

 $tau_cl = .1531181977843517$ and $tau_bc = .1175957767109139$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19678	.03047	6.4572	0.000	.137048	.256503
Bias-corrected	.20404	.03047	6.6956	0.000	.144312	.263768
Robust	.20404	.03833	5.3234	0.000	.128917	.279163

 $tau_cl = .1967754991042057$ and $tau_bc = .2040399234210781$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16682	.03054	5.4619	0.000	.106956	.226678
Bias-corrected	.17885	.03054	5.8558	0.000	.118987	.238709
Robust	.17885	.03841	4.6566	0.000	.103571	.254125

 $tau_cl = .1668170136795197$ and $tau_bc = .1788480559898744$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21862	.03069	7.1241	0.000	.158474	.278767
Bias-corrected	.18644	.03069	6.0753	0.000	.126291	.246584
Robust	.18644	.03845	4.8491	0.000	.111081	.261794

 $tau_cl = .2186206079422846$ and $tau_bc = .1864377051101656$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5 0.500	0.500	Order bias (q) BW est. (h)
			0.500 1.000	0.500	BW bias (b)

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21389	.0309	6.9214	0.000	.153326	.274464
Bias-corrected	.20584	.0309	6.6606	0.000	.145266	.266405
Robust	.20584	.0388	5.3044	0.000	.12978	.281891

 $tau_cl = .2138948624165096$ and $tau_bc = .2058354361706733$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	-	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21331	.03044	7.0072	0.000	.153648	.272979
Bias-corrected	.20169	.03044	6.6253	0.000	.142025	.261356
Robust	.20169	.03827	5.2708	0.000	.126691	.27669

 $tau_cl = .2133137287437421$ and $tau_bc = .2016903130015635$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.17817	.03071	5.8022	0.000	.117987	.238359
Bias-corrected	.1761	.03071	5.7347	0.000	.115914	.236286
Robust	.1761	.03886	4.5321	0.000	.099944	.252256

 $tau_cl = .1781732405420371$ and $tau_bc = .1760998252980244$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22093	.03113	7.0967	0.000	.159914	.281948
Bias-corrected	.22279	.03113	7.1563	0.000	.161771	.283805
Robust	.22279	.03925	5.6768	0.000	.145868	.299709

 $tau_cl = .2209311298120156$ and $tau_bc = .2227884583912783$

Cutoff c = .5	Left of c	Right of c	Number of obs		75784 Manual
Number of obs Eff. Number of obs	41656 41656	34128 34128	BW type Kernel VCE method	=	Manual Uniform NN
Order est. (p) Order bias (q)	4 5	4 5			
BW est. (h) BW bias (b) rho (h/b)	0.500 0.500 1.000	0.500 0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19129	.03114	6.1422	0.000	.130246	.252324
Bias-corrected	.17615	.03114	5.6560	0.000	.115107	.237185
Robust	.17615	.03956	4.4525	0.000	.098608	.253683

 $tau_cl = .1912852032692172$ and $tau_bc = .1761456642616395$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1881	.03098	6.0724	0.000	.127389	.248815
Bias-corrected	.23479	.03098	7.5796	0.000	.174078	.295505
Robust	.23479	.0392	5.9894	0.000	.157958	.311625

 $tau_cl = .1881019056518198$ and $tau_bc = .2347914541251157$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20663	.0307	6.7297	0.000	.146454	.266814
Bias-corrected	.18173	.0307	5.9187	0.000	.121552	.241912
Robust	.18173	.03871	4.6944	0.000	.105857	.257607

 $tau_cl = .2066338450326839$ and $tau_bc = .1817317764098334$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14882	.03094	4.8102	0.000	.08818	.209453
Bias-corrected	.12875	.03094	4.1615	0.000	.06811	.189384
Robust	.12875	.03899	3.3020	0.001	.052326	.205168

 $tau_cl = .1488166702570197$ and $tau_bc = .1287468364098459$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16052	.03066	5.2357	0.000	.100431	.220612
Bias-corrected	.2043	.03066	6.6635	0.000	.144206	.264387
Robust	.2043	.03845	5.3130	0.000	.128932	.279661

 $tau_cl = .1605219796165329$ and $tau_bc = .2042963551257344$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22226	.03067	7.2458	0.000	.162137	.282376
Bias-corrected	.24256	.03067	7.9079	0.000	.182444	.302683
Robust	.24256	.0387	6.2683	0.000	.166718	.318408

 $tau_cl = .2222563456844$ and $tau_bc = .2425633491002372$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22497	.03068	7.3320	0.000	.164829	.285104
Bias-corrected	.21322	.03068	6.9490	0.000	.153078	.273353
Robust	.21322	.03882	5.4925	0.000	.137131	.289301

 $tau_cl = .2249667572100407$ and $tau_bc = .213215707357449$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.12153	.03091	3.9318	0.000	.060949	.182115
Bias-corrected	.12439	.03091	4.0242	0.000	.063807	.184973
Robust	.12439	.03908	3.1831	0.001	.047799	.200982

 $tau_cl = .1215317749820315$ and $tau_bc = .1243903232229968$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19178	.03104	6.1787	0.000	.130946	.252618
Bias-corrected	.17284	.03104	5.5684	0.000	.112003	.233676
Robust	.17284	.03919	4.4101	0.000	.096025	.249654

 $tau_cl = .1917820340122489$ and $tau_bc = .1728393821636018$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21989	.03057	7.1920	0.000	.159962	.279809
Bias-corrected	.20043	.03057	6.5556	0.000	.140507	.260355
Robust	.20043	.03842	5.2169	0.000	.12513	.275732

 $tau_cl = .2198856895624886$ and $tau_bc = .2004309973422096$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19872	.03086	6.4397	0.000	.138237	.2592
Bias-corrected	.22362	.03086	7.2466	0.000	.163138	.284101
Robust	.22362	.03889	5.7497	0.000	.147392	.299848

 $tau_cl = .1987180631149386$ and $tau_bc = .2236199418211982$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20694	.0312	6.6335	0.000	.1458	.268089
Bias-corrected	.23333	.0312	7.4793	0.000	.172184	.294473
Robust	.23333	.03934	5.9312	0.000	.156226	.310432

 $tau_cl = .2069442719657673$ and $tau_bc = .233328629693915$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13212	.03122	4.2319	0.000	.070928	.193304
Bias-corrected	.11942	.03122	3.8252	0.000	.058231	.180607
Robust	.11942	.03948	3.0249	0.002	.042042	.196796

 $tau_cl = .1321158201103572$ and $tau_bc = .1194187607602544$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18211	.03083	5.9066	0.000	.121679	.242532
Bias-corrected	.19257	.03083	6.2462	0.000	.132148	.253001
Robust	.19257	.03879	4.9646	0.000	.116548	.268601

 $tau_cl = .1821054892698157$ and $tau_bc = .1925744986519931$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20155	.03106	6.4900	0.000	.14068	.262413
Bias-corrected	.22034	.03106	7.0952	0.000	.159474	.281207
Robust	.22034	.03922	5.6184	0.000	.143476	.297205

 $tau_cl = .2015466836146516$ and $tau_bc = .220340305544596$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1796	.03089	5.8137	0.000	.119054	.240153
Bias-corrected	.1578	.03089	5.1079	0.000	.097251	.21835
Robust	.1578	.03883	4.0639	0.000	.081695	.233906

 $tau_cl = .1796036817627282$ and $tau_bc = .1578004955636061$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21177	.03069	6.8999	0.000	.151617	.271929
Bias-corrected	.20548	.03069	6.6949	0.000	.145325	.265637
Robust	.20548	.03857	5.3279	0.000	.129891	.281072

 $tau_cl = .2117731221114809$ and $tau_bc = .2054811648731629$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	-	75784
Number of obs	41656	34128	BW type Kernel	=	Manual Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19063	.03068	6.2127	0.000	.130489	.250767
Bias-corrected	.16469	.03068	5.3672	0.000	.104548	.224826
Robust	.16469	.03862	4.2641	0.000	.088989	.240385

 $tau_cl = .1906280194730243$ and $tau_bc = .1646870158265301$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20559	.03104	6.6222	0.000	.144739	.266433
Bias-corrected	.20372	.03104	6.5621	0.000	.142873	.264567
Robust	.20372	.03906	5.2152	0.000	.127159	.280281

 $tau_cl = .2055859051852167$ and $tau_bc = .2037201136222393$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15319	.03056	5.0129	0.000	.093293	.213082
Bias-corrected	.16727	.03056	5.4738	0.000	.10738	.227168
Robust	.16727	.0385	4.3443	0.000	.091808	.24274

 $tau_cl = .1531877203419754$ and $tau_bc = .167273824714357$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19233	.03064	6.2774	0.000	.13228	.25238
Bias-corrected	.22959	.03064	7.4935	0.000	.169538	.289638
Robust	.22959	.03869	5.9334	0.000	.153748	.305428

 $tau_cl = .1923299492709702$ and $tau_bc = .2295882004696068$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16278	.03079	5.2867	0.000	.102434	.223132
Bias-corrected	.16111	.03079	5.2322	0.000	.100756	.221455
Robust	.16111	.03871	4.1621	0.000	.08524	.236971

 $tau_cl = .1627830851293766$ and $tau_bc = .1611054712629993$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	. Interval]
Conventional	.13922	.03085	4.5123	0.000	.078747	.19969
Bias-corrected	.11589	.03085	3.7560	0.000	.055414	.176356
Robust	.11589	.03897	2.9733	0.003	.039496	.192274

 $tau_cl = .1392188292356877$ and $tau_bc = .1158850142005576$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22026	.03066	7.1851	0.000	.160179	.280347
Bias-corrected	.18094	.03066	5.9022	0.000	.120853	.24102
Robust	.18094	.03863	4.6838	0.000	.105223	.25665

 $tau_cl = .2202632534281292$ and $tau_bc = .180936476928764$

75784		Number of obs	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5 0.500	0.500	Order bias (q) BW est. (h)
			0.500 1.000	0.500	BW bias (b)

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21554	.03058	7.0477	0.000	.155597	.27548
Bias-corrected	.20975	.03058	6.8584	0.000	.149808	.269691
Robust	.20975	.03842	5.4587	0.000	.134438	.285061

 $tau_cl = .2155385790101718$ and $tau_bc = .2097495123148292$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.12395	.03073	4.0333	0.000	.063717	.184185
Bias-corrected	.13469	.03073	4.3828	0.000	.07446	.194928
Robust	.13469	.03867	3.4835	0.000	.05891	.210477

 $tau_cl = .1239511751773534$ and $tau_bc = .1346938172655427$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18477	.03036	6.0864	0.000	.125271	.244274
Bias-corrected	.19538	.03036	6.4359	0.000	.135883	.254886
Robust	.19538	.03814	5.1229	0.000	.120632	.270136

 $tau_cl = .1847727423673859$ and $tau_bc = .1953842212360541$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18577	.03128	5.9393	0.000	.124466	.247073
Bias-corrected	.1533	.03128	4.9012	0.000	.091997	.214604
Robust	.1533	.03959	3.8723	0.000	.075708	.230893

 $tau_cl = .1857695768017038$ and $tau_bc = .1533001853945279$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.24372	.03066	7.9491	0.000	.183626	.303811
Bias-corrected	.24115	.03066	7.8652	0.000	.181053	.301238
Robust	.24115	.03871	6.2299	0.000	.16528	.317012

 $tau_cl = .2437186506549551$ and $tau_bc = .2411459491286223$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18737	.03092	6.0593	0.000	.126764	.247981
Bias-corrected	.1948	.03092	6.2995	0.000	.134192	.255409
Robust	.1948	.03908	4.9851	0.000	.118212	.27139

 $tau_cl = .187372144002893$ and $tau_bc = .1948008435347219$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14854	.03072	4.8359	0.000	.088339	.208748
Bias-corrected	.18224	.03072	5.9328	0.000	.122033	.242441
Robust	.18224	.03861	4.7195	0.000	.106555	.257919

 $tau_cl = .1485436693187694$ and $tau_bc = .1822367380273135$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22352	.03085	7.2442	0.000	.163044	.283992
Bias-corrected	.25203	.03085	8.1683	0.000	.191557	.312506
Robust	.25203	.0389	6.4786	0.000	.175785	.328278

 $tau_cl = .2235180416118965$ and $tau_bc = .2520316948898653$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20829	.03047	6.8367	0.000	.148575	.268
Bias-corrected	.20401	.03047	6.6965	0.000	.144302	.263726
Robust	.20401	.03841	5.3122	0.000	.128741	.279287

 $tau_cl = .208287641712559$ and $tau_bc = .2040142906776055$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17832	.03095	5.7610	0.000	.117655	.238989
Bias-corrected	.14547	.03095	4.6997	0.000	.084803	.206137
Robust	.14547	.03908	3.7222	0.000	.068872	.222068

 $tau_cl = .1783222179551558$ and $tau_bc = .1454696349801452$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.16608	.0308	5.3919	0.000	.105711	.226455
Bias-corrected	.20076	.0308	6.5176	0.000	.140387	.261131
Robust	.20076	.03874	5.1829	0.000	.12484	.276678

