

EEE 686

Homework 5 -Modifications

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3/29/2020

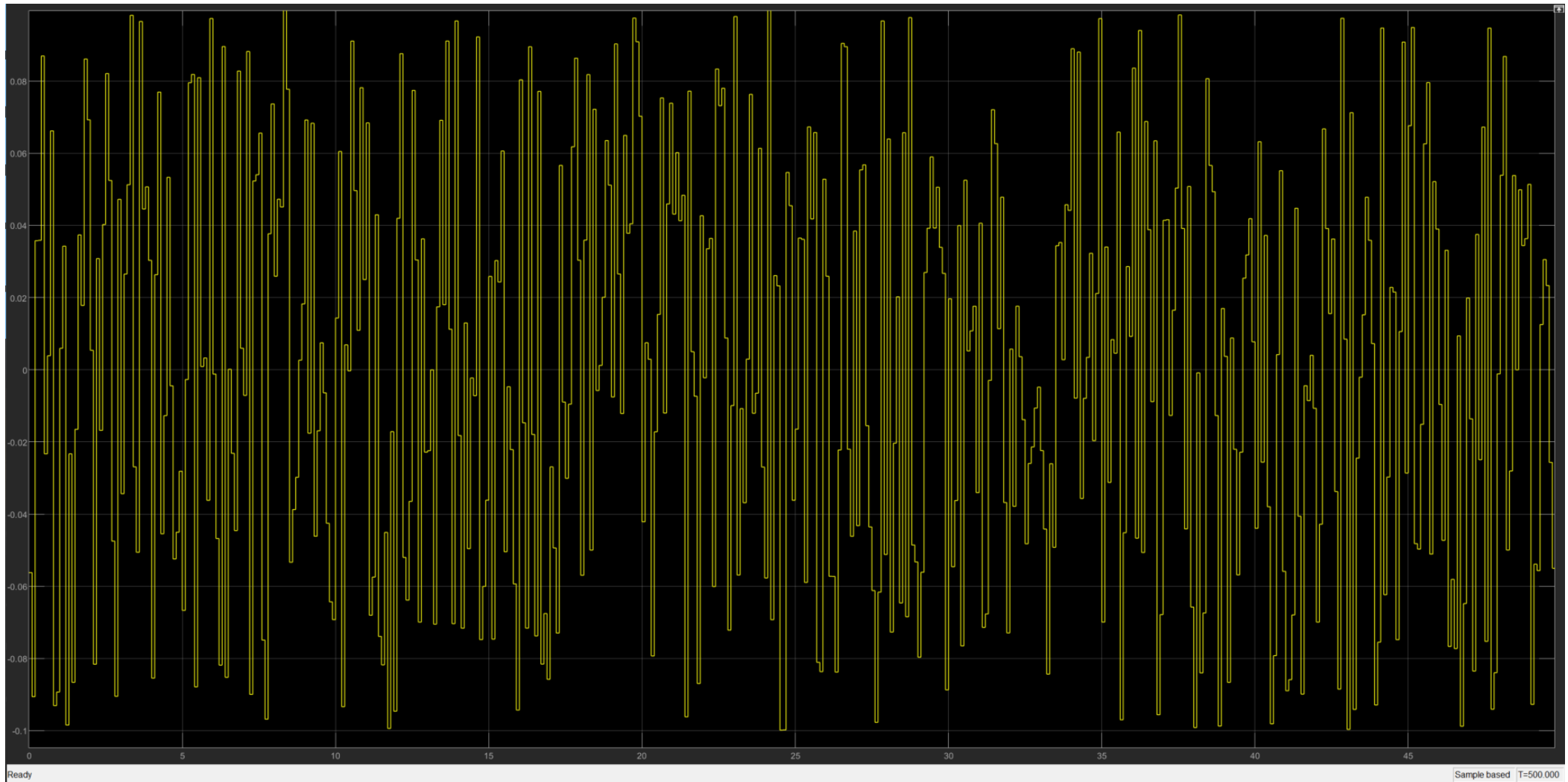
Control objectives

- Implement the modifications:
 - Deadzone
 - Sigma
 - Projection
- Tested with step input / pulse train with excitation

Professor's note: You should not increase the dead-zone too much. Then you will be admitting very poor controllers. Similar for sigma. Your projection does not work. Once you hit it, there is no way back.

