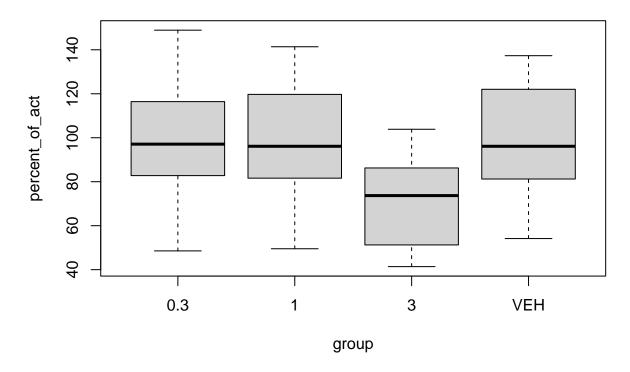
Assignment-45488479

2022-10-28

```
library("tinytex")
library("tidyverse")
## -- Attaching packages ------ tidyverse 1.3.2 --
## v ggplot2 3.3.6 v purrr 0.3.4
## v tibble 3.1.8 v dplyr 1.0.9
## v tidyr 1.2.0 v stringr 1.4.0
## v readr 2.1.2 v forcats 0.5.1
## -- Conflicts ----- tidyverse_conflicts() --
## x dplyr::filter() masks stats::filter()
## x dplyr::lag() masks stats::lag()
mice <- read.table("mice_pot.txt", header = TRUE)</pre>
head(mice)
    group percent_of_act
## 1 0.3
              98.82671
## 2 0.3
             116.42599
## 3 0.3
            132.09128
## 4 0.3
             84.12842
## 5 0.3 148.91697
## 6 0.3 48.54306
boxplot(percent_of_act ~ group, data = mice)
```



#a. ##The variances look larger in the 0.3mg/kg plot than 3mg/kg. ##The boxes appear to be equally sized implying that the different formations appear to have the same variability. ## Including Plots

You can also embed plots, for example:

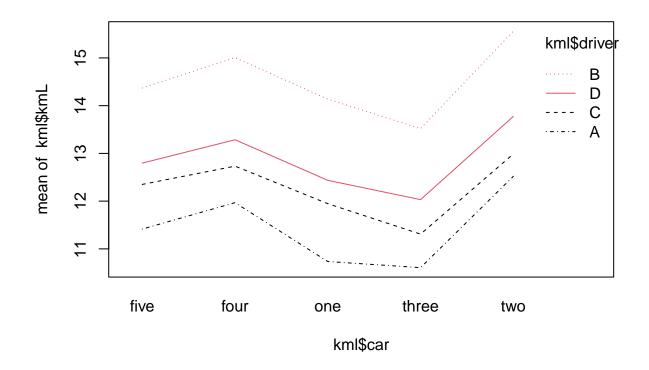
```
mice.aov = aov(percent_of_act ~ group, data = mice)
anova(mice.aov)
```

##b. ##• Hypotheses: H0:mu1 =mu2 =mu3 =mu4(no effect in the population); H1:not all means are equal(an effect in the population). ##• Test statistic: Fobs = 3.1261 ##• Null distribution: If H0 is true, Fobs behaves like a F3,42 distribution ##• P-Value: P (F3,42 >= 3.1261) = 0.0357 < 0.05 ##• Conclusion: Since the P-Value is less than the significance level of 0.05 (5%) we have evidence to reject H0 in favour of H1. That is, we have evidence that the mice content is not all the same for the different formations.

