

Mixed signal processing and machine learning methods for bearings fault detection: Application in predictive meaintenance (Project outline)

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1 Introduction

Predictive maintenance for machines and industrial equipments can be defined as a maintenance philosophy or more generally a framework with a set of methods used to predict and prevent machine failure in order to avoid unexpected downtime. This maintenance philosophy, when correctly implemented, increases machine life time, and reduces maintenance cost [reference].

As a framework, predictive maintenance has 4 levels. In level 1, visual inspection of machines or equipments are performed in order to assess any damage. In level 2 and 3, machines characteristics such as vibration, temperature, electrical current, voltage etc are monitored continually or periodically depending on the criticality of the machine. This is called condition monitoring. In condition monitoring, the goal is to detect any change in machine normal behaviour, in order to detect failure as early as possible and schedule maintenance accordingly. In level 4, big data and associated methods such as machine learning are the main driving forces in detecting failure and planning maintenance optimally.

According to PriceWaterhouseCoopers (PWC) which is one of the four largest auditing and consulting company in the world, a survey from 280 companies in Belgium, Germany and the Nederland, revealed that only 11% of companies have reached level 4 [4]. The application of level 4 requires collecting, saving and analysing large amount of data, from which maintenance decision could be made. The anomaly detection procedure are performed by using statistical and machine learning methods.

The statistical and machine learning methods can be classified into two categories. Supervise learning and unsupervised learning methods. In supervised learning, based on available failure data from defect machine, a learning algorithm is trained to recognise the failure pattern in the data. This is sometime achieved by fitting the algorithm parameters to the data, which result in a model called a classifier or a regressor. A classifier is a model derived from a classification algorithm while a regressor is a model derived from a regression algorithm. In machine learning, the failure data is called a labeled data because we can assign a categorical label such as fail or a numerical label such as 1 to specify the condition of the machine through the data measuring its characteristics. In the absence of labeled data, unsupervised learning methods can detect pattern in the data without prior knowledge and classify data regions as anomalous or not.

The procedure of classifying a data region as anomalous or not is called anomaly detection. In this sense, an anomaly is defined as a pattern in the data, that does not conform to expected normal behaviour [3]. A general anomaly detection strategy will first detect normal behaviour, secondly set a boundary around the normal behaviour and finally declare any data out of the boundary as anomaly.

In rotating machines, more than 40 % of machine malfunction can be attributed to bearing defect [references].

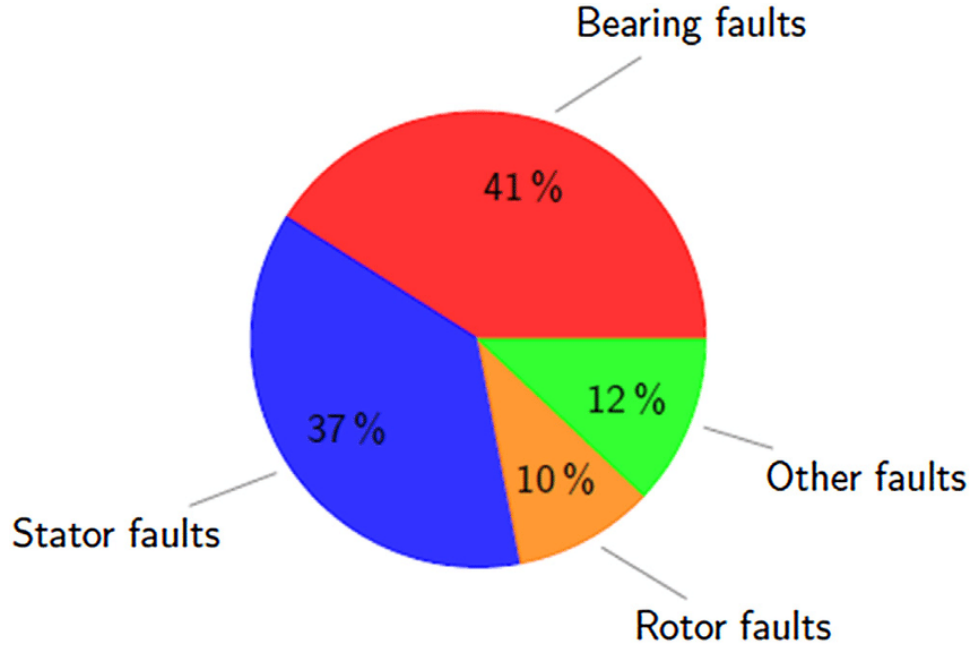


Figure 1: Defect statistic, taken from [reference]

In this project we present a mixed methodology to detect and predict bearing defects. The methodology consists of using signal processing for feature generation and data labelling, and machine learning for defects classification and failure prediction. For a given input dataset, the dataset is decomposed into its subcomponents or basis components. The basis components also called features are then used as input of a supervised learning algorithm for defect classification and failure prediction.

