Title

Author2[†] $Author^*$ email1 email2

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Essential 1

todo

 $\mbox{\mbox{\mbox{}marginpar}}$

$$\binom{n}{k} = \frac{n!}{k!(n-k)!}$$

$$= \frac{1}{2\pi i} \oint_{\Gamma} \frac{(1+z)^n}{z^{k+1}} dz$$
(1) \(\text{marginpar} \)
(2)

Table 1: Caption

A	\mathbb{R}^*
a	b
\mathbf{c}	d
е	f
g	h

TensorFlow^{\dagger} (Abadi et al., 2016), Abadi et al. (2016). Section 1 on a page 1, table 1, figure 1, equations (1) and (2).

^{*}thanks

 $^{^{\}dagger} thanks$

^{*}footnote mark-footnote text

 $^{^{\}dagger} footnote$



Figure 1: Caption

2 Other CO₂

Subfigures

Proof

The proof is easy and is left to a reader.

Test math

$$\sum_{\mu} \sum_{\mu} \mathbb{R}^{n \times m} \left\langle \frac{\Psi}{1} \middle| \frac{\Psi}{1} \right\rangle \left\langle \frac{\Psi}{1} \middle| \frac{\Psi}{1} \right\rangle \left\langle n \middle| \prod_{k} U_{k} \middle| \frac{x}{1} \right\rangle \left\langle n \middle| \prod_{k} U_{k} \middle| \frac{x}{1} \right\rangle$$

$$\operatorname{Normal}(\mathbf{x} \mid \mu, \sigma^{2})$$

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$$Y \sim \operatorname{U}[0, 1] \propto \alpha \operatorname{Beta}(a, b \; ; \; c, d) \; \Gamma\left(x \middle| \alpha + \sum_{k=0}^{n} \theta_{k}\right) \mathcal{N}(\mathbf{x} \mid \mu, \sigma^{2})$$

$$\sum_{n=-\infty}^{+\infty} f(x) \geqslant \geq \operatorname{med} X$$

$$\varepsilon + \operatorname{e}^{-\frac{(x-2)^{2}}{2\sigma^{2}}} + \operatorname{const}$$

$$\stackrel{\dot{a}\varepsilon\phi\varphi}{\not\sim \mathcal{A}} \neq \emptyset$$

$$\forall \mathcal{L} \notin \emptyset$$

$$\lim_{n \to \infty} f(x) \geqslant \geq \operatorname{med} X$$

$$\varepsilon + \operatorname{e}^{-\frac{(x-2)^{2}}{2\sigma^{2}}} + \operatorname{const}$$

$$\stackrel{\dot{a}\varepsilon\phi\varphi}{\not\sim \mathcal{A}} \neq \emptyset$$

$$\lim_{n \to \infty} f(x) \geqslant \sum_{n \to \infty} \operatorname{med} X$$

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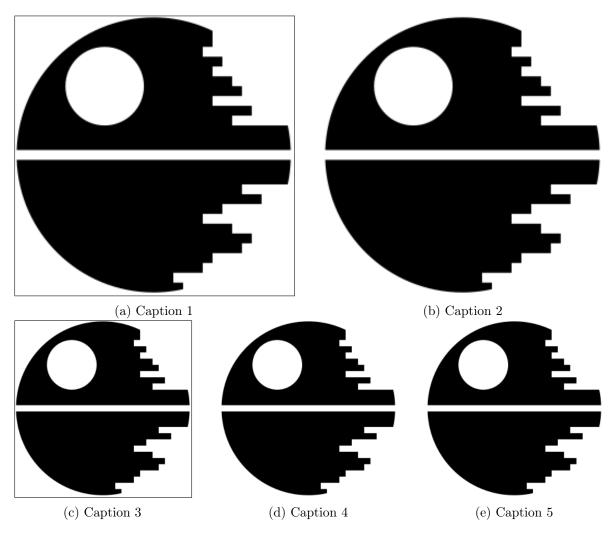


Figure 2: The caption. *Top*: top. *Bottom*: bottom.

$$\begin{vmatrix} 1 & 2 \\ 3 & 4 \end{vmatrix} = \left| \oint_A^B f(z) \, dz \right| = \frac{du}{dx} = \mathcal{F}\mathfrak{F} = \frac{\sum a_{ij}}{\sum b_{ij\text{big long thing}}} = \sum_{\text{Pr {Poisson}}(\lambda = 3) > 5} a_k = \frac{\mathbb{P}\left\{ \frac{X}{\mathbb{E}X} \leqslant \varepsilon \right\}}{\Pr{\text{Poisson}}(\lambda = 3) > 5}$$
(3)

$$\partial \cdot \frac{\partial}{\partial x} \cdot \frac{\partial f}{\partial x} \cdot \frac{\partial^3 f}{\partial x^3} \cdot \frac{\partial}{\partial x} \frac{x^2 + 1}{x^3 + 1} \bigg|_{x=0} = d \cdot \frac{d}{dx} \cdot \frac{df}{dx} \cdot \frac{d^3 f}{dx^3} \cdot \frac{d}{dx} \frac{x^2 + 1}{x^3 + 1} \bigg|_{x=0}$$
(4)

$$\overline{a} \ A \stackrel{*}{\approx} B \ \sum_{\substack{0 < i < n \\ j \neq i}} f(i) \ \sqrt[3]{P(x) + Q(x)} \ \frac{3}{8} \frac{3}{8} \frac{3}{8} 3/8 \ x = x \ x = x$$
(5)

Math fonts

(mathrm)	ABCDEFabcdef
(mathbf)	${\bf ABCDEFabcdef}$
(mathsf)	ABCDEFabcdef
(mathtt)	ABCDEFabcdef
(mathit)	ABCDEFabcdef
(mathcal)	$\mathcal{ABCDEF} \dashv \bigsqcup \lceil \rceil \{$
(mathnormal)	ABCDEFabcdef
(boldsymbol)	$ABCabc\Gamma\Omega\Xi\gamma\omega\xi$
(mathscr)	$\mathscr{A}\mathscr{B}\mathscr{C}\mathscr{D}\mathscr{E}\mathscr{F}$
(mathfrak)	ABCDEFabedef
(mathbb)	ABCDEFƏ℧⊮⊭⊮⋭≱
(mathbbm)	ABCDEFabcdef12

Text fonts

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General formatting

• x y

- "quote"
- Ph. D.
- Ph. D.
- Ph. D.
- A. B
- A. B
- yo_□wazup

3 Bibliography

Abadi, M., Barham, P., Chen, J., Chen, Z., Davis, A., Dean, J., ... Zheng, X. (2016). Tensorflow: A system for large-scale machine learning. In 12th USENIX symposium on operating systems design and implementation (OSDI 16) (pp. 265-283). Savannah, GA: USENIX Association. Retrieved from https://www.usenix.org/conference/osdi16/technical-sessions/presentation/abadi