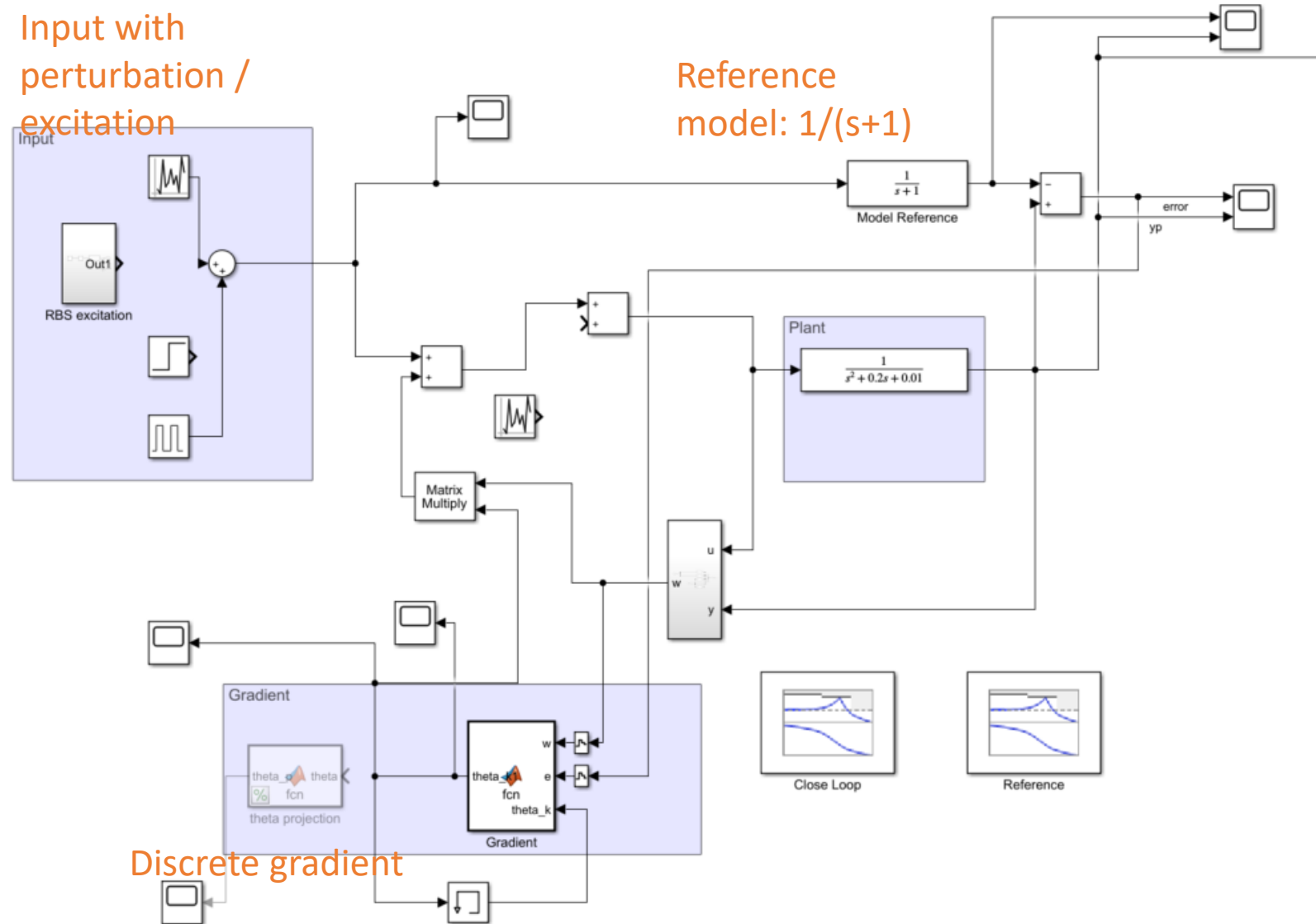
Input Perturbation

- Max: 0.1, Min: -0.1, Sampling time: 0.1s