The signal processing methods used are Fourier transform, wavelet transform and Hilbert Huang transform. We focus on ensemble learning and feed forward neural network for classification. Furthermore we show that the back-propagation process in the feed forward neural network can be modelled by an ordinary differential equation, whose solution represents the path of the hidden and output layer weights.

This thesis is structured into five parts organised as follows. In chapter one we give an overview of the signal processing methods. Chapter two outlines the machine learning methodology and shows that the back-propagation in the feedforward neural network can be modelled as a differential equation. We present a case study in chapter three and apply the methodology defined in chapter

one and two. The thesis is concluded in chapter four where we ...

2 Previous work

3 Signal processing methods

3.1 Overview

We present three signal processing methods for data decomposition or feature generation. The three methods can be described as follow: Given a time series approximated by a map

$$f : \mathbb{R} \rightarrow \mathbb{R}, \quad (1)$$

find a a basis $\{\varphi_j\}_{j=0}^n$ that span a vector space V such that

$$f(x) = \sum_{j=0}^{j=n} \alpha_j \varphi_j. \quad (2)$$

In the context of this work, the basis functions $\{\varphi_j\}_{j=0}^n$ are the features derived from the original dataset. Furthermore, we show that the derived feature(s) contain enough information about the map f . In practical sense, this information could be defect information for a time series from a broken machine or equipment.

To illustrate the methods, we apply each method on a case study.

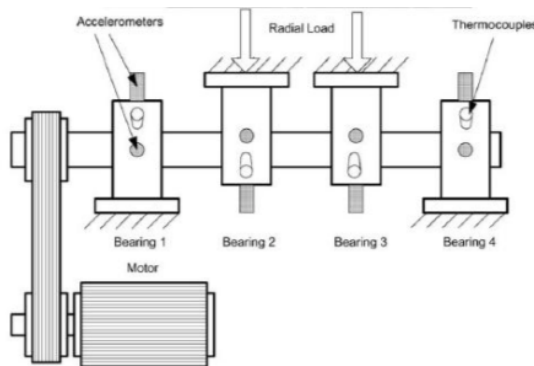


Figure 2: Experimental set up

The data used in this use case was generated by the Intelligence Maintenance system (IMS) [reference]. Three separate experiments involving four bearings were performed on a motor. In each experiment, a 1-second vibration signal snapshots was recorded every 10 minutes, for a specified time. Each vibrational signal sample consists of 20 480 data points with sampling rate of 20 000 Hz.

3.2 Fourier transform

3.2.1 Theory

3.2.2 Application

In this approach we use Fourier transform to detect defect frequency such outer race defect frequency and inner race defect frequency in the envelop spectrum. In this case the envelop spectrum is the new feature generated from the original vibration data. The bearing type used are Rexnord ZA-2115. For this type of bearing, the constant defect frequency (cdf) for ball pass frequency outer race defect is 0.1182 and the constant defect frequency for ball pass frequency inner race defect is 0.1484 [reference]. According to Rexnord product engineering group [reference], to find the defect frequency in Hz we multiply the constant defect frequency (cdf) by the rotational speed of the bearing (here 2000 RPM), to find the defect frequency in Hz. Note that the defect frequency is computed from the geometry of the bearing, which means that for a specific bearing, this is a constant value.

Figure 3 shows the geometry of a bearing, from which bearing defect frequency can be computed. Figure 4 illustrates how Fourier transform can decompose vibration data into its frequency components. Each frequency component which are trigonometric functions are characterised by constant frequency and amplitude. In a defect bearing, the defect frequency will be coupled with a relatively high amplitude.

