

$N_1 \rightarrow N_2 \rightarrow N_3 \rightarrow \dots \rightarrow N_{10086} \dots \rightarrow \text{NULL}$

Physical Memory: (byte)

$0x\text{FFFF}0001$      $0x\text{FFFF}0002$      $0x\text{FFFF}0003$      $0x\text{FFFF}0004$

! make sure do not deference null pointer

1. How to reverse a linked list

prev    head    next  
 $N_1 \rightarrow N_2 \rightarrow N_3 \rightarrow \dots \rightarrow N_n \rightarrow \text{null}$   
 $N_1 \leftarrow N_2 \leftarrow N_3 \leftarrow \dots \leftarrow N_n$   
head

① Iterative:

next = head.next;

head.next = prev;

prev = head;

return prev

head = next.

② Recursive. ( subproblem ).

head

$N_1 \rightarrow$

$N_2 \rightarrow N_3 \rightarrow \dots \rightarrow N_n \rightarrow \text{null}$

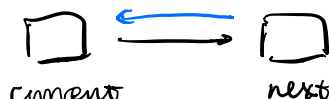
before

$\text{null} \leftarrow N_1 \leftarrow$

$N_2 \leftarrow N_3 \leftarrow \dots \leftarrow N_n$

after

Current's next's next = current.



current's next = null;



2. How to find the middle node of a linked list.

Fast & Slow pointer.

↳ increment 2 times speed as slow pointer.

when fast reaches the end, slow will be at the middle.

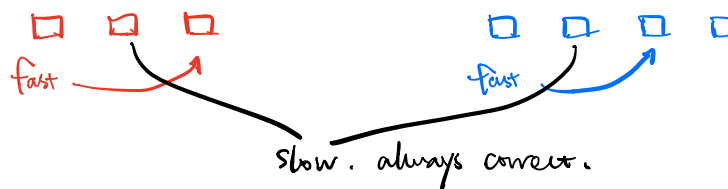
while loop condition: **fast has next**

**fast's next has next.**

So when we jump out of the loop, fast will be either the last node or the second last node

$n = \text{odd number}$

$n = \text{even number}$



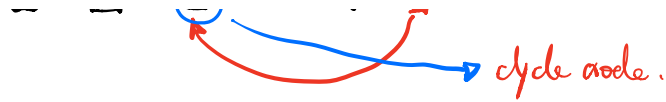
3. Check if a linked list has a cycle. (no duplicate val)

Fast & slow pointer.

if cycle, fast & slow will eventually have the **same** value.

Extra : Cycle Node in Linked List.



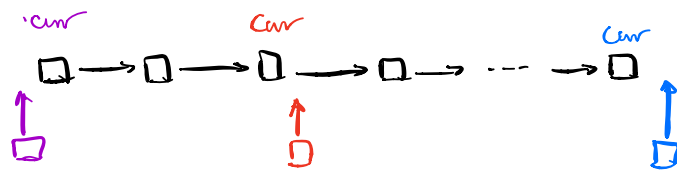


Hashset to check.

add visited node (next) to map.

If found contains - cycle node (where cycle starts)

4. Insert a node in a Sorted Linked list.



case # 1: insert middle:  $cur < target \leq cur.next$ .

case # 2: insert end:  $cur < target$ .

case # 3: insert head:  $cur \geq target$

5. Merge two sorted linkedlist into a longer linked list.

Use two pointers & move the smaller pointer.  
use dummy head and return dummy's next.

Note: when append to current.

1st list:  $\square \rightarrow \square - current$

2nd list:  $\square \rightarrow \square$   
                  ↑  
                  one  $\rightarrow one$

$current.next = one$ .