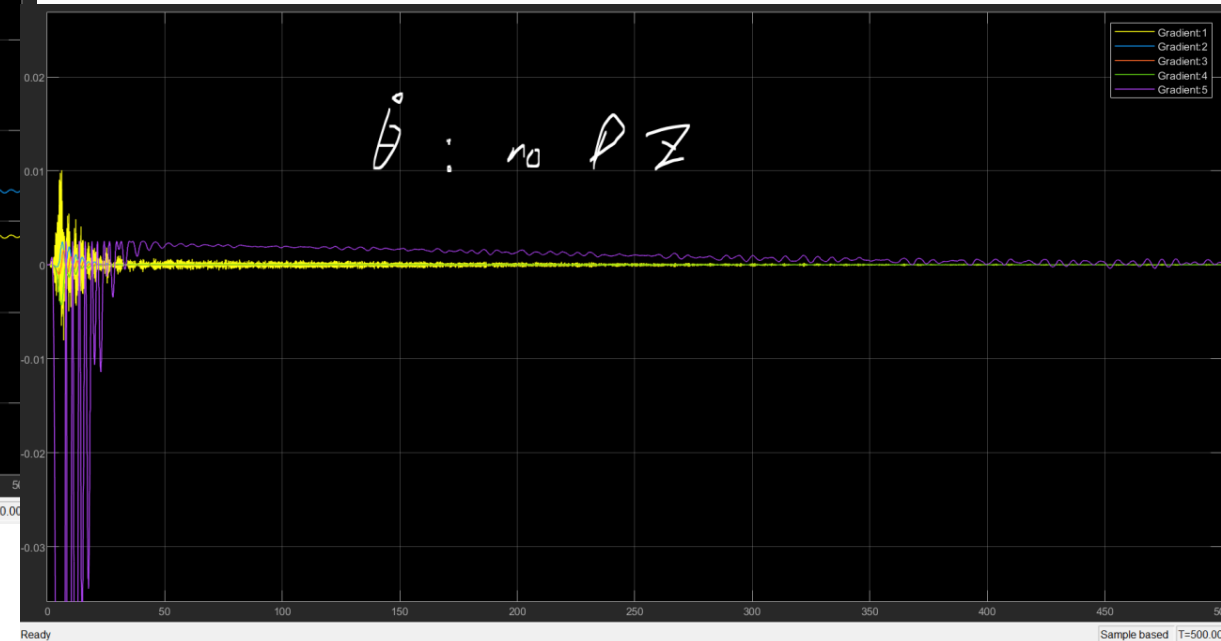
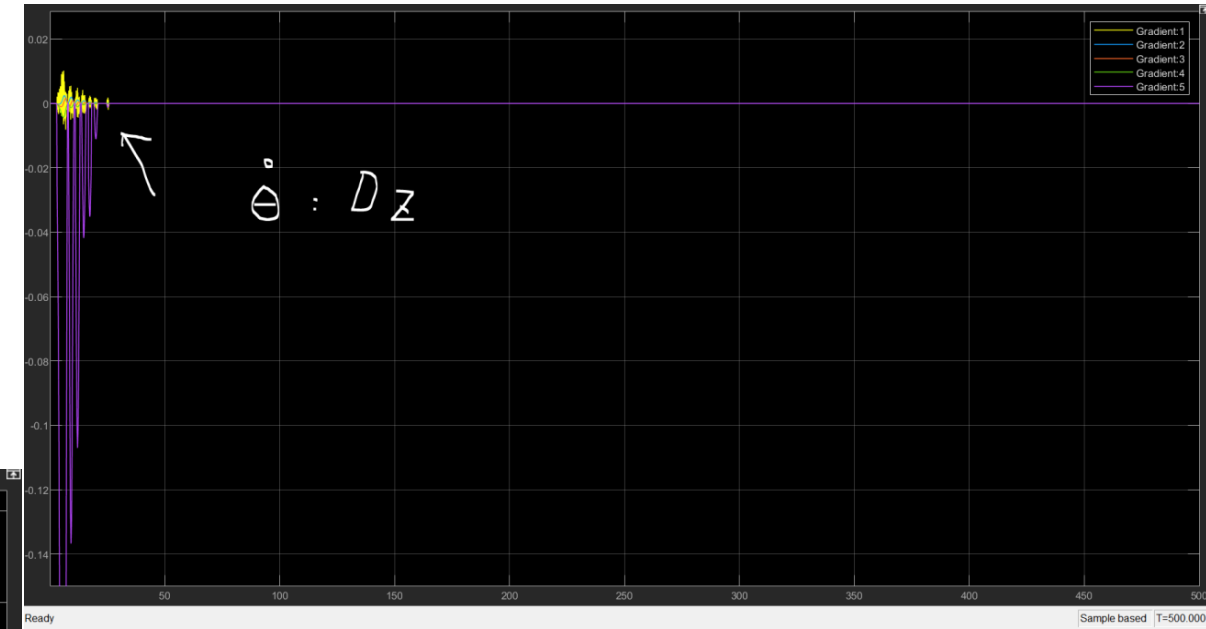
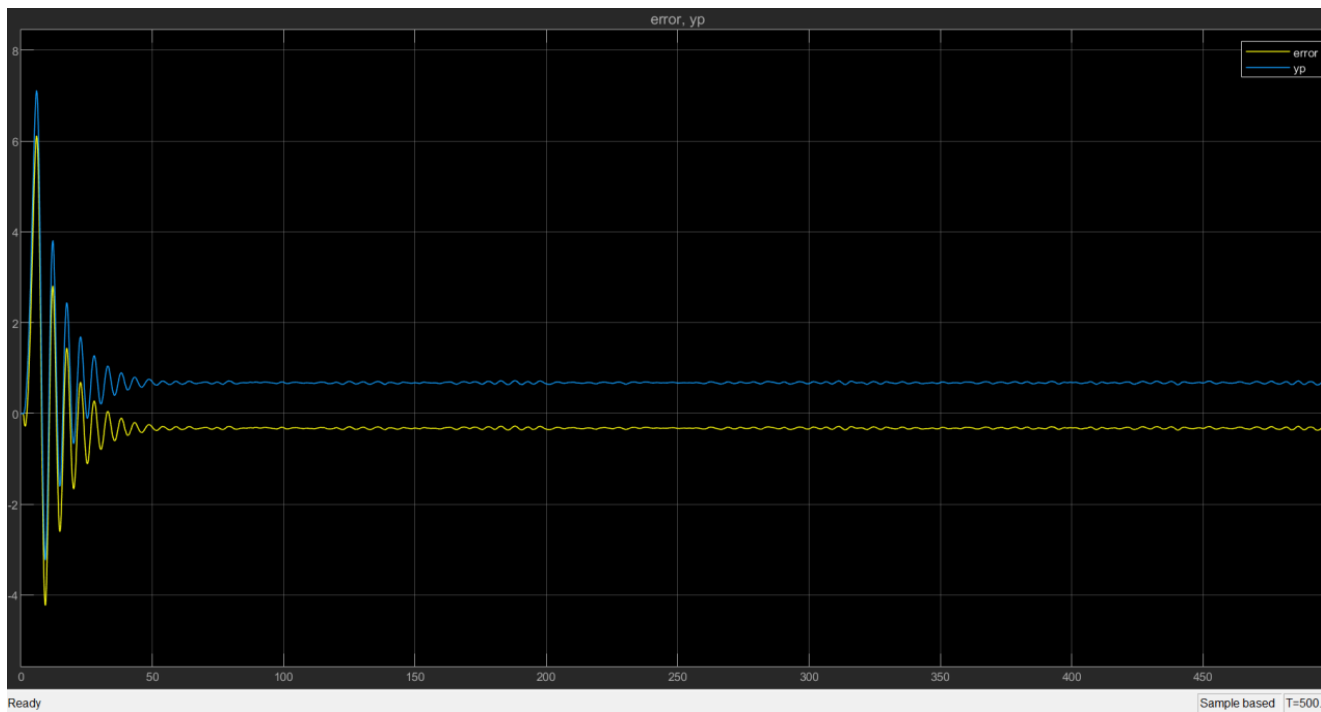
MRAC -System setup

