

# Program Analysis

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Lecture #6 out of 10

90 minutes

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Basics

Quality of Analysis

Abstract Interpretation

Approximation

## Chapter #1:

# Basics

## Syntactic & Semantic Properties

Semantic property can be completely defined with respect to the set of executions of a program, while a syntactic property can be decided directly based on the program text.

```
if (x) { printf("大家好"); }
```

Which properties are dynamic?

- A program may print a text to the console
- A program may call `printf()` C library function
- A program prints to the console
- A program consists of one line of code

## Rice's Theorem

Rice's theorem states that all non-trivial semantic properties of programs are undecidable.

A property is non-trivial if it is neither true for every partial computable function, nor false for every partial computable function.

Halting problem is the problem of determining, from 1) a description of an arbitrary computer program and 2) an input, whether the program will finish running, or continue to run forever. A general algorithm to solve the halting problem for all possible program–input pairs **cannot exist**.

## Non-trivial Properties

Examples of a non-trivial properties:

- A program exits
- A program prints “Hello”
- A program finishes in less than 5 seconds
- A program dies with “Segmentation Fault”
- A program prints user password to the console

Suggest a few properties.

## Static Analysis

Consider two C++ programs given to a static analyzer (e.g. Clang Tidy):

```
int f() {  
    int x = 0;  
    return 42 / x;  
}
```

```
int f(int x) {  
    return 42 / x;  
}
```

Expected answers from Clang Tidy:

Yes! :)

No :(

## Style Checking

Consider two C++ programs given to a style checker (e.g. cpplint):

```
int f (int x)
{
    return 42 / x;
}
```

```
int foo(int x) {
    return 42 / x;
}
```

Expected answers from cpplint:

Extra space before ( in  
function call ; { should  
almost always be at the end  
of the previous line

**No :(**



## Dynamic Analysis

Consider this C++ programs given to a dynamic analyzer (AddressSanitizer):

```
int foo(int i) {
    int a[5];
    return a[i];
}

int main() {
    return foo(6);
}
```

```
$ gcc -fsanitize=address -g a.cpp
$ ./a.out
```

```
=====
==76375==ERROR: AddressSanitizer: stack-buffer-overflow on address 0x00016babf0d8
READ of size 4 at 0x00016babf0d8 thread T0
#0 0x104343e54 in foo(int) a.cpp:9
#1 0x104343f38 in main a.cpp:12
#2 0x1a07c7e4c (<unknown module>)

Address 0x00016babf0d8 is located in stack of thread T0 at offset 56 in frame
#0 0x104343cf0 in foo(int) a.cpp:7

This frame has 1 object(s):
[32, 52) 'a' (line 8) <== Memory access at offset 56 overflows this variable
```

Chapter #2:

## Quality of Analysis

## Sound & Complete



## Precision & Recall

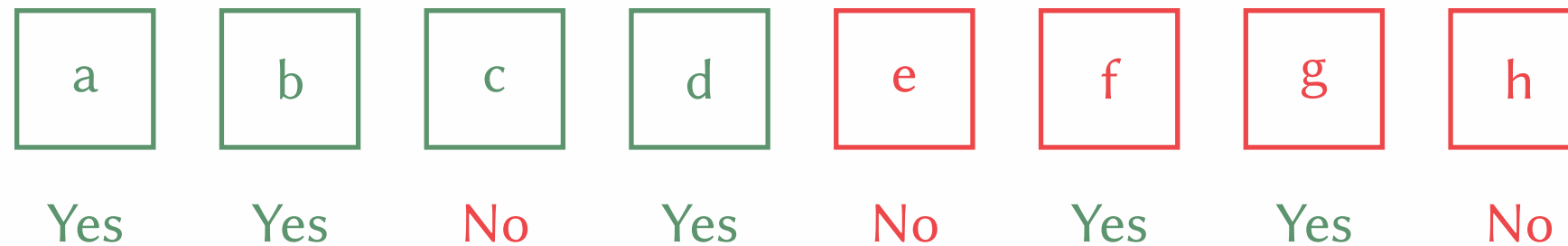
Precision is the fraction of relevant instances among the retrieved instances (100% precision means soundness).

Recall is the fraction of relevant instances that were retrieved (100% recall means completeness).

$$\text{Precision} = \frac{TP}{TP + FP} \quad \text{Recall} = \frac{TP}{TP + FN} \quad \text{Accuracy} = \frac{TP + TN}{TP + TN + FP + FN}$$

## Experiment

Say, we give a few programs to a static analyzer:



$TP = \underline{\hspace{1cm}}$        $FP = \underline{\hspace{1cm}}$        $TN = \underline{\hspace{1cm}}$        $FN = \underline{\hspace{1cm}}$   
 Precision =  $\frac{TP}{TP + FP} = \underline{\hspace{2cm}}$       Recall =  $\frac{TP}{TP + FN} = \underline{\hspace{2cm}}$   
 Accuracy =  $\frac{TP + TN}{TP + TN + FP + FN} = \underline{\hspace{2cm}}$

## Flip of Terminology

Soundness and Completeness: With Precision by Prof. Bertrand Meyer, in Blog@CACM: “It is very easy to obtain soundness if we forsake completeness: reject every case.”

Chapter #3:

# Abstract Interpretation

There is a compromise to be made between the precision of the analysis and its decidability (computability), or tractability (computational cost).

Chapter #4:

## Approximation



## Further Reading/Watching

Lecture by Patrick Cousot, on [YouTube](#)