$one = one.next$ :

Then:  $cur = cur.next$

## 6. Reorder Linked List.

$N_1 \rightarrow N_2 \rightarrow N_3 \rightarrow N_4 \rightarrow \dots \rightarrow N_n \rightarrow null$

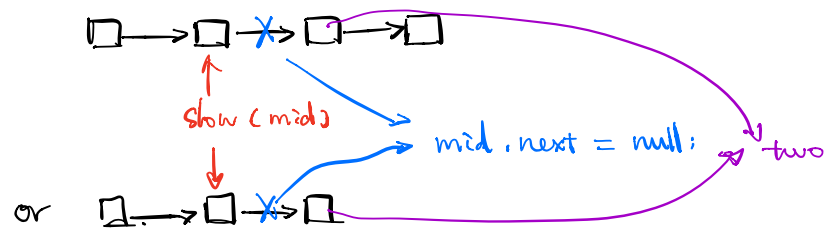
$\Rightarrow (N_1 \rightarrow N_n) \rightarrow (N_2 \rightarrow N_{n-1}) \rightarrow (N_3 \rightarrow N_{n-2}) \rightarrow \dots$

Step 1: Find the middle and split to 2 lists.

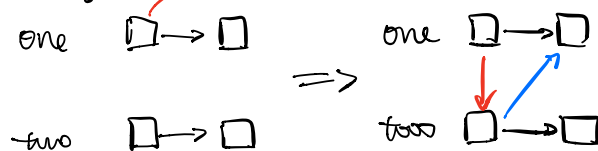
Step 2: Reverse the 2nd list.

Step 3: Merge 2 list.

Note: after find mid. need to cut off.



Note: merge. head



one.next = two.

two.next = one's next.

update one & two

## 7. Partition linked list:

Given a list & target  $x$ .

partition it s.t all nodes less than  $x$  are listed  
before nodes larger than or equal to  $x$ .  
(Keep the original relative order).

Step 1: create two dummies for small & large values

Step 2: iterate over the list, & compare values.  
add to small & large tails.

Step 3: Concat small & large.

Small Tail's next = large Dummy's next.

Step 4: Terminate cycle:  $!$   
largeTail.next = null:

8. Merge Sort Linked list.

Step 1: Find Middle (slow & fast pointer)  
& split to two halves.  
└ mid.next = null;

Step 2: Recursion

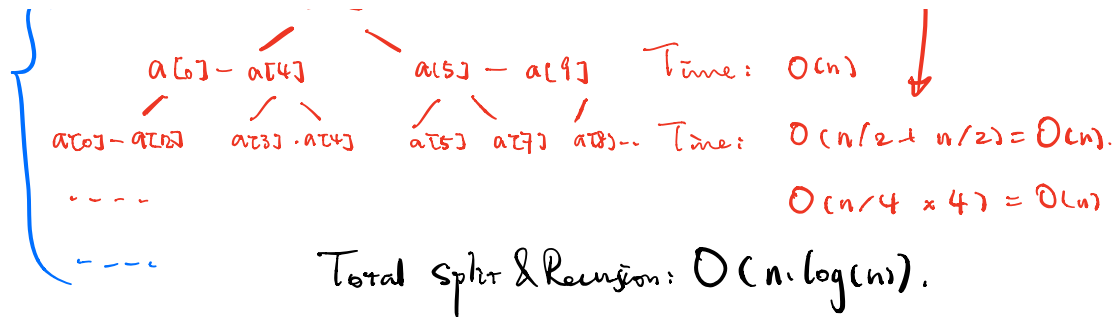
Step 3: Merge 2 halves.

Analysis:

Split part: find mid =  $O(n)$  for each layer.

Total:  $\log(n)$  layers.

$O(n \log n)$



Merge Part:  $O(n)$  for each layer.  
 $O(\log n)$  layers.

Total Merge  $O(n \cdot \log(n))$ .

Total Time:  $O(n \log n + n \log n) = O(n \log n)$ .

Total Space: all nodes in a path:  $O(\log n)$ .

9. Add Two numbers:

Given 2 non-negative #s, digits stored in **reverse order**  
 add them up & return as a linked list.

Q10. Remove Nodes. based on target value