- We are modifying gradient algorithm in this homework.
- We use a pulse train input to see how well the plant converges to reference model.



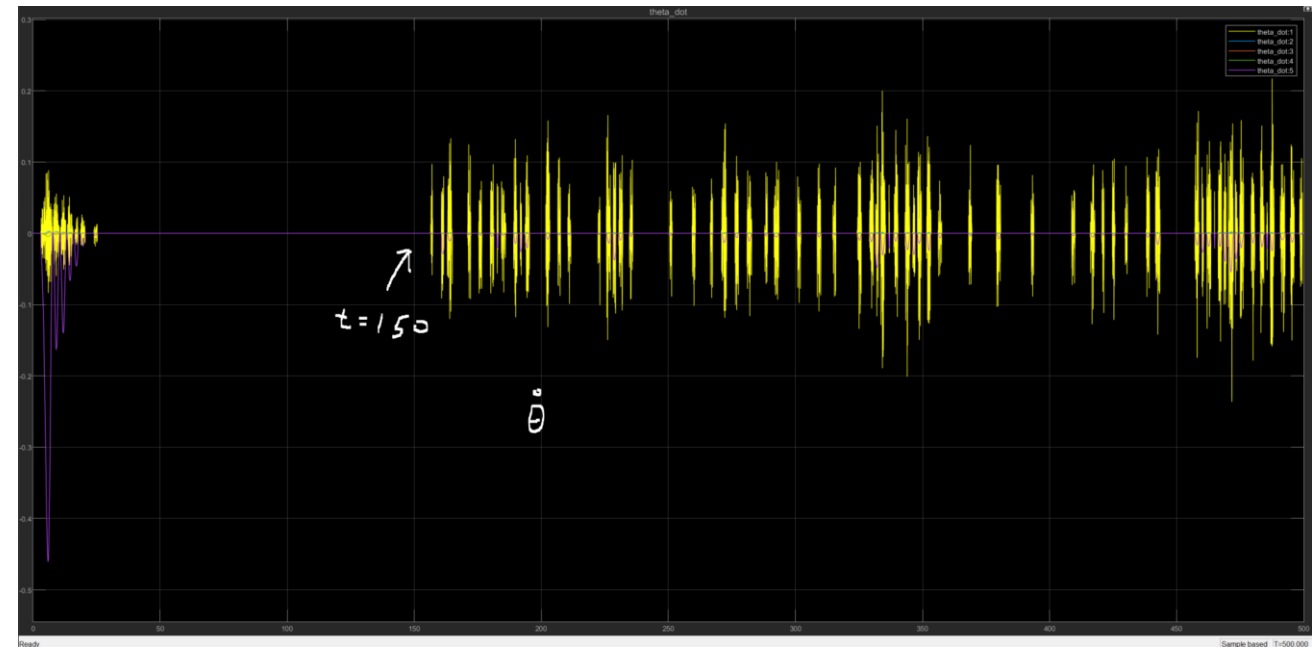
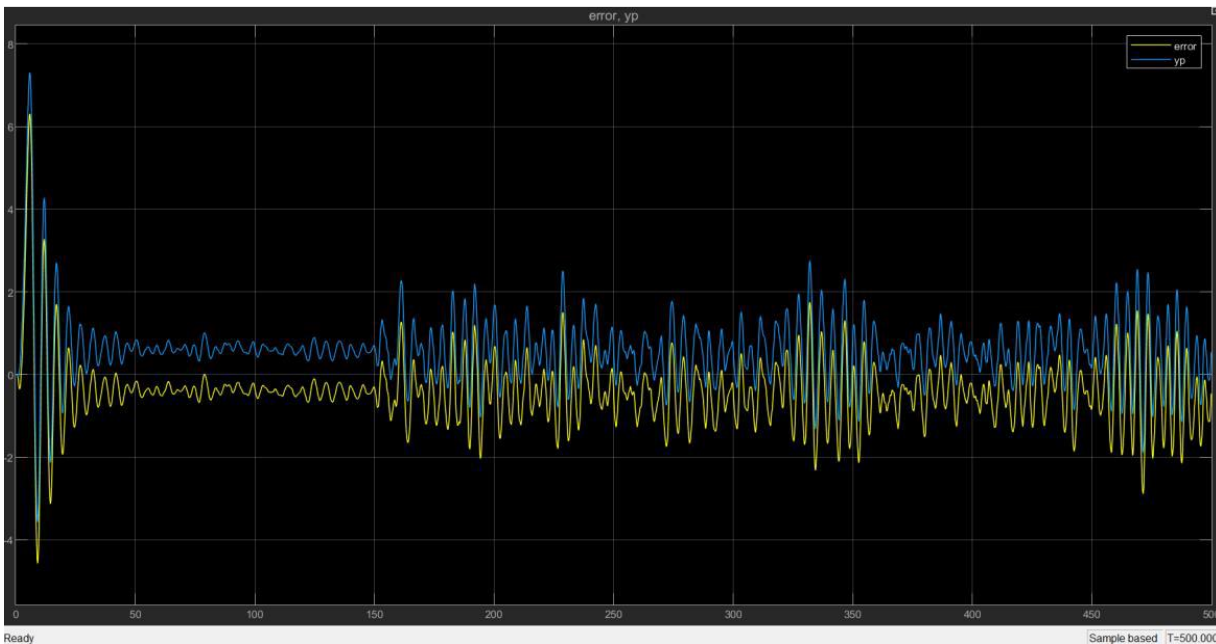
MRAC – P1 -Deadzone