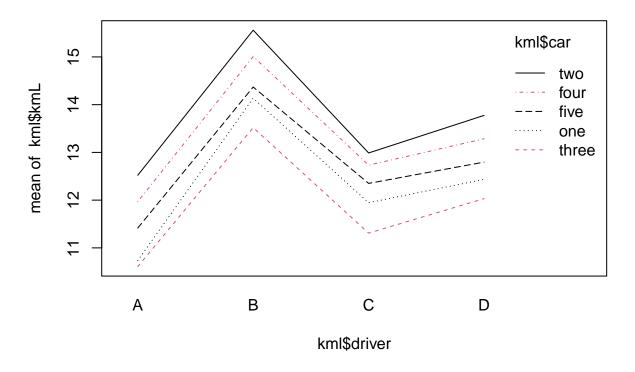
Note that the echo = FALSE parameter was added to the code chunk to prevent printing of the R code that generated the plot.

```
TukeyHSD(mice.aov)
##
     Tukey multiple comparisons of means
##
       95% family-wise confidence level
##
## Fit: aov(formula = percent_of_act ~ group, data = mice)
##
## $group
##
                  diff
                               lwr
                                         upr
                                                 p adj
             1.7298436 -28.9122207 32.371908 0.9987527
## 1-0.3
          -26.6546330 -58.5829330 5.273667 0.1309483
## 3-0.3
## VEH-0.3 2.6774970 -26.6219205 31.976915 0.9947868
## 3-1
           -28.3844765 -58.1381757 1.369223 0.0663434
## VEH-1
            0.9476534 -25.9655801 27.860887 0.9996956
                         0.9630909 57.701169 0.0403151
## VEH-3
            29.3321300
##c. ##t-test value is 3.1262. and assciated degrees of freedom is F3,42. ##Although P-vlaue = 0.0357
< 0.05, the H0 is rejected.
kml <- read.table("kml.dat", header = TRUE)</pre>
head(kml)
##
          kmL driver
                       car
## 1 10.75614
                       one
## 2 10.71363
                   Α
                       one
## 3 12.28666
                   Α
                       two
## 4 12.75432
                  Α
                       two
## 5 10.54357
                  A three
## 6 10.67111
                  A three
summary(aov(kmL ~ driver * car, data = kml))
##
               Df Sum Sq Mean Sq F value
                                           Pr(>F)
## driver
                3 50.66 16.887 531.60 < 2e-16 ***
## car
                4 17.12
                           4.280 134.73 3.66e-14 ***
## driver:car 12
                    0.44
                           0.037
                                    1.16
                                            0.371
               20
                    0.64
                           0.032
## Residuals
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
summary(aov(kmL ~ car * driver, data = kml))
##
               Df Sum Sq Mean Sq F value
                                           Pr(>F)
## car
                4 17.12
                           4.280 134.73 3.66e-14 ***
                3 50.66 16.887 531.60
                                          < 2e-16 ***
## driver
## car:driver 12
                    0.44
                           0.037
                                    1.16
                                            0.371
               20
                    0.64
                           0.032
## Residuals
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

```
checkbalance = kml; checkbalance[15, ] = c(90, "truck", "km")
summary(aov(kmL ~ driver * car, data=checkbalance))
              Df Sum Sq Mean Sq F value
                                             Pr(>F)
                            1467 44128.610 < 2e-16 ***
## driver
                    5869
## car
               4
                      16
                               4
                                   119.828 3.37e-13 ***
## driver:car 12
                      0
                               0
                                     1.061
                                               0.44
## Residuals
               19
                       1
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
summary(aov(kmL ~ car * driver, data=checkbalance))
              Df Sum Sq Mean Sq
##
                                   F value Pr(>F)
## car
                   5837 1167.4 35111.696 <2e-16 ***
                            15.9
                                   478.424 <2e-16 ***
               3
                      48
## driver
## car:driver 12
                      0
                             0.0
                                     1.061
                                             0.44
## Residuals
               19
                      1
                             0.0
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
##Q2 ##a. Yes the design is balanced since there are two entries for a combination of each of the Car and
driver
##b.
interaction.plot(kml$car, kml$driver, kml$kmL, col = 1:2)
```



interaction.plot(kml\$driver, kml\$car, kml\$kmL, col = 1:2)



```
kml1 = lm(kmL ~ driver, data = kml)
anova(kml1)
## Analysis of Variance Table
##
## Response: kmL
             Df Sum Sq Mean Sq F value
              3 50.661 16.8869
                               33.409 1.672e-10 ***
## driver
## Residuals 36 18.197 0.5055
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
km12 = lm(kmL ~ car, data = kml)
anova(kml2)
## Analysis of Variance Table
##
## Response: kmL
##
             Df Sum Sq Mean Sq F value Pr(>F)
## car
              4 17.119 4.2798 2.8952 0.03597 *
## Residuals 35 51.738 1.4782
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
```

##c. ##Null hypothesis: There is no Dependence of drivers. ##Alternative hypothesis: There is some

dependence on drivers and fuel efficiencies. ##From kml1, t-stat is 33.409, P-vlaue is 1.672e-10. ##Since P-value is less than 0.05, null hypothesis is rejected.

##Null hypothesis: There is no dependence on cars and fuel efficiencies. ##Alternate hypothesis:There is some dependence on cars and fuel efficiencies. ##From kml2, t-stat is 2.8952, P-value is 0.03597. ##Since P-value is less than 0.05, null hypothesis is rejected.

##d ##In both the Cases null hypothesis is rejected (See Q2-c). ##This implies that Cars and drivers on fuel efficiencies choice of in Kml.