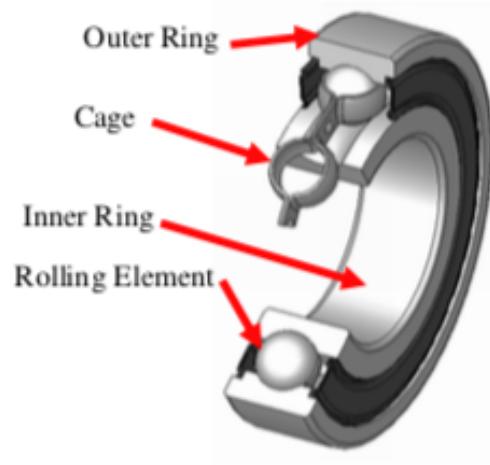


Figure 3: Geometry of a bearing

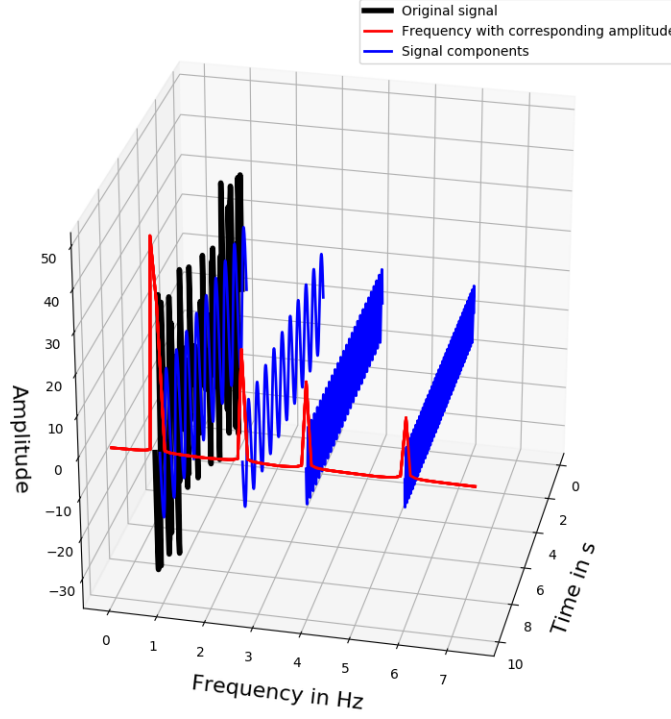


Figure 4: Illustration of using Fourier transform to decompose a time signal to its frequency components

Next, we compute the envelop spectrum for each vibration signal by using the FFT method (Fast Fourier Transform). The envelop spectrum is used to detect early sign of failure. Recall that a vibration signal can be decomposed into its sub components, where each sub component is characterised by its frequency and its amplitude. Early sign of failure can be seen in the high frequency low amplitude sub component. As the failure becomes more pronounced, it becomes visible in the low frequency high amplitude sub component. Figure 5 shows the raw vibration signal, the corresponding envelop spectrum and the ball pass frequency outer race defect.

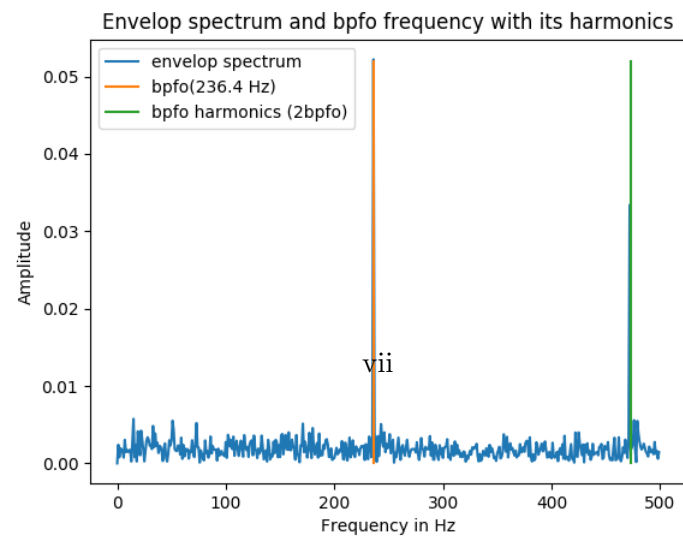
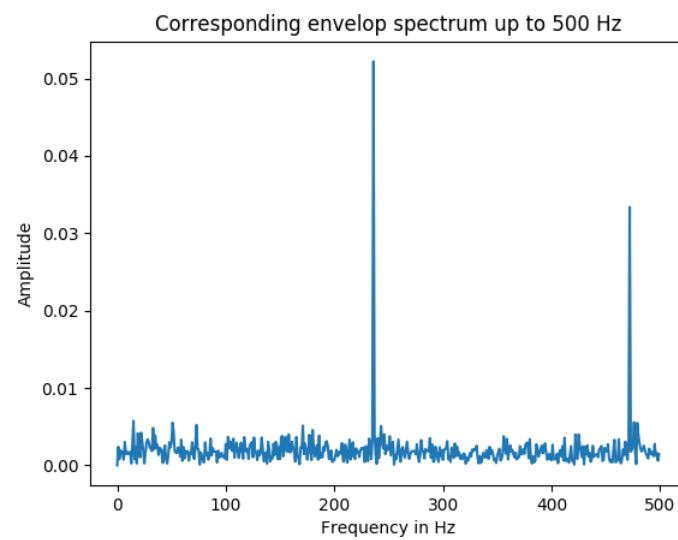
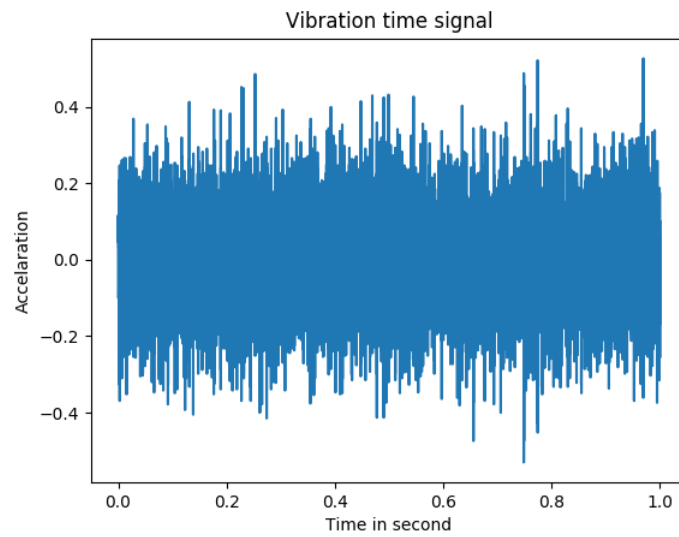