- Deadzone: $\delta = 0.1$



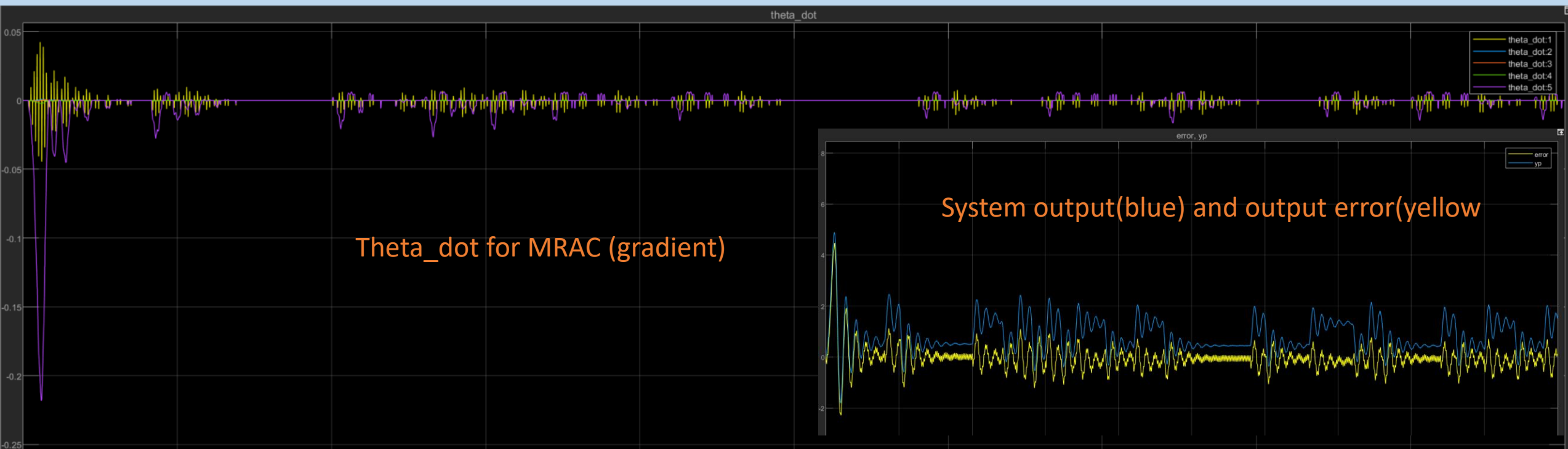
MRAC –P1 –Deadzone–More perturbation

- Introduce a bigger perturbation $[-5, 5]$ at $t=150s$

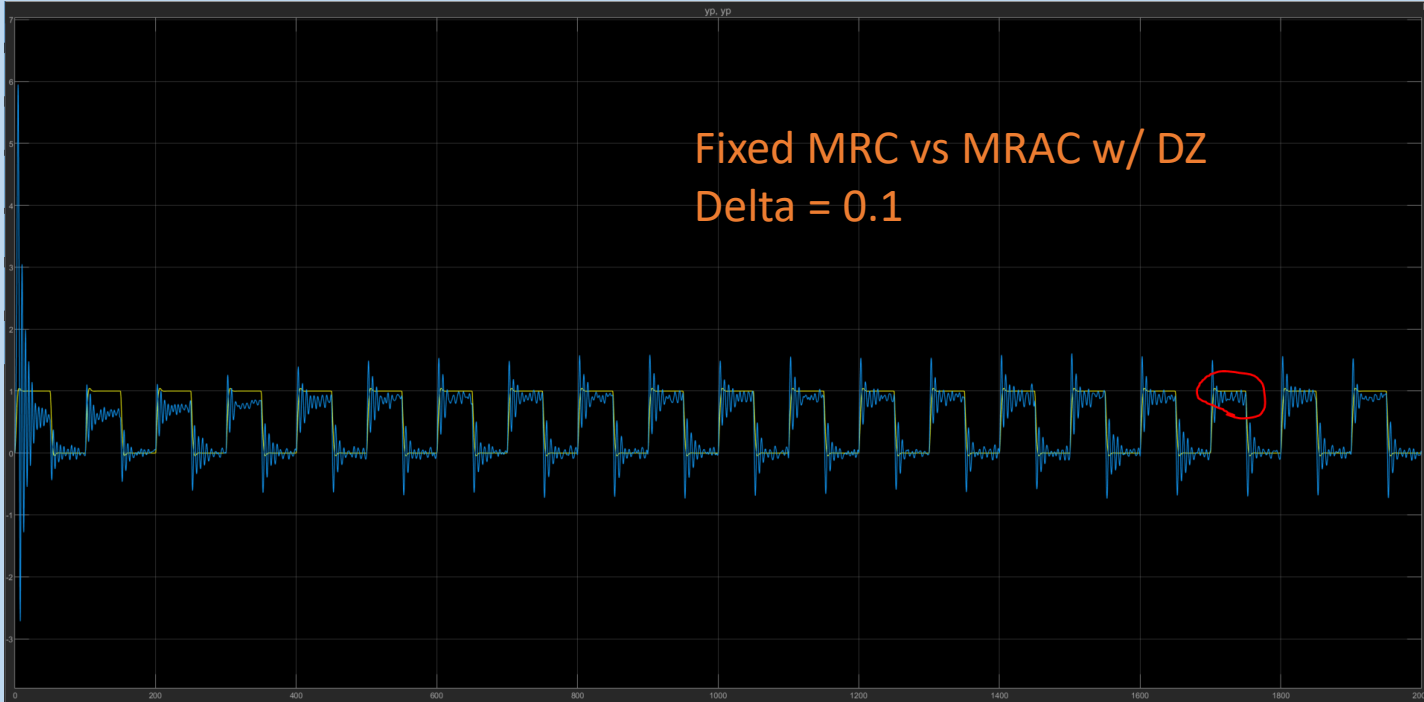


MRAC –P1 –Deadzone–signal disturbances

- In this trial we included RBS signal excitation