 $tau_cl = .166083264480676$ and $tau_bc = .2007589139961965$

Sharp RD estimates using local polynomial regression.

ft of c	Right of ${f c}$			75784
11656	3/129	2 1		Manual Uniform
41656	34128	VCE method	=	NN
4	4			
5	5			
0.500	0.500			
	0.500			
	41656 41656 4 5	41656 34128 4 4 5 5 0.500 0.500 0.500 0.500	BW type 41656 34128 Kernel 41656 34128 VCE method 4 4 5 5 0.500 0.500 0.500 0.500	BW type = 41656 34128 Kernel = 41656 34128 VCE method = 4 4 5 5 5 5 0.500 0.500 0.500

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20548	.03042	6.7554	0.000	.145864	.265098
Bias-corrected	.217	.03042	7.1339	0.000	.157379	.276613
Robust	.217	.03834	5.6602	0.000	.141856	.292136

 $tau_cl = .2054807177455586$ and $tau_bc = .2169959744637708$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20755	.03125	6.6413	0.000	.1463	.268805
Bias-corrected	.19745	.03125	6.3182	0.000	.136201	.258705
Robust	.19745	.03952	4.9966	0.000	.12	.274906

 $tau_cl = .2075525729796937$ and $tau_bc = .1974532513813756$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20957	.03079	6.8053	0.000	.149211	.269925
Bias-corrected	.18501	.03079	6.0077	0.000	.124649	.245363
Robust	.18501	.03878	4.7713	0.000	.109009	.261004

 $tau_cl = .20956835685638$ and $tau_bc = .185006210989286$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15911	.03079	5.1685	0.000	.098776	.219453
Bias-corrected	.17202	.03079	5.5878	0.000	.111686	.232363
Robust	.17202	.03887	4.4255	0.000	.095838	.248211

 $tau_cl = .1591144502963289$ and $tau_bc = .1720246728718848$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1292	.03082	4.1928	0.000	.068807	.189603
Bias-corrected	.07568	.03082	2.4558	0.014	.015278	.136075
Robust	.07568	.03887	1.9471	0.052	000501	.151854

 $tau_cl = .1292049133926412$ and $tau_bc = .0756763667845917$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16957	.03081	5.5031	0.000	.109179	.229967
Bias-corrected	.13201	.03081	4.2839	0.000	.071611	.1924
Robust	.13201	.03881	3.4013	0.001	.055939	.208072

 $tau_cl = .1695731667309701$ and $tau_bc = .1320054403472568$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17818	.0312	5.7106	0.000	.117029	.239339
Bias-corrected	.20312	.0312	6.5099	0.000	.141967	.264277
Robust	.20312	.03932	5.1657	0.000	.126054	.28019

 $tau_cl = .1781843233361542$ and $tau_bc = .2031219382920426$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17554	.03035	5.7830	0.000	.116049	.235038
Bias-corrected	.15665	.03035	5.1606	0.000	.097155	.216144
Robust	.15665	.0382	4.1012	0.000	.081787	.231513

 $tau_cl = .1755439097728413$ and $tau_bc = .1566499230516456$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.26316	.03072	8.5664	0.000	.20295	.32337
Bias-corrected	.28267	.03072	9.2014	0.000	.222456	.342876
Robust	.28267	.03855	7.3326	0.000	.207111	.358222

 $tau_cl = .2631601591097024$ and $tau_bc = .2826663000032568$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15972	.03049	5.2381	0.000	.099959	.219487
Bias-corrected	.14208	.03049	4.6596	0.000	.082318	.201846
Robust	.14208	.0382	3.7190	0.000	.067203	.216961

 $tau_cl = .1597232183307824$ and $tau_bc = .1420820195235137$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.25443	.03086	8.2460	0.000	.193956	.314907
Bias-corrected	.28689	.03086	9.2980	0.000	.226416	.347367
Robust	.28689	.039	7.3567	0.000	.210458	.363325

 $tau_cl = .2544314879664853$ and $tau_bc = .2868916047837047$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.12578	.03112	4.0422	0.000	.064795	.186775
Bias-corrected	.1196	.03112	3.8434	0.000	.058609	.180589
Robust	.1196	.03932	3.0417	0.002	.042533	.196666

 $tau_cl = .125784804371051$ and $tau_bc = .1195993810406435$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17264	.03064	5.6350	0.000	.112589	.232683
Bias-corrected	.1426	.03064	4.6545	0.000	.082551	.202644
Robust	.1426	.03859	3.6956	0.000	.066971	.218223

 $tau_cl = .1726358973005517$ and $tau_bc = .1425972302358787$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1339	.0308	4.3473	0.000	.073531	.194265
Bias-corrected	.14606	.0308	4.7421	0.000	.08569	.206423
Robust	.14606	.03895	3.7501	0.000	.069722	.222391

 $tau_cl = .1338979118713723$ and $tau_bc = .1460565371085067$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.23386	.03091	7.5647	0.000	.17327	.294454
Bias-corrected	.2213	.03091	7.1584	0.000	.160709	.281894
Robust	.2213	.03898	5.6770	0.000	.144899	.297704

 $tau_cl = .2338615873295566$ and $tau_bc = .2213015244064991$

Sharp RD estimates using local polynomial regression.

75784		Number of ob	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17322	.03114	5.5632	0.000	.112196	.234252
Bias-corrected	.19922	.03114	6.3980	0.000	.13819	.260247
Robust	.19922	.03936	5.0615	0.000	.122075	.276362

 $tau_cl = .1732238934473571$ and $tau_bc = .1992184757846189$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	=	75784 Manual
Number of obs	41656 41656	34128 34128	BW type Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	4 5	4 5	ven meenou		
BW est. (h) BW bias (b) rho (h/b)	0.500 0.500 1.000	0.500 0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21995	.03075	7.1541	0.000	.159695	.280213
Bias-corrected	.21081	.03075	6.8566	0.000	.150547	.271065
Robust	.21081	.0387	5.4474	0.000	.134958	.286654

 $tau_cl = .2199539806279063$ and $tau_bc = .2108060102191303$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1589	.03057	5.1981	0.000	.098984	.21881
Bias-corrected	.16284	.03057	5.3271	0.000	.102928	.222754
Robust	.16284	.03841	4.2401	0.000	.087569	.238114

 $tau_cl = .1588971506398593$ and $tau_bc = .1628413989947148$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.15891	.03064	5.1873	0.000	.09887	.218959
Bias-corrected	.18609	.03064	6.0744	0.000	.126048	.246137
Robust	.18609	.03857	4.8249	0.000	.110499	.261687

 $tau_cl = .1589146813566913$ and $tau_bc = .186092973248833$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14126	.03102	4.5544	0.000	.080469	.202052
Bias-corrected	.15242	.03102	4.9140	0.000	.091624	.213207
Robust	.15242	.03921	3.8867	0.000	.075555	.229275

 $tau_cl = .1412606726307786$ and $tau_bc = .1524152466872692$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18345	.03076	5.9644	0.000	.123166	.243733
Bias-corrected	.2093	.03076	6.8050	0.000	.149021	.269588
Robust	.2093	.03882	5.3910	0.000	.13321	.2854

 $tau_cl = .1834491257832269$ and $tau_bc = .2093048220749552$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16699	.03092	5.4000	0.000	.106382	.227605
Bias-corrected	.12771	.03092	4.1297	0.000	.067099	.188322
Robust	.12771	.0389	3.2827	0.001	.05146	.203962

 $tau_cl = .166993529753654$ and $tau_bc = .1277107079690722$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.2203	.03121	7.0597	0.000	.15914	.281465
Bias-corrected	.20209	.03121	6.4760	0.000	.140928	.263253
Robust	.20209	.0395	5.1158	0.000	.124666	.279515

 $tau_cl = .2203024924847341$ and $tau_bc = .2020904718142447$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17727	.03064	5.7854	0.000	.117216	.237328
Bias-corrected	.18202	.03064	5.9403	0.000	.121962	.242074
Robust	.18202	.03869	4.7041	0.000	.10618	.257856

 $tau_cl = .1772723189051248$ and $tau_bc = .1820183208760682$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	. Interval]
Conventional	.18349	.03088	5.9423	0.000	.122968	.244011
Bias-corrected	.16709	.03088	5.4113	0.000	.106572	.227615
Robust	.16709	.0389	4.2959	0.000	.090858	.243329

 $tau_cl = .1834894470821382$ and $tau_bc = .1670935374663713$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	=	75784 Manual
Number of obs	41656 41656	34128 34128	BW type Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	4 5	4 5	ven meenou		
BW est. (h) BW bias (b) rho (h/b)	0.500 0.500 1.000	0.500 0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22541	.03073	7.3341	0.000	.16517	.285646
Bias-corrected	.21888	.03073	7.1218	0.000	.158643	.279119
Robust	.21888	.03874	5.6505	0.000	.14296	.294803

 $tau_cl = .2254083086045284$ and $tau_bc = .2188812631575274$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	1.011.01	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20544	.03067	6.6982	0.000	.145324	.265551
Bias-corrected	.23364	.03067	7.6175	0.000	.173522	.293749
Robust	.23364	.03859	6.0539	0.000	.157995	.309275

 $tau_cl = .2054371709909901$ and $tau_bc = .2336351499006923$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18937	.0307	6.1678	0.000	.12919	.249541
Bias-corrected	.23897	.0307	7.7834	0.000	.178792	.299143
Robust	.23897	.03861	6.1891	0.000	.163292	.314644

 $tau_cl = .1893659089555513$ and $tau_bc = .2389679257471471$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19563	.03118	6.2740	0.000	.134519	.256749
Bias-corrected	.19914	.03118	6.3864	0.000	.138022	.260252
Robust	.19914	.03935	5.0608	0.000	.122015	.27626

 $tau_cl = .1956340001697754$ and $tau_bc = .1991372911120379$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.25227	.03094	8.1532	0.000	.191626	.312914
Bias-corrected	.24971	.03094	8.0704	0.000	.189064	.310352
Robust	.24971	.03913	6.3807	0.000	.173005	.326411

 $tau_cl = .252270405825584$ and $tau_bc = .249708015489432$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16448	.03086	5.3301	0.000	.104	.224965
Bias-corrected	.12055	.03086	3.9065	0.000	.060068	.181033
Robust	.12055	.03896	3.0945	0.002	.044198	.196903

 $tau_cl = .1644822691255285$ and $tau_bc = .1205505870443631$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	=	75784 Manual
Number of obs	41656 41656	34128 34128	BW type Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	4 5	4 5	ven meenou		
BW est. (h) BW bias (b) rho (h/b)	0.500 0.500 1.000	0.500 0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1783	.03057	5.8321	0.000	.118379	.23822
Bias-corrected	.21992	.03057	7.1934	0.000	.159999	.27984
Robust	.21992	.03844	5.7211	0.000	.144579	.29526

 $tau_cl = .1782995731791743$ and $tau_bc = .2199191481649905$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	-	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17166	.03074	5.5839	0.000	.111407	.231912
Bias-corrected	.11972	.03074	3.8945	0.000	.05947	.179975
Robust	.11972	.03863	3.0994	0.002	.044015	.19543

 $tau_cl = .1716592460470565$ and $tau_bc = .1197225915029776$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1659	.03148	5.2695	0.000	.104197	.227613
Bias-corrected	.16591	.03148	5.2696	0.000	.1042	.227615
Robust	.16591	.03987	4.1614	0.000	.087767	.244048

 $tau_cl = .1659049505456096$ and $tau_bc = .1659073202745276$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17278	.03099	5.5746	0.000	.112033	.233528
Bias-corrected	.17152	.03099	5.5339	0.000	.110771	.232266
Robust	.17152	.03898	4.4001	0.000	.095118	.247919

 $tau_cl = .1727804479537554$ and $tau_bc = .1715186395049386$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of ${f c}$	Number of ob	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.22151	.0312	7.0989	0.000	.160352	.282668
Bias-corrected	.22599	.0312	7.2425	0.000	.164835	.28715
Robust	.22599	.0394	5.7364	0.000	.148777	.303208

 $tau_cl = .2215103675334831$ and $tau_bc = .2259924756931468$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21342	.03078	6.9346	0.000	.153102	.273743
Bias-corrected	.24317	.03078	7.9013	0.000	.182852	.303492
Robust	.24317	.0389	6.2507	0.000	.166924	.31942

 $tau_cl = .2134226213447619$ and $tau_bc = .2431719284072642$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14395	.03069	4.6906	0.000	.083798	.204094
Bias-corrected	.1564	.03069	5.0965	0.000	.096255	.216551
Robust	.1564	.03866	4.0458	0.000	.080634	.232172

 $tau_cl = .1439461544869118$ and $tau_bc = .156403271148065$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17864	.03049	5.8579	0.000	.118867	.238404
Bias-corrected	.23029	.03049	7.5518	0.000	.170522	.290059
Robust	.23029	.03839	5.9990	0.000	.155052	.30553

 $tau_cl = .1786357380224217$ and $tau_bc = .2302907612720446$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17418	.03092	5.6332	0.000	.11358	.234788
Bias-corrected	.19798	.03092	6.4027	0.000	.137373	.258581
Robust	.19798	.03896	5.0813	0.000	.121613	.27434

 $tau_cl = .1741836249311746$ and $tau_bc = .1979765972387213$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1683	.0311	5.4123	0.000	.107356	.229253
Bias-corrected	.15819	.0311	5.0871	0.000	.097244	.21914
Robust	.15819	.03918	4.0378	0.000	.081404	.23498

 $tau_cl = .1683047033425282$ and $tau_bc = .1581920637618168$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14943	.03084	4.8449	0.000	.088978	.209874
Bias-corrected	.1727	.03084	5.5994	0.000	.112247	.233144
Robust	.1727	.03891	4.4378	0.000	.096425	.248967

 $tau_cl = .1494260505082821$ and $tau_bc = .1726958525318878$

Sharp RD estimates using local polynomial regression.

