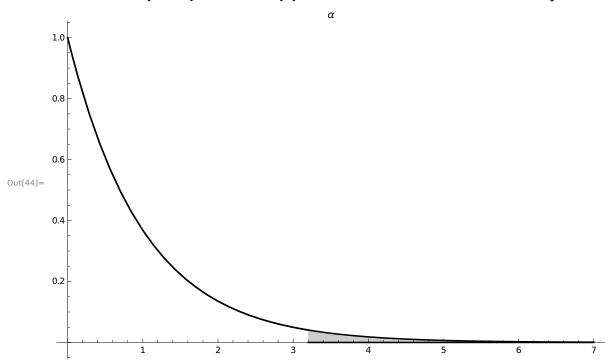
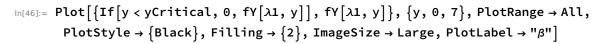
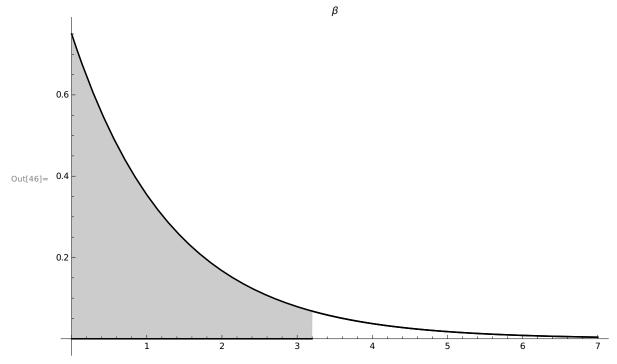
## Exercise 2, part (3)

In[8]:= 
$$\lambda 0 = 1$$
;  
 $\lambda 1 = \frac{4}{3}$ ;  
yCritical = 3.20;  
 $fY[\lambda_{-}, y_{-}] := \frac{1}{\lambda} e^{\frac{-y}{\lambda}}$ 

$$\begin{split} &\text{In[44]:= Plot}\big[\big\{\text{If}\big[y \geq \text{yCritical, 0, fY}\big[\lambda \text{0, y}\big]\big], \, \text{fY}\big[\lambda \text{0, y}\big]\big\}, \, \big\{y, \, \text{0, 7}\big\}, \, \text{PlotRange} \rightarrow \text{All,} \\ &\text{PlotStyle} \rightarrow \big\{\text{Black}\big\}, \, \text{Filling} \rightarrow \big\{2\big\}, \, \text{ImageSize} \rightarrow \text{Large, PlotLabel} \rightarrow \text{"}\alpha\text{"}\big] \end{split}$$







In[49]:= 
$$1 - Sum \left[ \frac{e^{-4} 4^k}{k!}, \{k, 0, 2\} \right] // N$$

Out[49] = 0.761897

Out[69] = 2.20099

## Exercise 4

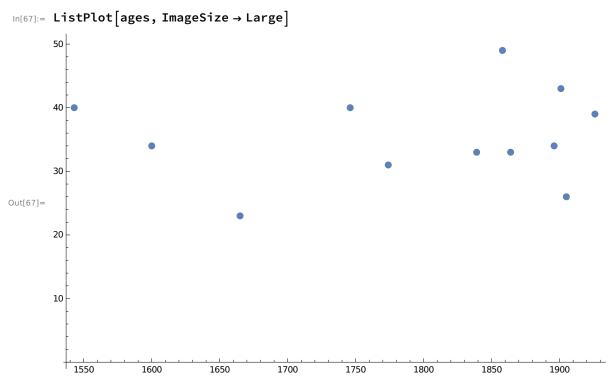
In[70]:= 
$$35.4 - 2.20 \frac{7.23}{Sqrt[12]} // N$$

Out[70] = 30.8083

$$In[71]:=$$
 35.4 + 2.20  $\frac{7.23}{Sqrt[12]}$  // N

Out[71] = 39.9917

## ■ Part 2



This shows no particular distribution seems to be independent of time. Therefore we have no reason to doubt that  $\mu$  remains constant over time.