Figure 5: Vibration time signal

By computing the envelop spectrum for each time signal and extracting the amplitude of a defect frequency we can visualise the severity of a defect. Figure 6 and ?? show the amplitude of outer race defect and inner race defect for four bearings and three bearings respectively. In Figure 6 we can observe that bearing number one is affected severely by ball pass frequency outer race defect. Figure 7 shows that bearing number three has ball pass frequency inner race defect.

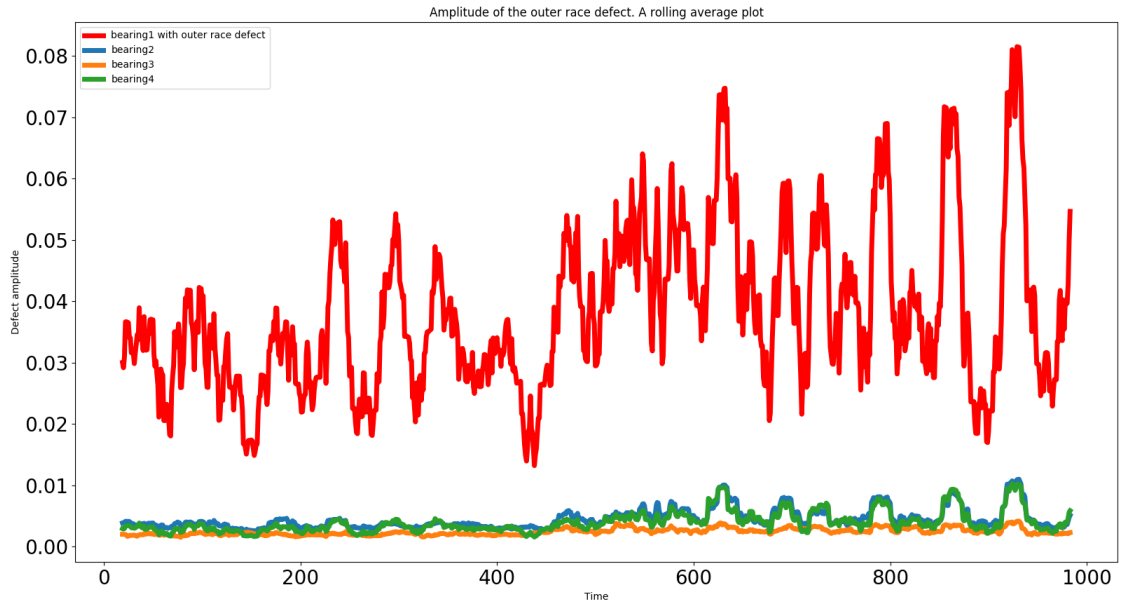


Figure 6: Ball pass frequency outer race detection

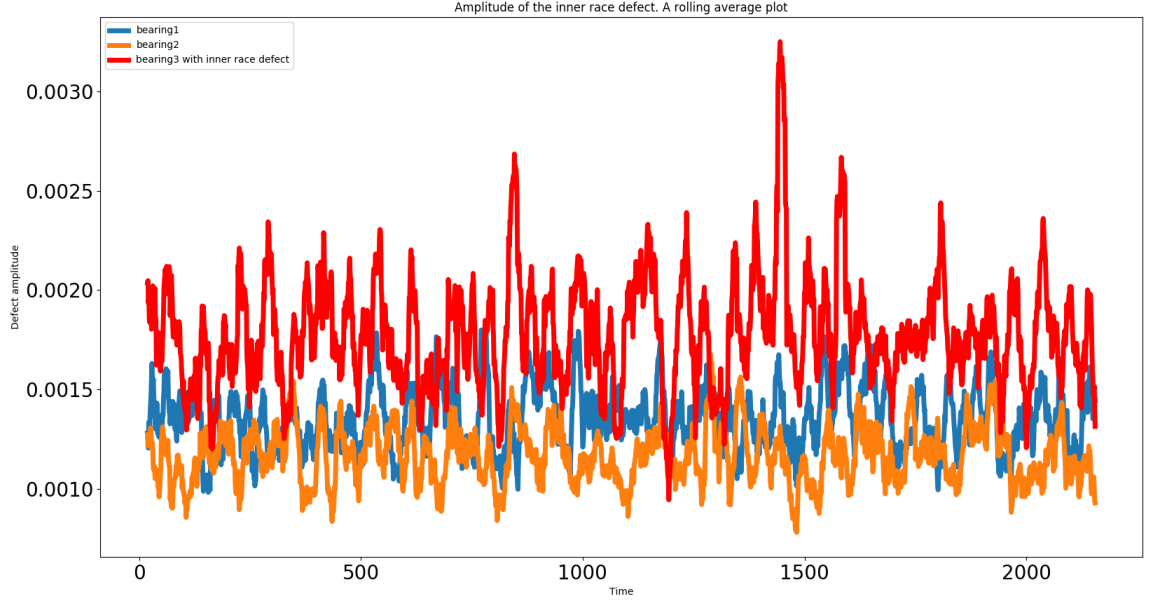


Figure 7: Ball pass frequency inner race detection

3.3 Wavelet transform

3.3.1 Theory

3.3.2 Application

In the wavelet transform we generate two extra features from the vibration time signal, namely the discrete detailed coefficient cD and the approximate coefficient cA . The detail coefficient cD represents the high