75784		Number of ob	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20274	.03088	6.5644	0.000	.142207	.263272
Bias-corrected	.17672	.03088	5.7220	0.000	.116188	.237253
Robust	.17672	.03898	4.5341	0.000	.100329	.253113

 $tau_cl = .202739490856402$ and $tau_bc = .1767206151807841$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13233	.03111	4.2541	0.000	.071362	.193298
Bias-corrected	.12606	.03111	4.0524	0.000	.06509	.187026
Robust	.12606	.03946	3.1945	0.001	.048717	.203399

 $tau_cl = .1323304118413944$ and $tau_bc = .1260578210421954$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21044	.03082	6.8274	0.000	.15003	.270854
Bias-corrected	.20853	.03082	6.7655	0.000	.148122	.268946
Robust	.20853	.03886	5.3663	0.000	.13237	.284698

 $tau_cl = .2104423690780095$ and $tau_bc = .2085340657772576$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15212	.03083	4.9345	0.000	.091701	.212547
Bias-corrected	.16523	.03083	5.3597	0.000	.104809	.225654
Robust	.16523	.03893	4.2447	0.000	.088937	.241526

 $tau_cl = .1521237185916107$ and $tau_bc = .1652316074932969$

Cutoff c = .5	Left of c	Right of c	Number of obs BW type	=	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	41030	4	VCE Method	_	MN
BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14746	.03106	4.7484	0.000	.086594	.208328
Bias-corrected	.14219	.03106	4.5787	0.000	.081324	.203058
Robust	.14219	.03929	3.6189	0.000	.065181	.219201

 $tau_cl = .1474610216791916$ and $tau_bc = .1421911601828469$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	-	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.12524	.03085	4.0598	0.000	.064777	.185698
Bias-corrected	.12984	.03085	4.2090	0.000	.069377	.190298
Robust	.12984	.03902	3.3271	0.001	.053351	.206324

 $tau_cl = .1252375864260102$ and $tau_bc = .1298375499241047$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	=	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22505	.03115	7.2236	0.000	.163986	.286109
Bias-corrected	.21635	.03115	6.9445	0.000	.15529	.277414
Robust	.21635	.03926	5.5113	0.000	.139411	.293292

 $tau_cl = .225047393503246$ and $tau_bc = .2163517611793395$

Cutoff c = .5	Left of c	Right of c	Number of obs	=	75784 Manual
Manuals and a Complete	41.65.6	24100	BW type	_	Uniform
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.2068	.03083	6.7082	0.000	.146379	.267222
Bias-corrected	.21177	.03083	6.8693	0.000	.151345	.272189
Robust	.21177	.03896	5.4349	0.000	.135398	.288135

 $tau_cl = .2068005353953595$ and $tau_bc = .2117669655922327$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	= =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16737	.03092	5.4136	0.000	.106776	.227969
Bias-corrected	.09896	.03092	3.2007	0.001	.038359	.159552
Robust	.09896	.03883	2.5485	0.011	.022852	.17506

 $tau_cl = .1673722631221608$ and $tau_bc = .0989558459846194$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of c	Number of ok	os =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.19206	.03101	6.1934	0.000	.13128	.252839
Bias-corrected	.20964	.03101	6.7603	0.000	.148859	.270418
Robust	.20964	.03922	5.3445	0.000	.132759	.286517

 $tau_cl = .1920596484383168$ and $tau_bc = .2096383647053699$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.2263	.03079	7.3497	0.000	.165951	.286647
Bias-corrected	.2321	.03079	7.5380	0.000	.171749	.292444
Robust	.2321	.03882	5.9782	0.000	.156003	.30819

 $tau_cl = .2262989819755603$ and $tau_bc = .2320964222949442$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18784	.03057	6.1449	0.000	.127928	.247756
Bias-corrected	.20181	.03057	6.6018	0.000	.141898	.261726
Robust	.20181	.03851	5.2401	0.000	.126328	.277295

 $tau_cl = .1878424093183639$ and $tau_bc = .2018116594445019$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19224	.0309	6.2217	0.000	.131679	.252795
Bias-corrected	.21175	.0309	6.8532	0.000	.151189	.272306
Robust	.21175	.03894	5.4377	0.000	.135425	.28807

 $tau_cl = .1922368710952469$ and $tau_bc = .2117472060967884$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	. Interval]
Conventional	.18558	.03098	5.9907	0.000	.124866	.2463
Bias-corrected	.17135	.03098	5.5314	0.000	.110638	.232072
Robust	.17135	.03897	4.3966	0.000	.094967	.247743

 $tau_cl = .1855831778907486$ and $tau_bc = .1713547376311908$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20354	.03106	6.5539	0.000	.14267	.264407
Bias-corrected	.20012	.03106	6.4437	0.000	.139247	.260984
Robust	.20012	.0392	5.1049	0.000	.123284	.276947

 $tau_cl = .2035382718672736$ and $tau_bc = .200115390776773$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19759	.03095	6.3838	0.000	.136923	.258251
Bias-corrected	.22932	.03095	7.4090	0.000	.168656	.289984
Robust	.22932	.0391	5.8647	0.000	.152682	.305957

 $tau_cl = .1975869029902242$ and $tau_bc = .2293198385868891$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18069	.03079	5.8685	0.000	.120344	.241039
Bias-corrected	.17656	.03079	5.7345	0.000	.116217	.236911
Robust	.17656	.03864	4.5696	0.000	.100833	.252295

 $tau_cl = .1806914953695014$ and $tau_bc = .1765638836313883$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of obs	= =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20266	.03136	6.4615	0.000	.141186	.264131
Bias-corrected	.20501	.03136	6.5366	0.000	.143541	.266485
Robust	.20501	.03964	5.1719	0.000	.127321	.282706

 $tau_cl = .202658396937295$ and $tau_bc = .2050131059349951$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16741	.03109	5.3853	0.000	.106481	.228335
Bias-corrected	.21216	.03109	6.8251	0.000	.151236	.273091
Robust	.21216	.03915	5.4190	0.000	.135428	.288899

 $tau_cl = .1674080124689681$ and $tau_bc = .2121636424617463$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20324	.03075	6.6106	0.000	.142984	.263502
Bias-corrected	.18694	.03075	6.0805	0.000	.126685	.247204
Robust	.18694	.03866	4.8351	0.000	.111165	.262724

 $tau_cl = .2032431397446999$ and $tau_bc = .1869444404155729$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	-	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	, Z	P> z	[95% Conf.	Interval]
Conventional	.23843	.031	7.6906	0.000	.177665	.299194
Bias-corrected	.23264	.031	7.5038	0.000	.171873	.293402
Robust	.23264	.03905	5.9575	0.000	.156102	.309173

 $tau_cl = .2384296578702561$ and $tau_bc = .2326377432873414$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15218	.03084	4.9348	0.000	.091739	.212623
Bias-corrected	.15538	.03084	5.0386	0.000	.094941	.215825
Robust	.15538	.03877	4.0080	0.000	.079398	.231368

 $tau_cl = .152180757311271$ and $tau_bc = .1553831535225072$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17544	.03078	5.6999	0.000	.115116	.235772
Bias-corrected	.19778	.03078	6.4255	0.000	.137449	.258105
Robust	.19778	.03877	5.1016	0.000	.121795	.27376

 $tau_cl = .1754439993997039$ and $tau_bc = .1977771623510307$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13158	.0306	4.3002	0.000	.071611	.191557
Bias-corrected	.12397	.0306	4.0513	0.000	.063992	.183939
Robust	.12397	.03836	3.2313	0.001	.048774	.199156

 $tau_cl = .1315839725357364$ and $tau_bc = .1239653603129227$

Sharp RD estimates using local polynomial regression.

ft of c	Right of ${f c}$			75784
11656	3/129	2 1		Manual Uniform
41656	34128	VCE method	=	NN
4	4			
5	5			
0.500	0.500			
	0.500			
	41656 41656 4 5	41656 34128 4 4 5 5 0.500 0.500 0.500 0.500	BW type 41656 34128 Kernel 41656 34128 VCE method 4 4 5 5 0.500 0.500 0.500 0.500	BW type = 41656 34128 Kernel = 41656 34128 VCE method = 4 4 5 5 5 5 0.500 0.500 0.500

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18987	.03097	6.1314	0.000	.129176	.250565
Bias-corrected	.2067	.03097	6.6748	0.000	.146003	.267392
Robust	.2067	.03903	5.2954	0.000	.130193	.283202

 $tau_cl = .1898708140279268$ and $tau_bc = .2066976359392356$

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20079	.03084	6.5112	0.000	.140347	.261227
Bias-corrected	.20766	.03084	6.7339	0.000	.147216	.268096
Robust	.20766	.03903	5.3211	0.000	.131168	.284144

 $tau_cl = .2007868546211284$ and $tau_bc = .2076560096820685$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21523	.03039	7.0830	0.000	.155673	.274788
Bias-corrected	.22416	.03039	7.3769	0.000	.164604	.283719
Robust	.22416	.03818	5.8705	0.000	.149321	.299001

 $tau_cl = .2152304082169394$ and $tau_bc = .2241613120536385$

Sharp RD estimates using local polynomial regression.

75784		Number of ob	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17932	.03065	5.8505	0.000	.119247	.239395
Bias-corrected	.20109	.03065	6.5606	0.000	.141012	.261159
Robust	.20109	.03869	5.1972	0.000	.125253	.276918

 $tau_cl = .1793210183291194$ and $tau_bc = .2010857204290915$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18256	.0307	5.9457	0.000	.122381	.24274
Bias-corrected	.1733	.0307	5.6440	0.000	.113117	.233477
Robust	.1733	.03869	4.4790	0.000	.097464	.24913

 $tau_cl = .1825605582475873$ and $tau_bc = .1732968878977772$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	-	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15402	.03092	4.9809	0.000	.093412	.214623
Bias-corrected	.16559	.03092	5.3550	0.000	.10498	.226191
Robust	.16559	.03898	4.2477	0.000	.089181	.241989

 $tau_cl = .1540179101984904$ and $tau_bc = .1655851556397465$

Sharp RD estimates using local polynomial regression.

75784		Number of ob	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22419	.03091	7.2533	0.000	.163608	.284766
Bias-corrected	.25241	.03091	8.1665	0.000	.191834	.312992
Robust	.25241	.0391	6.4563	0.000	.175787	.329039

 $tau_cl = .2241872866652557$ and $tau_bc = .2524129354446814$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19621	.03094	6.3416	0.000	.135565	.256847
Bias-corrected	.16378	.03094	5.2934	0.000	.103136	.224417
Robust	.16378	.03909	4.1892	0.000	.087152	.240401

 $tau_cl = .1962060649416344$ and $tau_bc = .1637765439140821$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18843	.03099	6.0808	0.000	.127696	.249167
Bias-corrected	.17205	.03099	5.5522	0.000	.111318	.232789
Robust	.17205	.03912	4.3985	0.000	.095386	.24872

 $tau_cl = .1884317480025857$ and $tau_bc = .17205306067126$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18947	.03087	6.1369	0.000	.128955	.249977
Bias-corrected	.15735	.03087	5.0967	0.000	.096841	.217863
Robust	.15735	.03879	4.0561	0.000	.081318	.233386

 $tau_cl = .1894663000784931$ and $tau_bc = .1573519851972378$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20802	.03056	6.8062	0.000	.148114	.267918
Bias-corrected	.20402	.03056	6.6754	0.000	.144117	.263921
Robust	.20402	.03842	5.3107	0.000	.128724	.279314

 $tau_cl = .2080160652690211$ and $tau_bc = .2040190184920903$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20169	.03083	6.5426	0.000	.141269	.262109
Bias-corrected	.1899	.03083	6.1601	0.000	.129478	.250318
Robust	.1899	.03894	4.8764	0.000	.113573	.266224

 $tau_cl = .2016889269871172$ and $tau_bc = .1898981247823031$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.25572	.03087	8.2827	0.000	.195211	.316237
Bias-corrected	.25311	.03087	8.1979	0.000	.192593	.313618
Robust	.25311	.03895	6.4985	0.000	.176768	.329443

 $tau_cl = .2557239740267505$ and $tau_bc = .2531052400590852$

Number of obs = 75 BW type = Man	Right of ${f c}$	Left of c	Cutoff $c = .5$
BW type = Man Kernel = Unif	34128	41656	Number of obs
VCE method =	34128	41656	Eff. Number of obs
	4 5	4 5	Order est. (p) Order bias (q)
	0.500	0.500	BW est. (h)
	0.500 1.000	0.500 1.000	BW bias (b) rho (h/b)