- Delta is set to 0.3
- We can see the deadzone in action from theta dot graph
- Input is a pulse train signal + excitation



Comparing different DZ settings (delta)

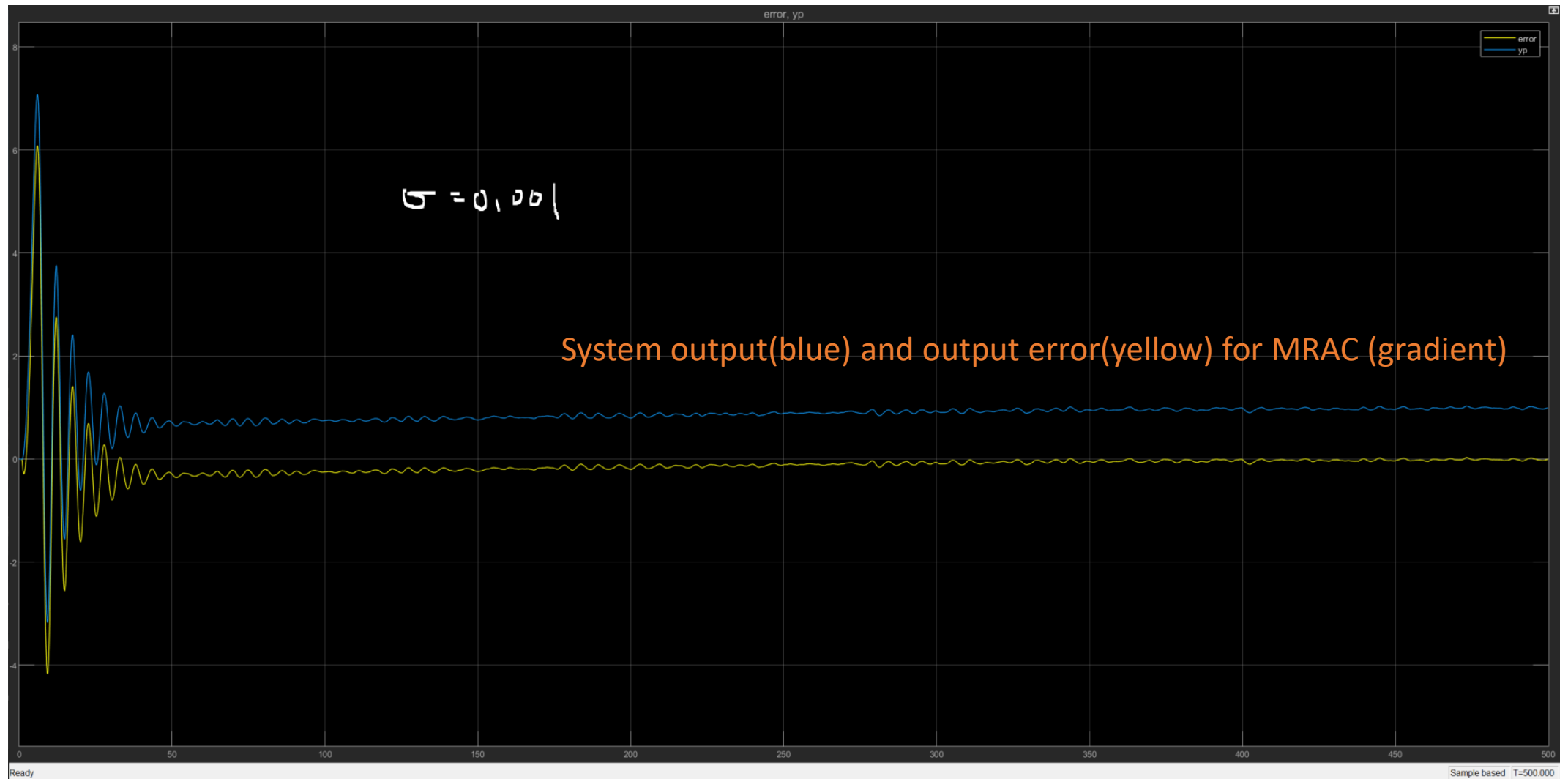


← We can see that the error is reduced as the delta is reduced such that the deadzone kicks in later.