frequency component of the vibration time signal and the approximate coefficient cA represents the low frequency component. For the mother wavelet we use Daubechies 20 or $db20$ shown in Figure 8

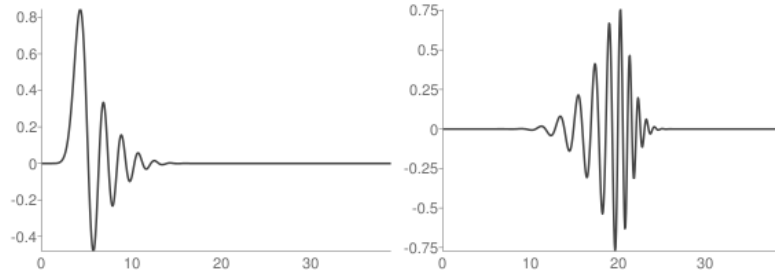


Figure 8: The scaling function φ (left) and the wavelet function Ψ (right)

Once we have the two extra features, we compute the dissimilarity between a reference sample and subsequent samples for each feature. This process generates a set of points (x, y) that represent the health index of each sample. From Figure 9 and 10, we can observe that bearing number four and bearing number three suffer from ball pass frequency outer race and ball pass frequency inner race defect respectively. We can also observe that a bearing can go through three main stages:

1. A healthy stage characterised by a low health index
2. A warning stage characterised by an increasing health index
3. An alarm stage characterised by a high health index