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1921	.03091	6.2145	0.000	.131512	.252681
Bias-corrected	.18832	.03091	6.0925	0.000	.12774	.248909
Robust	.18832	.03901	4.8279	0.000	.111871	.264778

 $tau_cl = .192096685206252$ and $tau_bc = .1883244244127127$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.15875	.03152	5.0362	0.000	.096967	.22053
Bias-corrected	.17049	.03152	5.4086	0.000	.108708	.23227
Robust	.17049	.03992	4.2703	0.000	.092238	.24874

 $tau_cl = .1587486034163703$ and $tau_bc = .17048883962525$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18516	.03099	5.9741	0.000	.124411	.245902
Bias-corrected	.17747	.03099	5.7261	0.000	.116723	.238213
Robust	.17747	.03918	4.5292	0.000	.100671	.254265

 $tau_cl = .1851566008090231$ and $tau_bc = .1774676548675416$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14859	.03106	4.7835	0.000	.087708	.209471
Bias-corrected	.18183	.03106	5.8535	0.000	.120944	.242707
Robust	.18183	.03915	4.6438	0.000	.105085	.258566

 $tau_cl = .1485891989104857$ and $tau_bc = .1818257096133493$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.25741	.03069	8.3874	0.000	.197259	.317562
Bias-corrected	.24261	.03069	7.9050	0.000	.182454	.302757
Robust	.24261	.03873	6.2633	0.000	.166687	.318524

 $tau_cl = .2574105017247348$ and $tau_bc = .2426055070377515$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	. Interval]
Conventional	.14658	.03109	4.7153	0.000	.085654	.207514
Bias-corrected	.11479	.03109	3.6927	0.000	.053865	.175724
Robust	.11479	.03926	2.9243	0.003	.037854	.191735

 $tau_cl = .1465841702429316$ and $tau_bc = .1147947629292503$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13632	.03017	4.5177	0.000	.077178	.19546
Bias-corrected	.12472	.03017	4.1334	0.000	.065584	.183865
Robust	.12472	.03781	3.2990	0.001	.050625	.198824

 $tau_cl = .1363188793879999$ and $tau_bc = .1247243188868197$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18653	.03078	6.0612	0.000	.126215	.246851
Bias-corrected	.15286	.03078	4.9671	0.000	.092544	.21318
Robust	.15286	.03889	3.9304	0.000	.076635	.229088

 $tau_cl = .1865327832206276$ and $tau_bc = .1528615718066249$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17721	.03115	5.6883	0.000	.116152	.238274
Bias-corrected	.21347	.03115	6.8519	0.000	.152406	.274528
Robust	.21347	.03944	5.4128	0.000	.13617	.290763

 $tau_cl = .1772132321398203$ and $tau_bc = .2134666056999777$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20066	.03098	6.4770	0.000	.139941	.261385
Bias-corrected	.17229	.03098	5.5613	0.000	.111573	.233016
Robust	.17229	.039	4.4181	0.000	.095862	.248727

 $tau_cl = .2006627981277234$ and $tau_bc = .172294484262693$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18411	.03097	5.9442	0.000	.123403	.244815
Bias-corrected	.19587	.03097	6.3239	0.000	.135163	.256575
Robust	.19587	.03908	5.0124	0.000	.11928	.272458

 $tau_cl = .1841086154004188$ and $tau_bc = .195869234012207$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14347	.03084	4.6520	0.000	.083026	.203922
Bias-corrected	.16245	.03084	5.2673	0.000	.102003	.2229
Robust	.16245	.03888	4.1781	0.000	.086245	.238659

 $tau_cl = .1434737495128502$ and $tau_bc = .1624516431406846$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14621	.03118	4.6893	0.000	.0851	.207323
Bias-corrected	.13931	.03118	4.4679	0.000	.078197	.200421
Robust	.13931	.03946	3.5300	0.000	.061961	.216657

 $tau_cl = .1462116341795081$ and $tau_bc = .1393089901753228$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.23377	.03109	7.5196	0.000	.172841	.294705
Bias-corrected	.23463	.03109	7.5473	0.000	.1737	.295565
Robust	.23463	.03933	5.9661	0.000	.157552	.311713

 $tau_cl = .2337731139227799$ and $tau_bc = .2346326276169748$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.2052	.03136	6.5439	0.000	.14374	.26666
Bias-corrected	.24004	.03136	7.6550	0.000	.178584	.301503
Robust	.24004	.03957	6.0662	0.000	.162486	.317601

 $tau_cl = .2052000705011778$ and $tau_bc = .2400433429438635$

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of obs	; = -	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22764	.03117	7.3041	0.000	.166559	.28873
Bias-corrected	.25957	.03117	8.3284	0.000	.198486	.320657
Robust	.25957	.03924	6.6144	0.000	.182655	.336488

 $tau_cl = .2276444700328284$ and $tau_bc = .2595714538597349$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1784	.03099	5.7575	0.000	.117672	.239138
Bias-corrected	.18845	.03099	6.0817	0.000	.127718	.249184
Robust	.18845	.03905	4.8258	0.000	.111913	.264989

 $tau_cl = .1784048667982461$ and $tau_bc = .1884510239055999$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16285	.03111	5.2354	0.000	.101887	.223821
Bias-corrected	.23603	.03111	7.5880	0.000	.175067	.297001
Robust	.23603	.03921	6.0193	0.000	.159179	.312889

 $tau_cl = .1628540751244145$ and $tau_bc = .236034147304963$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	=	75784 Manual
Number of obs	41656 41656	34128 34128	BW type Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	4 5	4 5	ven meenou		
BW est. (h) BW bias (b) rho (h/b)	0.500 0.500 1.000	0.500 0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.11633	.03091	3.7630	0.000	.05574	.17692
Bias-corrected	.14747	.03091	4.7702	0.000	.086875	.208056
Robust	.14747	.0389	3.7911	0.000	.071228	.223703

 $tau_cl = .1163300030893879$ and $tau_bc = .1474654842609198$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16644	.0307	5.4220	0.000	.106274	.226604
Bias-corrected	.17773	.0307	5.7900	0.000	.117569	.237898
Robust	.17773	.03872	4.5899	0.000	.101839	.253628

 $tau_cl = .1664391641575094$ and $tau_bc = .1777334978678482$

Sharp RD estimates using local polynomial regression.

75784		Number of ob	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16916	.03065	5.5198	0.000	.109096	.229227
Bias-corrected	.20446	.03065	6.6717	0.000	.144398	.264529
Robust	.20446	.03855	5.3034	0.000	.1289	.280027

 $tau_cl = .169161310378513$ and $tau_bc = .2044635454631134$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20501	.031	6.6141	0.000	.14426	.265762
Bias-corrected	.2237	.031	7.2171	0.000	.162951	.284453
Robust	.2237	.03889	5.7519	0.000	.147475	.299929

 $tau_cl = .2050111836042561$ and $tau_bc = .2237018176892889$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19886	.03057	6.5048	0.000	.138941	.258778
Bias-corrected	.20057	.03057	6.5606	0.000	.140647	.260485
Robust	.20057	.03836	5.2286	0.000	.125383	.275749

 $tau_cl = .1988596219534884$ and $tau_bc = .2005660724989866$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17773	.03115	5.7066	0.000	.116691	.238779
Bias-corrected	.18911	.03115	6.0718	0.000	.128066	.250154
Robust	.18911	.03935	4.8060	0.000	.111988	.266233

 $tau_cl = .1777348915657058$ and $tau_bc = .1891102816953207$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ol		75784
Number of obs	41656	34128	BW type Kernel	=	Manual Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	. Interval]
Conventional	.11376	.03121	3.6454	0.000	.052595	.174921
Bias-corrected	.13824	.03121	4.4298	0.000	.077073	.199399
Robust	.13824	.0393	3.5174	0.000	.061209	.215263

 $tau_cl = .1137580901126967$ and $tau_bc = .138236089630027$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20814	.03096	6.7219	0.000	.147451	.26883
Bias-corrected	.19483	.03096	6.2922	0.000	.134145	.255524
Robust	.19483	.03919	4.9720	0.000	.118031	.271639

 $tau_cl = .2081404744553765$ and $tau_bc = .1948347289321646$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17271	.03086	5.5967	0.000	.11223	.233198
Bias-corrected	.16904	.03086	5.4776	0.000	.108553	.229521
Robust	.16904	.03886	4.3495	0.000	.092866	.245208

 $tau_cl = .1727138691926484$ and $tau_bc = .1690369884709071$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19014	.03051	6.2316	0.000	.13034	.249948
Bias-corrected	.19281	.03051	6.3190	0.000	.133007	.252615
Robust	.19281	.03846	5.0136	0.000	.117435	.268187

 $tau_cl = .1901441142981639$ and $tau_bc = .1928109595696696$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15314	.03084	4.9656	0.000	.092695	.213588
Bias-corrected	.13179	.03084	4.2731	0.000	.071339	.192233
Robust	.13179	.03888	3.3892	0.001	.055574	.207998

 $tau_cl = .1531411938267411$ and $tau_bc = .1317859678829336$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	. Interval]
Conventional	.23139	.03086	7.4968	0.000	.170892	.29188
Bias-corrected	.22498	.03086	7.2893	0.000	.164488	.285475
Robust	.22498	.03899	5.7705	0.000	.148566	.301397

 $tau_cl = .2313858561342386$ and $tau_bc = .2249813130838447$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14489	.03108	4.6613	0.000	.083968	.205813
Bias-corrected	.17983	.03108	5.7853	0.000	.118906	.240751
Robust	.17983	.03932	4.5730	0.000	.102755	.256902

 $tau_cl = .1448904953417696$ and $tau_bc = .1798283370740137$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1896	.03083	6.1501	0.000	.12918	.250029
Bias-corrected	.14925	.03083	4.8412	0.000	.088826	.209675
Robust	.14925	.03879	3.8477	0.000	.073223	.225278

 $tau_cl = .1896041939417046$ and $tau_bc = .1492504899042615$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1192	.03098	3.8476	0.000	.058477	.179914
Bias-corrected	.09919	.03098	3.2018	0.001	.038472	.159908
Robust	.09919	.03903	2.5411	0.011	.022686	.175694

 $tau_cl = .119195732339449$ and $tau_bc = .0991899469113378$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1803	.03111	5.7958	0.000	.119326	.241267
Bias-corrected	.17074	.03111	5.4886	0.000	.10977	.231711
Robust	.17074	.03925	4.3497	0.000	.093806	.247676

 $tau_cl = .1802965716369727$ and $tau_bc = .1707406280793293$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13214	.03105	4.2549	0.000	.071269	.193002
Bias-corrected	.10724	.03105	3.4532	0.001	.046371	.168104
Robust	.10724	.03917	2.7375	0.006	.030457	.184018

 $tau_cl = .1321357495580742$ and $tau_bc = .1072375687244858$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20965	.03098	6.7672	0.000	.148933	.270375
Bias-corrected	.20132	.03098	6.4983	0.000	.140599	.262041
Robust	.20132	.03904	5.1572	0.000	.12481	.277831

 $tau_cl = .2096537516172248$ and $tau_bc = .2013201540366936$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.23593	.03048	7.7395	0.000	.176184	.295679
Bias-corrected	.21113	.03048	6.9258	0.000	.15138	.270875
Robust	.21113	.03829	5.5135	0.000	.136075	.28618

 $tau_cl = .2359315933372272$ and $tau_bc = .2111273689779409$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15414	.03116	4.9471	0.000	.093074	.215215
Bias-corrected	.16309	.03116	5.2340	0.000	.102017	.224157
Robust	.16309	.03934	4.1458	0.000	.085986	.240187

 $tau_cl = .1541446340115726$ and $tau_bc = .163086673577709$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16621	.03089	5.3809	0.000	.105665	.226745
Bias-corrected	.18171	.03089	5.8829	0.000	.121171	.242251
Robust	.18171	.03888	4.6742	0.000	.105516	.257906

 $tau_cl = .1662052832180052$ and $tau_bc = .1817113292477188$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20648	.03062	6.7438	0.000	.146472	.266494
Bias-corrected	.21233	.03062	6.9347	0.000	.152318	.27234
Robust	.21233	.03855	5.5077	0.000	.13677	.287888

 $tau_cl = .20648336335762$ and $tau_bc = .2123290329973315$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	. Interval]
Conventional	.1113	.03104	3.5852	0.000	.050456	.172148
Bias-corrected	.10251	.03104	3.3020	0.001	.041662	.163354
Robust	.10251	.03916	2.6175	0.009	.025752	.179264

 $tau_cl = .111301708004703$ and $tau_bc = .1025082763649152$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18009	.03078	5.8502	0.000	.119757	.240426
Bias-corrected	.16795	.03078	5.4558	0.000	.107615	.228284
Robust	.16795	.0387	4.3402	0.000	.092106	.243793

 $tau_cl = .1800915023723064$ and $tau_bc = .1679495985717949$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18022	.03092	5.8291	0.000	.119622	.240815
Bias-corrected	.17599	.03092	5.6924	0.000	.115397	.23659
Robust	.17599	.03895	4.5183	0.000	.09965	.252337

 $tau_cl = .1802183779700499$ and $tau_bc = .1759931700080415$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.23459	.03086	7.6008	0.000	.174096	.295079
Bias-corrected	.19567	.03086	6.3399	0.000	.135182	.256164
Robust	.19567	.03884	5.0378	0.000	.119546	.2718

 $tau_cl = .2345879201106982$ and $tau_bc = .1956730006727412$

Sharp RD estimates using local polynomial regression.