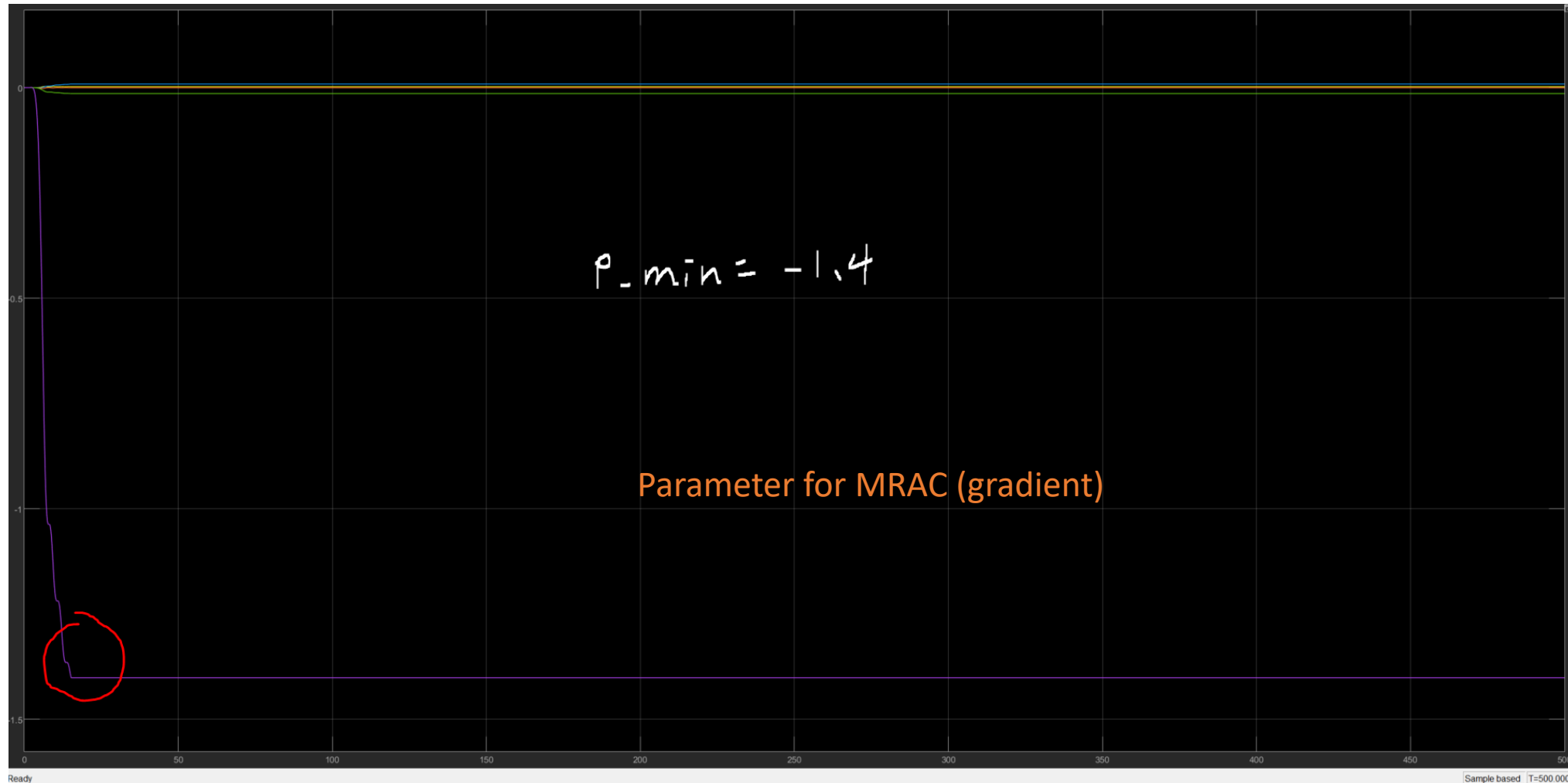
What I wanted to see here is that how much difference would the delta make in terms of system output compared to the ideal system.