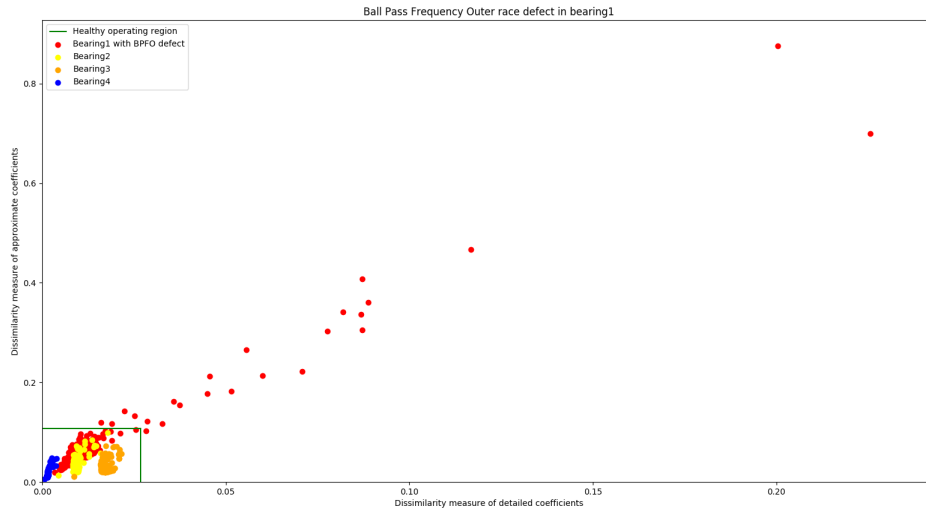


Figure 9: Ball past frequency outer race defect detection from wavelet transform

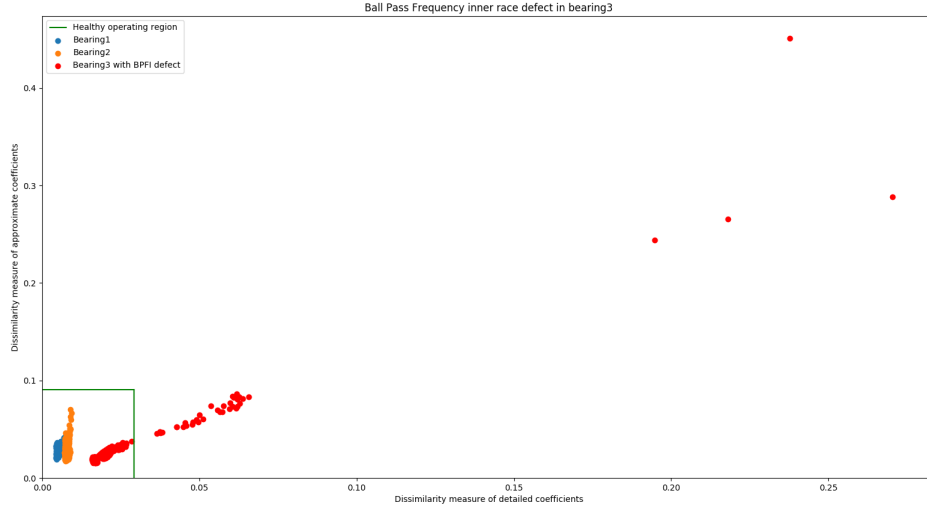


Figure 10: Ball past frequency outer race defect detection from wavelet transform

In the alarm stage, as the degradation becomes more severe, the distance between the points increases.

3.4 Hilbert Huang transform

3.4.1 Theory

The Hilbert-Huang transform is a data decomposition methods that consists of decomposing data in an adaptive fashion. Adaptivity means that rather than imposing an a priori basis such as trigonometric functions, a posteriori basis functions are derived from the data itself [1]. In doing so, the method deals better with nonlinearity and non stationarity which are inherently present in real world data.

This method gives an alternative approach of time-frequency-energy paradigm by using Hilbert spectral analysis and the so call empirical mode decomposition (EMD) to express the nonlinearity and the non stationary in data with instantaneous frequency and instantaneous amplitude [1].

The empirical mode decomposition (EMD) originated from the quest of functions that can be expressed by a time-frequency-amplitude expression, such that the frequency is physically meaningful. Consider a time series $x(t)$. Its Hilbert transform $H(t)$ is given by

$$H(t) = \frac{1}{\pi} P \int_{-\infty}^{\infty} \frac{x(\tau)}{t - \tau} d\tau, \quad (3)$$

where P is the Cauchy principal value. The corresponding time-frequency-amplitude function of $x(t)$ is the analytical function

$$z(t) = x(t) + iy(t) = a(t)e^{i\theta(t)}, \quad (4)$$

where the instantaneous amplitude $a(t)$ and phase $\theta(t)$ can be computed by

$$a(t) = \sqrt{x(t)^2 + y(t)^2} \quad (5)$$

$$\theta(t) = \tan^{-1} \left(\frac{y(t)}{x(t)} \right). \quad (6)$$

Furthermore, the instantaneous frequency $w(t)$ can be derived from the phase $\theta(t)$ as

$$w(t) = \frac{d\theta}{dt}. \quad (7)$$

By setting

$$f(t) = \frac{y(t)}{x(t)},$$

the expression of the instantaneous amplitude $w(t)$ in (7) can be expanded as

$$w(t) = \frac{f'(t)}{1 + f(t)^2} = \frac{y'(t)x(t) - y(t)x'(t)}{x(t)(x(t) + y(t)^2)}. \quad (8)$$

The instantaneous frequency $w(t)$ using the Hilbert transform is not always physically meaning. For example for an arbitrarily function, the instantaneous physical frequency values should be positive. However this is not always the case.