75784		Number of ob	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20825	.03104	6.7091	0.000	.147416	.269093
Bias-corrected	.19295	.03104	6.2159	0.000	.132108	.253785
Robust	.19295	.03912	4.9325	0.000	.116277	.269616

 $tau_cl = .208254551164373$ and $tau_bc = .1929466308110932$

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of obs	; = -	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1799	.031	5.8035	0.000	.119146	.24066
Bias-corrected	.15083	.031	4.8658	0.000	.090077	.211591
Robust	.15083	.03912	3.8562	0.000	.07417	.227498

 $tau_cl = .1799026666567443$ and $tau_bc = .150834013461008$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.17592	.03059	5.7498	0.000	.11595	.23588
Bias-corrected	.1483	.03059	4.8472	0.000	.088336	.208266
Robust	.1483	.0385	3.8519	0.000	.072841	.223761

 $tau_cl = .1759154439778285$ and $tau_bc = .1483010484334955$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17953	.03089	5.8126	0.000	.118991	.240061
Bias-corrected	.14816	.03089	4.7971	0.000	.087625	.208695
Robust	.14816	.03898	3.8006	0.000	.071754	.224566

 $tau_cl = .1795257992098414$ and $tau_bc = .1481600093839006$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15023	.03026	4.9649	0.000	.090926	.209539
Bias-corrected	.17603	.03026	5.8176	0.000	.116728	.235342
Robust	.17603	.0381	4.6209	0.000	.10137	.2507

 $tau_cl = .1502325368946913$ and $tau_bc = .1760349641408538$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21468	.03085	6.9579	0.000	.15421	.275158
Bias-corrected	.19054	.03085	6.1755	0.000	.130071	.251019
Robust	.19054	.03893	4.8947	0.000	.114245	.266844

 $tau_cl = .2146843233322215$ and $tau_bc = .1905448213688032$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.23341	.03074	7.5936	0.000	.173161	.293649
Bias-corrected	.20102	.03074	6.5399	0.000	.140776	.261264
Robust	.20102	.03859	5.2090	0.000	.125383	.276656

 $tau_cl = .2334052687938311$ and $tau_bc = .2010199099431702$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19235	.03052	6.3029	0.000	.132533	.252158
Bias-corrected	.27921	.03052	9.1494	0.000	.219402	.339027
Robust	.27921	.03852	7.2490	0.000	.203721	.354708

 $tau_cl = .1923459258928233$ and $tau_bc = .2792146781152951$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15549	.03099	5.0171	0.000	.094749	.216237
Bias-corrected	.13831	.03099	4.4626	0.000	.077562	.199051
Robust	.13831	.03909	3.5378	0.000	.061685	.214929

 $tau_cl = .1554931345540354$ and $tau_bc = .1383066897319623$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14022	.03098	4.5268	0.000	.07951	.200935
Bias-corrected	.16146	.03098	5.2124	0.000	.100748	.222172
Robust	.16146	.03894	4.1462	0.000	.085135	.237784

 $tau_cl = .1402222243218603$ and $tau_bc = .161459944262333$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16461	.03081	5.3436	0.000	.104236	.224993
Bias-corrected	.17139	.03081	5.5636	0.000	.111014	.23177
Robust	.17139	.03881	4.4164	0.000	.09533	.247453

 $tau_cl = .1646144734063455$ and $tau_bc = .1713915897098559$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19746	.03045	6.4848	0.000	.137782	.257144
Bias-corrected	.15521	.03045	5.0971	0.000	.095526	.214889
Robust	.15521	.03831	4.0517	0.000	.080129	.230287

 $tau_cl = .1974630307431653$ and $tau_bc = .1552075502982007$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18929	.03088	6.1300	0.000	.128771	.249818
Bias-corrected	.24148	.03088	7.8198	0.000	.180952	.302
Robust	.24148	.03892	6.2042	0.000	.165191	.317761

 $tau_cl = .1892941537307706$ and $tau_bc = .2414760508345353$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17098	.03071	5.5680	0.000	.110792	.231162
Bias-corrected	.12585	.03071	4.0982	0.000	.065661	.18603
Robust	.12585	.0388	3.2434	0.001	.049798	.201893

 $tau_cl = .1709771753803579$ and $tau_bc = .1258454258640995$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. z	P> z	[95% Conf	. Interval]
Conventional	.2394	.03123	7.6663	0.000	.178192	.3006
Bias-corrected	.2128	.03123	6.8147	0.000	.151598	.274006
Robust	.2128	.03941	5.3995	0.000	.135558	.290047

 $tau_cl = .2393963997205901$ and $tau_bc = .2128023797790775$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19581	.03087	6.3434	0.000	.135313	.256316
Bias-corrected	.16567	.03087	5.3669	0.000	.105167	.226171
Robust	.16567	.03893	4.2551	0.000	.089359	.241979

 $tau_cl = .1958145019930271$ and $tau_bc = .1656690916420303$

75784		Number of obs	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5 0.500	0.500	Order bias (q) BW est. (h)
			0.500 1.000	0.500	BW bias (b)

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21758	.03069	7.0890	0.000	.15742	.277731
Bias-corrected	.23457	.03069	7.6426	0.000	.17441	.294721
Robust	.23457	.03876	6.0512	0.000	.158591	.310541

 $tau_cl = .217575574789862$ and $tau_bc = .2345657303490043$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.12074	.03072	3.9306	0.000	.060534	.180948
Bias-corrected	.10312	.03072	3.3569	0.001	.042913	.163326
Robust	.10312	.03876	2.6602	0.008	.027145	.179095

 $tau_cl = .1207412739286156$ and $tau_bc = .1031195753862448$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21259	.03135	6.7824	0.000	.151158	.274029
Bias-corrected	.19743	.03135	6.2987	0.000	.135997	.258868
Robust	.19743	.03965	4.9790	0.000	.119713	.275152

 $tau_cl = .2125934190648877$ and $tau_bc = .197432617456343$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19241	.03054	6.2993	0.000	.132543	.252275
Bias-corrected	.17894	.03054	5.8583	0.000	.119073	.238805
Robust	.17894	.03833	4.6688	0.000	.103821	.254058

 $tau_cl = .192409093936476$ and $tau_bc = .1789390927960994$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1842	.03103	5.9366	0.000	.123385	.245011
Bias-corrected	.18252	.03103	5.8827	0.000	.121712	.243338
Robust	.18252	.03915	4.6616	0.000	.105783	.259267

 $tau_cl = .1841977019530532$ and $tau_bc = .1825248595905578$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20263	.03064	6.6122	0.000	.142564	.262688
Bias-corrected	.21784	.03064	7.1085	0.000	.157774	.277897
Robust	.21784	.03867	5.6335	0.000	.142048	.293623

 $tau_cl = .2026258517253154$ and $tau_bc = .2178355268315499$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18283	.03087	5.9227	0.000	.122328	.243334
Bias-corrected	.24389	.03087	7.9006	0.000	.183384	.304391
Robust	.24389	.03895	6.2619	0.000	.167552	.320223

 $tau_cl = .1828308322369594$ and $tau_bc = .2438873890200739$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19724	.03075	6.4135	0.000	.136963	.257515
Bias-corrected	.20277	.03075	6.5933	0.000	.142491	.263043
Robust	.20277	.03881	5.2247	0.000	.126703	.278831

 $tau_cl = .1972389202273916$ and $tau_bc = .2027671472633301$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21158	.03088	6.8515	0.000	.151052	.272099
Bias-corrected	.19854	.03088	6.4294	0.000	.138017	.259065
Robust	.19854	.03883	5.1130	0.000	.122434	.274648

 $tau_cl = .2115755166842064$ and $tau_bc = .1985412073445332$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16488	.03105	5.3096	0.000	.104016	.225741
Bias-corrected	.19833	.03105	6.3869	0.000	.137469	.259194
Robust	.19833	.03917	5.0640	0.000	.121569	.275093

 $tau_cl = .1648786816963366$ and $tau_bc = .1983312400088835$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19297	.03094	6.2378	0.000	.132339	.253607
Bias-corrected	.18684	.03094	6.0395	0.000	.126205	.247472
Robust	.18684	.03918	4.7690	0.000	.110052	.263626

 $tau_cl = .192973156984408$ and $tau_bc = .1868385706543449$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19092	.03054	6.2516	0.000	.13106	.25077
Bias-corrected	.17383	.03054	5.6920	0.000	.113973	.233682
Robust	.17383	.03848	4.5171	0.000	.098404	.249251

 $tau_cl = .1909150309002143$ and $tau_bc = .1738275533025444$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17874	.03082	5.7997	0.000	.118337	.239146
Bias-corrected	.20058	.03082	6.5083	0.000	.140177	.260986
Robust	.20058	.03894	5.1507	0.000	.124256	.276907

 $tau_cl = .1787414809955408$ and $tau_bc = .2005815122920467$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18309	.03107	5.8930	0.000	.122195	.243983
Bias-corrected	.18395	.03107	5.9207	0.000	.123057	.244845
Robust	.18395	.03929	4.6822	0.000	.106949	.260953

 $tau_cl = .1830890655528492$ and $tau_bc = .1839511816115191$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16829	.03056	5.5077	0.000	.108404	.228181
Bias-corrected	.13841	.03056	4.5299	0.000	.078525	.198302
Robust	.13841	.03837	3.6074	0.000	.063211	.213617

 $tau_cl = .1682927482097512$ and $tau_bc = .1384138667590378$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19736	.0308	6.4076	0.000	.136994	.257734
Bias-corrected	.23085	.0308	7.4948	0.000	.170481	.291221
Robust	.23085	.03882	5.9469	0.000	.154768	.306935

 $tau_cl = .1973637299911388$ and $tau_bc = .2308511726901088$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16823	.03094	5.4379	0.000	.107598	.228871
Bias-corrected	.14877	.03094	4.8086	0.000	.08813	.209403
Robust	.14877	.03903	3.8114	0.000	.072265	.225268

 $tau_cl = .1682348392978383$ and $tau_bc = .1487666517050457$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20473	.031	6.6047	0.000	.143974	.265481
Bias-corrected	.20958	.031	6.7611	0.000	.148824	.270332
Robust	.20958	.03913	5.3565	0.000	.132893	.286263

 $tau_cl = .2047276930202315$ and $tau_bc = .209578060979311$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ol		75784
Number of obs	41656	34128	BW type Kernel	=	Manual Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18877	.03097	6.0942	0.000	.128057	.249476
Bias-corrected	.18845	.03097	6.0840	0.000	.127741	.24916
Robust	.18845	.03909	4.8206	0.000	.11183	.265071

 $tau_cl = .1887662120175264$ and $tau_bc = .1884505577054369$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13937	.03086	4.5156	0.000	.078877	.199862
Bias-corrected	.15246	.03086	4.9398	0.000	.091969	.212954
Robust	.15246	.03882	3.9271	0.000	.07637	.228553

 $tau_cl = .13936924531572$ and $tau_bc = .1524613079809569$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1202	.03058	3.9314	0.000	.060277	.180129
Bias-corrected	.1138	.03058	3.7221	0.000	.053876	.173729
Robust	.1138	.03854	2.9530	0.003	.038269	.189337

 $tau_cl = .1202030529193507$ and $tau_bc = .1138028792342993$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1444	.03072	4.7005	0.000	.084187	.204605
Bias-corrected	.14734	.03072	4.7962	0.000	.087127	.207544
Robust	.14734	.03879	3.7985	0.000	.071313	.223357

 $tau_cl = .1443959890348196$ and $tau_bc = .1473353601882081$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	-	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.12034	.03061	3.9313	0.000	.060345	.18034
Bias-corrected	.11154	.03061	3.6437	0.000	.051543	.171538
Robust	.11154	.03854	2.8940	0.004	.036	.187081

 $tau_cl = .1203426600523017$ and $tau_bc = .1115406057374457$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1373	.03107	4.4193	0.000	.076407	.198191
Bias-corrected	.15293	.03107	4.9223	0.000	.092034	.213818
Robust	.15293	.03906	3.9154	0.000	.076374	.229477

 $tau_cl = .1372989608389616$ and $tau_bc = .1529255906225444$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19796	.03043	6.5051	0.000	.138318	.25761
Bias-corrected	.2131	.03043	7.0026	0.000	.153458	.272749
Robust	.2131	.03826	5.5705	0.000	.138124	.288083

 $tau_cl = .1979639008513914$ and $tau_bc = .2131037241947524$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19955	.03098	6.4404	0.000	.138821	.260277
Bias-corrected	.23549	.03098	7.6002	0.000	.174758	.296213
Robust	.23549	.03889	6.0553	0.000	.159264	.311707

