STAT 3355 HW1 - Yebom Kim

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Problem 1 Problem 1 - (a) $num1 < -8 + 9 - 7 / (3^{\circ}0.3)$ print(round(num1, 2)) ## [1] 11.97 Problem 1 - (b) $num2 \leftarrow log(sqrt((15 + 16) / (14 + 12)), base = 2)$ print(round(num2, 2)) ## [1] 0.13 Problem 1 - (c) $num3 \leftarrow ((11 + sin(pi / 4)) / (factorial(3) + abs(-10)))^2$ print(round(num3, 2)) ## [1] 0.54 Problem 1 - (d) $num4 < -6 + 5 - 4 / 3^2$ print(round(num4, 2)) ## [1] 10.56

Problem 1 - (e)

```
num5 <- exp(sqrt((14 + 13) / (12 + 11)))
print(round(num5, 2))
## [1] 2.95
Problem 1 - (f)
num6 <- (11 + factorial(12)) / (factorial(13) + 14)^2</pre>
print(round(num6, 2))
## [1] 0
Problem 2
Problem 2 - (a)
RF <- c(2.60, 3.05, 3.74, 3.48, 5.49, 4.25, 2.57, 2.18, 3.14, 4.82, 3.28, 3.01)
print(RF)
## [1] 2.60 3.05 3.74 3.48 5.49 4.25 2.57 2.18 3.14 4.82 3.28 3.01
Problem 2 - (b)
names(RF) <- c("Jan", "Feb", "Mar", "Apr", "May", "Jul", "Jun", "Aug", "Sep", "Oct", "Nov", "Dec")</pre>
print(RF)
## Jan Feb Mar Apr May Jul Jun Aug Sep Oct Nov Dec
## 2.60 3.05 3.74 3.48 5.49 4.25 2.57 2.18 3.14 4.82 3.28 3.01
Problem 2 - (c)
round((mean(RF)), 2)
## [1] 3.47
Problem 2 - (d)
min(RF)
## [1] 2.18
```

```
max(RF)
## [1] 5.49
Problem 3
Problem 3 - (a)
H2 <- c(2700, 2600, 3050, 2900, 3000, 2500, 2600, 3000, 2800, 3200, 2800, 3400)
print(H2)
## [1] 2700 2600 3050 2900 3000 2500 2600 3000 2800 3200 2800 3400
Problem 3 - (b)
names(H2) <- c("Jan", "Feb", "Mar", "Apr", "May", "Jul", "Jun", "Aug", "Sep", "Oct", "Nov", "Dec")</pre>
print(H2)
## Jan Feb Mar Apr May Jul Jun Aug Sep Oct Nov Dec
## 2700 2600 3050 2900 3000 2500 2600 3000 2800 3200 2800 3400
Problem 3 - (c)
sum(H2)
## [1] 34550
Problem 3 - (d)
names(H2)[which.min(diff(H2))]
## [1] "May"
min(diff(H2))
## [1] -500
names(H2)[which.max(diff(H2))]
## [1] "Nov"
```

```
max(diff(H2))
```

[1] 600

Problem 4

Problem 4 - (a)

```
x <- c(1, -2, 3, -4, 5, 100)
y <- x * (-1)
y[y > 0]
```

[1] 2 4

Problem 4 - (b)

```
# create a sequence from 1 to 50
z <- seq(1:50)
# test whether an observation is even
even <- z %% 2 == 0
# subset z by the test above
z = z[even]</pre>
```

Problem 4 - (c)

```
mean <- function(x) {
  sum(x) / length(x)
}</pre>
```

Problem 5

```
print_square <- function() {
    final <- NULL
    for (x in 1:1000) {
        if (sqrt(x) %% 1 == 0) {
            final <- c(final, x)
        }
    }
    return(final)
    }
print_square()</pre>
```

[1] 1 4 9 16 25 36 49 64 81 100 121 144 169 196 225 256 289 324 361 ## [20] 400 441 484 529 576 625 676 729 784 841 900 961

Problem 6

```
\# Test the number is prime number
is_prime <- function(num) {</pre>
 if (num <= 1) {
   return(FALSE)
  if (num == 2) {
   return(TRUE)
 if (any(num %% 2:(num-1) == 0)) {
   return(FALSE)
 return(TRUE)
}
# Function to count the prime num pairs
count_twin_primes <- function(n) {</pre>
  count <- 0
  for (i in 3:(n-2)) {
    if (is_prime(i) && is_prime(i + 2)) {
      count <- count + 1</pre>
 }
 return(count)
n <- 100
result <- count_twin_primes(n)</pre>
cat("Number of twin prime pairs:", result)
```

Number of twin prime pairs: 8