For example if

$$f(x) = \cos(ct) + d \quad (9)$$

where c and d are constants, the instantaneous frequency is given by

$$w(t) = \frac{-c \sin(ct)}{1 + (\cos(ct) + d)^2} \quad (10)$$

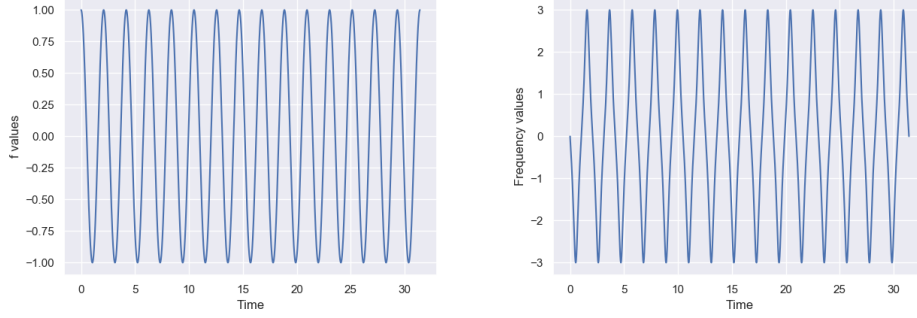


Figure 11: function f and its corresponding frequency

From Figure 11, we see that the instantaneous frequency takes negative values, which is not physically meaning full.

To circumvent this, the Hilbert-Huang transform offers a methodology to obtain from an arbitrarily function or time series $x(t)$ a set of finite subcomponents whose instantaneous frequency are physically meaningful. This methodology let to the empirical mode decomposition.

The necessary condition for obtaining a physical frequency is that $x(t)$ satisfies the approximate local envelope symmetry condition [2].

This condition is expressed in the empirical mode decomposition (EMD) such that an arbitrarily time series $x(t)$ can be decomposed by a sifting process into intrinsic mode function c_i

$$x(t) = \sum_{i=1}^n c_i + r_n \quad (11)$$

where the c_i satisfies the approximate local envelope symmetry condition

$$SD_k = \frac{\sum_{t=0}^T}{\sum_{t=0}^T} < \epsilon \quad (12)$$

where ϵ is a small predefined real number.

3.4.2 Application for bearings fault detection

we consider a vibration signal with sample frequency of 20000Hz rotating speed of 2000 RPM

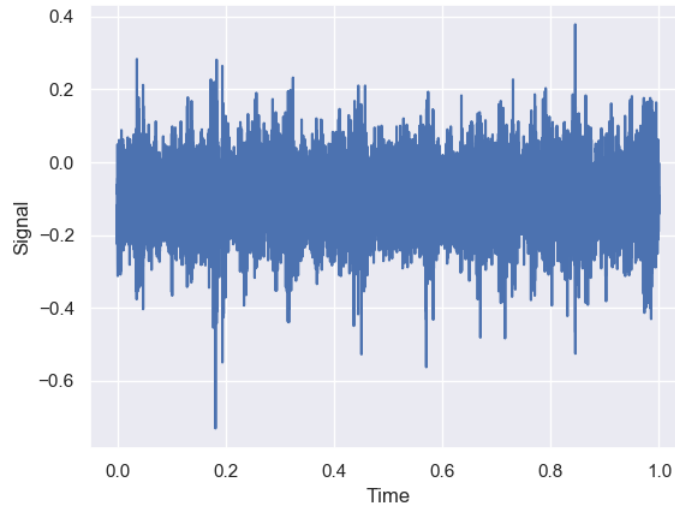


Figure 12: Vibration signal of 1 second snapshot

After applying the empirical mode decomposition on the vibration data from figure 12 we get sixteen intrinsic mode functions

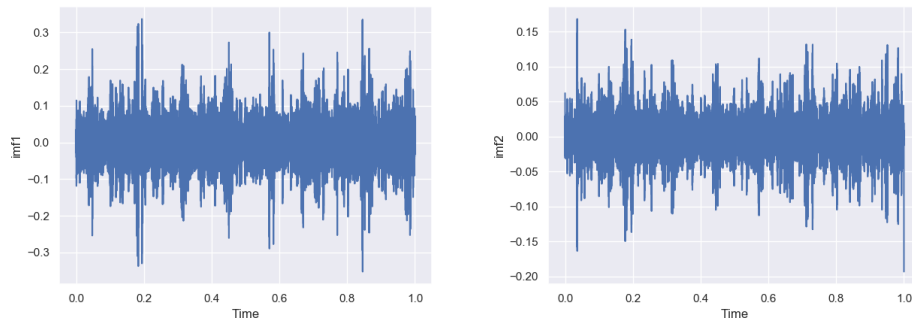


Figure 13: 1th and 2nd intrinsic mode function (imf)