 $tau_cl = .1995492570022179$ and $tau_bc = .2354854534924016$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17737	.03092	5.7367	0.000	.116771	.237971
Bias-corrected	.1723	.03092	5.5728	0.000	.111704	.232903
Robust	.1723	.03896	4.4227	0.000	.095946	.248661

 $tau_cl = .1773709544509074$ and $tau_bc = .1723034681554054$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	-	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1413	.03055	4.6250	0.000	.081421	.20118
Bias-corrected	.12472	.03055	4.0824	0.000	.064845	.184604
Robust	.12472	.03842	3.2463	0.001	.049422	.200027

 $tau_cl = .1413004649134564$ and $tau_bc = .1247246195362095$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16168	.03078	5.2535	0.000	.101363	.222004
Bias-corrected	.17485	.03078	5.6814	0.000	.11453	.235171
Robust	.17485	.03863	4.5264	0.000	.09914	.250561

 $tau_cl = .1616834043879862$ and $tau_bc = .1748505948348793$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf	. Interval]
Conventional	.16351	.03093	5.2862	0.000	.102888	.22414
Bias-corrected	.14858	.03093	4.8033	0.000	.08795	.209202
Robust	.14858	.03891	3.8187	0.000	.072318	.224834

 $tau_cl = .1635142515524421$ and $tau_bc = .1485761857370562$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16	.03054	5.2383	0.000	.100133	.219862
Bias-corrected	.14327	.03054	4.6905	0.000	.083402	.203132
Robust	.14327	.03844	3.7274	0.000	.067934	.2186

 $tau_cl = .1599976902530216$ and $tau_bc = .1432670281828905$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	; = =	75784 Manual
Number of obs	41656 41656	34128 34128	BW type Kernel VCE method	=	Uniform NN
Order est. (p)	4	4	VCE Method	_	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18861	.03118	6.0495	0.000	.127503	.249717
Bias-corrected	.15651	.03118	5.0199	0.000	.095402	.217616
Robust	.15651	.03928	3.9849	0.000	.079529	.233488

 $tau_cl = .1886102917542303$ and $tau_bc = .1565088293955341$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.12695	.03108	4.0851	0.000	.066039	.187855
Bias-corrected	.10972	.03108	3.5306	0.000	.048808	.170623
Robust	.10972	.03916	2.8017	0.005	.032962	.186469

 $tau_cl = .1269469257199489$ and $tau_bc = .1097156951427678$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17604	.03093	5.6911	0.000	.115416	.236673
Bias-corrected	.18217	.03093	5.8890	0.000	.121539	.242796
Robust	.18217	.03898	4.6740	0.000	.105778	.258557

 $tau_cl = .176044274704509$ and $tau_bc = .1821675365640658$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18895	.03101	6.0929	0.000	.128168	.249728
Bias-corrected	.19072	.03101	6.1500	0.000	.129937	.251498
Robust	.19072	.03912	4.8748	0.000	.114038	.267398

 $tau_cl = .1889480512404589$ and $tau_bc = .1907178147926061$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15883	.03086	5.1475	0.000	.098355	.219309
Bias-corrected	.14548	.03086	4.7147	0.000	.084999	.205953
Robust	.14548	.03876	3.7530	0.000	.069502	.22145

 $tau_cl = .1588321137146522$ and $tau_bc = .1454760669294046$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13493	.03104	4.3467	0.000	.074087	.195767
Bias-corrected	.11298	.03104	3.6396	0.000	.052137	.173817
Robust	.11298	.03912	2.8881	0.004	.036306	.189647

 $tau_cl = .1349270361765775$ and $tau_bc = .1129767246147821$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of ob)S = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13003	.03063	4.2458	0.000	.070003	.190053
Bias-corrected	.12837	.03063	4.1917	0.000	.068348	.188398
Robust	.12837	.03868	3.3191	0.001	.052566	.20418

 $tau_cl = .1300282208312638$ and $tau_bc = .128372914562533$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16739	.03071	5.4509	0.000	.107198	.227572
Bias-corrected	.12007	.03071	3.9100	0.000	.05988	.180253
Robust	.12007	.03872	3.1009	0.002	.044176	.195958

 $tau_cl = .1673851046998607$ and $tau_bc = .1200668598739867$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20335	.03081	6.5992	0.000	.142955	.263746
Bias-corrected	.22376	.03081	7.2616	0.000	.163368	.284159
Robust	.22376	.03885	5.7597	0.000	.14762	.299908

 $tau_cl = .2033502274698549$ and $tau_bc = .2237636841655331$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15626	.03064	5.1002	0.000	.096213	.216316
Bias-corrected	.14915	.03064	4.8678	0.000	.089094	.209198
Robust	.14915	.03858	3.8656	0.000	.073524	.224768

 $tau_cl = .1562646298912114$ and $tau_bc = .1491460083161655$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15663	.03094	5.0626	0.000	.095992	.217272
Bias-corrected	.16831	.03094	5.4400	0.000	.107669	.228948
Robust	.16831	.03909	4.3056	0.000	.091692	.244925

 $tau_cl = .1566319730459327$ and $tau_bc = .1683085950339773$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18525	.03094	5.9883	0.000	.124618	.245882
Bias-corrected	.13306	.03094	4.3014	0.000	.072433	.193697
Robust	.13306	.039	3.4120	0.001	.056628	.209501

 $tau_cl = .1852499220194659$ and $tau_bc = .1330646682922634$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16813	.03124	5.3818	0.000	.106898	.229356
Bias-corrected	.18877	.03124	6.0426	0.000	.127541	.25
Robust	.18877	.03955	4.7729	0.000	.111252	.266288

 $tau_cl = .1681270057001711$ and $tau_bc = .1887702486542366$

Sharp RD estimates using local polynomial regression.

ft of c	Right of ${f c}$			75784
11656	3/129	2 1		Manual Uniform
41656	34128	VCE method	=	NN
4	4			
5	5			
0.500	0.500			
	0.500			
	41656 41656 4 5	41656 34128 4 4 5 5 0.500 0.500 0.500 0.500	BW type 41656 34128 Kernel 41656 34128 VCE method 4 4 5 5 0.500 0.500 0.500 0.500	BW type = 41656 34128 Kernel = 41656 34128 VCE method = 4 4 5 5 5 5 0.500 0.500 0.500

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20012	.03075	6.5071	0.000	.139846	.260403
Bias-corrected	.16493	.03075	5.3626	0.000	.104647	.225204
Robust	.16493	.03875	4.2566	0.000	.088985	.240866

 $tau_cl = .2001246337176781$ and $tau_bc = .1649258627539893$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.12941	.03094	4.1825	0.000	.068768	.190057
Bias-corrected	.11425	.03094	3.6926	0.000	.05361	.174899
Robust	.11425	.03897	2.9317	0.003	.037871	.190639

 $tau_cl = .1294125158560746$ and $tau_bc = .1142547759413901$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14624	.03113	4.6978	0.000	.085227	.207254
Bias-corrected	.14236	.03113	4.5730	0.000	.081345	.203371
Robust	.14236	.03929	3.6233	0.000	.065351	.219365

 $tau_cl = .1462406637720051$ and $tau_bc = .1423578943249595$

Sharp RD estimates using local polynomial regression.

75784		Number of ob	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.24716	.03132	7.8912	0.000	.18577	.308545
Bias-corrected	.26837	.03132	8.5683	0.000	.206979	.329754
Robust	.26837	.03969	6.7618	0.000	.190578	.346154

 $tau_cl = .24715785722492$ and $tau_bc = .2683661954570198$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	=	75784 Manual
Number of obs	41656 41656	34128 34128	BW type Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	4 5	4 5	ven meenou		
BW est. (h) BW bias (b) rho (h/b)	0.500 0.500 1.000	0.500 0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19338	.03114	6.2093	0.000	.132341	.254422
Bias-corrected	.20391	.03114	6.5474	0.000	.142869	.26495
Robust	.20391	.03916	5.2077	0.000	.127166	.280652

 $tau_cl = .1933812929032683$ and $tau_bc = .2039092195232115$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19949	.03087	6.4629	0.000	.13899	.259984
Bias-corrected	.18714	.03087	6.0629	0.000	.126643	.247637
Robust	.18714	.03887	4.8142	0.000	.110951	.263329

 $tau_cl = .1994871046399567$ and $tau_bc = .1871399463634589$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16501	.03124	5.2817	0.000	.10378	.226249
Bias-corrected	.17692	.03124	5.6629	0.000	.115689	.238158
Robust	.17692	.03933	4.4989	0.000	.099846	.254002

 $tau_cl = .1650143606339043$ and $tau_bc = .1769238340643824$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22244	.03094	7.1906	0.000	.16181	.283073
Bias-corrected	.23205	.03094	7.5012	0.000	.171418	.292681
Robust	.23205	.03889	5.9673	0.000	.155833	.308266

 $tau_cl = .2224414005513609$ and $tau_bc = .2320494118553142$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.21968	.03105	7.0761	0.000	.158835	.280533
Bias-corrected	.23718	.03105	7.6397	0.000	.176332	.298029
Robust	.23718	.03919	6.0521	0.000	.160371	.313991

 $tau_cl = .2196839484035991$ and $tau_bc = .2371806871037734$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22429	.03101	7.2336	0.000	.163516	.28506
Bias-corrected	.27334	.03101	8.8154	0.000	.212565	.334109
Robust	.27334	.03914	6.9843	0.000	.196632	.350042

 $tau_cl = .2242882463451679$ and $tau_bc = .2733371690524109$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19827	.03117	6.3602	0.000	.137172	.259372
Bias-corrected	.20464	.03117	6.5646	0.000	.143545	.265745
Robust	.20464	.03936	5.1993	0.000	.1275	.28179

 $tau_cl = .19827194006848$ and $tau_bc = .2046449980775833$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18271	.03076	5.9393	0.000	.122415	.243003
Bias-corrected	.16197	.03076	5.2653	0.000	.101681	.222269
Robust	.16197	.03883	4.1717	0.000	.085876	.238074

 $tau_cl = .1827093405477171$ and $tau_bc = .1619749657593275$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16468	.0302	5.4527	0.000	.105488	.22388
Bias-corrected	.15478	.0302	5.1247	0.000	.095583	.213974
Robust	.15478	.03801	4.0721	0.000	.08028	.229276

 $tau_cl = .1646840668859113$ and $tau_bc = .1547782844972971$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22723	.03088	7.3576	0.000	.166702	.287767
Bias-corrected	.24105	.03088	7.8050	0.000	.180521	.301586
Robust	.24105	.03896	6.1877	0.000	.1647	.317408

 $tau_cl = .2272343957674821$ and $tau_bc = .2410537565110644$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14255	.03098	4.6019	0.000	.081839	.203268
Bias-corrected	.0948	.03098	3.0604	0.002	.034088	.155517
Robust	.0948	.03918	2.4196	0.016	.018009	.171596

 $tau_cl = .142553765221237$ and $tau_bc = .0948026360288168$

Sharp RD estimates using local polynomial regression.

ft of c	Right of ${f c}$			75784
11656	3/129	2 1		Manual Uniform
41656	34128	VCE method	=	NN
4	4			
5	5			
0.500	0.500			
	0.500			
	41656 41656 4 5	41656 34128 4 4 5 5 0.500 0.500 0.500 0.500	BW type 41656 34128 Kernel 41656 34128 VCE method 4 4 5 5 0.500 0.500 0.500 0.500	BW type = 41656 34128 Kernel = 41656 34128 VCE method = 4 4 5 5 5 5 0.500 0.500 0.500

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19831	.03129	6.3375	0.000	.136982	.259646
Bias-corrected	.17827	.03129	5.6968	0.000	.116934	.239597
Robust	.17827	.03949	4.5141	0.000	.100865	.255665

 $tau_cl = .1983139958351785$ and $tau_bc = .1782652832280291$

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22171	.03085	7.1858	0.000	.161234	.282177
Bias-corrected	.20765	.03085	6.7304	0.000	.147183	.268125
Robust	.20765	.03886	5.3435	0.000	.131488	.28382

 $tau_cl = .2217053365679931$ and $tau_bc = .2076537149614524$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.21306	.03035	7.0191	0.000	.153565	.272551
Bias-corrected	.1541	.03035	5.0767	0.000	.094606	.213592
Robust	.1541	.0381	4.0447	0.000	.079427	.228772

 $tau_cl = .2130576922418186$ and $tau_bc = .1540993624826115$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.21493	.03131	6.8642	0.000	.153561	.276301
Bias-corrected	.20506	.03131	6.5489	0.000	.143689	.266429
Robust	.20506	.03962	5.1760	0.000	.127411	.282707

 $tau_cl = .2149310810400493$ and $tau_bc = .2050590161907166$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14766	.03112	4.7452	0.000	.08667	.208649
Bias-corrected	.1357	.03112	4.3608	0.000	.074709	.196688
Robust	.1357	.03926	3.4567	0.001	.058757	.21264

 $tau_cl = .147659557269435$ and $tau_bc = .1356988393677057$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.21727	.03058	7.1040	0.000	.157323	.277207
Bias-corrected	.21951	.03058	7.1775	0.000	.159571	.279456
Robust	.21951	.0383	5.7315	0.000	.144448	.29458