MRAC –P1 –Sigma



MRAC –P1 –Projection – first attempt

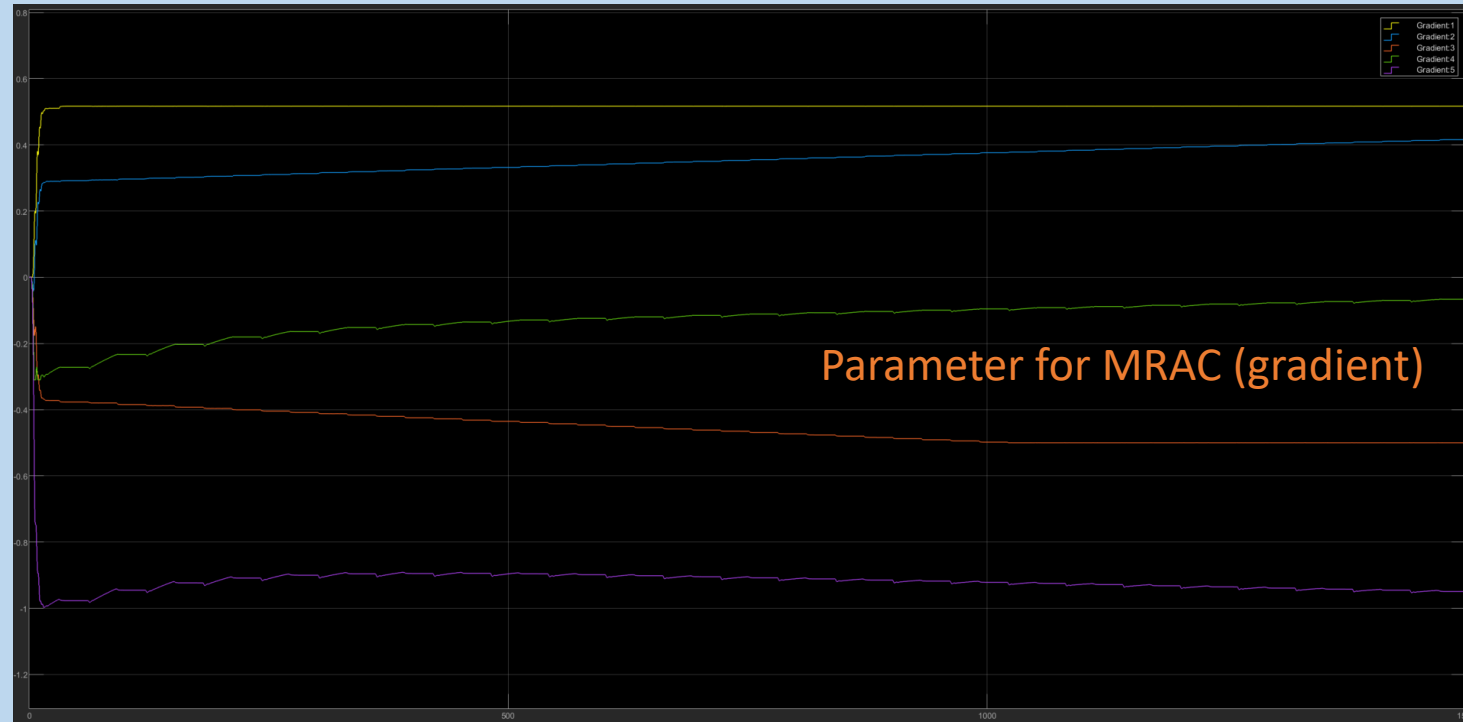
- My attempt: if theta is over a threshold, then stop updating theta dot.



Updated Projection Modification

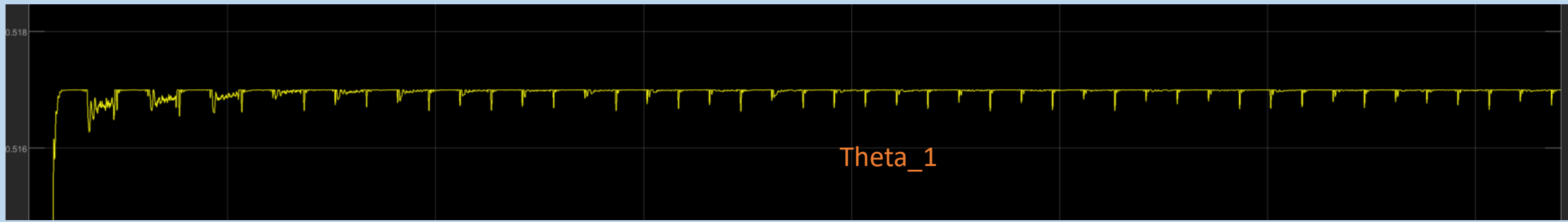
- Instead of previously using continuous time where I modify the $\theta_{\dot{}}$ when the parameters are outside of a boundary, I used discrete system in this case so that we have direct access to the θ for projection.

Parameters are projected individually if they go outside of the boundary set. They are projected to the closest boundary, i.e. θ_{\max} if they exceeds the max value.



Updated projection - continued

- Theta_star: [0.017 0.078 0 -0.01 -1]
- Theta_min: [-0.1 -0.1 -0.5 -0.31 -1.8]
- Theta_max: [0.517 0.778 0.1 0.09 2]
- Below is the enlarged view of the bounded parameter (theta 1)
- We can see that the perturbation in input causes the parameter to spike a little then become bounded again.



Summary

- The modifications are meant for improving robustness when input perturbation is present.
- Sigma modification seems to create an offset compare to the deadzone.
- Selecting appropriate parameter set to project onto is important as poor design could disrupt the transient response of the system.