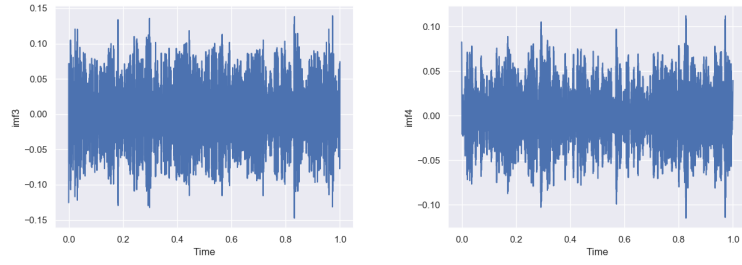


Figure 14: 3rd and 4th intrinsic mode function (imf)

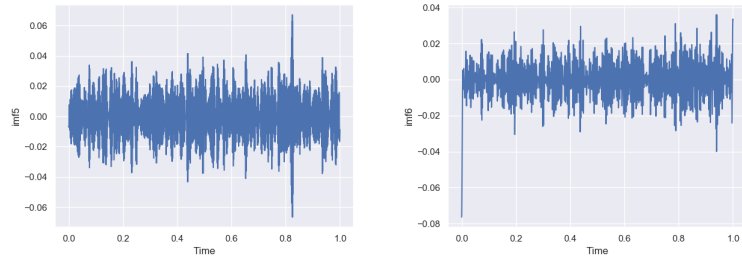


Figure 15: 5th and 6th intrinsic mode function (imf)

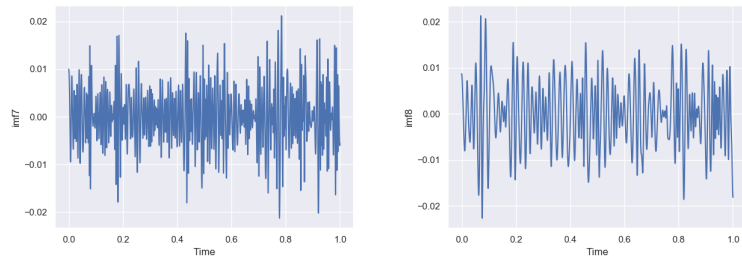


Figure 16: 7th and 8th intrinsic mode function (imf)

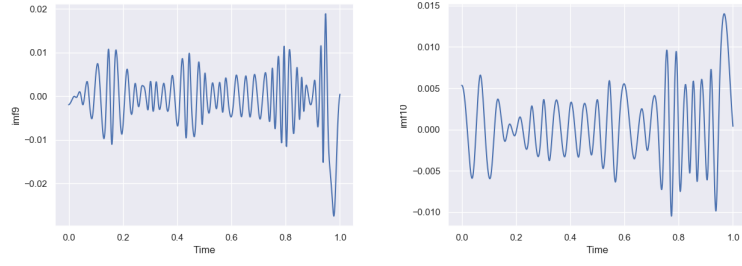


Figure 17: 9th and 10th intrinsic mode function (imf)

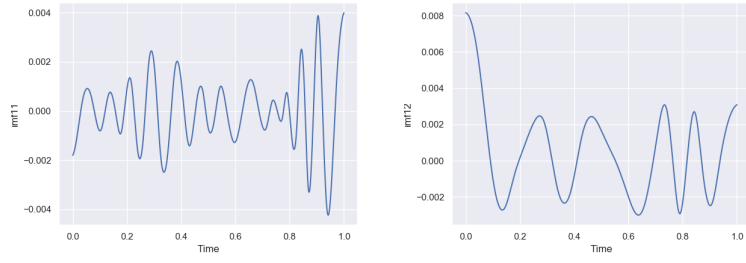


Figure 18: 11th and 12th intrinsic mode function (imf)

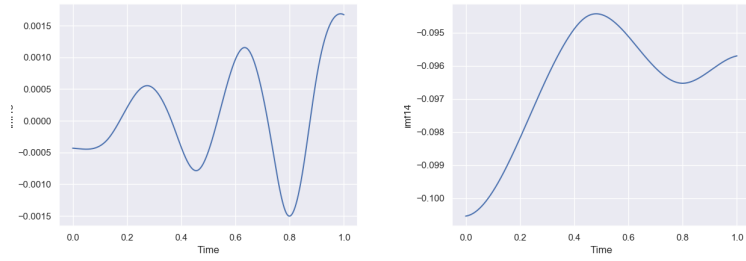


Figure 19: 13th and 14th intrinsic mode function (imf)

4 Statistical and machine learning methods

4.1 Overview

5 Result

5.1 Overview

6 Conclusion

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