 $tau_cl = .2172650899369728$ and $tau_bc = .2195138442780262$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20083	.03069	6.5432	0.000	.140672	.260984
Bias-corrected	.20598	.03069	6.7110	0.000	.145822	.266134
Robust	.20598	.03865	5.3300	0.000	.130235	.281721

 $tau_cl = .2008282294968922$ and $tau_bc = .2059776527858048$

Cutoff c = .5	Left of c	Right of c	Number of obs BW type	=	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	41030	4	VCE Method	_	MN
BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15525	.03072	5.0531	0.000	.095034	.215471
Bias-corrected	.18171	.03072	5.9141	0.000	.121488	.241926
Robust	.18171	.03849	4.7205	0.000	.106262	.257152

 $tau_cl = .1552522697147651$ and $tau_bc = .1817069901658215$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.22803	.03085	7.3906	0.000	.167555	.288499
Bias-corrected	.24748	.03085	8.0211	0.000	.187008	.307952
Robust	.24748	.03886	6.3682	0.000	.171313	.323647

 $tau_cl = .2280268829185843$ and $tau_bc = .2474801356220269$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16393	.03119	5.2560	0.000	.102799	.225054
Bias-corrected	.17815	.03119	5.7120	0.000	.11702	.239275
Robust	.17815	.03938	4.5233	0.000	.100955	.25534

 $tau_cl = .1639263501388086$ and $tau_bc = .1781473006153647$

Cutoff c = .5	Left of c	Right of c	Number of obs BW type	=	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	41030	4	VCE Method	_	MN
BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19668	.03065	6.4176	0.000	.136615	.256749
Bias-corrected	.27108	.03065	8.8453	0.000	.211015	.331149
Robust	.27108	.03857	7.0277	0.000	.195479	.346685

 $tau_cl = .196681599166368$ and $tau_bc = .2710820470115323$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	. z	P> z	[95% Conf.	Interval]
Conventional	.23257	.03078	7.5568	0.000	.172248	.292887
Bias-corrected	.22574	.03078	7.3348	0.000	.165416	.286055
Robust	.22574	.03871	5.8316	0.000	.149867	.301604

 $tau_cl = .2325674370476918$ and $tau_bc = .2257354255575592$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1757	.03069	5.7242	0.000	.115543	.235864
Bias-corrected	.15731	.03069	5.1249	0.000	.097148	.21747
Robust	.15731	.03858	4.0770	0.000	.081684	.232934

 $tau_cl = .1757036397111733$ and $tau_bc = .1573093082588457$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ol		75784
Number of obs	41656	34128	BW type Kernel	=	Manual Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18237	.03145	5.7984	0.000	.120724	.244011
Bias-corrected	.19418	.03145	6.1738	0.000	.132532	.255819
Robust	.19418	.03985	4.8728	0.000	.116074	.272278

 $tau_cl = .1823677578604475$ and $tau_bc = .19417567206483$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	; = =	75784 Manual
Number of obs	41656 41656	34128 34128	BW type Kernel VCE method	=	Uniform NN
Order est. (p)	4	4	VCE Method	_	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14119	.03069	4.5998	0.000	.081027	.201348
Bias-corrected	.15481	.03069	5.0435	0.000	.094649	.214969
Robust	.15481	.03876	3.9937	0.000	.078835	.230783

 $tau_cl = .1411878182061628$ and $tau_bc = .1548090307728671$

Sharp RD estimates using local polynomial regression.

ft of c	Right of ${f c}$			75784
11656	3/129	2 1		Manual Uniform
41656	34128	VCE method	=	NN
4	4			
5	5			
0.500	0.500			
	0.500			
	41656 41656 4 5	41656 34128 4 4 5 5 0.500 0.500 0.500 0.500	BW type 41656 34128 Kernel 41656 34128 VCE method 4 4 5 5 0.500 0.500 0.500 0.500	BW type = 41656 34128 Kernel = 41656 34128 VCE method = 4 4 5 5 5 5 0.500 0.500 0.500

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.15612	.03111	5.0187	0.000	.095148	.217086
Bias-corrected	.14814	.03111	4.7624	0.000	.087176	.209114
Robust	.14814	.03927	3.7723	0.000	.071175	.225115

 $tau_cl = .1561170385048172$ and $tau_bc = .1481446765365035$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19719	.03088	6.3862	0.000	.136675	.257714
Bias-corrected	.17794	.03088	5.7628	0.000	.117423	.238462
Robust	.17794	.03897	4.5660	0.000	.101561	.254325

 $tau_cl = .1971944310921572$ and $tau_bc = .1779426822595269$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18912	.03111	6.0789	0.000	.128144	.250098
Bias-corrected	.20738	.03111	6.6656	0.000	.1464	.268353
Robust	.20738	.0393	5.2773	0.000	.130359	.284394

 $tau_cl = .189120843303499$ and $tau_bc = .2073765098130025$

Sharp RD estimates using local polynomial regression.

ft of c	Right of ${f c}$			75784
11656	3/129	2 1		Manual Uniform
41656	34128	VCE method	=	NN
4	4			
5	5			
0.500	0.500			
	0.500			
	41656 41656 4 5	41656 34128 4 4 5 5 0.500 0.500 0.500 0.500	BW type 41656 34128 Kernel 41656 34128 VCE method 4 4 5 5 0.500 0.500 0.500 0.500	BW type = 41656 34128 Kernel = 41656 34128 VCE method = 4 4 5 5 5 5 0.500 0.500 0.500

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18223	.03113	5.8543	0.000	.121223	.243245
Bias-corrected	.2059	.03113	6.6147	0.000	.144894	.266915
Robust	.2059	.03934	5.2333	0.000	.12879	.283019

 $tau_cl = .1822339606314927$ and $tau_bc = .2059046249091807$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14552	.0305	4.7713	0.000	.085744	.205299
Bias-corrected	.09921	.0305	3.2527	0.001	.039428	.158983
Robust	.09921	.03828	2.5917	0.010	.02418	.174231

 $tau_cl = .1455210519825414$ and $tau_bc = .0992056989534831$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14817	.03063	4.8375	0.000	.088138	.208203
Bias-corrected	.16744	.03063	5.4666	0.000	.107407	.227473
Robust	.16744	.03858	4.3400	0.000	.091824	.243057

 $tau_cl = .1481703715667209$ and $tau_bc = .1674401314899114$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18472	.03102	5.9553	0.000	.123924	.245509
Bias-corrected	.18044	.03102	5.8175	0.000	.119651	.241236
Robust	.18044	.03906	4.6201	0.000	.103895	.256991

 $tau_cl = .1847167737714699$ and $tau_bc = .1804434157929791$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1686	.03089	5.4580	0.000	.108054	.229142
Bias-corrected	.17428	.03089	5.6420	0.000	.113738	.234826
Robust	.17428	.03895	4.4749	0.000	.097948	.250616

 $tau_cl = .1685982843559941$ and $tau_bc = .1742818320508377$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	-	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	. Z	P> z	[95% Conf.	Interval]
Conventional	.18012	.0309	5.8288	0.000	.119553	.240687
Bias-corrected	.16985	.0309	5.4964	0.000	.109282	.230415
Robust	.16985	.03889	4.3675	0.000	.093626	.246071

 $tau_cl = .1801200636300564$ and $tau_bc = .1698487747303261$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	s =	75784
			BW type	=	Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17407	.03112	5.5942	0.000	.113085	.235058
Bias-corrected	.18995	.03112	6.1044	0.000	.128959	.250932
Robust	.18995	.03932	4.8309	0.000	.112882	.267009

 $tau_cl = .1740715100545458$ and $tau_bc = .1899457150634589$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok		75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13352	.03063	4.3595	0.000	.07349	.193543
Bias-corrected	.16047	.03063	5.2396	0.000	.100444	.220497
Robust	.16047	.03855	4.1630	0.000	.084919	.236022

 $tau_cl = .133516853328274$ and $tau_bc = .1604707852097818$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1419	.03042	4.6647	0.000	.082278	.201524
Bias-corrected	.12576	.03042	4.1341	0.000	.06614	.185385
Robust	.12576	.0382	3.2923	0.001	.050893	.200632

 $tau_cl = .1419012664500769$ and $tau_bc = .1257625292132616$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16436	.03116	5.2742	0.000	.103279	.225431
Bias-corrected	.17339	.03116	5.5642	0.000	.112316	.234469
Robust	.17339	.03933	4.4082	0.000	.0963	.250485

 $tau_cl = .1643550509384113$ and $tau_bc = .1733927336936176$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19042	.03067	6.2087	0.000	.130307	.250529
Bias-corrected	.17274	.03067	5.6323	0.000	.112629	.232852
Robust	.17274	.03864	4.4706	0.000	.097008	.248473

 $tau_cl = .1904178405948187$ and $tau_bc = .1727407259627398$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.14809	.03085	4.8009	0.000	.087634	.208553
Bias-corrected	.1267	.03085	4.1075	0.000	.066244	.187163
Robust	.1267	.03891	3.2562	0.001	.050438	.202969

 $tau_cl = .1480933003240352$ and $tau_bc = .1267034839243024$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17983	.03094	5.8132	0.000	.119201	.240466
Bias-corrected	.1891	.03094	6.1126	0.000	.128465	.24973
Robust	.1891	.03907	4.8400	0.000	.112522	.265672

 $tau_cl = .1798337093487135$ and $tau_bc = .1890972901392161$

Cutoff $c = .5$	Left of c	Right of c	Number of obs BW type	s = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform
Order est. (p)	4	34128	VCE Method	=	NN
Order bias (q) BW est. (h)	0.500	0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16868	.03121	5.4054	0.000	.107517	.229839
Bias-corrected	.14781	.03121	4.7367	0.000	.086649	.208971
Robust	.14781	.03935	3.7562	0.000	.070684	.224937

 $tau_cl = .1686779412766555$ and $tau_bc = .1478102906798995$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16993	.03085	5.5087	0.000	.10947	.230393
Bias-corrected	.14897	.03085	4.8292	0.000	.088511	.209433
Robust	.14897	.03891	3.8288	0.000	.072713	.225231

 $tau_cl = .1699316296439974$ and $tau_bc = .1489718989487301$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18777	.03081	6.0936	0.000	.127374	.248163
Bias-corrected	.20415	.03081	6.6250	0.000	.143751	.26454
Robust	.20415	.03886	5.2532	0.000	.127979	.280312

 $tau_cl = .1877682689387257$ and $tau_bc = .2041453789661318$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok		75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16122	.03088	5.2202	0.000	.100691	.221757
Bias-corrected	.13929	.03088	4.5100	0.000	.078757	.199824
Robust	.13929	.03913	3.5593	0.000	.062589	.215992

 $tau_cl = .1612243690365176$ and $tau_bc = .1392904011295286$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20854	.03096	6.7357	0.000	.147858	.269219
Bias-corrected	.16467	.03096	5.3188	0.000	.103989	.22535
Robust	.16467	.03896	4.2267	0.000	.088311	.241027

 $tau_cl = .2085380314092617$ and $tau_bc = .1646693126035643$

Sharp RD estimates using local polynomial regression.

75784		Number of obs	Right of $oldsymbol{c}$	Left of c	Cutoff $c = .5$
Manual Uniform	=	BW type Kernel	34128	41656	Number of obs
NN	=	VCE method	34128 4	41656 4	Eff. Number of obs Order est. (p)
			5	5	Order bias (q)
			0.500 0.500	0.500 0.500	BW est. (h) BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21471	.03112	6.8995	0.000	.153718	.275706
Bias-corrected	.1744	.03112	5.6040	0.000	.113402	.23539
Robust	.1744	.03934	4.4328	0.000	.097287	.251506

 $tau_cl = .2147123013023702$ and $tau_bc = .1743963879921466$

Cutoff c = .5	Left of c	Right of ${f c}$	Number of obs BW type	; = =	75784 Manual
Number of obs	41656 41656	34128 34128	Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	4 5	4 5			
BW est. (h) BW bias (b) rho (h/b)	0.500 0.500 1.000	0.500 0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19831	.03098	6.4018	0.000	.137596	.259023
Bias-corrected	.16399	.03098	5.2940	0.000	.103279	.224707
Robust	.16399	.03912	4.1919	0.000	.087316	.24067

 $tau_cl = .1983094149850331$ and $tau_bc = .1639930548858501$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	1.011.01	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.20563	.03087	6.6617	0.000	.145129	.266127
Bias-corrected	.19252	.03087	6.2371	0.000	.132022	.25302
Robust	.19252	.03876	4.9673	0.000	.116558	.268485

 $tau_cl = .2056281720469997$ and $tau_bc = .1925212326491419$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.2056	.03123	6.5839	0.000	.144391	.266799
Bias-corrected	.22366	.03123	7.1625	0.000	.162459	.284867
Robust	.22366	.03958	5.6502	0.000	.146079	.301248

 $tau_cl = .2055950102785573$ and $tau_bc = .2236633066722788$

Cutoff c = .5	Left of c	Right of c	Number of ol	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h) BW bias (b)	0.500	0.500 0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17371	.03056	5.6840	0.000	.113808	.233603
Bias-corrected	.17591	.03056	5.7559	0.000	.116008	.235804
Robust	.17591	.0384	4.5810	0.000	.100646	.251166

 $tau_cl = .173705588879784$ and $tau_bc = .1759057080871571$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of ob BW type	os = =	75784 Manual
Number of obs	41656	34128	Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p) Order bias (g)	4 5	4			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17186	.03109	5.5285	0.000	.110931	.232786
Bias-corrected	.1903	.03109	6.1216	0.000	.129368	.251223
Robust	.1903	.03921	4.8530	0.000	.113442	.267149

 $tau_cl = .1718584364080016$ and $tau_bc = .1902954091115134$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.13939	.03063	4.5516	0.000	.07937	.199418
Bias-corrected	.16844	.03063	5.5002	0.000	.108419	.228467
Robust	.16844	.03866	4.3569	0.000	.092668	.244218

 $tau_cl = .1393942862268887$ and $tau_bc = .1684432060706058$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ob	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.19855	.03104	6.3969	0.000	.137714	.259381
Bias-corrected	.2084	.03104	6.7144	0.000	.147568	.269235
Robust	.2084	.03917	5.3202	0.000	.131626	.285176

 $tau_cl = .1985478019560105$ and $tau_bc = .2084010309554287$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18838	.03087	6.1015	0.000	.127867	.248893
Bias-corrected	.17076	.03087	5.5308	0.000	.110248	.231274
Robust	.17076	.03894	4.3851	0.000	.094437	.247084

 $tau_cl = .1883802788916$ and $tau_bc = .1707609006325583$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.16913	.03093	5.4675	0.000	.108502	.229761
Bias-corrected	.16514	.03093	5.3386	0.000	.104515	.225774
Robust	.16514	.03891	4.2440	0.000	.088877	.241412

 $tau_cl = .1691312570446826$ and $tau_bc = .1651444234717019$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b) rho (h/b)	0.500 1.000	0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.17427	.0307	5.6765	0.000	.114097	.234437
Bias-corrected	.18491	.0307	6.0231	0.000	.124737	.245077
Robust	.18491	.03872	4.7760	0.000	.109025	.260789

 $tau_cl = .174266904979504$ and $tau_bc = .1849072784525561$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of o	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.2566	.03042	8.4350	0.000	.196975	.316221
Bias-corrected	.27301	.03042	8.9746	0.000	.21339	.332636
Robust	.27301	.03839	7.1117	0.000	.197771	.348255

 $tau_cl = .2565982386677206$ and $tau_bc = .2730130823661057$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of obs	3 =	75784
Number of obs Eff. Number of obs Order est. (p) Order bias (q) BW est. (h) BW bias (b)	41656 41656 4 5 0.500 0.500	34128 34128 4 5 0.500 0.500	BW type Kernel VCE method	= =	Manual Uniform NN
Order est. (p) Order bias (q) BW est. (h)	4 5 0.500	4 5 0.500	VCE method	=	

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.23113	.03086	7.4905	0.000	.170654	.29161
Bias-corrected	.25886	.03086	8.3891	0.000	.198381	.319336
Robust	.25886	.03883	6.6668	0.000	.182757	.334961

 $tau_cl = .2311322596669925$ and $tau_bc = .2588585944622537$

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ok		75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs Order est. (p)	41656 4	34128 4	VCE method	=	NN
Order bias (q) BW est. (h)	0.500	5 0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21457	.03086	6.9524	0.000	.154079	.275058
Bias-corrected	.21263	.03086	6.8897	0.000	.152145	.273124
Robust	.21263	.03893	5.4616	0.000	.136328	.28894

 $tau_cl = .214568109387983$ and $tau_bc = .2126340853278634$

Sharp RD estimates using local polynomial regression.

Cutoff c = .5	Left of c	Right of c	Number of obs	s = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21752	.0307	7.0866	0.000	.157363	.277686
Bias-corrected	.23592	.0307	7.6859	0.000	.175758	.296081
Robust	.23592	.03871	6.0947	0.000	.160051	.311788

 $tau_cl = .217524587414573$ and $tau_bc = .2359192086514668$

Sharp RD estimates using local polynomial regression.

75784	s =	Number of ob	Right of ${f c}$	Left of c	Cutoff $c = .5$
Manual	=	BW type			
Uniform	=	Kernel	34128	41656	Number of obs
NN	=	VCE method	34128	41656	Eff. Number of obs
			4	4	Order est. (p)
			5	5	Order bias (q)
			0.500	0.500	BW est. (h)
			0.500	0.500	BW bias (b)
			1.000	1.000	rho (h/b)

Outcome: y_s . Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.21492	.03086	6.9639	0.000	.154434	.275413
Bias-corrected	.23248	.03086	7.5327	0.000	.171987	.292967
Robust	.23248	.03885	5.9837	0.000	.156329	.308625

 $tau_cl = .2149236882673904$ and $tau_bc = .2324769779866074$

Cutoff $c = .5$	Left of c	Right of c	Number of obs	=	75784 Manual
Number of obs	41656 41656	34128 34128	BW type Kernel VCE method	=	Uniform NN
Order est. (p) Order bias (q)	4 5	4 5	von meenou		
BW est. (h) BW bias (b) rho (h/b)	0.500 0.500 1.000	0.500 0.500 1.000			

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.18688	.03084	6.0587	0.000	.126424	.247333
Bias-corrected	.22793	.03084	7.3895	0.000	.167471	.28838
Robust	.22793	.03888	5.8630	0.000	.151732	.304119

 $tau_cl = .1868789363361429$ and $tau_bc = .2279252283224196$

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of ${f c}$	Number of ol	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	=	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	4	4			
Order bias (q)	5	5			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y_s. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1655	.03082	5.3697	0.000	.105092	.225909
Bias-corrected	.16715	.03082	5.4234	0.000	.106746	.227563
Robust	.16715	.03884	4.3033	0.000	.091023	.243287

 $tau_cl = .1655008487618943$ and $tau_bc = .167154960982316$

```
80.
81.
82. // collect simulation results
83. clear

84. set obs `S'
   Number of observations (_N) was 0, now 300.

85. qui{
86.
87. save "$dta_loc/pset4_simresults.dta", replace
   file C:/Users/yfkas/Dropbox (Personal)/ARE213/Pset4/pset4_simresults.dta saved

88.
89.
90.
   end of do-file
```

Pr(T < t) = 0.4474

```
91. do "$do loc/02 q3 plot.do"
92. /*
  > Title:
                    02 q3 plot.do
  > Purpose:
                    Question 3, PSet 4
93.
95. use "$dta_loc/pset4_simresults.dta", clear
97. // visualize ATEs cl and bc
98. // sort tau_bc
99. // gen sp = _n
100 // line tau bc tau cl sp
101 // sort tau_cl
102 // gen sp2 = _n
103 // line tau_bc tau_cl sp2
104 // sort s
105
106 // plot simulation results
107 // tau estimate
title("Distribution of ATE across simulations") ///
               xtitle("ATE") ///
legend(order(1 "Convential" 2 "Bias-corrected" ) ///
                             position(6) row(1))
109 graph export "$do loc/graphs/q3b_ate.png", ///
      width (120\overline{0}) height (900) 7//
            replace
  file C:/Users/yfkas/Documents/GitHub/ARE213 Fall2023/PSet 4/Stata/graphs/q3b ate.png
      saved as PNG format
110
111
112 // Bias estimate
113 twoway (hist bias_cl, color(red%30)) ///
                (hist \overline{b}ias bc, color(blue%30)), ///
               title("Distribution of bias of ATE across simulations") ///
               xtitle("Bias of ATE") ///
               legend(order(1 "Convential" 2 "Bias-corrected" ) ///
                             position(6) row(1))
114 graph export "$do_loc/graphs/q3b_bias.png", ///
            width (120\overline{0}) height (900) 7//
            replace
  file C:/Users/yfkas/Documents/GitHub/ARE213 Fall2023/PSet
      4/Stata/graphs/q3b_bias.png saved as PNG format
116 ttest bias_cl == bias_bc // cannot reject null of equality of biases
  Paired t test
  Variable
                 Obs
                             Mean
                                     Std. err.
                                                 Std. dev.
                                                             [95% conf. interval]
   bias cl
                  300
                         .0280447
                                     .0017881
                                                  .0309703
                                                              .0245259
                                                                           .0315635
   bias bc
                  300
                         .028228
                                     .0022799
                                                  .0394887
                                                              .0237413
                                                                           .0327146
      diff
                 300
                       -.0001833
                                    .0013844
                                                 .0239793
                                                            -.0029078
                                                                           .0025412
       mean(diff) = mean(bias_cl - bias_bc)
                                                                       t = -0.1324
   H0: mean(diff) = 0
                                                     Degrees of freedom =
                                 Ha: mean(diff) != 0
   Ha: mean(diff) < 0
                                                                Ha: mean(diff) > 0
```

Pr(|T| > |t|) = 0.8947

Pr(T > t) = 0.5526

```
117
118 // get SD of tau
119 preserve
            use "$dta loc/pset4 trim2.dta", clear
            count if win != .
121
    75,784
122
            local N_reg = `r(N)'
123 restore
124 gen sd tau bc = se_tau_bc * sqrt(`N_reg')
125 gen sd tau cl = se tau cl * sqrt(`N reg')
126
127 // Bias SD
128 twoway (hist sd_tau_cl, color(red%30)) ///
                (hist sd tau bc, color(blue%30)), ///
title("Distribution of standard deviation of ATE across simulations") ///
                xtitle("Standard Deviation of ATE") ///
legend(order(1 "Convential" 2 "Bias-corrected" ) ///
 >
                              position(6) row(1))
129 graph export "$do_loc/graphs/q3b_sd.png", ///
            width (120\overline{0}) height (900) 7//
            replace
  file C:/Users/yfkas/Documents/GitHub/ARE213 Fall2023/PSet 4/Stata/graphs/q3b sd.png
      saved as PNG format
130
131 ttest sd tau cl == sd tau bc // can reject null of equality of SDs
  Paired t test
 Variable
                  Obs
                              Mean
                                       Std. err.
                                                    Std. dev.
                                                                 [95% conf. interval]
                         8.497125
                  300
                                       .0037166
                                                    .0643737
                                                                 8.489811
                                                                              8.504439
  sd tau~l
  sd tau~c
                  300
                         10.71142
                                      .0056266
                                                    .0974563
                                                                10.70035
                                                                               10.7225
      diff
                  300
                        -2.214298
                                       .0021837
                                                     .037823
                                                                -2.218595
                                                                                 -2.21
       mean(diff) = mean(sd tau cl - sd tau bc)
                                                                         t = -1.0e+03
  H0: mean(diff) = 0
                                                       Degrees of freedom =
                                                                                  299
   Ha: mean(diff) < 0
                                  Ha: mean(diff) != 0
                                                                  Ha: mean(diff) > 0
   Pr(T < t) = 0.0000
                               Pr(|T| > |t|) = 0.0000
                                                                  Pr(T > t) = 1.0000
132
133 gen mse_bc = sd_tau_bc^2 + bias bc^2
134 gen mse_cl = sd_tau_cl^2 + bias cl^2
135 twoway (hist mse cl, color(red%30)) ///
                (hist_mse_bc, color(blue%30)), ///
  >
                title("Distribution of MSE of ATE across simulations") ///
 >
                xtitle("MSE of ATE") ///
                legend(order(1 "Convential" 2 "Bias-corrected") ///
 >
                              position(6) row(1))
```

Sharp RD estimates using local polynomial regression.

Cutoff $c = .5$	Left of c	Right of $oldsymbol{c}$	Number of ok	os = =	75784 Manual
Number of obs	41656	34128	BW type Kernel	_	Uniform
Eff. Number of obs	41656	34128	VCE method	=	NN
Order est. (p)	1	1			
Order bias (q)	2	2			
BW est. (h)	0.500	0.500			
BW bias (b)	0.500	0.500			
rho (h/b)	1.000	1.000			

Outcome: y. Running variable: x.

Method	Coef.	Std. Err.	Z	P> z	[95% Conf.	Interval]
Conventional	.1552	.01161	13.3654	0.000	.132438	.177956
Bias-corrected	.15285	.01161	13.1630	0.000	.130088	.175606
Robust	.15285	.01737	8.7974	0.000	.118795	.1869

```
local tau_cl_true = e(tau_cl)
```

150 restore

151

152 gen cov cl = inrange(`tau cl true', ci lb cl, ci ub cl)

153 gen cov bc = inrange(`tau cl true', ci lb bc, ci ub bc)

154 sum cov*

Variable	Obs	Mean	Std. dev.	Min	Max
cov cl	300	.8466667	.3609105	0	1
cov_bc	300	. 87	.3368653	0	1

155 156

```
157
158
159
end of do-file

160
161 log close
name: <unnamed>
log: C:/Users/yfkas/Documents/GitHub/ARE213_Fall2023/PSet 4/Stata/pset4_logfil
> e_q3.smcl
log type: smcl
closed on: 4 Dec 2023, 22:55:30
```